

Unit 4:

First and Follow Sets - Part One

SCC 312 Compilation

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- Given a rule, what are the set of **terminals** that could appear as the first terminal of strings derived by that rule? This is the **FIRST** set.
 - Given a rule, what are the set of **terminals** that could appear immediately after a string derived by that rule? This is the **FOLLOW** set.

- In terms of a programming language compiler, we can have a rule for an IF statement.
- `if_statement` -> IF `boolean_expression` THEN statement;
- We would expect the FIRST set to contain the IF token, at least.
- If an IF statement can be followed by any programming statement, then the FOLLOW set would consist of all the tokens that can start any programming statement i.e. IF, WHILE etc.

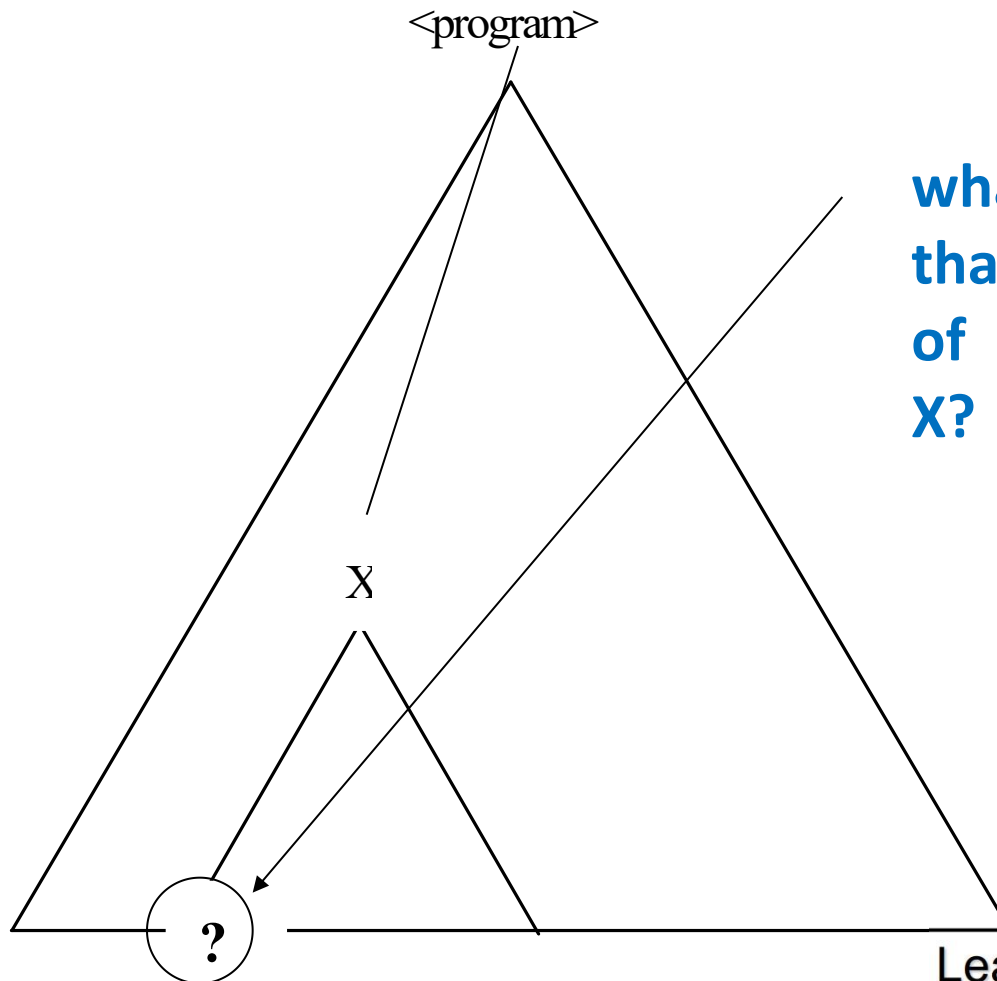
The role of FIRST and FOLLOW sets

- FIRST and FOLLOW sets have a role to play in both the parsing strategies covered in this course, as you shall see.

