$\alpha = e^{\frac{i}{2}(\phi + \varphi)} \quad \beta = ie^{\frac{i}{2}(\phi - \varphi)} \quad Sin \frac{\partial}{\partial \varphi}$

φ E [0, 2π) Θ E [0, π) , Ψ E [0, 4π).

take d= rez(0+0) cost | r=1 and similary for 8.

 $ddd\bar{d}\beta = \left| \frac{\partial(\alpha,\bar{a},\beta,\bar{\beta})}{\partial(r,\varphi,\phi,\delta)} \right|_{r=1} d\varphi d\varphi d\theta$

= (1 13 Sn 0) | r=1 dpd\$ do

= 15no dydpla

since (det of =1. g -> for does not contribute a

factor that needs to be canceled

normalitation requires J C. Suddødødø = 1

 $C = \frac{1}{16\pi^2}$

Har measure 1672 Sd pdp Swado

(b)
$$\phi_{ap} = \int df \, g_{ap} = \int df \, (g_{a}g)_{ap} = g_{a}g \int dg \, g_{ap}$$
 $g_{a} \begin{pmatrix} \phi_{0}g_{0} \end{pmatrix} = \begin{pmatrix} \phi_{a}g_{0} \end{pmatrix} \quad (\forall g_{a} \in Su(2))$
 $choose \, g_{0} = \begin{pmatrix} 0 & -1 \\ 1 & 0 \end{pmatrix} \quad \phi_{ap} = \pm \phi_{1}g = 0$
 $\Rightarrow \int df \, g_{ap} = 0 \quad \forall d, p \in \{0, 1\}$

$$(A^{65})_{07}^{=} \int df \, \partial_{07} \, \partial_{16} = \int dg \, (8.3)_{07} (4.3)_{05}$$

$$= (9.05) \int df \, \partial_{07} \, \partial_{14} \, (3.0)_{24}$$

$$\Rightarrow A^{65} = 9. A^{65} \, 9. T \quad (4.6 + 5.0)_{25}$$

$$A^{65} = (a \, b) \quad \text{take} \quad 8.0 = (0.7)_{10}^{-1} \, 8.0 = (0.7)_{10}^{-1}$$

$$\Rightarrow A^{65} = (a \, b) \quad \text{take} \quad 8.0 = (0.7)_{10}^{-1} \, 8.0 = (0.7)_{10}^{-1}$$

$$\Rightarrow A^{65} = (0.7)_{10}^{-1} \, 9.0 = (0.$$

①
$$80=-4$$
. (*) => $1=(-1)^n I$ => $1=0$ for odd n

② n even:
$$g_0 = (\frac{e^{i\theta}}{o} \frac{o}{e^{i\theta}}) (g_0)_{0\beta} = g_{0\beta} e^{(-1)^{3}i\theta}$$

$$(g_0, g_0)_{0\beta} = e^{(-1)^{3}i\theta} g_{0\beta}$$

$$(*) \Rightarrow I = e^{i\theta \sum (-1)^{di}} I \Rightarrow \sum (-1)^{di} = 0 \Rightarrow half \ di \ 1$$

Similarly by right-invariance, half \(\beta \); \(1 \).

OFINA 2: explicat calculation

Show by explicit computation terms contain phases
$$e^{i\phi}$$
 (46[0.27]) or $e^{i\frac{\pi}{2}}$ (46[0.27]).

(c) f of gar. - gars to be nonzero

On odd: must contain factor e tit => 0

@ n even: each & should be paired with x*

i.e. for paired with \$22

similar. 312 poired with \$21.

=> half indices are 1 and the otherhalf 2.

P13 three irreps of S3,

D trivial: P(+) = 1 4465,

@ sign-rep: P(P) = Sqn(P).

3 S, \(D_3\) . 2x2 votation/reflection matrices
see lecture notes.

Psy see leave notes