

Unit 5: Recursive Descent and LL(1) Grammars - Part One

SCC 312 Compilation

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A Reminder

- LL(1) :
 - Left-to-right token processing
 - Leftmost derivation
 - Top-down parsing
 - One lookahead token

Aims

- What is a recursive descent parser?
 - How does it work? Why does it work?
- How to process a non-terminal
- Illustrated by a small worked example
- What kind of error reporting and recovery is possible?

Recursive Descent and LL(1) Grammars

- We start with a top-down strategy for writing parsers called *recursive descent*
 - Also known as *predictive recursive descent*
- It is useful particularly for hand-generation of a compiler from a grammar

Recursive Descent Parsers

- The parser is going to consist of a collection of methods
 - One for each non-terminal of the grammar
 - Named after that non-terminal
 - With its method body derived semi-automatically from the grammar rule for that non-terminal

Motivation

- Consider the **<if statement>** method
- It is called when the next token is the word “if”
- We are at the start of a sequence of tokens which represents an **if** statement
- We want our method to find its way to the end of this sequence, ready to look at the first token of whatever follows the **if** statement
- **<if statement> ::= if <expression> then <statement> fi**

Motivation

- So we want it to find its way over
 - The token “if”
 - The tokens representing <expression>
 - The token “then”
 - The tokens representing <statement>
 - Etc.
- **<if statement> ::= if <expression> then
<statement> fi**

Motivation

- This sequence is precisely specified by the **<if statement>** grammar rule
- **<if statement> ::= if <expression> then <statement> fi**
- To find our way over the tokens of **<expression>**, we must call the method corresponding to **<expression>**, etc.

General Overview of the Parser

- The method for a particular non-terminal X is called when the parser has decided that it wants to recognise an X starting at this point in the input stream
- The method will “consume” the tokens making up the X, and leave the parser ready to process the first terminal of the next non-terminal in the input stream
 - As a by-product, the method will also build the appropriate piece of the parse tree, and whatever else is required for X

General Overview of the Parser

- The parser has to know at each point what non-terminal it wants to recognise
- It does this by being allowed to look at the next token in the input stream
 - That is, the first token of the non-terminal it is deciding to recognise

General Overview of the Parser

- The parser needs to know all the possible first terminals or tokens for each non-terminal
- To make this work, we see that there are restrictions on how these sets of terminals overlap
- And these restrictions are the requirements for a grammar to be LL(1)

Structure of the Parser

- We have a set of methods to recognise the various elements of the grammar, one for each non-terminal
- There is a variable **nextSymbol**, which contains the next token recognised by the lexical analysis phase

Structure of the Parser

- The method corresponding to non-terminal X expects to find in **nextSymbol** one of the tokens listed in $FIRST(X)$
- It expects to finish by leaving in **nextSymbol** one of the tokens which is in $FIRST(Y)$ for some Y which can appear immediately after X
 - That is, it is a token in the set $FOLLOW(X)$, also known as the *Lookahead* or Follow Set

The acceptTerminal Method

- We have a method

acceptTerminal (t):

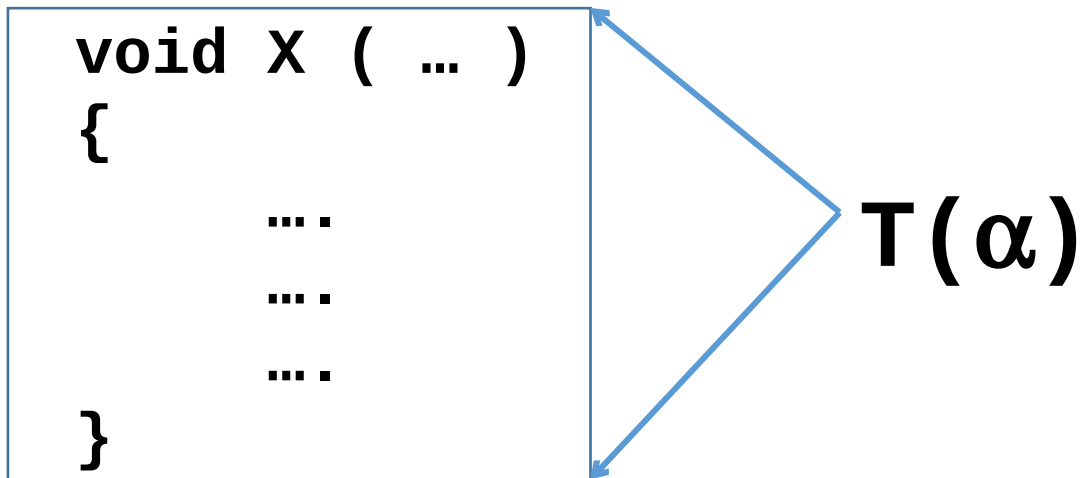
't' is the token we
now expect

```
if ( nextSymbol == t )  
    get next token from lexical  
    analyser into nextSymbol ;  
else  
    report error ;
```

Non-terminal $\langle X \rangle$

- We have one method for each non-terminal
- Suppose we have non-terminal X , and its grammar rule is $\langle X \rangle ::= \alpha \dots$
- ... then we have a method named X with body $T(\alpha)$.
 - What could α be? In other words, what can appear on the RHS of a production rule?
 - There are four possibilities, shown next.