FIRST sets

- We start by defining the set $\text{FIRST}(a)$ for any string a of terminals and non-terminals
- This is the set of all terminals which could be the first (that is, left-most) terminal of a string derived from a
- Also known as the *Left Terminal Set*

FIRST sets

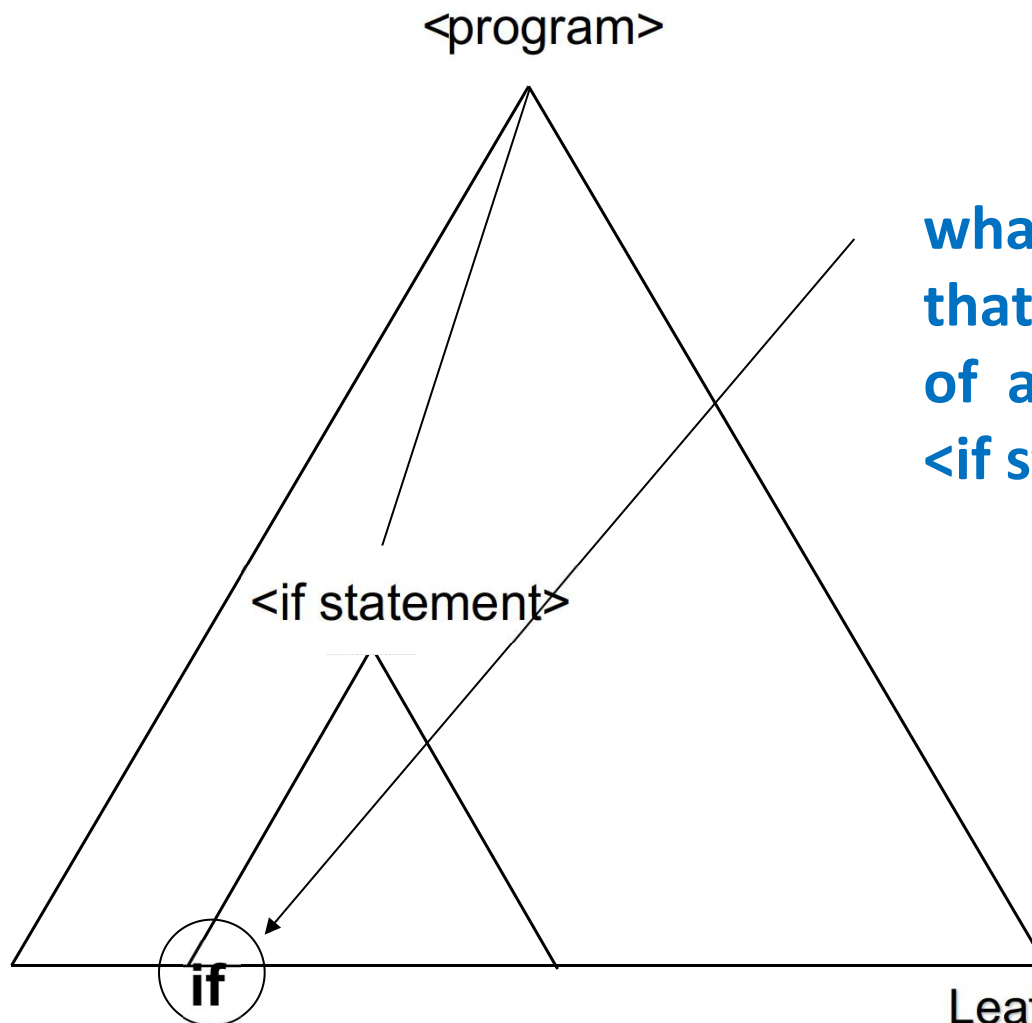


what is the first token
that can appear as part
of a string generated by
 X ?

