# GNU T<sub>E</sub>X<sub>MACS</sub>, a free software platform for scientific editing\*

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<sup>\*.</sup> This document has been written using the GNU TEX<sub>MACS</sub> text editor (see www.texmacs.org).

# The T<sub>E</sub>X<sub>MACS</sub> project in summary

- Inspired from Emacs and LATEX.
- Project initiated by JORIS VAN DER HOEVEN, in 90's.
- Licenced under GNU GPL v3.
- Cross-platform (works under GNU/Linux, Windows, MacOS and some other unices).
- Mainly developed within MAX team, at LIX laboratory (in south of Paris).
- About 10 regular developers/contributors.
- 347 000 lines of code (almost Scheme and C++).
- Popcon Debian : around 1500 regular users.
- Current version :  $T_EX_{MACS}$  1.0.7.19.
- Website: www.texmacs.org.
- Users' mailling list: texmacs-users@texmacs.org.

## **Example of use**

Anyone caught using formulas such as  $\sqrt{x+y} = \sqrt{x} + \sqrt{y}$  or  $\frac{1}{x+y} = \frac{1}{x} + \frac{1}{y}$  will fail.

The binomial theorem is

$$(x+y)^n = \sum_{k=0}^n \binom{n}{k} x^k y^{n-k}.$$

A favorite sum of most mathematicians is

$$\sum_{n=1}^{\infty} \frac{1}{n^2} = \frac{\pi^2}{6}.$$

Likewise a popular integral is

$$\int_{-\infty}^{\infty} e^{-x^2} dx = \sqrt{\pi}$$

**Theorem 1.** The square of any real number is non-negative.

**Proof.** Any real number x satisfies x > 0, x = 0, or x < 0. If x = 0, then  $x^2 = 0 \ge 0$ . If x > 0 then as a positive time a positive is positive we have  $x^2 = x$  x > 0. If x < 0 then -x > 0 and so by what we have just done  $x^2 = (-x)^2 > 0$ . So in all cases  $x^2 \ge 0$ .

See also: Noeth.tm

#### A structured word processor

#### Inspired from LATEX:

- We describe a document whereas drawing it (content/presentation separation).
- The content rendering is contextualized.
- We use stylesheets.

#### **But:**

- It's WYSIWYG! (no need to struggle with/against esoteric \*TFX compiler).
- Not Ascii-only (scientific documents (even maths!!) has a right to pictures!).
- Abilities for interactive contents.
- Revised ergonomy (structured {browsing, editing, selecting}, menus and toolbars contextualized).

And also main features needed in a word processor:

- orthographic correction;
- slides mode;
- revision managment;
- etc.

## Mathematic typography

#### Inputing formulas (e.g. fraction):

- Via the menus : e.g. Insert  $\rightarrow$  Fraction.
- Via LATEX 'compatibility mode' : e.g. \FRACReturn.
- Via T<sub>E</sub>X<sub>MACS</sub> shortcuts : *e.g.* Alt+F.

#### **Efficient symbols inputing (in math mode \$):**

- Via graphical mimetism :  $e.g. = > insert \Rightarrow$ ;  $\sim insert \simeq .$
- Via some variants : e.g. = > Tab insert  $\psi$ ; A Tab insert  $\alpha$ .
- Via structure variants : e.g. switching between  $\begin{pmatrix} a & b \\ 0 & c \end{pmatrix}$  and  $\begin{pmatrix} a & b \\ 0 & c \end{pmatrix}$ .
- Comparison with L<sup>A</sup>T<sub>E</sub>X :

	LATEX	T <sub>E</sub> X <sub>MACS</sub>	
$\sum  lpha^i$	p(x) = \sum \alpha^i	Shift+F5 Shift+S A Tab ~ I	
$a \neq 0 \Rightarrow a = 1$	a \neq 0 \Leftrightarrow a = 1	A = / 0 < = > A = 1	

#### **Semantic editing:**

$$O(O(d^{\omega} + \dots + \log_2 q))$$

$$O(d^{\omega} + \dots + \log_2 q)$$

## **Extensibility**

#### **Document programming:**

- Variable assignation:  $\langle \operatorname{assign} | \operatorname{speed} | \overrightarrow{V_{\operatorname{aero}}} \rangle$ .
- Macros assignation:  $\langle \operatorname{assign} | \operatorname{pderiv} | \langle \operatorname{macro} | \operatorname{what} | \operatorname{by} | \frac{\partial \operatorname{what}}{\partial \operatorname{by}} \rangle \rangle$

```
\langle \mathsf{pderiv} | \langle \mathsf{speed} \rangle | \mathsf{t} \rangle \quad \Rightarrow \quad \frac{\partial \overrightarrow{V_{\mathrm{aero}}}}{\partial t}
```

