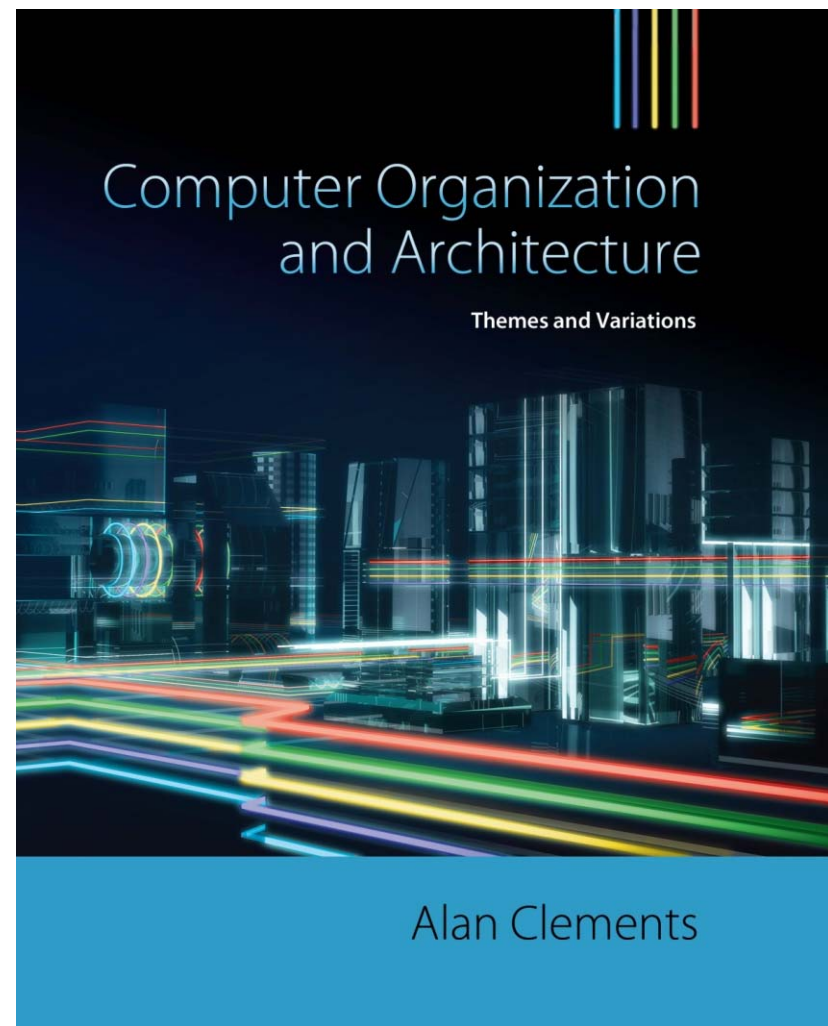


Part 0x9

CHAPTER 3

Architecture and Organization

1



These slides are being provided with permission from the copyright for in-class (CS2208B) use only. The slides must not be reproduced or provided to anyone outside of the class.

All download copies of the slides and/or lecture recordings are for personal use only. Students must destroy these copies within 30 days after receipt of final course evaluations.

Example 1: Calculating the Absolute Value

- To calculate $x \leftarrow |x|$, where x is a signed integer, we can implement
if $x < 0$ then $x = -x$

- In ARM

TEQ ^{Test equal.} **r0**, #0 ;compare r0 with zero
RSB**MI** **r0**, r0, #0 ;if negative (MInus) $r0 \leftarrow 0 - r0$

- What is the difference between TEQ and CMP? • • •

Both of them set flags

To know the difference,
read slide #72

- Can we use RSB**MI** **r0**, #0 instead of RSB**MI** **r0**, r0, #0 ?

Yes. RSB has short hand while NEG cannot be shorten.

- Can we use NEG**MI** **r0**, r0 instead of RSB**MI** **r0**, r0, #0 ?

