

Capstone Project 1: Question: What to do when design an AI project?

Dataimages: X .
label: y .

Lab Procedure:

Given $x, y \rightarrow$ we are searching for $f(\cdot)$.
 Here $f(\cdot)$ is a function.
 It maps from X to Y . i.e. $f: X \rightarrow Y$.

Error Measure:

There is a loss function
 $\frac{1}{n} \sum_{i=1}^n (\hat{y}_i - y_i)^2$.

(This function is called "squared loss".)

It measures square distance
 for all the observations
 (i.e. if there are n observations,
 we add all n terms together)

Production

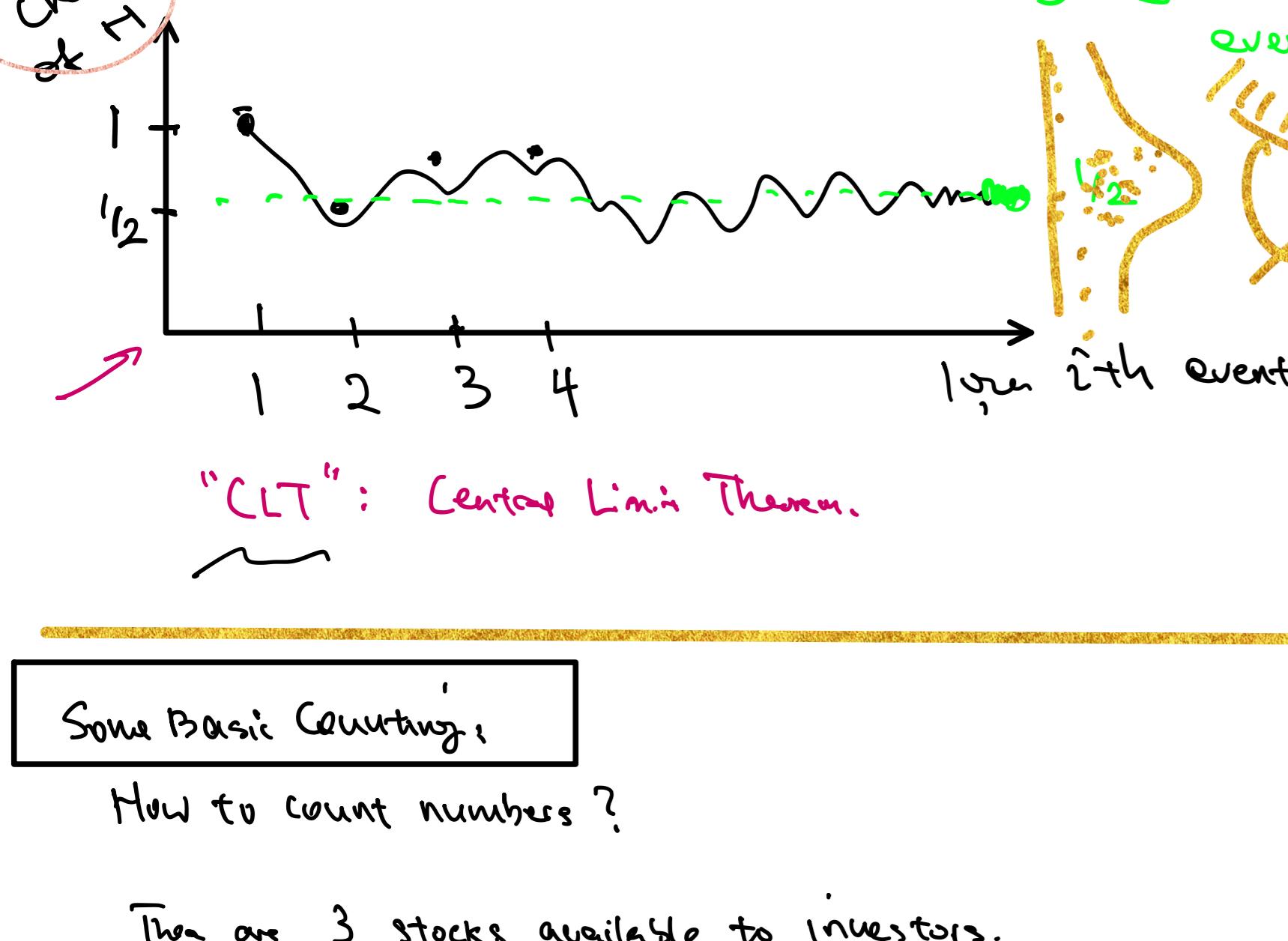
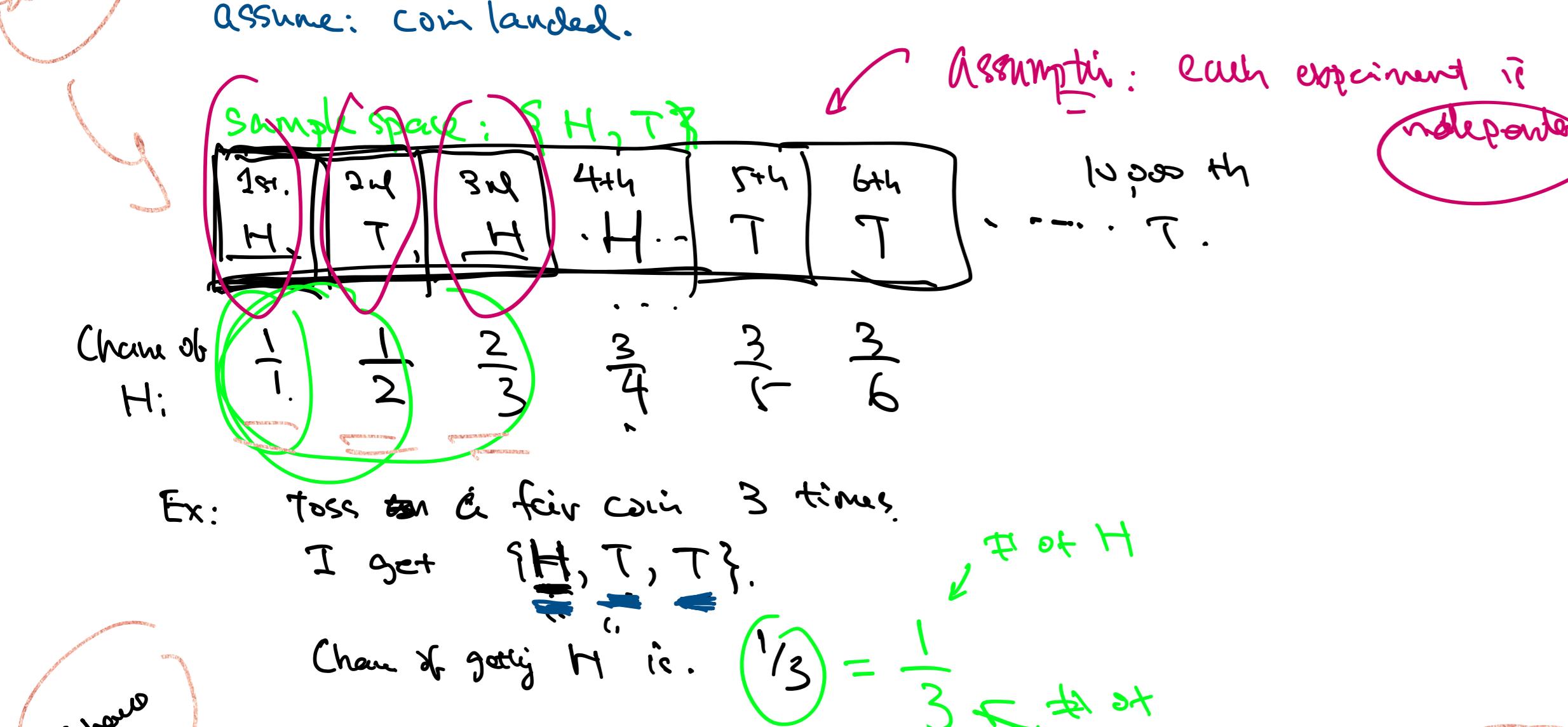
We find $f(\cdot)$ Now we have new image. another X