• Local assignation:  $\langle with | color | red | Attention | !!! \rangle \Rightarrow Attention | !!! \rangle$ 

#### **T<sub>E</sub>X<sub>MACS</sub>** programming:

• TEX<sub>MACS</sub> is dynamically extensible via Scheme.

```
Scheme] (kbd-map ("t h m" (make 'theorem)))))
```

• Any T<sub>E</sub>X<sub>MACS</sub> buffer is accessible and modifiable from Scheme.

```
Scheme] (tree-replace (buffer-tree) '(concat (TeXmacs) " programming:") "Foo bar")

Scheme] (tree-replace (buffer-tree) "Foo bar" '(concat (TeXmacs) " programming:"))
```

## Interface for symbolic and algebraic calculus

#### Welcome to Mathemagix-light 0.4

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It comes without any warranty whatsoever

www.mathemagix.org

(c) 2001-2010

Mmx] use "symbolix"

Mmx] derive $(p(x)^x, x)$ 

$$\left(\frac{p'(x) x}{p(x)} + \log(p(x))\right) p(x)^{x}$$

 $\begin{array}{c|c}
\mathsf{Mmx} & a & b \\
c & d
\end{array}$ 

ad-bc

$$\mathbf{Mmx} \left( \begin{array}{cc} a & 0 \\ b & c \end{array} \right) \left( \begin{array}{c} d \\ e \end{array} \right)$$

 $\left[\begin{array}{c} a d \\ b d + c e \end{array}\right]$ 

Mmx] 
$$\begin{pmatrix} a & 0 \\ b & c \end{pmatrix}$$

 $\begin{bmatrix} a & 0 \\ b & c \end{bmatrix}$ 

#### Interface for numeric calculus

```
scilab-5.3.3

Consortium Scilab (DIGITEO)
Copyright (c) 1989-2011 (INRIA)
Copyright (c) 1989-2007 (ENPC)
```

```
-->A=[0,1;0,0]
-->B=[1;1];
-->C=[1,1];
-->S1=syslin('c',A,B,C)
 S1 =
 \begin{cases} \dot{X}(t) = \begin{pmatrix} 0 & 1 \\ 0 & 0 \end{pmatrix} X(t) + \begin{pmatrix} 1 \\ 1 \end{pmatrix} U(t) \\ Y(t) = \begin{pmatrix} 1 & 1 \end{pmatrix} X(t) \end{cases}
-->ss2tf (S1)
```

```
ans = \frac{1+2s}{s^2}
```

## Advanced Interfaces for symbolic calculus

Switches:

Mathemagix derive(p(x)^x, x) 
$$\Rightarrow \left(\frac{p'(x)x}{p(x)} + \log(p(x))\right)p(x)^x$$

• Substitution:

The derivative of  $p(x)^x$  w.r.t x is:  $derive(p(x)^x, x)$ .

Ctrl+Return 
$$\Rightarrow$$
 The derivative of  $p(x)^x$  w.r.t  $x$  is:  $\left(\frac{p'(x)\,x}{p(x)} + \log\left(p(x)\right)\right)p(x)^x$ .

Label/reference evaluation:

The derivative of  $p(a)^x$  w.r.t. x is: x

- $\Rightarrow$  The derivative of  $p(a)^x$  w.r.t. x is:  $p(a)^x \log(p(a))$ .
- Spreadsheet:

ax	=derive $(a1, x)$		ax	a
$x^a$	=derive $(a2, x)$	$\Rightarrow$	$x^a$	$x^{a-1}a$
u(x) v(x)	=derive $(a3, x)$		u(x) v(x)	u'(x) v(x) + v'(x) u(x)

# Interoperability

## Possibles imports:

- HTML / MathML.
- LATEX (demo).
- BibT<sub>E</sub>X.

#### Possibles exports:

- Paper (ps, pdf).
- Web (HTML/MathML).
- LATEX.
- BibT<sub>E</sub>X.
- XML Tree (without DTD).
- Plain text.