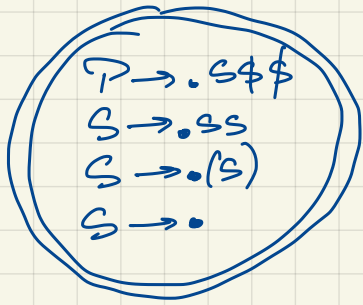


A2 sol



Alternative proof for not SLR(1):

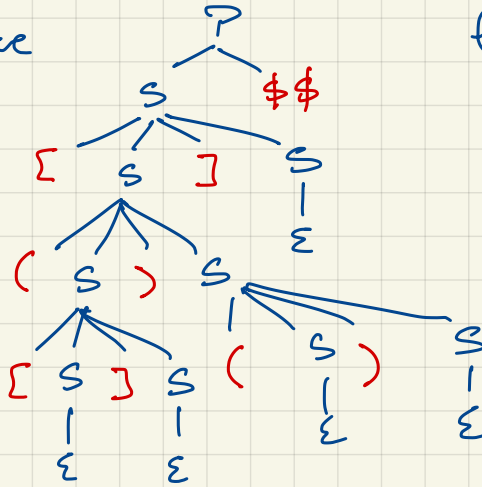


- shift/reduce conflict on 'c'

- shift: $S \rightarrow (.S)$

- reduce: $S \rightarrow \cdot$, $' \in \text{Follow}(S)$

④ G , parse tree



left derivation:

$$\begin{aligned} \Gamma &\Rightarrow S \$ \$ \Rightarrow [S] S \$ \$ \Rightarrow [(S) S] S \$ \$ \\ &\Rightarrow [((S) S) S] S \$ \$ \Rightarrow [([S] S) S] S \$ \$ \\ &\Rightarrow [([S] S) S] S \$ \$ \Rightarrow [([S] (S) S) S] S \$ \$ \\ &\Rightarrow [([S] () S) S] S \$ \$ \Rightarrow [([S] ()) S] S \$ \$ \\ &\Rightarrow [([S] ()) S] \$ \$ \end{aligned}$$

e

Parse stack

Input stream

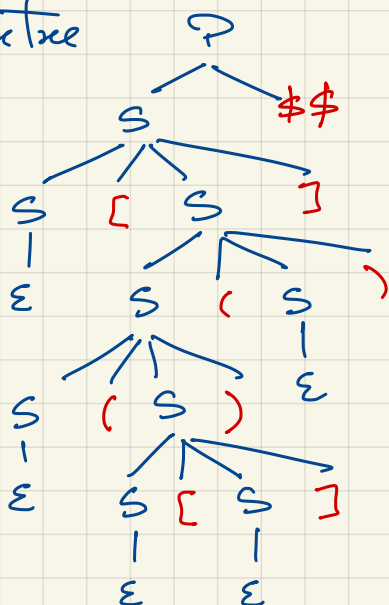
Comment

P
 S \$ \$
 [S] S \$ \$
 S] S \$ \$
 (S) S] S \$ \$
 S) S] S \$ \$
 [S] S) S] S \$ \$
 S] S) S] S \$ \$
] S) S] S \$ \$
 S) S] S \$ \$
) S] S \$ \$
 S] S \$ \$
 (S) S] S \$ \$
 S) S] S \$ \$
 \ S] S \$ \$
 S] S \$ \$
] S \$ \$
 S \$ \$
 \$ \$

[illegible]

predict $P \rightarrow S \$ \$$
match $S \rightarrow [S] S$
 predict $S \rightarrow (S) S$
 match $($
 predict $S \rightarrow [S] S$
 match S
 predict $S \rightarrow \epsilon$
 match $]$
 predict $S \rightarrow \epsilon$
 match $)$
 predict $S \rightarrow (S) S$
 match $($
 predict $S \rightarrow \epsilon$
 match $)$
 predict $S \rightarrow \epsilon$
 match $]$
 predict $S \rightarrow \epsilon$
 match $\$ \$$

⑦ G_2 parse tree



right derivation:

$P \Rightarrow S\$\$ \Rightarrow S[S]\$\$$
 $\Rightarrow S[S(S)]\$\$ \Rightarrow S[S()]\$\$$
 $\Rightarrow S[S(S)()]\$\$ \Rightarrow S[S(S[S])()]\$\$$
 $\Rightarrow S[S(S[S]())]\$\$ \Rightarrow S[S(S[()])]\$\$$
 $\Rightarrow S[(())()]\$\$ \Rightarrow [()()] \$\$$

