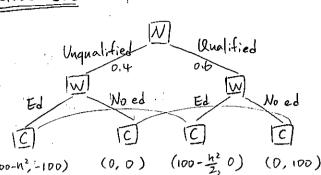
"Strategic Game Theor

HW# 3

20/80

Good Job

U3.



Bad Job

Unqualified

(10-n<sup>2</sup>, 0)

(10-n<sup>2</sup>, 0)

(10,0)

(10-n<sup>2</sup>, 0)

(10,0)

⇒ (100-n², -100) (60, -60) (100-½, 0) (60, 40)

Signal unavailable

- (A) 若 company 相信 educated \$ worker 都是 Qualified workers, 没有 educated 的 都是 Unqualified workers
  - $\Rightarrow 100 \frac{h^2}{2} \ge 0 , 200 \ge h^2 \Rightarrow h \ge 14.1421$   $100 h^2 \le 0 , 100 \le h^2 \Rightarrow h \ge 10$

minimum N=10 \*

(b) Signal unavailable後, Qualified & Unqualified works 皆不言educated, 對兩数的works來記,選 Good Joh 都比 Bd Job 練的多。

Good Job J等到60, Bod Job 拿到10. Qualified 的机率较高, 含先把Good job 填满,因此含复益。

Workers will gain and company will loss from this change.

E(400d Job) = 0.6×100 +0.4×0 = 60

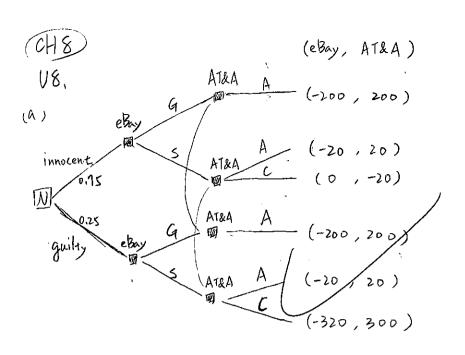
E(Bad Job) = 0.6 × 10 + 0.4. × 10 = 10

在signal 下,

Qualified & Good Job by payoff = 100 - 102 = 50 < 60

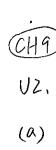
Unqualified & Bad Job 64 payoff = 10 < 60

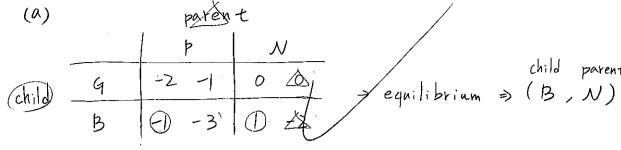
> & gain from this change

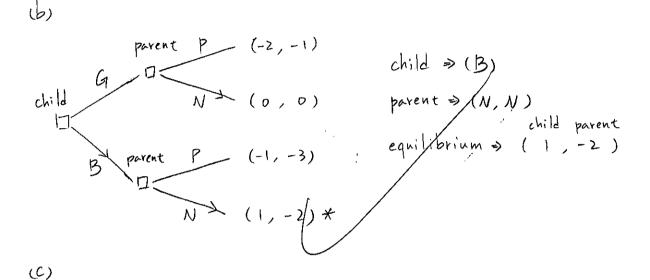


(b) eBay has incentive to Huff
i'eBay 有较多党詞, eBay 要讓 AT及T 變得但是 innocent, 使技失較少。

(C) AT&T  $\frac{(G, A) (S, A) (S, C)}{(G, A) (S, C)} = Bay innocent,$ (Bay G AT&T  $\Rightarrow$  A, payoff = (-200, 200)  $\frac{g}{g} = \frac{(200, 200) (-200, 200)}{(-200, 200) (-200, 200)} = Bay \Rightarrow G, AT&T \Rightarrow A, payoff = (-200, 200)$ 







parent has 4 pure strategy \* equilibrium  $S \stackrel{\cdot}{child} \Rightarrow G$ , parent  $\Rightarrow if G, N \Rightarrow (0,0)$   $\stackrel{\cdot}{child} \Rightarrow B$ , parent  $\Rightarrow if G, P \Rightarrow (1,-2)$  $\stackrel{\cdot}{child} \Rightarrow B$ , parent  $\Rightarrow N \Rightarrow (1,-2)$ 

(d)在(b)是由child先選策略,再由parent選策略。對child來說,選B是最好的,因為可得到較高的效用,又不言被處罰。

但在(c), child决策前, 先得到了"PIFB"的资訊, 那選 B對child 反而 是不知的, 因此 child 含改選 G。而在上面胡 threat, 含理的威脅為 if G.N. 得则。什 为(0,0)。

