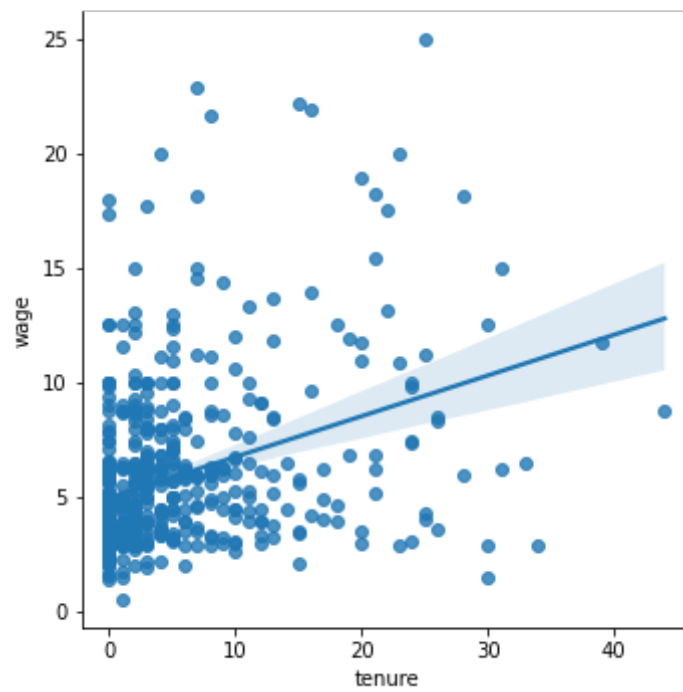
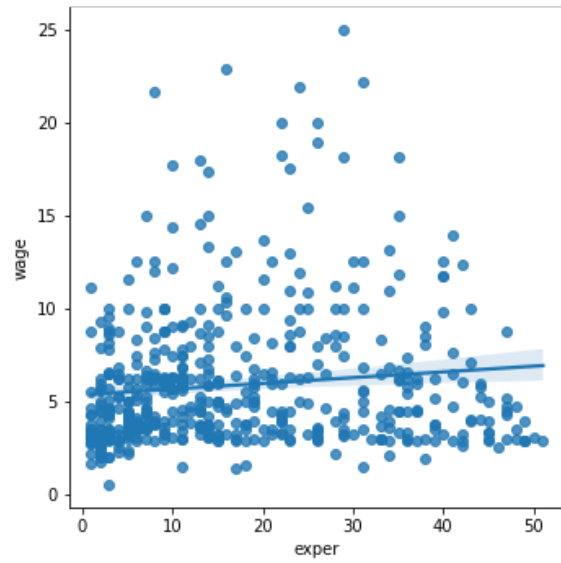
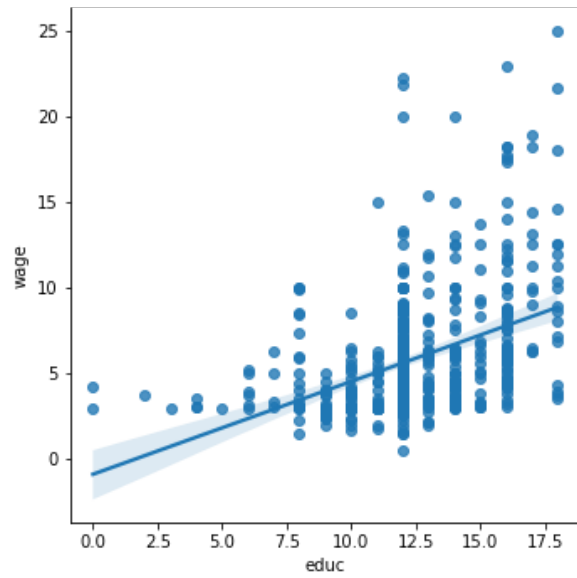


