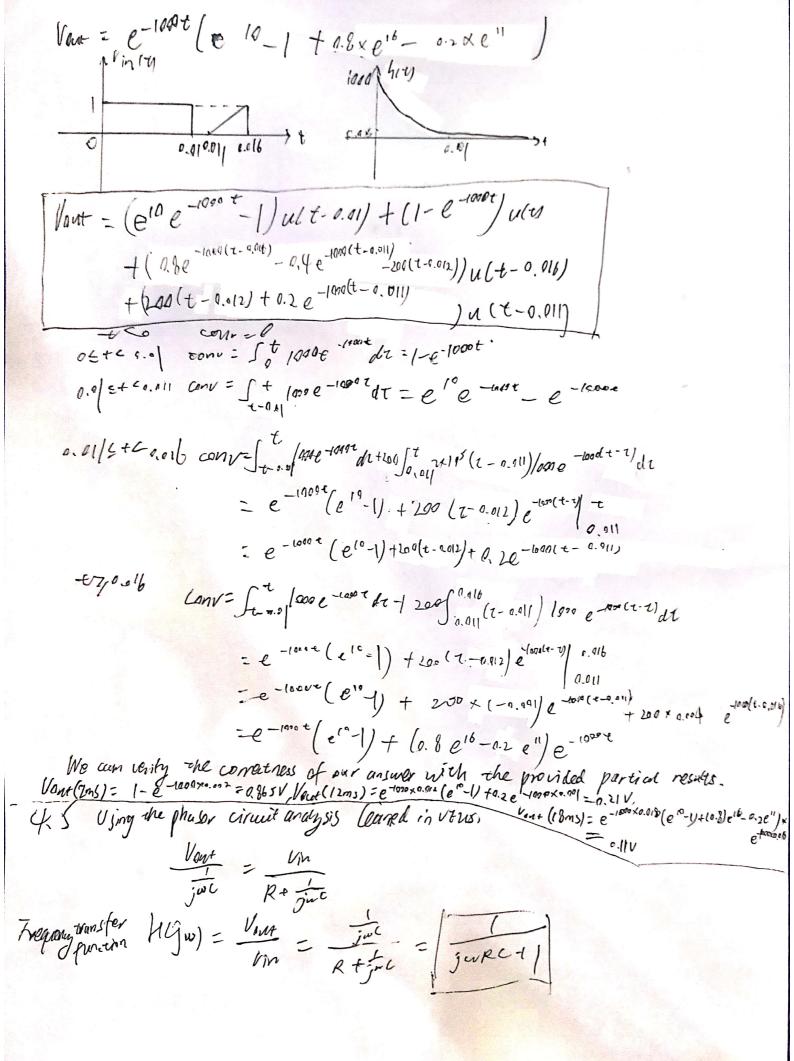
VEZIB Pre Lab Liu Yihua 刘湖广 5180196998 4. (a) PC drown to travely = Vinty Let Vant # = Japan Vinor = with Isrepty = (1-e-the) u(t) = (1-e-the) RC Rc e-Fre + 1-e-1/pc = | 770 thus, the whitien corresponding to vinly =uly it the step response Sep = (1-e-1000t) (t) Plat see attached pages Ushy (4, e.g) dysuply = d for Whole They dyrug ( g = d (1-e-the) my = firs (1-e-the) + fice - The my Sty (1. ether) = 0 | h/e) = re e - The way (13 Car) Using time-in variouse with the step response Ystep = (1-e -the) utes The outputof ulw) - ult- 0) is (1-e-+1/pc) uno - (1-e-+-0)/pc) ult-a) Using linearing The output of Vincy is Voutly = 9/10 [4 = \$ [(1-e-1/2) men-(1-e-(4-0)/py) mt-8)]

```
(h) Mun 6:1
       6m 96,849 = Com $[11-e-1/2/2149- (1-e-1-9/29) wiss)]
      Ushy ['M' pital's vale
                 - Lim (- Fe e -11-0)/40 -(1-0)/44/5(1-0))
                 = - FC e-theuly - (1-e-the) sly
                 =- the ut
 (c)(j) J2.8(t) = 10-3 [(1-e-1000t)u(t) - (1-e-1000t-10-3)] net-10-3)]
                = 10 [[1-e -1000] u(t) - (1-e - 10012-10-1)] wee-10-1)]
    (i) Troty = f[(1-6-100+) My - (1-6-0.2×10-3)] (1+-0.2×10-3)]
    (911) 96,000 = (1-e-1000t) wer li-e-1000(t-0.1×10-3) cuto 0.1×19-5)
      MATLAB Plats See attached pages
              hits = 1 pe e - 1000 e - 1000 t uly
         bhly = (9-8/14) = 10 e -1900+ 4/4)
       It can be observed from the three plots that
             -the plats for cuses (i) - (iii) approach the plat of bhill as a leaves.
      From the three graphs we can verify our answers for pares (i) - (iii) are
        correct by the partial results provided in hint.
4.4 Vout = Vin (V *hlt)
              - 500 [u(2) - u(2-0.01)]+ 200 (1-0.011) [u(2-0.01) - u(2-0.016)]
             - J- 80 [401 € [400(t-1)] dz

- J001 [000 € -1000(t-2)] 11t-1) dz + J001 2+105 € [100(t-2)] (1-0.911) dz
             = Jt-ESG 1000 -10002 dz + St-0.016 2×10 5 e-1000 (1-2-091)dz
             =-e-10002/t -(t-2-0.011) 2.000-10002/-t-0.011
              = C-1600 (4-0.04) f -1800+
                                         0.8 × e-1000(-- a.oll) -
```