ARM does not have negation

RSB is used to

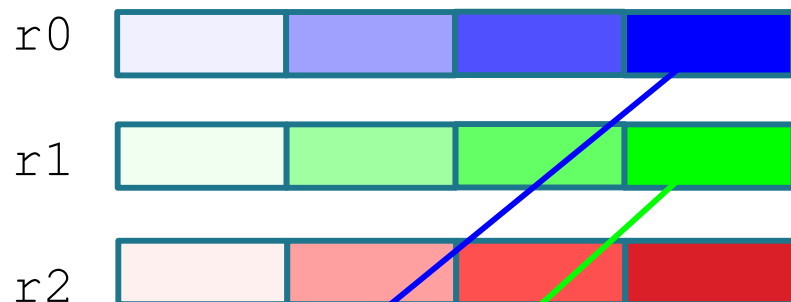
implement NEG.

To know the answer,
read slide #59

To know the answer,
read slide #59

Example 2: Byte Manipulation and Concatenation

□ Suppose we have r0, r1, and r2 as follow:



and we want to rearrange r2 as follow:



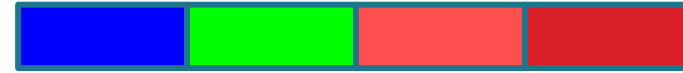
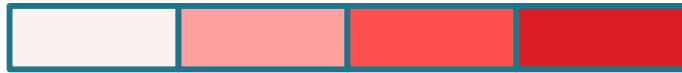
Q No
Constant should be encoded
from 0-255 to rotate.

Note that: we can not do:
`BIC r2, r2, #0xFFFF0000`
To know the reason, read
Slides 105-109

```

AND r0, r0, #0xFF save the last byte. ; clear all high order 3 bytes
AND r1, r1, #0xFF clear. ; clear all high order 3 bytes
BIC r2, r2, #0xFF0000 ; clear the 3rd byte
BIC r2, r2, #0xFF000000 ; clear the 4th byte
ADD r2, r2, r1, LSL#16 LSL r1 by 2 bytes & add it to r2
ADD r2, r2, r0, LSL#24 LSL r0 by 3 bytes & add it to r2
  
```

Example 2: Byte Manipulation and Concatenation



AND **r0**, r0, #0xFF



;clear all high order 3 bytes



AND **r1**, r1, #0xFF



;clear all high order 3 bytes



BIC **r2**, r2, #0xFF0000



;clear the 3rd byte



BIC **r2**, r2, #0xFF000000



;clear the 4th byte



ADD **r2**, r2, r1, LSL#16

;LSL r1 by 2 bytes & add it to r2



ADD **r2**, r2, r0, LSL#24

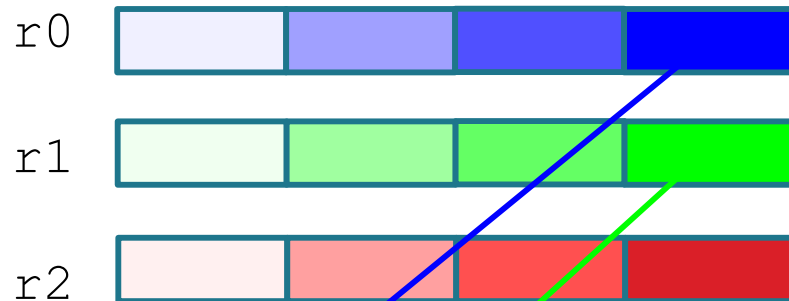
;LSL r0 by 3 bytes & add it to r2



r2
152

Example 2: Byte Manipulation and Concatenation

□ Suppose we have r0, r1, and r2 as follow:



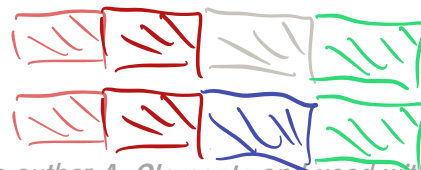
and we want to rearrange r2 as follow:



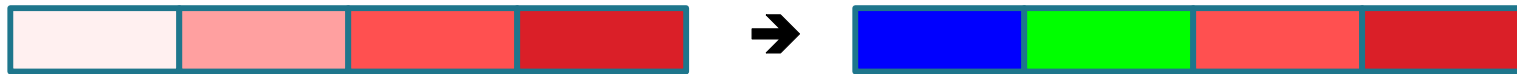
□ *Another solution in 5 instructions*

```
AND r0, r0, #0xFF      ;clear r0 all high order 3 bytes
AND r1, r1, #0xFF      ;clear r1 all high order 3 bytes
ADD r2, r1, r2, LSL#16   ;LSL r2 by 2 bytes & add r1 to it
ADD r2, r2, r0, LSL#8    ;LSL r0 by 1 byte & add it to r2
MOV r2, r2, ROR#16      ;Swap the two r2 16 bits together
```

2.



Example 2: Byte Manipulation and Concatenation



AND **r0**, r0, #0xFF



;clear all high order 3 bytes



AND **r1**, r1, #0xFF



;clear all high order 3 bytes



ADD **r2**, r1, r2, LSL#16



;LSL r2 by 2 bytes & add r1 to it



ADD **r2**, r2, r0, LSL#8



;LSL r0 by 1 byte & add it to r2



MOV **r2**, r2, ROR#16



;Swap the two r2 16 bits together



Example 3: Byte Reversal (Big-endian \Leftrightarrow Little-endian)

□ Suppose that **0xAB CD EF GH** is stored in r0

□ We want to reverse the content of r0,
i.e., store **0xGH EF CD AB** in r0

□ Let us review the XOR truth table

- $x \oplus x = 0$ *the input same $\rightarrow 0$*
- $x \oplus 0 = x$ *diff $\rightarrow 1$.*
- $x \oplus y \oplus y = x$
 $x \oplus 1 = \bar{x}$.

A	B	C = A \oplus B
0	0	0
0	1	1
1	0	1
1	1	0

□ We will use r1 as a working register *know how to any use 2x*
0xEF GH AB CD

```

EOR r1, r0, r0, ROR#16 ; A $\oplus$ E, B $\oplus$ F, C $\oplus$ G, D $\oplus$ H, E $\oplus$ A, F $\oplus$ B, G $\oplus$ C, H $\oplus$ D
BIC r1, r1, #0x00FF0000 ; A $\oplus$ E, B $\oplus$ F, 0, 0, E $\oplus$ A, F $\oplus$ B, G $\oplus$ C, H $\oplus$ D
MOV r0, r0, ROR#8 ; G, H, A, B, C, D, E, F
EOR r0, r0, r1, LSR#8 ; r1 after LSR#8 is
; 0, 0, A $\oplus$ E, B $\oplus$ F, 0, 0, E $\oplus$ A, F $\oplus$ B
; The final result will be
; G $\oplus$ 0, H $\oplus$ 0, A $\oplus$ A $\oplus$ E, B $\oplus$ B $\oplus$ F, C $\oplus$ 0, D $\oplus$ 0, E $\oplus$ E $\oplus$ A, F $\oplus$ F $\oplus$ B
; G, H, E, F, C, D, A, B
  
```

Example 4: Variable Swapping

❑ Assume that we have two variables stored in **r0** and **r1**

❑ We want to swap these two variables

$[r2] \leftarrow [r0]$

$[r0] \leftarrow [r1]$

$[r1] \leftarrow [r2]$

❑ Now, we want to do the same thing without using r2

The red values are the originals.

```

ADD  r0, r0, r1      ;  $[r0] \leftarrow [r0] + [r1]$ 
SUB  r1, r0, r1      ;  $[r1] \leftarrow [r0] - [r1]$ 
                        ;  $[r1] \leftarrow ([r0] + [r1]) - [r1]$ 
                        ;  $[r1] \leftarrow [r0]$ 
SUB  r0, r0, r1      ;  $[r0] \leftarrow [r0] - [r1]$ 
                        ;  $[r0] \leftarrow ([r0] + [r1]) - [r0]$ 
                        ;  $[r0] \leftarrow [r1]$ 