⑧ Parse stack

Input stream

Comment

0	$[(())()]\$\$$
0	$S[(())()]\$\$$
0 S 1	$[(())()]\$\$$
0 S 1 [3	$(())()]\$\$$
0 S 1 [3	$S[(())()]\$\$$
0 S 1 [3 S 5	$(())()]\$\$$
0 S 1 [3 S 5 (2	$[])()]\$\$$
0 S 1 [3 S 5 (2	$S[]()]\$\$$
0 S 1 [3 S 5 (2 S 4	$[])()]\$\$$
0 S 1 [3 S 5 (2 S 4 [3	$)]()]\$\$$
0 S 1 [3 S 5 (2 S 4 [3	$S)]()]\$\$$
0 S 1 [3 S 5 (2 S 4 [3 S 5	$)]()]\$\$$
0 S 1 [3 S 5 (2	$S)()]\$\$$
0 S 1 [3 S 5 (2 S 4	$)()]\$\$$
0 S 1 [3	$S()]\$\$$
0 S 1 [3 S 5	$()]\$\$$
0 S 1 [3 S 5 (2	$)]\$\$$
0 S 1 [3 S 5 (2	$S)]\$\$$
0 S 1 [3 S 5 (2 S 4	$)]\$\$$
0 S 1 [3	$S]\$\$$
0 S 1 [3 S 5	$]\$\$$
0	$S\$\$$
0 S 1	$\$\$$
0	P

reduce by $S \rightarrow \epsilon$
 shift S
 shift [
 reduce by $S \rightarrow \epsilon$
 shift S
 shift (
 reduce by $S \rightarrow \epsilon$
 shift S
 shift and reduce by $S \rightarrow S[S]$
 shift S
 shift and reduce by $S \rightarrow S(S)$
 shift S
 shift (
 reduce by $S \rightarrow \epsilon$
 shift S
 shift and reduce by $S \rightarrow S(S)$
 shift S
 shift and reduce by $S \rightarrow S[S]$
 shift S
 shift and reduce by $P \rightarrow S\$\$$

Q_2

① We use one synthesized attribute s , for the string associated with a node.

