

Assignment 2 of CS2209A

Completion of the assignment must be an individual effort.

Due date: 2021.10.8 (by 11:55 pm)

This assignment is worth 10% towards your final mark.

You need to complete the following sets of [LogiCola](#) exercises. For each set that you complete, set your “Scoring Level” to 8 or higher.

1. D-AM, 1% (use truth table to prove an argument)
2. D-AH 2% (save as 1 but more propositions. Note: LogiCola “forces” you to complete the whole table in order to draw conclusions. In exams, you can skip parts of the table using the “short-cut” methods mentioned in slides/textbook. Of course, if you skip the wrong parts, marks would be deducted).
3. E-S, 1% (in exams, you need to show us how you do it on paper)
4. E-E 1% (Easy to pass in LogiCola, but in exams, you first need to translate all premises and the conclusion into WFFs. Then prove with methods specified, such as truth table as 1/2 here, truth argument as 3 here, or s/i rules as 6/7/8 here, on paper)
5. F-CH (1%, use s/i rules)
6. G-EV (1%, refutation. In exams, you need to perform this on paper)
7. G-HV (2%, refutation with additional assumptions. In exams, you need to perform this on paper).
8. G-EI (1%. In exams, you need to do this on paper)

How to Submit:

Submit your score file via [OWL](#) (just as you’d submit a PDF file) before the deadline.

$$\sim(P \cdot (C \vee S)).$$

$$\sim(P \cdot T) \quad T.$$

$$P \quad F.$$

$$F \supset (D \cdot G).$$

$$\sim P \vee \sim R. \quad F \vee \sim R \quad T.$$

$$P$$

$$\sim R \equiv T.$$

$$\sim R.$$

$$R \equiv F$$

$$(R \cdot \sim D) \supset F.$$

$$R \cdot \sim D \quad T.$$

$$R \equiv T \text{ \& } D \equiv F.$$

$$S \supset (B \cdot L). \quad \equiv T.$$

$$S \supset (T \cdot L) \equiv T.$$

$$F \supset (T \cdot L).$$

$$S \vee \sim F \equiv F.$$

$$S \supset T \quad T.$$

$$S \supset F \quad \equiv T.$$

$$\sim F \equiv F$$

$$F \supset F \equiv T.$$

$$F \equiv T.$$

$$S \supset T \quad S \supset F$$

$$S \equiv F.$$

$$\sim R \vee \sim F. \quad T. \quad R \vee F \quad F. \quad R \equiv F$$

$$\begin{array}{c} R \\ \hline \sim F \end{array}$$

$$\sim F$$

$$(B \wedge F) \supset \sim H.$$

$$B \supset F$$

$$B \equiv F$$

$$H$$

$$\sim B$$

$$F$$

$$\hline \sim B$$

$$\sim S \supset \sim (B \wedge \sim F). \quad \sim S \supset F.$$

$$B$$

$$S \equiv$$

$$\sim F$$

$$\hline \sim S.$$

$$P \supset (C \supset C)$$

T.

$$C \supset C \supset T.$$

P

$$T \supset (C \supset C)$$

$$C \supset F \supset T$$

$$\frac{\sim L}{\sim L.}$$

$$C \supset F$$

$$\sim L.$$

$$Q \quad (D \supset L) \supset H.$$

$$F \supset H.$$

L

$$\frac{\sim D}{\sim H.}$$

$$\sim H.$$

$$\sim P \supset \sim (R \vee L). \quad \sim P \supset F.$$

$$S \supset \sim (L \wedge \sim F).$$

$$\sim R$$

$$\sim C \quad S \supset T.$$

$$\frac{L}{P} \quad T.$$

$$\frac{\sim F}{\sim S.}$$

P

$$\sim S.$$

$$\sim B \supset \sim R$$

R

$$G \supset (C \vee F).$$

$$\sim C$$

$$\frac{\sim G}{\sim F.}$$

$$\sim F.$$

B.

$$F \supset F.$$

$$(C \vee \sim P) \supset \sim L.$$

$$\frac{L}{P.}$$

$$C \vee \sim P \supset F.$$

$$L \supset \sim B$$

$$\sim L$$

$$(P \vee B) \supset (F \wedge D)$$

T C

$$\sim ((C \wedge \sim F) \supset F)$$

$$\frac{F \supset T.}{C.}$$

$$C \wedge T \supset F.$$

$$C \supset F.$$

$$\sim S \vee \sim H$$

$\neg S$

H.

$(S \vee L) \subset (L \wedge F)$.

$\neg S$

$\neg L$.

$L \subset (R \wedge S)$

R.

$\neg (I \cdot S)$.

I.

$\neg (T \cdot S)$.

$\neg S$ T.

S F.

$P \supset \neg A$

P

$\neg \rightarrow T$.

$\neg P$

T F.

O U.

$\neg \rightarrow P$

$\neg \rightarrow F$.

$\neg R \vee \neg P \equiv F$

$\neg R \equiv F \quad R \equiv T$

$\neg P \equiv F \quad P \equiv T$

$\neg \equiv T$

$\neg \equiv F$.

F.

$\neg (\neg \cdot P)$.

$\neg (\neg U \cdot O)$.

$\neg (\neg U \cdot T)$.

$(D \wedge L) \subset L$.

$\neg L$

$\neg C$

F.

$P \subset (R \vee D)$.

$\neg R$

$\neg D$

$\neg P$

$P \vee \neg M$

$\neg F, T$.

P.

$\neg F$

T.

\neg

$\neg (K \cdot F)$

T.

$P \supset \neg A$

P

$\neg \rightarrow T$.

$\neg P$

T F.

O U.

$\neg \rightarrow P$

$\neg \rightarrow F$.