Leafs /tokens/terminals



Example

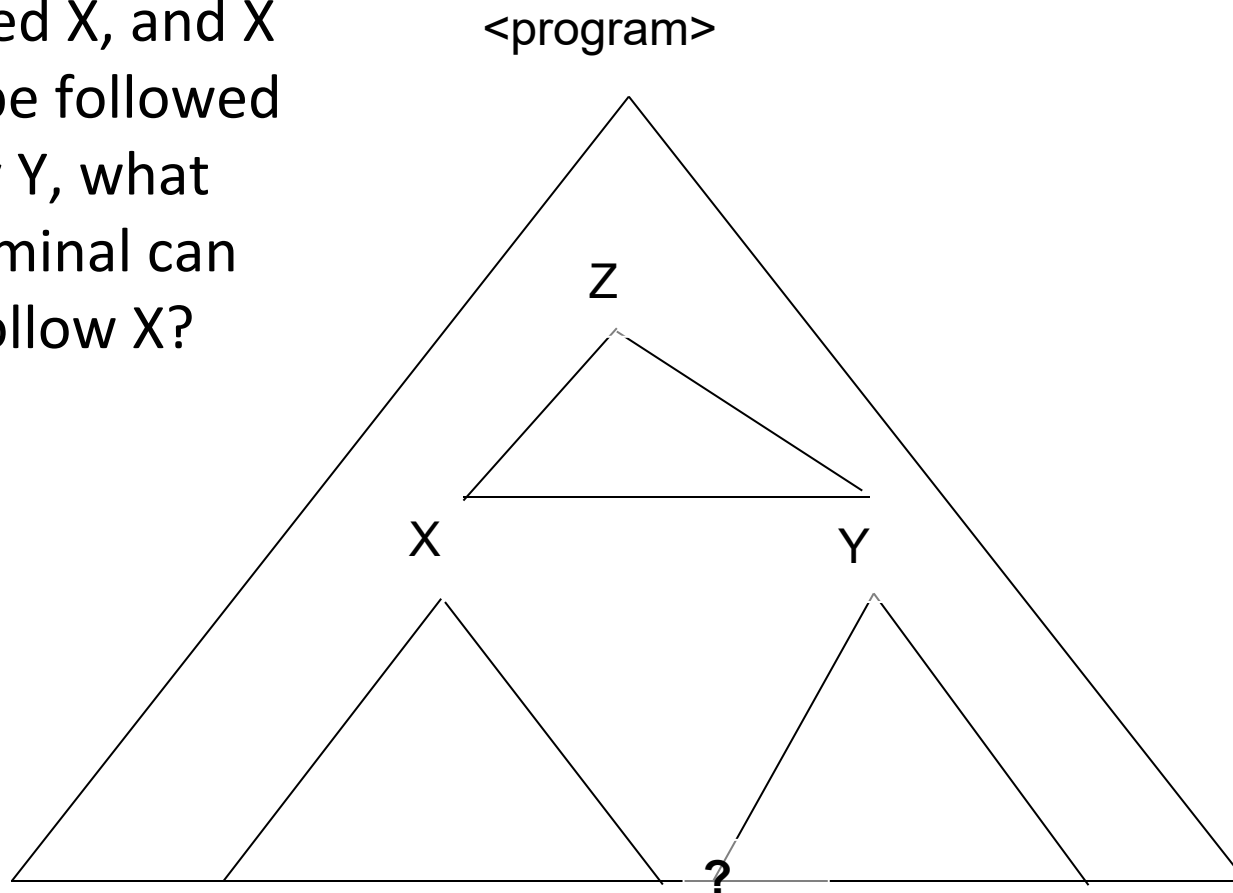


what is the first token
that can appear as part
of a string generated by
<if statement>?

Leafs /tokens/terminals

FOLLOW sets

If we have just parsed X, and X can be followed by Y, what terminal can follow X?