Problem Set 5

Exercise 1

- Part 2



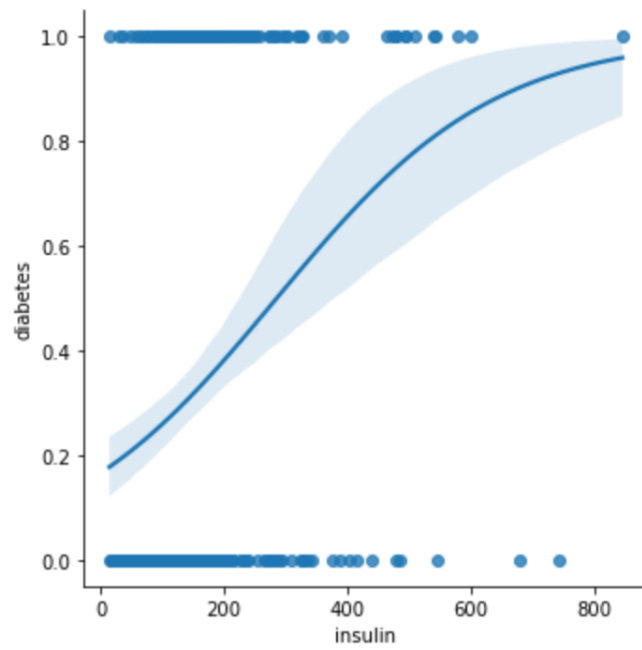
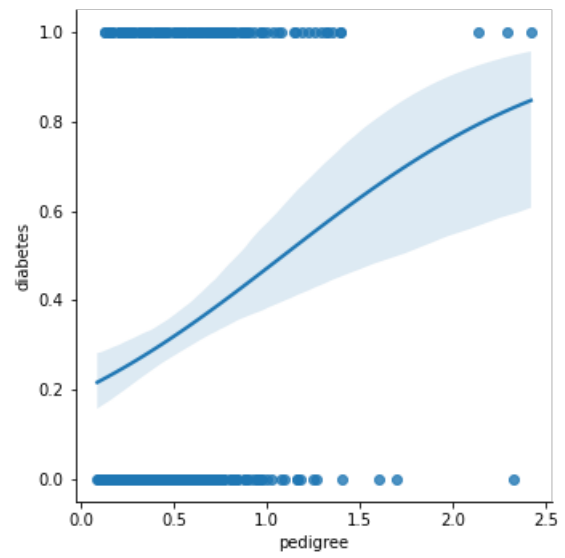
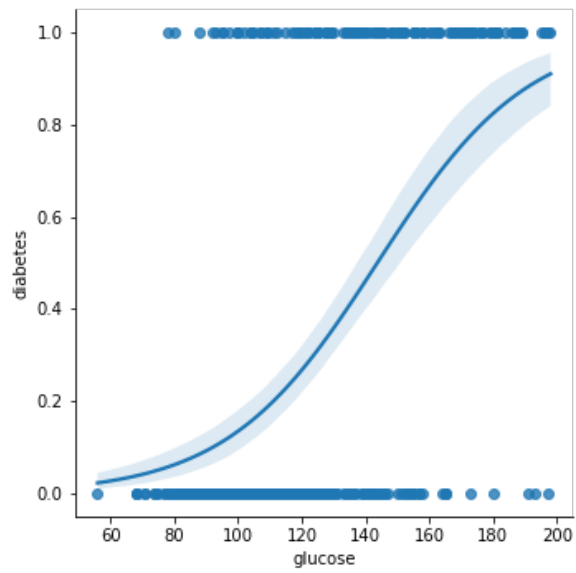
- Part 3
 - I think using OLS Regression is more suitable in understanding the factors that explain variability in wages because wage/logged wage is the response variable (LHS) of a regression model, and it is continuous. Logit regression is also used when the response variable has multiple outcomes, which isn't really applicable here.
- Part 4
 - Since we are using wages as the dependent variable on the left-hand side and we are trying to find the correlation between wages and other variables, I've created a model that checks the relationship between wage and all the continuous variables in the wage dataset, as well as two binary variables. I put those variables in an array and used the sm approach.
 - LHS: wage; RHS: education, experience, tenure, nonwhite, female
- Part 5

OLS Regression Results						
Dep. Variable:	wage	R-squared:	0.364			
Model:	OLS	Adj. R-squared:	0.358			
Method:	Least Squares	F-statistic:	59.43			
Date:	Mon, 22 Nov 2021	Prob (F-statistic):	6.48e-49			
Time:	23:47:40	Log-Likelihood:	-1314.2			
No. Observations:	526	AIC:	2640.			
Df Residuals:	520	BIC:	2666.			
Df Model:	5					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	-1.5403	0.732	-2.103	0.036	-2.979	-0.102
educ	0.5703	0.050	11.507	0.000	0.473	0.668
exper	0.0253	0.012	2.188	0.029	0.003	0.048
tenure	0.1411	0.021	6.660	0.000	0.099	0.183
nonwhite	-0.1159	0.427	-0.271	0.786	-0.955	0.723
female	-1.8120	0.265	-6.835	0.000	-2.333	-1.291
Omnibus:	185.640	Durbin-Watson:	1.794			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	712.187			
Skew:	1.588	Prob(JB):	2.24e-155			
Kurtosis:	7.733	Cond. No.	143.			

- Part 6
 - Education, experience, and tenure all have positive correlations with wages, and they're all statistically significant because their p-values are all lower than 0.05. Variable female has a negative correlation with wage and it's also statistically significant because of its low p-value. The only nonsignificant variable is nonwhite.
- Part 7
 - Since the OLS regression yields an R-squared value of 0.364, this means that 36.4% of variation in the wage dataset can be explained by the variables educ, exper, tenure, nonwhite and female.
- Part 8
 - "wage": [150], "exper": [100], "tenure": [50], "educ": [100], "female": [0], "nonwhite": [0]}}

Exercise 2

- Part 2



- Part 3
 - Logistic Regression is more suitable to analyze this problem because diabetes is a binary variable, meaning there are two outcomes, and each outcome has a probability between 0 and 1.
- Part 4
 - Since we are using diabetes as the dependent variable on the left-hand side and we are trying to find the correlation between diabetes and other variables, I've created a model that checks the relationship between diabetes and all the variables in the diabetes dataset. I put those variables in an array and used the sm approach.
 - LHS: diabetes, RHS: pregnant, glucose, pressure, triceps, insulin, mass, pedigree, age