 $|H(\hat{j})\pi f_{0}| = \frac{1}{j2nf_{0}R_{0}+1} = \frac{1}{\sqrt{4n^{2}f_{0}^{2}R_{0}^{2}+1}} = \frac{1}{\sqrt{4n^{2}f_{0}^{2}R_{0}^{2}+1}}} = \frac{1}{\sqrt{4n^{2}f_{0}^{2}R_{0}^{2}+1}} = \frac{1}{\sqrt{4n^{2}f_{0}^{2}R_$ 

fc (4z)	[H(jarfu)]	(Myzof.)	Te (ms)
10	0,9540	-17.4406	0.9 689
200	0.6227	-51.488	0.7151
500	0.3033	-72.3432	6,4019
1/	0.1572	-80.9569	0.2249
5/4	0.0318	-88.1768	0,0490

## VE216 Introduction to Signals and Systems

## PRELAB 1 ATTACHED PAGES

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4.1 (b)

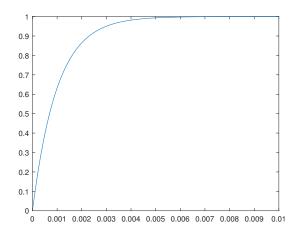


Figure 1. 4.1(b).

## MATLAB Code:

```
t=linspace(0,0.01,1000);
y=(1-exp(-1000*t)).*heaviside(t);
plot(t,y);
axis([0 0.01 0 1]);
```

4.3 (c) (i)

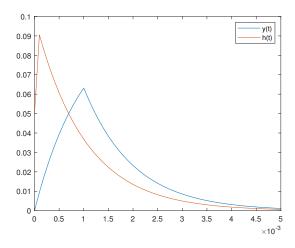


Figure 2. 4.3(c)(i).

(ii)

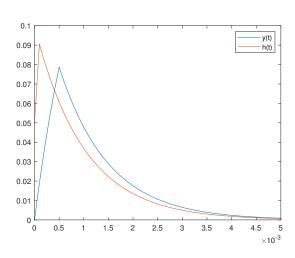


Figure 3. 4.3(c)(ii).

(iii)

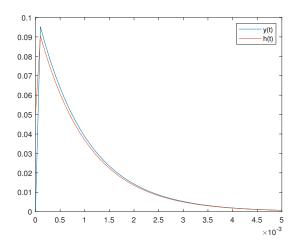


Figure 4. 4.3(c)(iii).

## MATLAB Code:

```
1
    t = linspace (0, 0.1, 1000);
2
   h=0.1*\exp(-1000*t).*heaviside(t);
3
   y=0.1*((1-\exp(-1000*t)).*heaviside(t)-(1-\exp(-1000*(t-10^{\circ}(-3)))).*
        heaviside (t-10^{-}(-3));
4
   \mathbf{plot}(t, y, t, h);
    axis([0 0.005 0 0.1]);
5
   legend('y(t)','h(t)');
6
   y=0.2*((1-exp(-1000*t)).*heaviside(t)-(1-exp(-1000*(t-0.5*10^{\circ}(-3))))
        )).*heaviside(t-0.5*10^{(-3)});
8
    \mathbf{plot}(t, y, t, h);
    axis([0 \ 0.005 \ 0 \ 0.1]);
10
    legend('y(t)', 'h(t)');
    y=(1-\exp(-1000*t)).*heaviside(t)-(1-\exp(-1000*(t-0.1*10^{(-3)}))).*
11
        heaviside (t-0.1*10^{-}(-3));
12
    \mathbf{plot}(t, y, t, h);
13
    axis([0 0.005 0 0.1]);
14
    legend('y(t)', 'h(t)');
```