Example

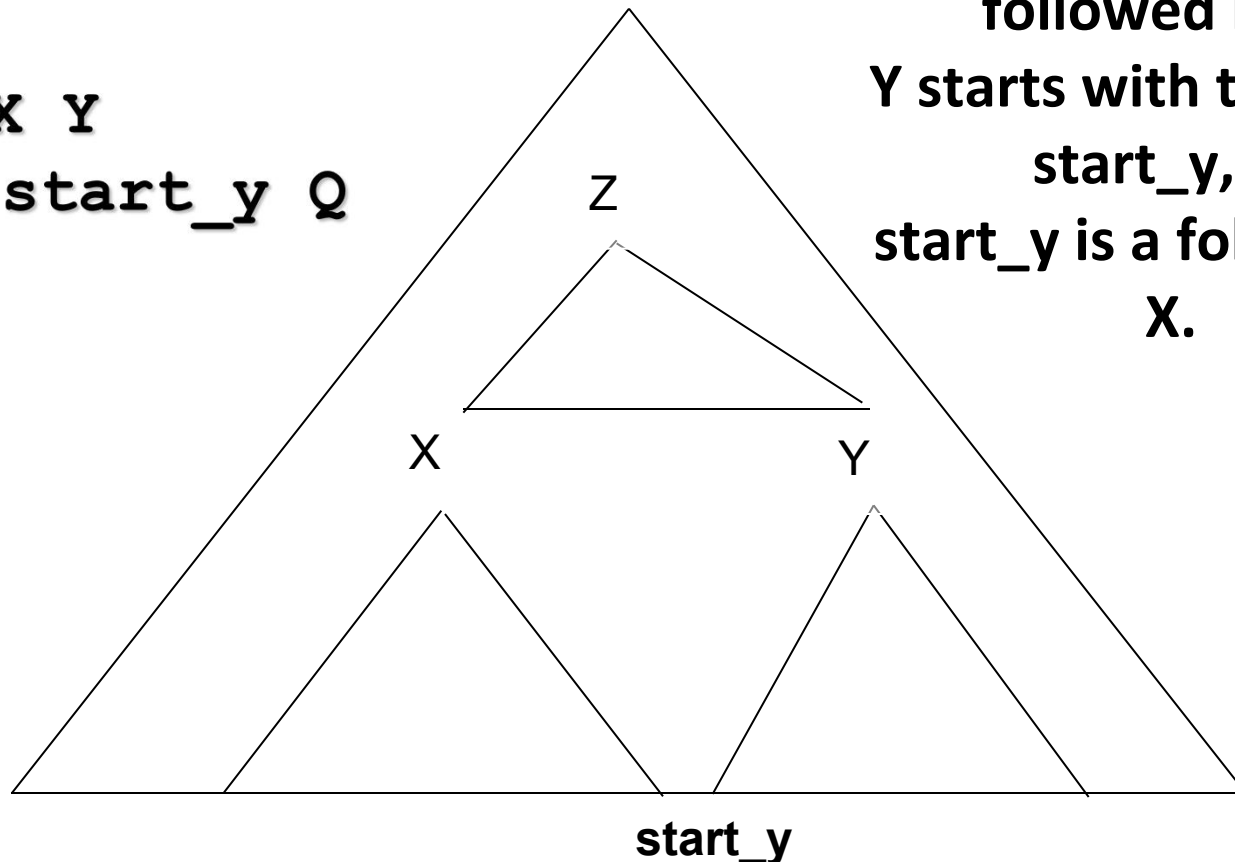
$\langle Z \rangle ::= \langle X \rangle \langle Y \rangle$

$\langle Y \rangle ::= \text{start_y } \langle Q \rangle$
<program>

$Z \rightarrow X Y$

$Y \rightarrow \text{start_y } Q$

The grammar tells us X is immediately followed by Y. Y starts with the token start_y, so start_y is a follower of X.



Null Productions

- **meal \rightarrow first_course
second_course dessert;**

- This production rule tells us that a meal consists of a first course, second course, and a dessert.

- **first_course \rightarrow SOUP | SALAD | ϵ ;**

- ϵ is a special symbol denoting nothing.
- In other words, a diner may choose to skip the first course.
- This means our grammar contains a null production.
- **second_course \rightarrow CHICKEN | FISH | BEEF | LAMB;**
- So a meal could consist of soup and chicken, or just chicken.

FIRST

- `meal` \rightarrow `first_course second_course dessert`;
- `first_course` \rightarrow `SOUP | SALAD | ϵ` ;
- `second_course` \rightarrow `CHICKEN | FISH | BEEF | LAMB`;
- $\text{FIRST}(\text{second_course}) = \{\text{CHICKEN}, \text{FISH}, \text{BEEF}, \text{LAMB}\}$;
- $\text{FIRST}(\text{first_course}) = \{\text{SOUP}, \text{SALAD}, \epsilon\}$
- Because the `first_course` production rule can generate empty, this means the first terminal we may see when processing `meal` actually belongs to the rule that follows `first_course`, i.e. `second_course`.

FIRST

- So we have to add (union) the set for second_course to the set for first_course.
- FIRST(meal) =

$$\text{FIRST}(\text{first_course}) \cup \text{FIRST}(\text{second_course}) =$$

$$\{\text{SOUP}, \text{SALAD}\} \cup \{\text{CHICKEN}, \text{FISH}, \text{BEEF}, \text{LAMB}\} =$$

$$\{\text{SOUP}, \text{SALAD}, \text{CHICKEN}, \text{FISH}, \text{BEEF}, \text{LAMB}\};$$

FOLLOW

- `meal → first_course second_course
dessert;`
- `first_course → SOUP | SALAD | ϵ ;`
- `second_course → CHICKEN | FISH |
BEEF | \bar{L} AMB;`
- What follows `first_course`? The `FIRST(second_course)`, of course!
- `FOLLOW(first_course) = {chicken, fish, beef, lamb};`

JAM

THE END