```

```

X ← X + Y
Y ← X - Y  => x
X ← X - Y  => y

```


Example 4: Variable Swapping

- Assume that we have two variables stored in **r0** and **r1**
- We want to swap these two variables

$[r2] \leftarrow [r0]$

$[r0] \leftarrow [r1]$

$[r1] \leftarrow [r2]$

- Now, we want to do the same thing without using **r2**

Another solution

Let us review the XOR truth table

- $x \oplus x = 0$
- $x \oplus 0 = x$
- $x \oplus y \oplus y = x$

A	B	C = A ⊕ B
0	0	0
0	1	1
1	0	1
1	1	0

```

EOR r0, r0, r1      ;  $[r0] \leftarrow [r0] \oplus [r1]$ 
EOR r1, r0, r1      ;  $[r1] \leftarrow ([r0] \oplus [r1]) \oplus [r1]$ 
                    ;  $[r1] \leftarrow [r0]$ 
EOR r0, r0, r1      ;  $[r0] \leftarrow ([r0] \oplus [r1]) \oplus [r0]$ 
                    ;  $[r0] \leftarrow [r1]$ 

```

The red values are the originals.

$X \leftarrow X \oplus Y$

$Y \leftarrow X \oplus Y$

$X \leftarrow X \oplus Y$

Example 5: Multiplication by $2^n - 1$, 2^n , or $2^n + 1$

- ❑ Multiplying by 2^n can be implemented using MOV instruction and LSL#n

- ❑ Example:

Write one ARM instruction to store $r1 \times 16$ into r2

MOV **r2**, r1, LSL#4 ; $[r2] \leftarrow [r1] \times 2^4$

e.g. $1_2 \Rightarrow 10000_2$

- ❑ Multiplying by $2^n + 1$ can be implemented using ADD instruction and LSL#n

- ❑ Example

Write one ARM instruction to store $r1 \times 17$ into r2

ADD **r2**, r1, r1, LSL#4 ; $[r2] \leftarrow [r1] + [r1] \times 2^4$

- ❑ Multiplying by $2^n - 1$ can be implemented using RSB instruction and LSL#n

- ❑ Example

Write one ARM instruction to store $r1 \times 15$ into r2

RSB **r2**, r1, r1, LSL#4 ; $[r2] \leftarrow [r1] \times 2^4 - [r1]$

Example 5: Multiplication by $2^n - 1$, 2^n , or $2^n + 1$

- Let us translate the following C code

```

if (x > y)
    p = 17 * q;
else
{ if (x == y)
    p = 16 * q;
  else /* i.e., x < y */
    p = 15 * q;
}

```

CMP GT
 EQ
 LT

why r1 = 1?

- Assume that x and y are stored in r2 and r3, and also that p and q are r4 and r1

```

CMP    r2, r3           ; Compare x and y
ADDGT  r4, r1, r1, LSL#4 ; IF >, then p ← q + q << 4
MOVEEQ r4, r1, r1, LSL#4 ; IF =, then p ← q << 4
RSBLT r4, r1, r1, LSL#4 ; IF <, then p ← q << 4 - q

```

r4 not r1
Not correct in
the book page
200

Example 6: Dividing by D

❑ Dividing by **D** can be implemented using MUL and ASR instructions

❑ Example:

Write ARM instructions to divide **r0** by **D** and store the result in **r1**

i.e., $[r1] \leftarrow [r0] / D$

❑ The result can be written as:

$$\begin{aligned} [r0] / D &= [r0] \times (1 / D) \\ &= [r0] \times (2^N / D) / 2^N \end{aligned}$$

- ✓ Select **N** to be a large integer at the same time not to cause an overflow when evaluating $[r0] \times (2^N / D)$
- ✓ Evaluate $[r0] \times (2^N / D)$
- ✓ Arithmetic shift right the result N time

/ 2^N.

