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# Harvardx: PH125.3 - (3) Data Science: Probability
# SECTION 3: RANDOM VARIABLES, SAMPLING MODELS, & CENTRAL LIMIT
THEOREM
# ASSESSMENTS
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ASSESSMENT 3.1: RANDOM VARIABLES & SAMPLING MODELS - DATA CAMP

EXERCISE 1 - American Roulette probabilities
The variables 'green', 'black', and 'red' contain the number of
pockets for each color

Assign a variable `p_green` as the probability of the ball landing
in a green pocket

Print the variable `p_green` to the console

EXERCISE 2 - American Roulette payout
Use the `set.seed` function to make sure your answer matches the
expected result after random sampling.

The variables 'green', 'black', and 'red' contain the number of pockets for each color

Assign a variable `p_green` as the probability of the ball landing
in a green pocket

Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket

Create a model to predict the random variable `X`, your winnings from betting on green. Sample one time.

Print the value of `X` to the console

EXERCISE 3 - American Roulette expected value
The variables 'green', 'black', and 'red' contain the number of
pockets for each color

- # Assign a variable `p_green` as the probability of the ball landing
 in a green pocket
- # Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket
- # Calculate the expected outcome if you win \$17 if the ball lands on green and you lose \$1 if the ball doesn't land on green
- # # EXERCISE 4 American Roulette standard error
- # The variables 'green', 'black', and 'red' contain the number of pockets for each color
- # Assign a variable `p_green` as the probability of the ball landing
 in a green pocket
- # Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket
- # Compute the standard error of the random variable
- # # EXERCISE 5 American Roulette sum of winnings
 # The variables 'green', 'black', and 'red' contain the number of
 pockets for each color
- # Assign a variable `p_green` as the probability of the ball landing
 in a green pocket
- # Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket
- # Use the `set.seed` function to make sure your answer matches the
 expected result after random sampling
 set.seed(1)

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# Define the number of bets using the variable 'n'
# Create a vector called 'X' that contains the outcomes of 1000
samples
# Assign the sum of all 1000 outcomes to the variable 'S'
# Print the value of 'S' to the console
# # EXERCISE 6 - American Roulette winnings expected value
# The variables 'green', 'black', and 'red' contain the number of
pockets for each color
# Assign a variable `p_green` as the probability of the ball landing
in a green pocket
# Assign a variable `p_not_green` as the probability of the ball not
landing in a green pocket
# Define the number of bets using the variable 'n'
# Calculate the expected outcome of 1,000 spins if you win $17 when
the ball lands on green and you lose $1 when the ball doesn't land
on green
# # EXERCISE 7 - American Roulette winnings expected value
# The variables 'green', 'black', and 'red' contain the number of
pockets for each color
# Assign a variable `p_green` as the probability of the ball landing
in a green pocket
# Assign a variable `p_not_green` as the probability of the ball not
landing in a green pocket
# Define the number of bets using the variable 'n'
# Compute the standard error of the sum of 1,000 outcomes
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- # # EXERCISE 1 American Roulette Monte Carlo simulation
 # Assign a variable `p_green` as the probability of the ball landing
 in a green pocket
- # Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket
- # Define the number of bets using the variable 'n'
- # Calculate 'avg', the expected outcome of 100 spins if you win \$17 when the ball lands on green and you lose \$1 when the ball doesn't land on green
- # Compute 'se', the standard error of the sum of 100 outcomes
- # Using the expected value 'avg' and standard error 'se', compute the probability that you win money betting on green 100 times.
- # # EXERCISE 2 American Roulette probability of winning money
 # Assign a variable `p_green` as the probability of the ball landing
 in a green pocket
- # Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket
- # Define the number of bets using the variable 'n'
- # The variable `B` specifies the number of times we want the simulation to run. Let's run the Monte Carlo simulation 10,000 times.
- # Use the `set.seed` function to make sure your answer matches the expected result after random sampling.
- # Create an object called `S` that replicates the sample code for `B`
 iterations and sums the outcomes.

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# Compute the average value for 'S'
# Calculate the standard deviation of 'S'
# # EXERCISE 3 - American Roulette Monte Carlo vs CLT
# Calculate the proportion of outcomes in the vector `S` that exceed
$0
# # EXERCISE 4 - American Roulette Monte Carlo vs CLT comparison
# # EXERCISE 5 - American Roulette average winnings per bet
# Use the `set.seed` function to make sure your answer matches the
# Define the number of bets using the variable 'n'
# Assign a variable `p_green` as the probability of the ball landing
in a green pocket
# Assign a variable `p_not_green` as the probability of the ball not
landing in a green pocket
# Create a vector called `X` that contains the outcomes of `n` bets
# Define a variable `Y` that contains the mean outcome per bet. Print
this mean to the console.
# # EXERCISE 6 - American Roulette per bet expected value
# Assign a variable `p_green` as the probability of the ball landing
in a green pocket
# Assign a variable `p_not_green` as the probability of the ball not
landing in a green pocket
```

Use the expected value formula to calculate the expected outcome of

`Y`, the mean outcome per bet in 10,000 bets

- # # EXERCISE 7 American Roulette per bet standard error
 # Define the number of bets using the variable 'n'
- # Assign a variable `p_green` as the probability of the ball landing
 in a green pocket
- # Assign a variable `p_not_green` as the probability of the ball not landing in a green pocket
- # Compute the standard error of 'Y', the mean outcome per bet from 10.000 bets.
- # # EXERCISE 8 American Roulette winnings per game are positive
 # We defined the average using the following code
- # We defined standard error using this equation
- # Given this average and standard error, determine the probability of winning more than \$0. Print the result to the console.
- # # EXERCISE 9 American Roulette Monte Carlo again
- ## Make sure you fully follow instructions, including printing values to the console and correctly running the `replicate` loop. If not, you may encounter "Session Expired" errors.
- # The variable `n` specifies the number of independent bets on green
- # The variable `B` specifies the number of times we want the simulation to run
- # Use the `set.seed` function to make sure your answer matches the expected result after random number generation
- # Generate a vector `S` that contains the the average outcomes of 10,000 bets modeled 10,000 times
- # Compute the average of `S`. Print this value to the console.
- # Compute the standard deviation of `S`. Print this value to the console.

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# # EXERCISE 10 - American Roulette comparison
# Compute the proportion of outcomes in the vector 'S' where you won
more than $0
# # # ASSESSMENT 2.2: CONTINUOUS PROBABILITY - Questions 1 and 2: ACT
scores, part 1
# # EXERCISE 1a -
# # EXERCISE 1b -
# # EXERCISE 1c -
# # EXERCISE 1d -
# # EXERCISE 1e -
# # EXERCISE 2 -
# # # SECTION 3.3: RANDOM VARIABLES, SAMPLING MODELS, & CENTRAL LIMIT
THEOREM ASSESSMENT
# # Questions 1 and 2: SAT testing
# # Q1a
```



Question 3: Betting on Roulette # # Q3a # # Q3b # # Q3c # # Q3d # # Q3e # # Q3f # # Q3g