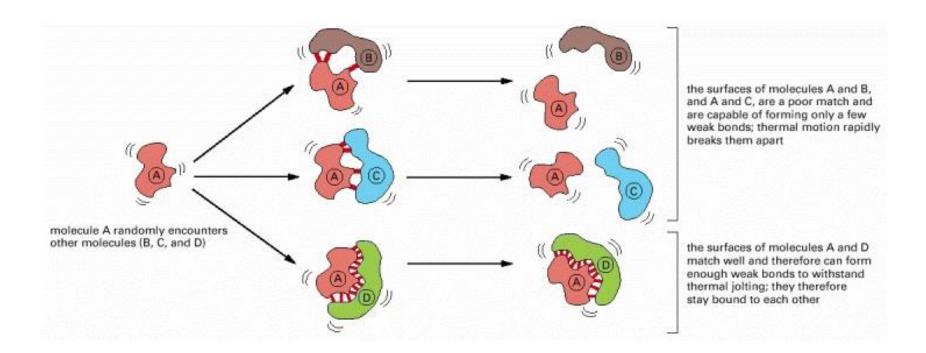
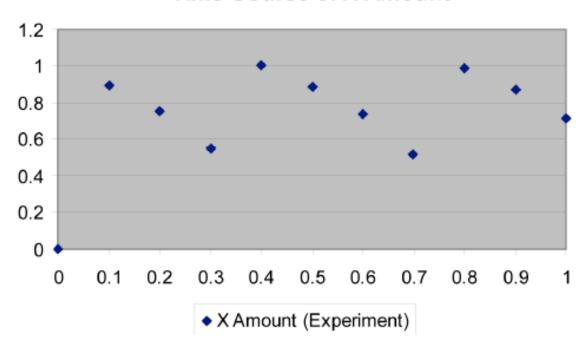


## Protein dynamics: binding and unbinding



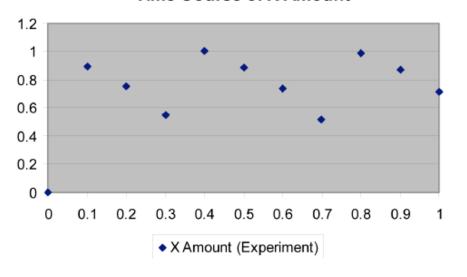
## **Protein Dynamics: Modeling**

#### Time Course of X Amount

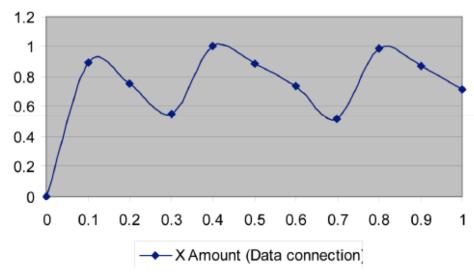


## **Protein Dynamics: Modeling (cont.)**

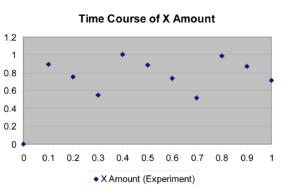
#### Time Course of X Amount

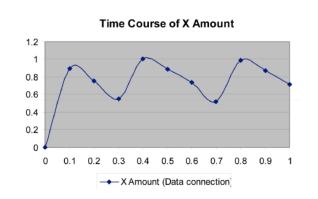


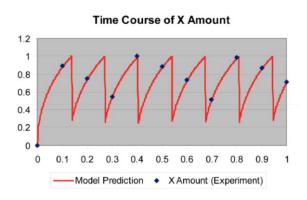
#### Time Course of X Amount



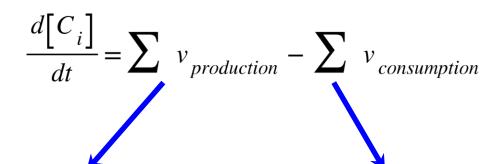
# **Protein Dynamics: Modeling (cont.)**







## **Protein Dynamics: Modeling (cont.)**



#### **Production**

Newly made protein Dissociated from a complex Activated

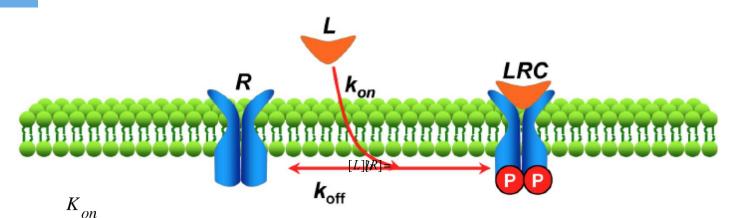
. . .

