1. Assume that fing = O (n), g(n) = O (n), hin) = O (n). 7tn = O (g(n)) = O(O(n)) fcn, x hen; = O (Ocnt,) x O (n2) = O (Ocnt) x Ocn2) Ocgan) x Lan,) = O(Ocny) x Ocn2s) in fens xhen; = O (gens) xhen;) 2. Assume that the claim is False : in is O(n) If n is O('(n) then by definition, there are constant c>0 and no 3,1 such that n = c. in for all n = no. Simplify the inequality: multiplies both sides by n n² = C for all n; no. The inequality is valid only for values of no that are at most c, so the inequality cannot be true for all values in larger than some constant no Consequently, n is not O(1/n). 4. i. a. Because the range of i's from 1 to n-1 and the range of is from 1 to i-1 b. It all values stored in A are different then the algorithm must return true For all values stored in A are different,

A[i] = A[i] will always be false and it will not return Talse. For A that has two values are the same, ALi]=ALi] will be true and the algorithm will vernon Talse. ii The worst case is all values are different or the last eno values are the same then It need to go through all values. 11) Primitive operations: <, =, return < = return 121, 320 1 1 122,5201 1=2, j=11 i=n;=n11 total n(n-1) n(n-1) 1 tra n(n1) + 1 is O (n2)

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	\mathbf{n}	Linear Search	n	Quadratic Search	n	Factorial Search
	5	89 ns	5	231 ns.	7	3816100 ms
	10	220 ns	10	694 ns.	8	19007600 ns
	100	547 ns	100	150 ±4ns	9	89166700 ns
	1000	7866 ns	100	0 157858ns		810013300 ns
	10000	11698 ns	1000	00 13874551 ms		9280913400 ns
	100000	49190 ns.			12	109253433900 ns.