- $\langle X \rangle ::= \alpha$
- a method X with body $T(\alpha)$.



Possibilities for α

Possibility	General	Example
1. A single terminal	$\langle X \rangle ::= t$	$\langle X \rangle ::= \text{return}$
2. A single non-terminal	$\langle X \rangle ::= \langle \text{NT} \rangle$	$\langle X \rangle ::= \langle \text{declarationList} \rangle$
3. A sequence of terminals and non-terminals	$\langle X \rangle ::= a_1 a_2 \dots a_N$	$\langle X \rangle ::= \text{if } \langle \text{expression} \rangle \text{ then } \langle \text{statement} \rangle \dots$
4. A set of alternatives	$\langle X \rangle ::= a_1 \mid a_2 \mid \dots \mid a_N$	$\langle X \rangle ::= \langle \text{ifStatement} \rangle \mid \langle \text{whileStatement} \rangle \mid \dots$

$\langle X \rangle ::= \alpha$ First Possibility

- A single terminal
- $\langle X \rangle ::= t$
- $\langle X \rangle ::= \text{return}$
- If α is a single terminal t , then $T(\alpha)$ is
 - **`acceptTerminal (t);`**
 - if α is “return”, $T(\alpha)$ would be “**`acceptTerminal (returnSymbol);`**”

$\langle X \rangle ::= \alpha$ Second possibility

- A single non-terminal
- $\langle X \rangle ::= \langle NT \rangle$
- $\langle X \rangle ::= \langle \text{declarationList} \rangle$
- If α is a single non-terminal NT, then $T(\alpha)$ is
 - $NT()$;
- That is, a call of the method associated with non-terminal Y
 - if α is “ $\langle \text{declarationList} \rangle$ ”
 $T(\alpha)$ would be “ $\text{declarationList } ()$; ”

$\langle X \rangle ::= \alpha$ Third Possibility

- A sequence of terminals and non-terminals
- $\langle X \rangle ::= a_1 a_2 \dots a_N$
- If α is a sequence of terminals and non-terminals $a_1 a_2 \dots a_n$, then $T(\alpha)$ is the sequence:

$T(a_1) ;$

$T(a_2) ;$

\vdots
 $T(a_n) ;$

$\langle X \rangle ::= \alpha$ Third Possibility: example

- $\langle X \rangle ::= \text{if } \langle \text{expression} \rangle \text{ then } \langle \text{statement} \rangle \dots$
- If α is “**if** $\langle \text{expression} \rangle$ **then** $\langle \text{statement} \rangle \dots$ ”,
 $T(\alpha)$ would be

```
acceptTerminal (ifSymbol) ;
expression() ;
acceptTerminal (thenSymbol) ;
statement() ;
...
```

$\langle X \rangle ::= \alpha$ Fourth Possibility

- A set of alternatives
- $\langle X \rangle ::= a_1 \mid a_2 \mid \dots \mid a_n$
- If α is a set of alternatives $a_1 \mid a_2 \mid \dots \mid a_n$, then $T(\alpha)$ is

```
switch (nextSymbol)
{
    case FIRST(a1) :
        T(a1) ; break ;
    case FIRST(a2) :
        T(a2) ; break ;
        ...
    case FIRST(an) :
        T(an) ; break ;
} // end of switch
```

$\langle X \rangle ::= \alpha$ Fourth Possibility

- $\langle X \rangle ::= \langle \text{ifStatement} \rangle \mid \langle \text{whileStatement} \rangle \mid \dots$
- If a is “ $\langle \text{ifStatement} \rangle \mid \langle \text{whileStatement} \rangle \mid \dots$ ”, then $T(a)$ is

```
switch (nextSymbol)
{
    case ifSymbol :
        ifStatement() ; break ;
    case whileSymbol :
        whileStatement() ; break ;
    ...
} // end of switch
```

Dealing with Extended BNF

- Some versions of BNF are extended, so that $\{x\}$ means zero or more repetitions of x
- Then this would be transformed to:
 - `while (nextSymbol is in FIRST(x))`
 `{`
 `T(x) ;`
 `} // end of while`
- For an example, see “expression” and “term” later.

