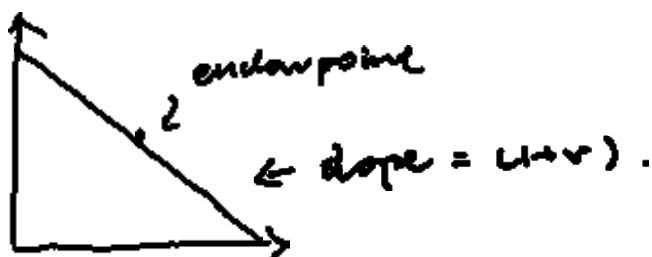


Personal Taxation and Behavior

Assuming that an individual's consumption and saving reasons during given year are the result of a planning process that considers their lifetime economic circumstances

We will set the lifecycle model to explore the part of types on their savings.

- Consider a taxpayer who expects to live for two periods:
now (period 0) and future (period 1)
the taxpayer has income I dollars now, and knows their income will be I' in the future.

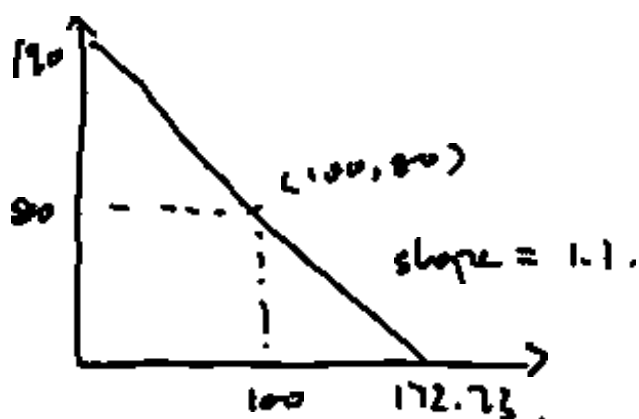


Inter___ Budget Constraint

The schedule interest all feasible consumption levels across time

Provide that the individual can borrow or lend at interest rate r , the budget constraint is a straight line whose slope has an absolute value of $(1+r)$

- Let $I_0 = 100$, $I_1 = 80$, $r = 0.1$ (indicating an interest rate of 10%)



$$100 + 80 / 1.1 = 172.73$$

$$80 + 100 * 1.1 = 190$$

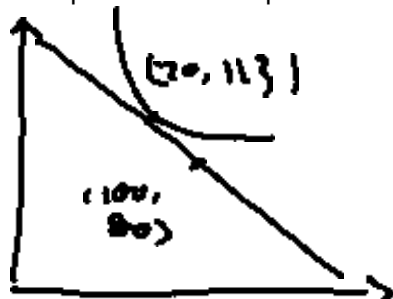
Maximum future saving = save all income totally $*(1+r) = 100(1+r) = 110$

Maximum future consumption = maximum future savings + future income = $110 + 80 = 190$

Maximum future loan payment = maximum borrowed funds $*(1+r)$

$I_0 = \text{max borrowed funds} * (1+r) \Rightarrow \text{max borrowed funds} = 80 / 1.1 = 72.73$

Max present consumption = $I_0 + \text{max borrowed funds} = 100 + 72.73 = 172.73$



Assume that the indifference curve tangent the budget constrain line on (70, 113):

$$C_0^* = 70, C_1^* = 113$$

In our example, the consumer saves : Saving before tax = $I_0 - C_0^* = 100 - 70 = 30$

If $C_0 > I_0$ then it is borrowing, $C_0 < I_0$ it is saving.

We will consider less where interest payments on consumption in future, include things are not

Let the tax rate on interest on income be t

In an example let $t = 0.5$, relating a 50% tax rate



The interest rate budget constraint savings pluses through the endowment point

$$\text{Future saving} = (\text{today's saving})(1+(1-t)r) = 100 * (1+(1-0.5)*0.1) = 105$$

$$\text{Max future consumption} = \text{future income} + \text{max future savings} = 80 + 105 = 185$$

$$\text{Max future tax payment} = \text{max borrowing today} * (\text{post tax interest})$$

$$I_1 = \text{max borrowing today}(1+r)$$

$$80 = \text{max borrowing today} (1+0.05)$$

$$80/105 = \text{max borrowing today}$$

$$\text{Max borrowing today} = 76.19$$

Assuming interest payment are tax deductible

$$\text{Max future consumption} = \text{max borrowing today} + \text{future income} = 76.19 + 100 = 176.19$$

$$C_0^* = 70, C_{0t} = 80, C_1^* = 113, C_{1t} = 102$$

$$\text{In this example, saving after tax is imposed} = I_0 - C_{0t} = 100 - 80 = 20$$

$$\text{Saving before tax imposed} = I_0 - C_0^* = 100 - 70 = 30$$

$$\text{Savings decreased by tax} = 30 - 20 = 10$$

Imposing a tax cant either increase or decrease saving