

Lab 7

October 17, 2021

1 Lab 7

In this lab we discuss two-way table, conditional and marginal proportions, relative risk, and odds ratio.

1.1 Two-way Table

```
[1]: import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import statsmodels.api as sm
from statsmodels.graphics.mosaicplot import mosaic
```

```
[2]: # Read .csv data
df = pd.read_csv("titanic.csv")
# The titanic.csv file contains data for 891 of the real Titanic passengers.
# Each row represents one person. The columns describe different attributes
#   ↳ about the person including
#   whether they survived, their ID, their ticket-class, and their gender.
df.head(5)
```

```
[2]: PassengerID LivingStatus TicketClass Sex
0          1         Died           3  male
1          2    Survived           1 female
2          3    Survived           3 female
3          4    Survived           1 female
4          5         Died           3  male
```

pd.crosstab: <https://pandas.pydata.org/docs/reference/api/pandas.crosstab.html>

```
[3]: # Two-way Table of LivingStatus vs. Sex
twoway_table = pd.crosstab(index = df["LivingStatus"], columns = df["Sex"])
twoway_table
```

```
[3]: Sex          female  male
LivingStatus
Died           81    468
```

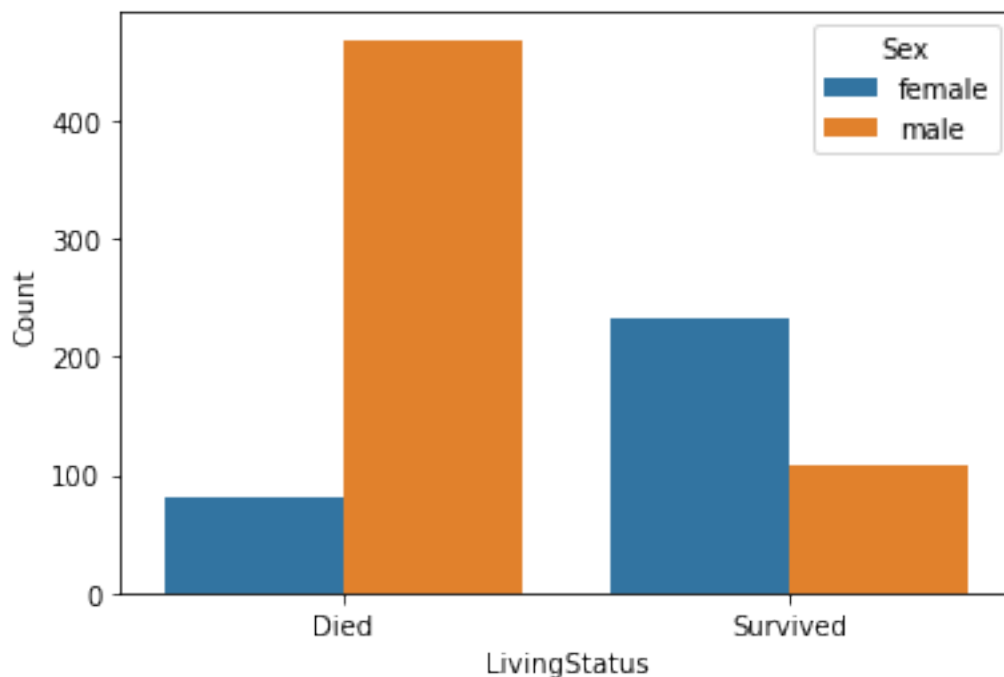
Survived 233 109

```
[4]: # We can also present the table in another way.
table_new = twoway_table.stack().reset_index().rename(columns = {0: 'Count'})
table_new
```

```
[4]:  LivingStatus    Sex  Count
0         Died  female    81
1         Died   male   468
2        Survived female   233
3        Survived   male   109
```