❑ If **D** = 5 and **r0** = 32004, we can pick **N** = 16

❑ $2^N / D = 2^{16} / 5 = 1024 \times 64 / 5 = 13107.2$

round(13107.2) = 13107

LDR **r2**, =13107; $(2^N / D)$

MUL **r1**, r2, r0 ; $[r0] \times (2^N / D)$

ASR **r1**, #16 ; $[r0] \times (2^N / D) / 2^N = [r0] / D$

Note that $13107 / 2^{16} = 0.199997 \approx 0.2$

Example 7: Converting Capital Letter → Small Letter

- ❑ Let us convert any capital letter to small letter
- ❑ Capital letters begins by 'A' and end by 'Z'
- ❑ Assume that the character to be converted in r0; and r1 is a working register

```

CMP    r0, #'A'           ;Is it in the range of the capital?
RSBGES r1, r0, #'Z'      ;If GE >= 'A',
                           ;then check with 'Z'
                           ; S and update the flags
ORRGE r0, r0, #2_100000  ;If between 'A' and 'Z' inclusive,
                           ;then set bit 5 to force lower case
  
```

*If [r0] is
not in this
range, then
this line will
not be executed.*

*Flipp the 6th
number.
1 => Small.
0 => Capital*

Example 8: If Statement in One Instruction!!

- Let us translate the following C code

```
if (x < 0)
    x = 0;
```

- Assume that x is stored in $r0$

BIC **r0**, r0, r0, ASR#31 ; only one instruction!!

- ASR#31 will fill all bits of $r0$ with the sign bit

- If positive, the result will be $0x00000000$
- If negative, the result will be $0xFFFFFFFF$

Hence, if negative, all bits will be cleared, i.e., $x \leftarrow 0$

Otherwise, x will stay as it is without change

positive: BIC r0, r0, 0x00000000
nothing changed.

negative: 0xFFFFFFFF
clear all bits.



Example 9: Simple Bit-level Logical Operations

❑ Assume #2_0000 0000 0000 0000 0000 0000 0000 **pqrs** is stored in r0

❑ We wish to implement the following statement

```
if ((p == 1) && (r == 1))  
    s = 1;
```

```
TST    r0, #0x8      ;check the value of bit p  
TSTNE  r0, #0x2      ;if p == 1,  
                    ; check the value of bit r  
ORRNE  r0, r0, #1    ;if r == 1,  
                    ; set s ← 1
```

Example 10: Hexadecimal Character Conversion

- ❑ We would like to convert **4 binary bits** to **hexadecimal digits**
- ❑ Assume that these 4 bits are stored at the LSBs of r0 and the rest of the bits are zeros
- ❑ Note that the ASCII code of +30
 - '0' is 48, i.e., 0x30 (difference from 0000₂ is = 0x30)
 - '1' is 49, i.e., 0x31 (difference from 0001₂ is = 0x30)
 - ...
 - '9' is 57, i.e., 0x39 (difference from 1001₂ is = 0x30)
- ❑ Note also that the ASCII code of +37
 - 'A' is 65, i.e., 0x41 (difference from 1010₂ is = 0x37)
 - 'B' is 66, i.e., 0x42 (difference from 1011₂ is = 0x37)
 - ...
 - 'F' is 70, i.e., 0x46 (difference from 1111₂ is = 0x37)

- ❑ The conversion algorithm is:

```
character = the4BitBinaryValue + 0x30
```

```
if(character > 0x39)
```

```
character += 7
```

ADDGT not ADDGE

Not correct in the book page 202

```
ADD r0, r0, #0x30; add 0x30 to convert 0 through 9 to ASCII
CMP r0, #0x39; check for A to F hex values
ADDGT r0, r0, #7; If A to F, then add 7 to get the ASCII
```

0000	→	'0'
0001	→	'1'
0010	→	'2'
0011	→	'3'
0100	→	'4'
0101	→	'5'
0110	→	'6'
0111	→	'7'
1000	→	'8'
1001	→	'9'
<hr/>		
1010	→	'A'
1011	→	'B'
1100	→	'C'
1101	→	'D'
1110	→	'E'
1111	→	'F'