$$X \rightarrow f(\cdot)$$

We can use
 Generate a prediction
 $\hat{y} = f(x)$

- event
- sample space
- parameter / outcome

ex: (coin toss)



Some Basic Counting:

How to count numbers?

There are 3 stocks available to investors. They are Apple, Facebook, Amazon. Their tickers are AAPL, FB, AMZN.

You are a money manager.

If you don't impose any restrictions to your strategy you have $3!$ possible choices.

Math: $3! = 3 \times 2 \times 1 = 6$: factorial

Portfolio has 3 spots: 1st, 2nd, 3rd

The 1st can be any three of the stocks.

AAPL, FB, AMZN.

If you choose AAPL, then you are left with FB, AMZN. This means you have 2 choices.

FB, AMZN.

If you choose AMZN, then you are left with FB,

Permutation

How many arrangements you can make

if you are picking stock one by one?

You can start with AAPL then you talk about FB, left AMZN.

Or you can go with this order AAPL AMZN, FB.

This concept is called permutation.

$$\frac{n!}{(n-r)!} = \frac{3!}{(3-2)!} = \frac{3 \times 2 \times 1}{1!} = 3 \times 2 \times 1 = 6$$

definition: $1! = 0! = 1$

For 3 stocks: Stock 1, Stock 2, Stock 3, say you want to arrange 3.

You do: 1 2 3, 2 1 3, 3 1 2

1 3 2, 2 3 1, 3 2 1

In total it's 6.

Combination

Arranging three stocks, you only want to choose 2.

There are the following possible ways. 1, 2, 3

① AAPL, FB

② FB, AMZN.

③ AAPL, AMZN.

In total there are 3 ways!

Math: $\binom{3}{2} = \frac{3!}{2!1!} = \frac{3 \times 2 \times 1}{2 \times 1} = 3$

this reads "3 choose 2"

$$\binom{n}{r} = \frac{n!}{r!(n-r)!}$$

Bayes' Theorem

Given events A, B, their probability is $P(A), P(B)$ Joint Probability: $P(A \cap B)$.Probability of A given B. $P(A|B)$ Probability of B given A. $P(B|A)$.Definition: $P(A|B) = \frac{P(A \cap B)}{P(B)}$ Prob. of A and BDefn.: $P(B|A) = \frac{P(A \cap B)}{P(A)}$ Prob. of B given AEx: 0.5 = $\frac{0.4}{0.8} \Rightarrow 0.5 \times 0.8 = 0.4$ Thus, this means $P(A|B) = \frac{P(B|A)P(A)}{P(B)}$

Venn Diagram

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}$$

$$P(B|A) = \frac{P(A|B)P(B)}{P(A)}$$

$$P(A) = \frac{P(A|B)P(B)}{P(A|B) + P(A \cap B)}$$

$$P(B) = \frac{P(A|B)P(A)}{P(A|B) + P(A \cap B)}$$

$$P(A \cap B) = P(A|B)P(B)$$

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