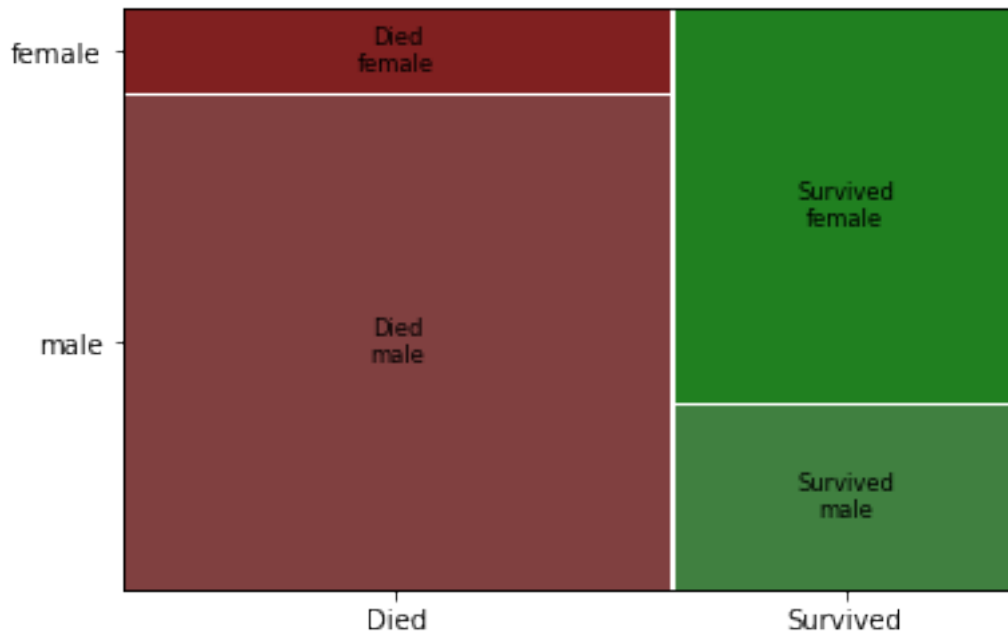
sns.barplot: <https://seaborn.pydata.org/generated/seaborn.barplot.html>

```
[5]: # Let's create a bidimensional barplot.
sns.barplot(x = "LivingStatus", hue = "Sex", y = "Count", data = table_new)
plt.show()
```

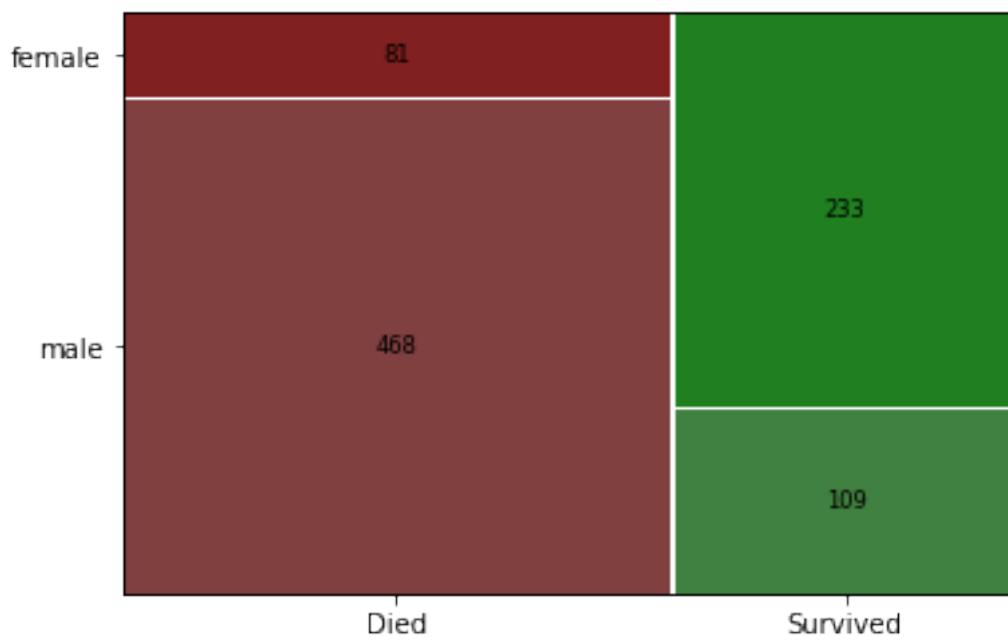


mosaicplot: <https://www.statsmodels.org/stable/generated/statsmodels.graphics.mosaicplot.mosaic.html>

```
[8]: # the mosaic plot is a graphical method for visualizing data from two
      ↪ categorical variables.
# Simple mosaic plot, without counts or percentages
mosaic(df, ['LivingStatus', 'Sex'])
plt.show()
```



```
[9]: # Bonus! Adding the counts to the mosaic plot
labelizer = lambda k:{('Died', 'female'):81, ('Died', 'male'):468,
                        ('Survived', 'female'):233, ('Survived', 'male'):109}[k]
mosaic(df, ['LivingStatus', 'Sex'], labelizer = labelizer)
plt.show()
```