Dealing with Extended BNF

- Similarly $[x]$ means zero or one occurrence of x in some extensions of BNF
- Then this would be transformed to:
 - ```
if (nextSymbol is in FIRST(x))
{
 T(x) ;
} // end of if
```

# The main Method

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- The main method, to get everything started, has the body:
  - `get first token from lexical analyser into nextSymbol ;`  
`<program>() ; (or whatever the distinguished symbol is)`  
`acceptTerminal (eofSymbol) ;`  
`report success ;`
- We need to ensure there are no extraneous characters after the valid `<program>` string

# The Recursive Descent Parser

# An Example

- Now consider the grammar (with the obvious things as lexical tokens):

```
<statement> ::= if <expression> then
 <statement> fi |
 <variable> := <expression>
<variable> ::= ident [(<expression>)]
<expression> ::= <term> { + <term> }
<term> ::= <factor> { * <factor> }
<factor> ::= <variable> | (<expression>)
```

# The Recursive Descent Parser

---

```
void acceptTerminal (Token t)
{
 if (nextSymbol == t)
 get next token from lexical
 analyser into nextSymbol ;
 else
 report error ;
} // end of method
```

# The Recursive Descent Parser

---

**<statement> ::= if <expression> then  
                  <statement> fi |  
                  <variable> := <expression>**

```
void <statement>()
{
 switch (nextSymbol)
 {
 case ifSymbol :
 acceptTerminal (ifSymbol) ;
 <expression>() ;
 acceptTerminal (thenSymbol) ;
 <statement>() ;
 acceptTerminal (fiSymbol) ;
 break ;
 }
```

# The Recursive Descent Parser

---

```
<statement> ::= if <expression> then
 <statement> fi |
 <variable> := <expression>
```

```
case ident :
 <variable>() ;
 acceptTerminal (becomesSymbol) ;
 <expression>() ;
 break ;
} // end of switch
} // end of method
```

# The Recursive Descent Parser

**<variable> ::= ident [ ( <expression> ) ]**

```
void <variable>()
{
 acceptTerminal (ident) ;
 if (nextSymbol == leftParenthesis)
 {
 acceptTerminal (leftParenthesis) ;
 <expression>() ;
 acceptTerminal (rightParenthesis) ;
 } // end of if
} // end of method <variable>
```



# The Recursive Descent Parser

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**<expression> ::= <term> { + <term> }**

```
void <expression>()
{
 <term>() ;

 while (nextSymbol == plusSymbol)
 {
 acceptTerminal (plusSymbol) ;
 <term>() ;
 } // end of while

} // end of method <expression>
```

# The Recursive Descent Parser

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**<term> ::= <factor> { \* <factor> }**

```
void <term>()
{
 <factor>() ;
 while (nextSymbol == timesSymbol)
 {
 acceptTerminal (timesSymbol) ;
 <factor>() ;
 } // end of while
} // end of method <term>
```

# The Recursive Descent Parser

**<factor> ::= <variable> | ( <expression> )**

```
void <factor>()
{
 switch (nextSymbol)
 {
 case ident :
 <variable>() ;
 break ;
 case leftParenthesis :
 acceptTerminal (leftParenthesis) ;
 <expression>() ;
 acceptTerminal (rightParenthesis) ;
 break ;
 } // end of switch
} // end of method <factor>
```

# The Recursive Descent Parser

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```
void parse()
{
 get first token from lexical analyser into
 nextSymbol ;