$$E_1 \rightarrow E_2 + \gamma$$

$$E_1 \rightarrow E_2 - T$$

$$E \rightarrow T$$

$$\overline{I_1} \rightarrow \overline{I_2} * \overline{F}$$

$$T_1 \rightarrow T_2 / F$$

$$\overline{T} \rightarrow \overline{F}$$

$$\overrightarrow{F_1} \rightarrow -\overrightarrow{F_2}$$

$$F \rightarrow (\pi)$$

$$\overline{F} \rightarrow \text{const}$$

$$\triangleright E_{1,s} = \text{concat}(E_{2,s}, T_s, '4')$$

$$\triangleright E_{1..s} = \text{concat}(E_2.s, T.s, \text{'-'})$$

$$\triangleright E.s = T.s$$

$$\triangleright T_{1,s} = \text{concat}(T_{2,s}, \overline{T}_{2,s}, *)$$

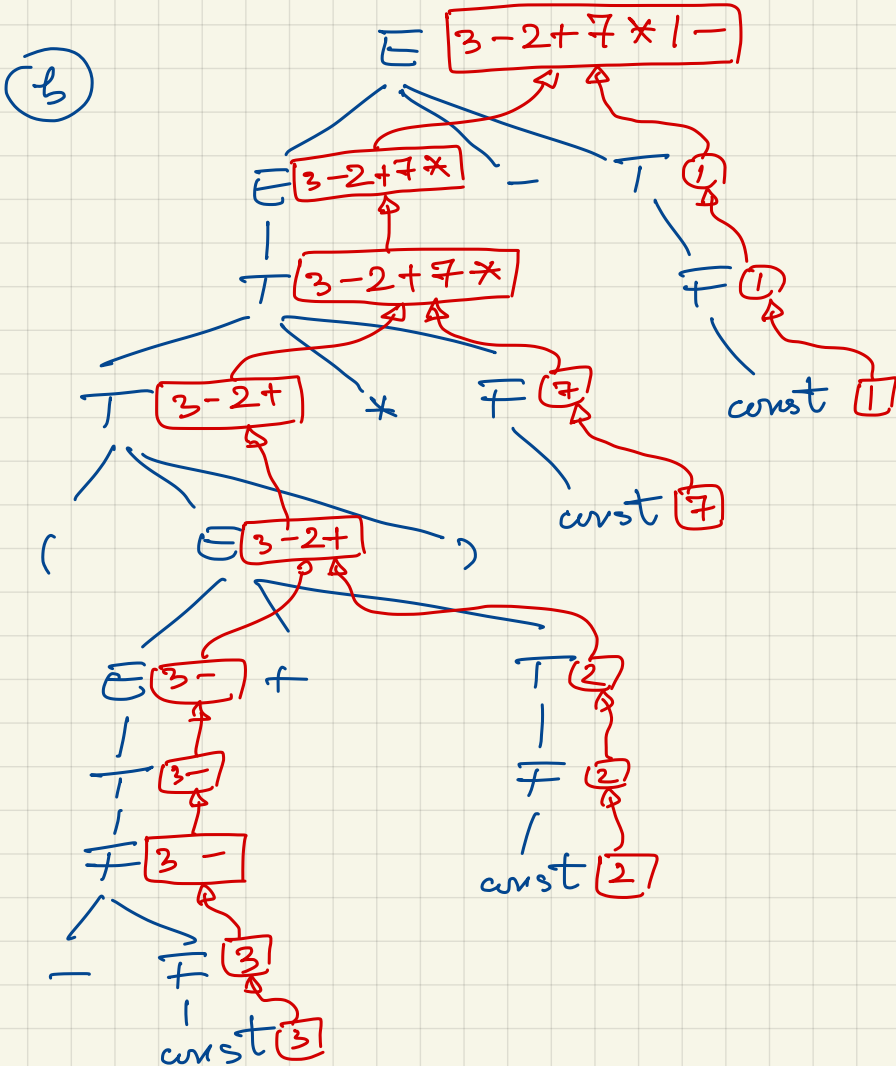
$$\triangleright T_{1,s} = \text{concat}(T_{2,s}, F_s, '')$$

$$\Delta \overline{T.S} = \overline{F.S}$$

$$\triangleright F_{1.s} = \text{concat}(F_{2.s}, '-')$$

$$\triangleright \overline{f}_* \mathcal{S} = \overline{E}_* \mathcal{S}$$

$\triangleright F.s = \text{str}(\text{const})$ (or just const)



③ We use one synthesized attribute, s , for string and an inherited one, p , for partial string.

$$E \rightarrow T T \quad \triangleright \overline{T T} \cdot p = \overline{T} \cdot s \quad \triangleright \overline{E} \cdot s = \overline{T T} \cdot s$$

$$T\overline{T}_1 \rightarrow + T\overline{T}_2 \triangleright T\overline{T}_2.p = \text{concat}(T\overline{T}_1.p, T.s, '+') \triangleright T\overline{T}_1.s = T\overline{T}_2.s$$

$$T\overline{T}_1 \rightarrow -T\overline{T}_2 \quad \triangleright \quad T\overline{T}_2.p = \text{concat}(T\overline{T}_1.p, T.s, '-')$$

$$TT \rightarrow \varepsilon \quad \triangleright TT.s = TT.p$$

$$T \rightarrow F \cdot FT \quad \triangleright F \cdot T.p = F.s \quad \triangleright T.s = F \cdot T.s$$

$$F_{T_1} \rightarrow * \overline{F} \overline{F_{T_2}} \triangleright \overline{F_{T_2}} \cdot p = \text{wnrat}(F_{T_1} \cdot p, \overline{F} \cdot s, '*') \triangleright \overline{F_{T_1}} \cdot s = \overline{F_{T_2}} \cdot s$$

$$F_1 \rightarrow / F F_2 \triangleright F_{T_2} \cdot p = \text{concat}(F_{T_1} \cdot p, F_2, ' ') \triangleright F_{T_1} \cdot s = F_{T_2} \cdot s$$