1.2 Marginal and Conditional Proportions

```
[10]: # Table of LivingStatus vs. TicketClass
# Getting the marginal counts (totals for each row and column)
pd.crosstab(index = df["LivingStatus"], columns = df["TicketClass"], margins = True)
```

```
[10]: TicketClass      1      2      3  All
LivingStatus
Died              80     97   372  549
Survived         136     87   119  342
All              216    184   491  891
```

```
[8]: # Getting the proportion of counts along each column,
# i.e. the survival proportions conditional on ticket-class (dividing by the
# column totals)
pd.crosstab(index = df["LivingStatus"], columns = df["TicketClass"], normalize = 'columns')
```

```
[8]: TicketClass      1      2      3
LivingStatus
Died          0.37037  0.527174  0.757637
Survived      0.62963  0.472826  0.242363
```

```
[11]: # Getting the proportion of counts along each row (dividing by the row totals)
# i.e. the class proportions conditional on living status
pd.crosstab(index = df["LivingStatus"], columns = df["TicketClass"], normalize = 'index')
```

```
[11]: TicketClass      1      2      3
LivingStatus
Died          0.145719  0.176685  0.677596
Survived      0.397661  0.254386  0.347953
```

```
[14]: # Getting the total proportion of counts in each cell (dividing the table by
# the grand total)
# and the marginal proportions
pd.crosstab(index = df["LivingStatus"], columns = df["TicketClass"], normalize = 'all', margins = True)
```

```
[14]: TicketClass      1      2      3  All
LivingStatus
Died          0.089787  0.108866  0.417508  0.616162
Survived      0.152637  0.097643  0.133558  0.383838
All           0.242424  0.206510  0.551066  1.000000
```

```
[18]: #help(pd.crosstab)
```

1.3 Relative Risk and Odds Ratio

```
[37]: # The following 2x2 table illustrates the number of cancer cases versus
      ↪ non-cancer cases for smokers and non-smokers.
df_new = pd.DataFrame({'Cancer-Yes':[30, 10], 'Cancer-No':[70, 90]}, index =
      ↪ ['Smoker', 'Non-Smoker'])
df_new
```

```
[37]:
```

	Cancer-Yes	Cancer-No
Smoker	30	70
Non-Smoker	10	90

```
[38]: # let us calculate the proportions of developing cancer conditional on smoking
      ↪ status
p_smoker = 30/100
p_nonsmoker = 10/100
```

```
[39]: # the relative risk of developing cancer in the smoker group compared to
      ↪ non-smokers is:
RR = p_smoker/p_nonsmoker
print(RR)
round(RR,2)
```

2.9999999999999996

```
[39]: 3.0
```

sm.stats.Table2x2: https://www.statsmodels.org/stable/generated/statsmodels.stats.contingency_tables.Table2x2.html

```
[40]: # Alternative way to find the relative risk
array = np.array([[30, 70], [10, 90]])
relative_risk = sm.stats.Table2x2(array).riskratio
print('Relative Risk =',round(relative_risk,2))
```

Relative Risk = 3.0

```
[41]: # Now we can also find the odds ratio (OR) of developing cancer in the smoker
      ↪ group compared to non-smokers:
odds_smoker = 30/70
odds_nonsmoker = 10/90
OR = odds_smoker/odds_nonsmoker
print('The odds ratio is', round(OR,2))
```

The odds ratio is 3.86

```
[42]: # Alternative way to find the odds ratio
      odds_ratio = sm.stats.Table2x2(array).oddsratio
      print('Odds Ratio =', odds_ratio.round(2))
```

Odds Ratio = 3.86

```
[ ]:
```