Example 10: Hexadecimal Character Conversion

- ❑ We would like to convert **4 binary bits** to **hexadecimal digits**
- ❑ Assume that these 4 bits are stored at the LSB of `r0` and the rest of the bits are zeros
- ❑ Note that the ASCII code of
 - '0' is 48, i.e., $0x30$ (difference from 0000_2 is $= 0x30$)
 - '1' is 49, i.e., $0x31$ (difference from 0001_2 is $= 0x30$)
 - ...
 - '9' is 57, i.e., $0x39$ (difference from 1001_2 is $= 0x30$)
- ❑ Note also that the ASCII code of
 - 'A' is 65, i.e., $0x41$ (difference from 1010_2 is $= 0x37$)
 - 'B' is 66, i.e., $0x42$ (difference from 1011_2 is $= 0x37$)
 - ...
 - 'F' is 70, i.e., $0x46$ (difference from 1111_2 is $= 0x37$)
- ❑ Another algorithm:


```
character = the4BitBinaryValue
           +(the4BitBinaryValue <= 0x9)? 0x30 : 0x37;
```

```
CMP    r0, #0x9      ;is it 0-9 or A-F hex values?
ADDLE  r0, r0, #0x30; if it is 0-9, add 0x30 to convert to ASCII
ADDGT  r0, r0, #0x37; if it is A-F, add 0x37 to convert to ASCII
```

0000	➔	'0'
0001	➔	'1'
0010	➔	'2'
0011	➔	'3'
0100	➔	'4'
0101	➔	'5'
0110	➔	'6'
0111	➔	'7'
1000	➔	'8'
1001	➔	'9'
1010	➔	'A'
1011	➔	'B'
1100	➔	'C'
1101	➔	'D'
1110	➔	'E'
1111	➔	'F'

Example 11: Multiple Selection

- Let us translate the following C code

```
switch (i)
{ case 0: do action; break;
  case 1: do action; break;
  ...
  case N: do action; break;
  default: do something;
}
```

- Assume that r0 contains the selector i

```
TEQ r0, 0 ;is the switch variable == 0?
BEQ case0 ;If i == 0, jump to the case0 code
TEQ r0, 1 ;is the switch variable == 1?
BEQ case1 ;If i == 1, jump to the case1 code
...
TEQ r0, N ;is the switch variable == N?
BEQ caseN ;If i == N, jump to the caseN code
```

B default

case0 do action of case 0

B AfterCase

case1 do action of case 1

B AfterCase

caseN do action of case N

B AfterCase

default do action of default

AfterCase ...

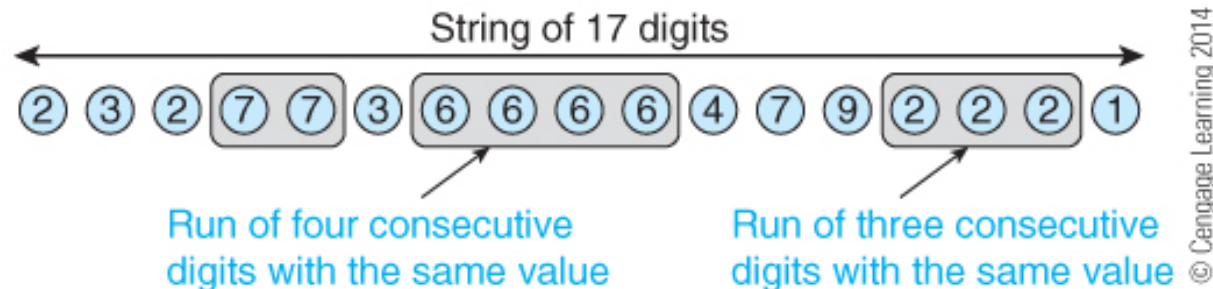
*All above cases are
we met*

Example 12: Finding the Longest Sequence of Repeated Digits

❑ In Chapter one, we attempted to find the longest sequence of repeated digits.

