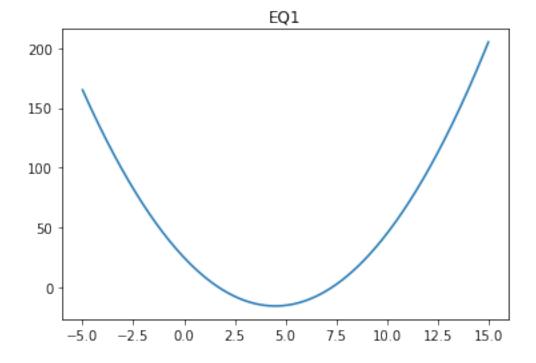
Finding the numerical value of a derivative

May 6, 2022

```
[1]: # importing required packages
import numpy as np
import matplotlib.pyplot as plt
```

```
[17]: # Equation 1 and its plotting
x1 = np.linspace(-5, 15, num=300)
eq1 =2*(x1**2)-(18*x1)+25
plt.plot(x1,eq1)
plt.title("EQ1")
plt.show()
```



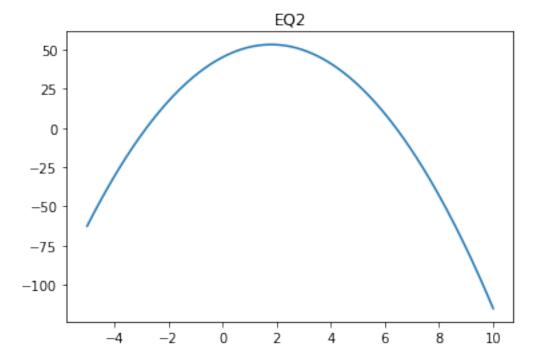
```
[18]: # Equation 2 and its plotting

x2 = np.linspace(-5, 10, num=300)

eq2 =-2.5*(x2**2)+ (9*x2)+45

plt.plot(x2,eq2)
```

```
plt.title("EQ2")
plt.show()
```



```
[4]: # definition of equation 1
    def _eq1(x):
        return 2*(x**2) - (18*x) + 25

[5]: # definition of equation 2
    def _eq2(x):
        return -2.5*(x**2) + (9*x) + 45

[6]: # it returns f of x
    def fnc(f,x):
        y = f(x)
        return y
[7]: # controlling the function
    print(fnc(_eq1,0))
    print(fnc(_eq2,0))

25
```

If x = 0 at equations 1 and 2, the f of x must be 25 and 45 respectively.

45.0

For more general knowledge, just search "Numerical Differentiation"

For knowledge of "central_dif_2", just search like "Central-difference formulas"

The value of the first derivative of the equation at point 1.9 is: -0.4999999998107114

```
[14]: # the first derivative of the equation 2 = -5*x +9

# x = 5
# d1_eq2 = -5*x + 9

d1_eq2 = -5*a + 9
print("Exact solution is: " + str(d1_eq2))
```

Exact solution is: -0.5

```
[15]: # step size
h = 0.001

# dif point
a = 5

# dif around a
```

```
d1_fx = central_dif_2(_eq1,a,h)
print(d1_fx)
```

2.00000000005997

```
[16]: # the first derivative of the equation 1 = 4*x - 18

# x = 5
# d1_eq1 = 4*x - 18

d1_eq1 = 4*a - 18
print("Exact solution is: " + str(d1_eq1))
```

Exact solution is: 2