- Part 5

```
Optimization terminated successfully.
Current function value: 0.438803
Iterations 7
```

Logit Regression Results						
Dep. Variable:	diabetes	No. Observations:	392			
Model:	Logit	Df Residuals:	383			
Method:	MLE	Df Model:	8			
Date:	Tue, 23 Nov 2021	Pseudo R-squ.:	0.3093			
Time:	00:06:15	Log-Likelihood:	-172.01			
converged:	True	LL-Null:	-249.05			
Covariance Type:	nonrobust	LLR p-value:	2.765e-29			
	coef	std err	z	P> z	[0.025	0.975]
const	-10.0407	1.218	-8.246	0.000	-12.427	-7.654
pregnant	0.0822	0.055	1.482	0.138	-0.026	0.191
glucose	0.0383	0.006	6.635	0.000	0.027	0.050
pressure	-0.0014	0.012	-0.120	0.904	-0.025	0.022
triceps	0.0112	0.017	0.657	0.511	-0.022	0.045
insulin	-0.0008	0.001	-0.632	0.528	-0.003	0.002
mass	0.0705	0.027	2.580	0.010	0.017	0.124
pedigree	1.1409	0.427	2.669	0.008	0.303	1.979
age	0.0340	0.018	1.847	0.065	-0.002	0.070

- Part 6
 - Glucose, mass and pedigree all have positive correlations with diabetes, and they're all statistically significant because their p-values are all lower than 0.05. The rest of the variables aren't statistically significant because their p-values are higher than 0.05.
- Part 7
 - The patient in the median of each of my independent variables has a 19.3% chance of having diabetes while the patient in the 75% tile has a 64.9% chance and the patient in the 25% tile has a 4.78% chance.

Code

```
"""This is the code file for both portions of problem set 5."""
import matplotlib.pyplot as plt
import seaborn as sns
import pandas as pd
import statsmodels.api as sm

# Exercise 1
def first_exercise():
    """
    This function loads and preps the dataset that contains information about
    expected wage rates and its related variables. It also generates visuals
    that describe the relationship between wage and years of education. It
    also generates a model for wage data and estimates such model by producing
    an OLS regression table.
    """

    # Part 1
    wage = pd.read_csv("wage.csv").dropna()
    # Part 2
    sns.lmplot(x='educ', y='wage', data=wage)
    fig1 = plt.figure(1)
    fig1.savefig("1_2_1.png")
    sns.lmplot(x='exper', y='wage', data=wage)
    fig2 = plt.figure(2)
    fig2.savefig("1_2_2.png")
    sns.lmplot(x='tenure', y='wage', data=wage)
    fig3 = plt.figure(3)
    fig3.savefig("1_2_3.png")
    # Part 5
    lhs = wage['wage']
    ind_vars = ['educ', 'exper', 'tenure', 'nonwhite', 'female']
    rhs = wage.loc[:, ind_vars]
    rhs = sm.add_constant(rhs)
    mod = sm.OLS(lhs, rhs)
    res = mod.fit()
    print(res.summary())
    # Part 8
    hypo = pd.DataFrame({"wage": [150], "exper": [100], "tenure": [50],
                        "educ": [100], "female": [0], "nonwhite": [0]})
    print(res.predict(hypo))
```

Exercise 2

```
def second_exercise():
```

```
    """
```

This function loads and preps the dataset that contains information about diabetes rates and its related variables. It also generates visuals that describe the relationship between diabetes and variables like insulin levels, pedigree and glucose. It also generates a model for diabetes data and estimates such model by producing a logistic regression table.

```
    """
```

```
    # Part 1
```

```
    diabetes = pd.read_csv("diabetes.csv").dropna()
```

```
    diabetes['diabetes'] = diabetes.diabetes.map({'pos': 1, 'neg': 0})
```

```
    # Part 2
```

```
    sns.lmplot(x="insulin", y="diabetes", data=diabetes, logistic=True)
```

```
    fig4 = plt.figure(4)
```

```
    fig4.savefig("2_2_1.png")
```

```
    sns.lmplot(x="pedigree", y="diabetes", data=diabetes, logistic=True)
```

```
    fig5 = plt.figure(5)
```

```
    fig5.savefig("2_2_2.png")
```

```
    sns.lmplot(x="glucose", y="diabetes", data=diabetes, logistic=True)
```

```
    fig6 = plt.figure(6)
```

```
    fig6.savefig("2_2_3.png")
```

```
    # Part 5
```

```
    lhs = diabetes['diabetes']
```

```
    ind_vars = ['pregnant', 'glucose', 'pressure', 'triceps',
```

```
               'insulin', 'mass', 'pedigree', 'age']
```

```
    rhs = diabetes.loc[:, ind_vars]
```

```
    rhs = sm.add_constant(rhs)
```

```
    mod = sm.Logit(lhs, rhs)
```

```
    res = mod.fit()
```

```
    print(res.summary())
```

```
    # Part 7
```

```
    for percentiles in [.25, .5, .75]:
```

```
        values = rhs.quantile(percentiles)
```

```
        print(res.predict(values.to_numpy()))
```