A 15-bit carry lookahead adder is designed using the 3-bit carry lookahead adder as a submodule. The 15-bit CLA can make addition and subtraction operations and gives the sum, detects the overflow and carry as result.

Implementation of CLA_3bit.v:

• **C** and **D** are two inputs, **Cin** the input for carry which comes from other 3-bit CLA, **mode** is the operation decider, **RES** is the sum and the **Carry** is the carry of the operation result.

```
wire [2:0] P,G, D_xor;
assign D_xor = D ^ {3{mode}};
assign P = C ^ D_xor; //propagate signal
assign G = C & D_xor; //generate signal
```

• With extending the mode and making a xor operation with second input, the operation converted the summation by changing the sign of second input in case of a substraction. After that, the **P** and **G** are decided as propagation and generation signals.

```
//computing carries
wire C1,C2,C3;
assign C1 = G[0] | (P[0] & Cin);
assign C2 = G[1] | (P[1] & G[0]) | (P[1] & P[0] & Cin);
assign C3 = G[2] | (P[2] & G[1]) | (P[2] & P[1] & G[0]) | (P[2] & P[1] & P[0] & Cin);
```

• Carries are decided using propagates, generates and Cin. C3 will be the final carry.

```
//computing sum
assign RES[0] = P[0] ^ Cin;
assign RES[1] = P[1] ^ C1;
assign RES[2] = P[2] ^ C2;
```

Result's bits are computed using propagates and carries.

```
assign Carry = C3;
endmodule
```

• The final carry is decided as C3 and the module ends.

Implementation of CLA_15bit_top.v:

• A and B are the 15-bit inputs, **mode** is the operation decider, S is the resulting sum, **Cout** is carry and **OVF** is the overflow of the operation.

```
//decomposing A and B into 5 pieces each to use 3-bit cla's
wire [2:0] A0, A1, A2, A3, A4;
wire [2:0] B0, B1, B2, B3, B4;
assign A0 = A[2:0];
assign A1 = A[5:3];
assign A2 = A[8:6];
assign A3 = A[11:9];
assign B0 = B[2:0];
assign B0 = B[5:3];
assign B1 = B[5:3];
assign B2 = B[8:6];
assign B3 = B[11:9];
assign B4 = B[14:12];
```

• Two inputs are parsed into groups consist of 3 bits to use 3-bit CLAs as submodules.

```
//carries between CLA blocks
wire C1, C2, C3, C4;

// designing CLAs
CLA_3bit cla0 (.C(A0), .D(B0), .Cin(mode), .mode(mode), .RES(S[2:0]), .Carry(C1));
CLA_3bit cla1 (.C(A1), .D(B1), .Cin(C1), .mode(mode), .RES(S[5:3]), .Carry(C2));
CLA_3bit cla2 (.C(A2), .D(B2), .Cin(C2), .mode(mode), .RES(S[8:6]), .Carry(C3));
CLA_3bit cla3 (.C(A3), .D(B3), .Cin(C3), .mode(mode), .RES(S[11:9]), .Carry(C4));
CLA_3bit cla4 (.C(A4), .D(B4), .Cin(C4), .mode(mode), .RES(S[14:12]), .Carry(Cout));
```

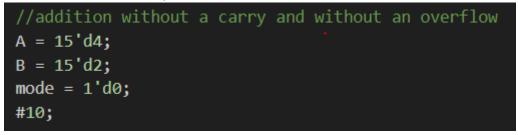
• Use of 3-bit CLAs with parsed inputs.

```
//detecting overflow
assign OVF = ( (mode == 0) && ((~A4[2] & ~B4[2] & S[14]) | (A4[2] & B4[2] & ~S[14])) ) ||
[ (mode == 1) && (( A4[2] & ~B4[2] & ~S[14]) | (~A4[2] & B4[2] & S[14])) ];
endmodule
```

• Overflow detector is taking care of the addition and substraction operations' overflows in different ways. After detecting the overflow, the module ends.

Test Cases Using CLA 15bit tb.v:

1) Addition without a carry and without an overflow:





• Addition of 4 and 2 results in no carry and no overflow since the result is on the representable range.

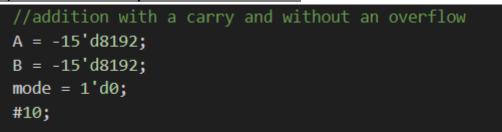
2) Addition without a carry and with an overflow:

```
//addition without a carry and with an overflow
A = 15'd8192;
B = 15'd8192;
mode = 1'd0;
#10;
```



• This operation exceeds the representable range by 1, so there is an overflow but there is no carry.

3) Addition with a carry and without an overflow:





• This operation does not exceed the representable range, indeed the result has the edge value, so there is no overflow. However, a carry is present as a result of the operation.

4) Addition with a carry and with an overflow:

```
//addition with a carry and with an overflow
A = -15'd16384;
B = -15'd16384;
mode = 1'd0;
#10;
```



• This operation exceeds the represantable range and it generates a carry.

5) Subtraction without a carry and without an overflow:

```
//subtraction without a carry and without an overflow
A = 15'd4;
B = -15'd2;
mode = 1'd1;
#10;
```



• For the example cases of subtraction, the following logic that A+B and A-(-B) produces same results is used. 4-(-2) produces no carry and no overflow.

6) Subtraction without a carry and with an overflow:

```
//subtraction without a carry and with an overflow
A = 15'd8192;
B = -15'd8192;
mode = 1'd1;
#10;
```



• This operation exceeds the representable range by 1, so there is an overflow. However, it does not produce a carry.

7) Subtraction with a carry and without an overflow:



• The result of operation is just on the edge, so there isn't an overflow, but the operation produces a carry.

8) Subtraction with a carry and with an overflow:

```
//subtraction with a carry and with an overflow
A = -15'd16384;
B = 15'd16383;
mode = 1'd1;
#10;

A [14:0]
B [14:0]
Cout
Ovf
S [14:0]
mode
```

• The operation produces both carry and overflow.

The resulting simulation is below:

