# Computer Vision Homework 6 Report

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#### Introduction

In this homework assignment, we're going to calculate Yokoi Connectivity Number.

I use *Python* as my programming language and *Pillow* as my image library. It is a fork of *PIL*, which is the original image library of *Python*. And I use *Pillow* for reading input image, and transfering image data into *List* of *Python*.



Figure 1: original lena.bmp

#### **Program Structure**

There's only one program in my submission, and I use program parameters to decide which algorithm we want to apply on the input image. All the things done in my program is:

- 1. Import required library
- 2. Open input image
- 3. Binarize the image
- 4. Downsample the image
- 5. Calculate Yokoi connectivity number
- 6. Output matrix to text file

```
import sys
  from PIL import Image
  # Setup system parameters
6
7
  def binarize (data):
8
9
  def downsampling(data, hei, wid):
10
11
12
13 def get_pattern(a1, a2, a3):
14
15
  def yokoi(data, hei, wid):
16
17
18
19
  def main():
20
    # get input image
21
22
23
    # get 1D image data
24
    data_seq = list(in_img.getdata())
25
26
    # binarize the image
27
    bin_data = binarize(data_seq)
28
29
    # downsampling the image
    down data, newhei, newwid = downsampling(bin data, height, width)
30
31
32
    # yokoi neighborhood operate
33
    out_data = yokoi(down_data, newhei, newwid)
34
    # open output file and save
36
```

```
37 | 38 | if __name__ == '__main__': main()
```

#### Binarize

We need to binarize the input image first. I binarize the image with threshold 127, and for my convenience, I simply binarize the image data to 1 or 0.

```
def binarize(data):
    result = []
    for p in data:
       result.append(1 if p > 127 else 0)
    return result
```

## Downsampling

After binarizing the image, I downsample the image by choosing the topmost-left point of a  $8 \times 8$  matrix.

```
def downsampling(data, hei, wid):
    result = []
    offset = 8
    for y in range(0, hei, offset):
        for x in range(0, wid, offset):
        result.append(data[y * wid + x])
    return (result, int(hei/offset), int(wid/offset))
```



Figure 2: downsampled lena.bmp

## Yokoi Connectivity Number

To calculate Yokoi connectivity number, I use the following steps:

- 1. Expand the data matrix, append topmost, bottommost row and leftmost, rightmost column to it
- 2. For pixels of original data matrix, get the pattern of its neighbors
- 3. Calculate Yokoi connectivity number from patterns

#### 4. Keep doing step 2 and 3 to the end

```
def get_pattern(a1, a2, a3):
     2
                                            if a1 == 1:
     3
                                                                       if a2 == 1 and a3 == 1:
     4
                                                                                                return 'r'
     5
                                                                       else:
     6
                                                                                                return 'q'
     7
                                            else:
     8
                                                                      return 's'
     9
                def yokoi(data, hei, wid):
10
                              expd = [0] * (hei+2) * (wid+2)
11
12
                              for y in range (hei):
                                            for x in range(wid):
13
                                                        \exp d[(y+1) * (wid+2) + (x+1)] = data[y * wid + x]
14
15
                              result = [', '] * (hei * wid)
16
                               f = \{ 'r' : 0, 'q' : 0, 's' : 0 \}
17
                              for y in range (1, hei+1):
18
19
                                            for x in range (1, wid+1):
                                                        f['r'] = 0

f['q'] = 0

f['s'] = 0
20
21
22
23
                                                          if expd[y * (wid+2) + x] == 1:
24
                                                                       f[get\_pattern(expd[y*(wid+2)+(x+1)], expd[(y-1)*(wid+2)+(x+1)], expd
                                                                                              [(y-1)*(wid+2)+x]) += 1
                                                                       f \, [\, {\rm get\_pattern} \, (\, {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + {\rm x} \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, , \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1) \, ] \, ] \, . \\ {\rm expd} \, [\, (\, {\rm y}-1)^{\, *}(\, {\rm wid}+2) + ({\rm x}-1)^{\, *}(\, {
25
                                                                                           y*(wid+2)+(x-1)])] += 1
                                                                       f[get\_pattern(expd[y*(wid+2)+(x-1)], expd[(y+1)*(wid+2)+(x-1)], expd
26
                                                                                             [(y+1)*(wid+2)+x]) += 1
27
                                                                       f \left[ \, \text{get\_pattern} \left( \, \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + x \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2) + (x+1) \, \right] \,, \\ \text{expd} \left[ \, (\, y+1)^{\, *} (\, \text{wid} + 2)
                                                                                           y*(wid+2)+(x+1)])] += 1
                                                          if f['r'] == 4:
28
                                                                       result [(y-1) * wid + (x-1)] = str(5)
29
30
                                                                       \operatorname{result} [(y-1) * \operatorname{wid} + (x-1)] = \operatorname{str} (f['q'])
31
32
                                                          result[(y-1) * wid + (x-1)] = ', '
33
                               return result
```

#### Result

```
\begin{array}{c} 1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1 \\ 1 \ 5 \ 5 \ 5 \ 5 \ 5 \ 1 \\ 1 \ 5 \ 5 \ 5 \ 5 \ 5 \ 1 \\ 1 \ 5 \ 5 \ 5 \ 5 \ 5 \ 1 \\ 1 \ 5 \ 5 \ 5 \ 5 \ 5 \ 1 \end{array}
                                                                                                                                                                                                                                                                                       2 1
                                                                                                                                                                                                                                                                                  0
                                                                                                      1 2 2 1
2
2
```

### How to Use

There's only one executable program in my submission, and its name is yokoi.py. To run this program, just type this command "./yokoi.py [input image] [output file]".