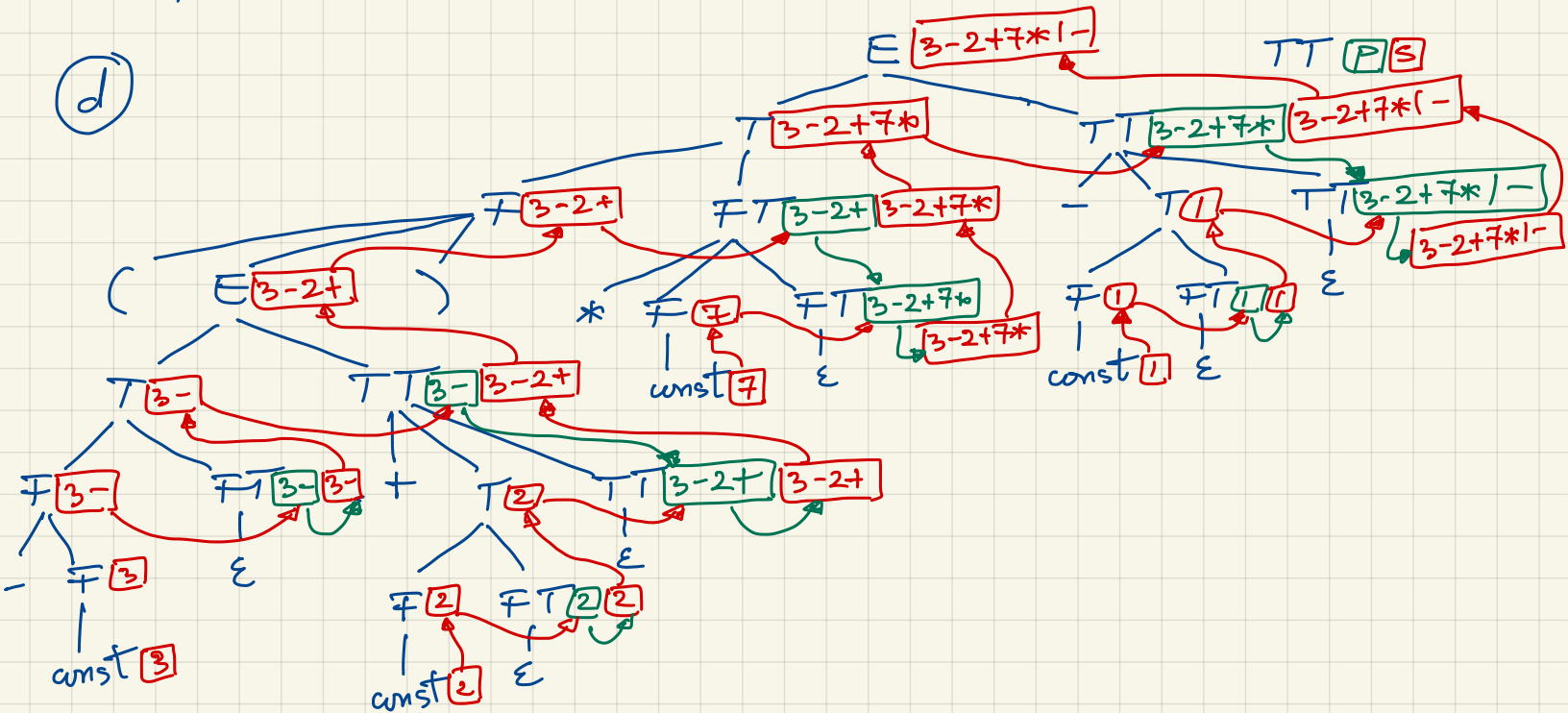
$$\overline{FT} \rightarrow \varepsilon \quad \triangleright \quad \overline{FT}_s = \overline{FT}_p$$

$$\overline{F}_1 \rightarrow -\overline{F}_2 \quad \triangleright F_{r,s} = \text{wcat}(F_{2,s}, 1')$$

$$F \rightarrow (E) \triangleright F.s = E.s$$

$$F \rightarrow \text{const} \quad \triangleright F.S = \text{str}(\text{const})$$

$$(-3+2) * 7 - 1$$



 α

Float \rightarrow Left, Right

Left \rightarrow Digit Left-mouse

Left-mouse \rightarrow Left

Left-max $\rightarrow \varepsilon$

Right \rightarrow Digit Right-more

Right-mouse \rightarrow Right

Right move $\rightarrow \varepsilon$

Digit $\rightarrow i$

▷ $\text{Float.val} = \text{Left.val} + \text{Right.val}$
 $\text{Right.pos} = 0$

$\triangleright \text{Left.val} = \text{Digit.val} + \text{Left-mux.val}$
 $\text{Left.pos} = \text{Left-mux.pos} + 1$
 $\text{Digit.pos} = \text{Left-mux.pos}$

$\triangleright \text{Left-max.val} = \text{Left.val}$
 $\text{Left-max.pos} = \text{Left.pos}$

▷ Left_max.val = Left_max.pos = 0

$\triangleright \text{Right.val} = \text{Digit.val} + \text{Right_max.val}$
 $\text{Right_max.pos} = \text{Right.pos} - 1$
 $\text{Digit.pos} = \text{Right_max.pos}$

▷ $\text{Right_max_val} = \text{Right_val}$
 $\text{Right_pos} = \text{Right_max_pos}$

▷ Right-max.val = 0

$$\triangleright \text{Digst.val} = i \cdot 10^{\text{Digst.pos}}$$

②