FIGURE 1.7

A string of digits



❑ Let us revisit this problem and implement the solution using ARM assembly language.

❑ If you recall, we proposed 13 steps to solve this problem:

1. Read the first digit in the string and call it **New_Digit**
2. Set the **Current_Run_Value** to **New_Digit**
3. Set the **Current_Run_Length** to 1
4. Set the **Max_Run** to 1
5. REPEAT
6. Read the next digit in the sequence (i.e., read a **New_Digit**)
7. IF its value is the same as **Current_Run_Value**
8. THEN **Current_Run_Length** = **Current_Run_Length** + 1
9. ELSE {**Current_Run_Length** = 1
10. **Current_Run_Value** = **New_Digit**}
11. IF **Current_Run_Length** > **Max_Run**
12. THEN **Max_Run** = **Current_Run_Length**
13. UNTIL The last digit is read

Example 12: Finding the Longest Sequence of Repeated Digits

AREA RunLength, CODE, READONLY

ENTRY

ADR r9, String ; r9 points to the string

LDRB r0, EoS ; r0 is the EoS symbol

LDRB r1, [r9], #1 ; Step-01: r1 is New_Digit

MOV r2, r1 ; Step-02: r2 is the Current_Run_Value

MOV r3, #1 ; Step-03: r3 is the Current_Run_Length (set to 1)

MOV r4, #1 ; Step-04: r4 is the Max_Run_Length (set to 1)

Repeat LDRB r1, [r9], #1 ; Step-05 & 06: REPEAT: Read next digit (i.e., New_Digit)

CMP r1, r2 ; Step-07: Compare New_Digit and Current_Run_Value

ADDEQ r3, r3, #1 ; Step-08: IF same THEN Current_Length = Current_Length + 1

MOVNE r3, #1 ; Step-09: ELSE Current_Run_Length = 1

MOVNE r2, r1 ; Step-10: Current_Run_Value = New_Digit

CMP r3, r4 ; Step-11: IF Current_Run_Length > Max_Run

MOVGT r4, r3 ; Step-12: THEN Max_Run = Current_Run_Length

TEQ r0, r1 ; Step-13: Testing the end of string

BNE Repeat ; Step-13: UNTIL all digits tested

Park B Park

String DCB 2, 3, 2, 7, 7

DCB 3, 6, 6, 6, 6, 4

DCB 7, 9, 2, 2, 2, 1

EoS DCB 0xFF

END

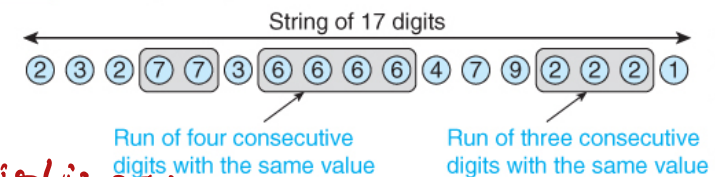
Even only AREA
ENTRY

has some END

This slide is modified from the original slide by the

FIGURE 1.7

A string of digits



1. Read the first digit in the string and call it **New_Digit**
2. Set the **Current_Run_Value** to **New_Digit**
3. Set the **Current_Run_Length** to 1
4. Set the **Max_Run** to 1
5. **REPEAT**
6. Read the next digit in the sequence (i.e., read a **New_Digit**)
7. **IF** its value is the same as **Current_Run_Value**
8. **THEN** **Current_Run_Length** = **Current_Run_Length** + 1
9. **ELSE** { **Current_Run_Length** = 1
10. **Current_Run_Value** = **New_Digit** }
11. **IF** **Current_Run_Length** > **Max_Run**
12. **THEN** **Max_Run** = **Current_Run_Length**
13. **UNTIL** The last digit is read

↓
in C, the end of string is null.
in this case, we use `isnull` as the same function as null.