Weiland Sets = exp[(
$$\lambda$$
t)<sup>P</sup>]

$$\lambda = \lambda \exp(x\beta) = \lambda \exp(\lambda)$$

$$S(t) = \exp[-(\lambda \exp(t))t]^{P}]$$

$$S(t) = \int_{1}^{1} S(t) \exp[-(\lambda \exp(t))t]^{P} \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P} \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P} \exp[-(\lambda \exp(t))t]^{P}]$$

$$= -p \sum_{i=1}^{1} \exp(pi)t^{P} \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P}$$

$$= \int_{1}^{1} p \sum_{i=1}^{1} p \sum_{i=1}^{1} \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P}$$

$$= \int_{1}^{1} p \sum_{i=1}^{1} p \sum_{i=1}^{1} \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P}$$

$$= \int_{1}^{1} p \sum_{i=1}^{1} p \sum_{i=1}^{1} \exp[-(\lambda \exp(t))t]^{P}] \exp[-(\lambda \exp(t))t]^{P}$$