$\neg R \vee \neg P \equiv F$

$\neg R \equiv F \quad R \equiv T$

$\neg P \equiv F \quad P \equiv T$

$\neg \equiv T$

$\neg \equiv F$.

F.

$\neg (\neg \cdot P)$.

$\neg (\neg U \cdot O)$.

$\neg (\neg U \cdot T)$.

$(D \wedge L) \subset L$.

$\neg L$

$\neg C$

F.

$P \subset (R \vee D)$.

$\neg R$

$\neg D$

$\neg P$

$P \vee \neg M$

$\neg F, T$.

P.

$\neg F$

T.

\neg

$\neg (K \cdot F)$

T.

$$\neg U \cdot \neg Z = F.$$

$$X = F.$$

$$\neg K \supset (\neg N \supset \neg Z)$$

$$U \supset \neg K$$

$$\neg H \equiv U$$

$$\neg (N \vee H).$$

$$N = F \quad H = F.$$

$$U = T. \quad K = F.$$

$$T \supset (T \supset \neg Z) \quad T.$$

$$T \supset \neg Z \quad T.$$

$$T \supset \neg K \quad T.$$

$$K = F.$$

LogiCola Set G (EV) - Score (level 9) = 0

File Options Tools Help

- * 1 $(\neg K \supset (\neg N \supset \neg Z))$ $Z = F.$
- * 2 $(U \supset \neg K)$
- * 3 $(\neg H \equiv U)$
- * 4 $\neg (N \vee H)$
- 5 $[\therefore \neg Z$
- 5 asm: Z
- * 6 $\therefore (\neg H \supset U)$ {from 3}
- 7 $\therefore (U \supset \neg H)$ {from 3}
- 8 $\therefore \neg N$ {from 4}
- 9 $\therefore \neg H$ {from 4}
- 10 $\therefore U$ {from 6 and 9}
- 11 $\therefore \neg K$ {from 2 and 10}
- * 12 $\therefore (\neg N \supset \neg Z)$ {from 1 and 11}
- 13 $\therefore N$ {from 5 and 12}
- 14 $\therefore \neg Z$ {from 5; 8 contradicts 13}

Valid

This proof shows that
the argument is valid.

$$\sim (E \vee \sim J).$$

$$\sim E \wedge J.$$

$$\&(\&(\sim k, \sim G) \&) \quad \sim k, \sim G = T.$$

$$P \in G \in F.$$

$$\&(\&(\sim k, \sim T) \&) = T.$$

$$\sim (S \vee U).$$

$$\sim S \wedge \sim U$$

$$U$$

$$\sim F \supset M = F.$$

$$F \supset M.$$

$$\sim (\sim F \supset M).$$

$$= \sim (F \vee M)$$

$$= \sim F \cdot \sim M. \quad T.$$

$$\& N \wedge A.$$

$$\sim N \vee x.$$

$$\sim N.$$

$$\sim (K \vee \sim S).$$

$$(\sim K \wedge S).$$

$$\sim I \wedge K.$$

$$\sim (\sim Q \cdot \sim S).$$

$$Q \vee S.$$

$$\sim (\sim (\sim S \cdot \sim L) \cdot \sim Y) = T.$$

$$((\sim S \cdot \sim L) \vee Y) = T.$$

$$Q \vee S.$$

$$\sim x \vee \sim J, \quad T.$$

$$\sim (L \cdot z) \vee S.$$

$$Y \vee \sim (K \cdot Q) \quad T.$$

$$S \vee G.$$

$$\sim L \equiv F.$$

$$\sim (L \equiv T).$$

$$L \equiv F.$$

$$P \vee H.$$

$$P \vee J.$$

$$\sim (k \vee \sim x).$$

$$(\sim k \wedge x).$$

$$\sim (T \supset U).$$

$$= T \wedge \sim U$$

$$\sim Q \vee I.$$

$$\sim I \vee \sim T.$$

$$T$$

$$\sim U$$

$$\sim Q.$$

$$\sim (p \vee \sim q).$$

$$p \wedge q.$$

$$\sim (B \cdot \sim S).$$

$$\equiv B \vee S$$

$$\sim B \cdot \sim (\sim S) \equiv T.$$

$$\sim [(M \cdot Q) \vee (\sim M \cdot \sim Q)].$$

$$\equiv \sim [(M \cdot Q) \wedge (\sim M \cdot \sim Q)].$$

$$\equiv \sim M \vee \sim Q. \quad M \vee Q.$$

$$[(\sim P \cdot \sim Q) \vee (P \cdot Q)].$$

$$\sim (L \vee \sim H).$$

$$\sim L \wedge H.$$

$$\sim (M \vee \sim F).$$

$$\sim M \wedge F.$$

$$\sim (K \vee I).$$

$$\sim K \wedge \sim I.$$

$$\exists \exists \gamma.$$

$$E$$

$$(P \vee \sim (\sim U \vee \sim Q)).$$

$$\sim (N \vee \sim A).$$

$$\sim N \wedge A.$$

$$\sim (x \vee k).$$

$$\sim x \wedge \sim k.$$

$$\sim (\sim L \vee k).$$

$$L \wedge \sim k.$$

$$\sim J \wedge J.$$

$$\sim (z \vee H).$$

$$\sim z \wedge \sim H.$$

$$\sim (L \vee \sim H).$$

$$(\sim L \wedge H).$$

$$\sim (P \vee \sim A).$$

$$\sim P \wedge A.$$

$$\exists x y$$

$$\sim (M \vee \sim F).$$

$$\sim M \wedge F.$$

$$\sim (\sim M \vee \sim P).$$

$$Q \vee \sim P.$$

$$Q.$$

$$\sim \gamma \vee \gamma.$$