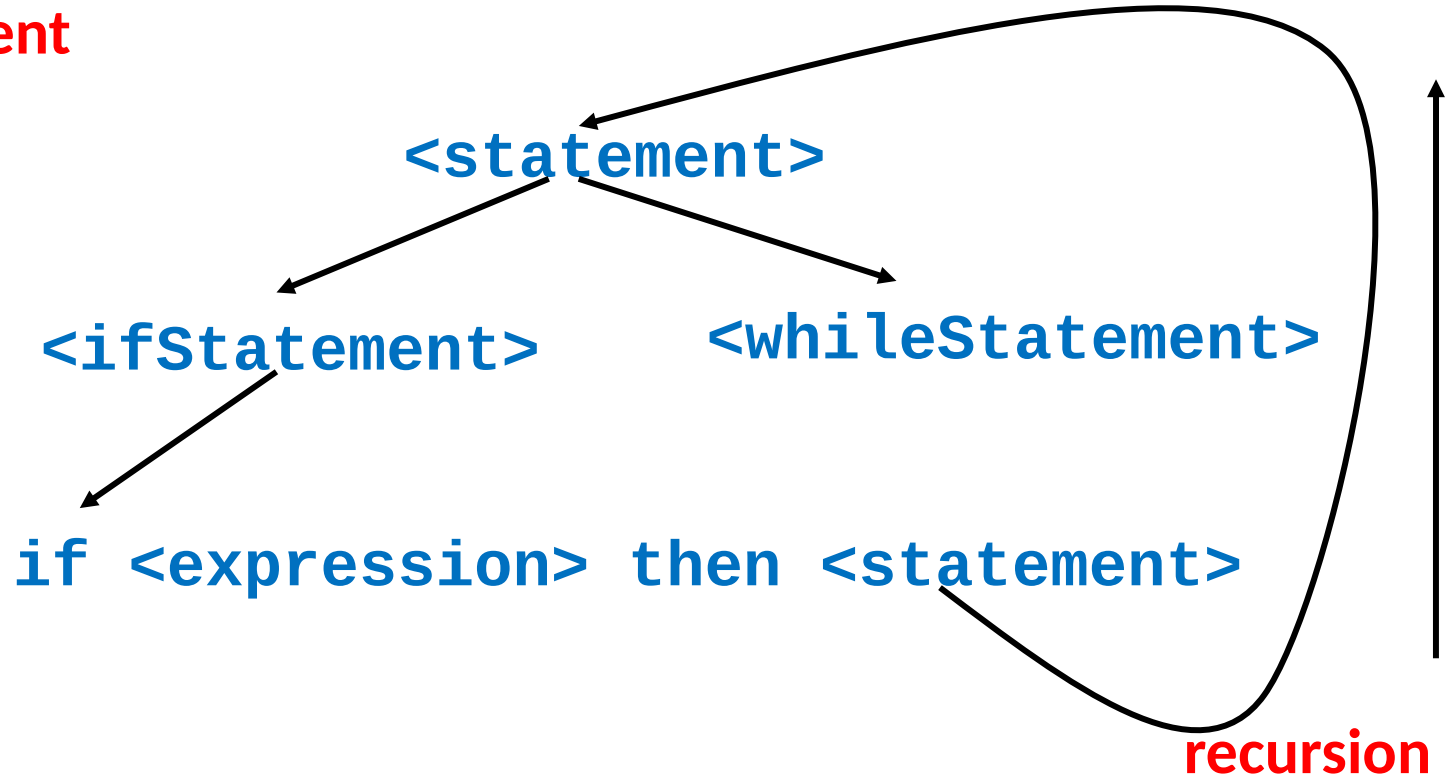
 <statement>() ;

 acceptTerminal (eofSymbol) ;

 report success ;
} // end of method parse
```

# Why is it called “recursive descent”?

descent



# Error Reporting and Recovery

# Error Reporting

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- This parser is pretty unhelpful if the source text is syntactically invalid
- It will simply stop at the first place where there is an error, and report that there is an error
- We should at least be as helpful as possible in reporting what the error was
- In this approach, we have fairly obvious places where we can detect errors and produce appropriate messages
  - i.e. the default clause of a switch statement
  - The unused “else” clause of an if statement

# Error Reporting

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- So the **acceptTerminal** method should report what token it was searching for and what it found
- Each case statement should include a default alternative, which could report the token it found and what syntactic category it was considering
- In both cases the parser should print out an indication of what source text line, and where on the line, the error occurred



# Error Reporting

---

```
void acceptTerminal (Token t)
{
 if (nextSymbol == t)
 get next token from lexical
 analyser into nextSymbol ;
 else
 report error - expected t, found nextSymbol,
 at line/char ;
} // end of method acceptTerminal
```

# Error Reporting

**<statement> ::= if <expression> then <statement> fi |  
                  <variable> := <expression>**

```
void <statement>()
{
 switch (nextSymbol)
 {
 case ifSymbol :
 acceptTerminal (ifSymbol); ... break ;
 case ident :
 <variable>(); ... break ;
 default :
 report error - expected if or ident in
 <statement>, found nextSymbol, at
 line/char;
 } // end of switch
} // end of method <statement>
```

# Error Reporting

**<expression> ::= <term> { + <term> }**

```
void <expression>()
{
 <term>() ;
 while (true)
 {
 switch (nextSymbol)
 {
 case plusSymbol :
 acceptTerminal (plusSymbol) ; ...
 break ;
 case FOLLOW(<expression>) :
 break out of loop ;
 default : report error ;
 } // end of switch
 } // end of while
} // end of method <expression>
```

# Error Reporting

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- One advantage of a parsing technique which avoids back-tracking is that an error is likely to be recognised somewhere close to where it actually occurred

# Error Recovery

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- A more sophisticated parser would try to “fix up” the source code sufficiently to be able to continue scanning the text for further errors
  - but without generating lots of spurious error messages
- A common mechanism is panic mode
  - While parsing we maintain a set of synchronising tokens
  - If the parser finds an error it scans forward until it finds one of these synchronising tokens
    - Throwing away tokens without error checking
  - Then it resumes parsing

# Learning Outcomes

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- You should now understand the recursive descent approach