#### **Consumption**

Degradation
Association with a complex
Deactivation

- - -

## **Protein Dynamics: Law Of Mass Action**



$$L + R \longleftrightarrow_{K_{off}} LRC$$

$$\frac{[L][R]}{[LRC]} = \frac{k_{off}}{k_{on}} = K_d = \frac{1}{K_d}$$

 $k_{on}$  – forward rate constant

 $k_{off}$  – reverse rate constant

 $K_d^{"}$  – dissociation equilibrium

constant

 $K_a$  – association equilibrium constant

$$\frac{d[C_i]}{dt} = \sum v_{production} - \sum v_{consumption} \qquad L + R \stackrel{K_{on}}{\longleftrightarrow} LRC$$

$$L + R \overset{K_{on}}{\longleftrightarrow} LRC$$

$$\frac{d[L]}{dt} = k_{off}[LRC] - k_{on}[L][R]$$



$$\frac{d[R]}{dt} = k_{off}[LRC] - k_{on}[L][R]$$

$$\frac{d[LRC]}{dt} = k_{on}[L][R] - k_{off}[LRC]$$

$$L+R \longleftrightarrow LRC$$

$$\frac{d[LRC]}{dt} = k_{on}[L][R] - k_{off}[LRC]$$

$$R_{T} = R + LRC$$

$$\frac{d[LRC]}{dt} = k_{on}(R_{T} - [LRC])[L_{0}] - k_{off}[LRC]$$

$$L+R \stackrel{K_{on}}{\longleftrightarrow} LRC$$

$$\frac{d[LRC]}{dt} = k_{on}[L][R] - k_{off}[LRC]$$

$$R_T = R + LRC$$

$$\frac{d[LRC]}{dt} = k_{on}(R_T - [LRC])[L_0] - k_{off}[LRC]$$
Receptor

$$L+R \stackrel{K_{on}}{\longleftrightarrow} LRC$$

$$\frac{d[LRC]}{dt} = k_{on}[L][R] - k_{off}[LRC]$$

$$R_T = R + LRC$$

$$\frac{d[LRC]}{dt} = k_{on}(R_T - [LRC])[L_0] - k_{off}[LRC]$$

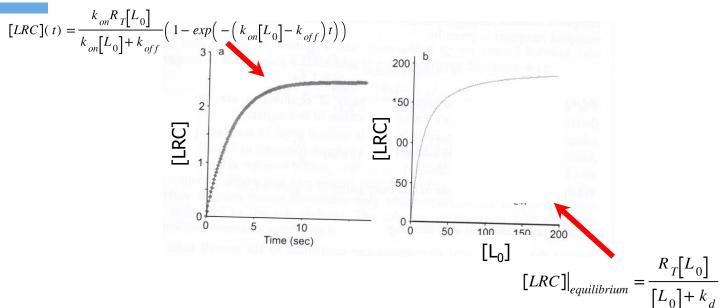
$$[LRC](t) = \frac{k_{on}R_T[L_0]}{k_{on}[L_0] + k_{off}} (1 - exp(-(k_{on}[L_0] - k_{off})t))$$

$$L + R \underset{K_{off}}{\longleftrightarrow} LRC$$

$$[LRC](t) = \frac{k_{on}R_{T}[L_{0}]}{k_{on}[L_{0}] + k_{off}} \left(1 - exp\left(-\left(k_{on}[L_{0}] - k_{off}\right)t\right)\right)$$

After a while.... the model reaches equilibrium

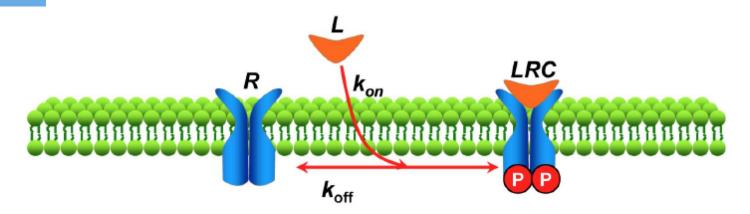
$$[LRC]|_{equilibrium} = \frac{R_T[L_0]}{[L_0] + k_d}$$



Diffusion-reaction kinetic graphs show equilibrium and saturation based on our assumptions:

- 1. Constant ligand concentration
- 2. Constant and limited receptor number

# What can ligands do?



#### **LIGAND**

Agonist Neutral agonist Inverse agonist

#### **RECEPTOR**

Monomer, dimer, tetramer...
Outside-in or inside-out

### **Protein Dynamics: Law of Mass Action (conclusion)**

