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# Yannique Hecht
# Harvardx: PH125.3 - (3) Data Science: Probability
# SECTION 1: DISCRETE PROBABILITY
# ASSESSMENTS
```

```
# # # ASSESSMENT 1.1: INTRODUCTION TO DISCRETE PROBABILITY
```

```
# # EXERCISE 1 - Probability of cyan
```

```
[REDACTED]
```

```
# # EXERCISE 2 - Probability of not cyan
```

```
[REDACTED]
```

```
# # EXERCISE 3 - Sampling without replacement
```

```
[REDACTED]
```

```
# # EXERCISE 4 - Sampling with replacement
```

```
[REDACTED]
```

```
# # # ASSESSMENT 1.1: INTRODUCTION TO DISCRETE PROBABILITY - DATACAMP
```

```
# # EXERCISE 1 - Probability of cyan - generalized
```

```
[REDACTED]
```

```
[REDACTED]
```

```
[REDACTED]
```

```
# Assign a variable `p` as the probability of choosing a cyan ball
from the box
```

```
[REDACTED]
```

```
# Print the variable `p` to the console
```

```
[REDACTED]
```

```
# # EXERCISE 2 - Probability of not cyan - generalized
```

```
# `p` is defined as the probability of choosing a cyan ball from a
box containing: 3 cyan balls, 5 magenta balls, and 7 yellow balls.
```

```
# Using variable `p`, calculate the probability of choosing any ball
that is not cyan from the box
```

```
[REDACTED]
```

```
# # EXERCISE 3 - Sampling without replacement - generalized
```

```
[REDACTED]
```

```
[REDACTED]
```

```
[REDACTED]
```

```
# The variable `p_1` is the probability of choosing a cyan ball from
```

the box on the first draw.

Assign a variable `p_2` as the probability of not choosing a cyan ball on the second draw without replacement.

Calculate the probability that the first draw is cyan and the second draw is not cyan using `p_1` and `p_2`.

EXERCISE 4 - Sampling with replacement - generalized

The variable 'p_1' is the probability of choosing a cyan ball from the box on the first draw.

Assign a variable 'p_2' as the probability of not choosing a cyan ball on the second draw with replacement.

Calculate the probability that the first draw is cyan and the second draw is not cyan using `p_1` and `p_2`.

ASSESSMENT 1.2: COMBINATIONS & PERMUTATIONS - DATACAMP

EXERCISE 1 - Independence

EXERCISE 2 - Sampling with replacement

Assign the variable 'p_yellow' as the probability that a yellow ball is drawn from the box.

Using the variable 'p_yellow', calculate the probability of drawing a yellow ball on the sixth draw. Print this value to the console.

EXERCISE 3 - Rolling a die

Assign the variable 'p_no6' as the probability of not seeing a 6 on

a single roll.

```
# Calculate the probability of not seeing a 6 on six rolls using  
`p_no6`. Print your result to the console: do not assign it to a  
variable.
```

```
# # EXERCISE 4 - Probability the Celtics win a game  
# Assign the variable `p_cavs_win4` as the probability that the Cavs  
will win the first four games of the series.
```

```
# Using the variable `p_cavs_win4`, calculate the probability that  
the Celtics win at least one game in the first four games of the  
series.
```

```
# # EXERCISE 5 - Monte Carlo simulation for Celtics winning a game  
# This line of example code simulates four independent random games  
where the Celtics either lose or win. Copy this example code to use  
within the `replicate` function.
```

```
# The variable 'B' specifies the number of times we want the  
simulation to run. Let's run the Monte Carlo simulation 10,000  
times.
```

```
# Use the `set.seed` function to make sure your answer matches the  
expected result after random sampling.
```

```
# Create an object called `celtic_wins` that replicates two steps for  
B iterations: (1) generating a random four-game series  
`simulated_games` using the example code, then (2) determining  
whether the simulated series contains at least one win for the  
Celtics. Put these steps on separate lines.
```

```
# Calculate the frequency out of B iterations that the Celtics won at  
least one game. Print your answer to the console.
```

`### ASSESSMENT 1.3: THE ADDITION RULE & MONTY HALL - DATACAMP`

`## EXERCISE 1 - The Cavs and the Warriors`

`# Assign a variable 'n' as the number of remaining games.`

`[REDACTED]`

`# Assign a variable 'outcomes' as a vector of possible game outcomes, where 0 indicates a loss and 1 indicates a win for the Cavs.`

`outcomes <- c(0,1)`

`# Assign a variable 'l' to a list of all possible outcomes in all remaining games. Use the 'rep' function on 'list(outcomes)' to`

`[REDACTED]`

`[REDACTED]`

`# Create a data frame named 'possibilities' that contains all combinations of possible outcomes for the remaining games.`

`[REDACTED]`

`# Create a vector named 'results' that indicates whether each row in the data frame 'possibilities' contains enough wins for the Cavs to win the series.`

`[REDACTED]`

`# Calculate the proportion of 'results' in which the Cavs win the series. Print the outcome to the console.`

`[REDACTED]`

`## EXERCISE 2 - The Cavs and the Warriors - Monte Carlo`

`# The variable 'B' specifies the number of times we want the simulation to run. Let's run the Monte Carlo simulation 10,000 times.`

`[REDACTED]`

`# Use the 'set.seed' function to make sure your answer matches the expected result after random sampling.`

`[REDACTED]`

`# Create an object called 'results' that replicates for 'B' iterations a simulated series and determines whether that series contains at least four wins for the Cavs.`

`[REDACTED]`

`[REDACTED]`

`[REDACTED]`

`[REDACTED]`

`# Calculate the frequency out of 'B' iterations that the Cavs won at least four games in the remainder of the series. Print your answer to the console.`

`[REDACTED]`

`## EXERCISE 3 - A and B play a series - part 1`

`# Let's assign the variable 'p' as the vector of probabilities that`

team A will win.

Given a value 'p', the probability of winning the series for the underdog team B can be computed with the following function based on a Monte Carlo simulation:

Apply the 'prob_win' function across the vector of probabilities that team A will win to determine the probability that team B will win. Call this object 'Pr'.

Plot the probability 'p' on the x-axis and 'Pr' on the y-axis.

EXERCISE 4 - A and B play a series - part 2

Given a value 'p', the probability of winning the series for the underdog team B can be computed with the following function based on a Monte Carlo simulation:

Assign the variable 'N' as the vector of series lengths. Use only odd numbers ranging from 1 to 25 games.

Apply the 'prob_win' function across the vector of series lengths to determine the probability that team B will win. Call this object 'Pr'.

Plot the number of games in the series 'N' on the x-axis and 'Pr' on the y-axis.