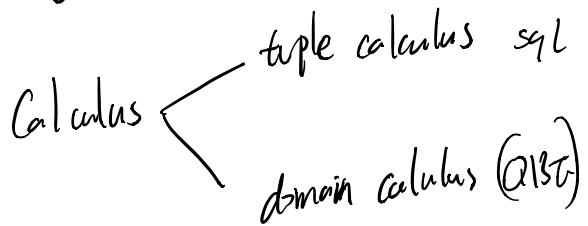


Relational Model

Book 5, 8.9.

- 1. Inherent model - no duplicates tuples
Data structures
base, implicit constraints
- 2. schema based, explicit - superkey, uniqueness, entity integrity, referential ...
Operation
- 3. application based / semantic - Algebra
business rules

entity Integrity const: no Primary key can be NULL
referential integrity const: a tuple in relation A referring to relation B must refer to an existing tuple in B.



Data structure:

- a domain D : a set of atomic values
a column of values
- a relation R : a subset of set of ordered n -tuples
a table
 $R \subseteq \{ \langle d_1, d_2, \dots, d_n \rangle | d_i \in D_i, i=1..n \}$
- an attribute A : a unique name given to a domain
column header
value has no meaning

domain values \exists it's possible for several attributes have same domain.

relation name: RegularUser

attribute name: Email, BirthDate, CurrentCity, Hometown, Salary

domain: varchar(50), datetime, varchar(50), varchar(50), integer

tuples: user1@gt.edu, user2@gt.edu, user3@gt.edu, user4@gt.edu, user5@gt.edu

degree = 5

cardinality = 5

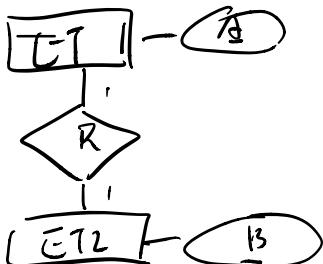
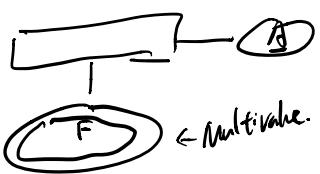
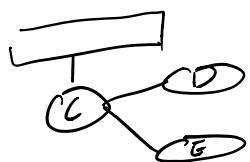
de

* The value of a relation is independent of attribute order & tuple order

EER Relational Mapping.

From EER Model + Relational table.

EER notation



Relational mapping

Entity table



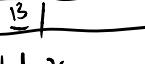
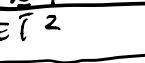
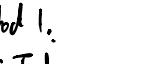
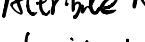
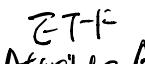
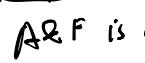
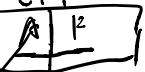
attribute



Primary key attribute



(property type c get lost)



method 1:

ET1

a foreign key
to B in ER

ET2

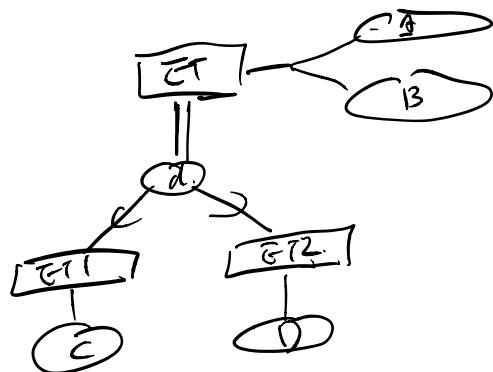
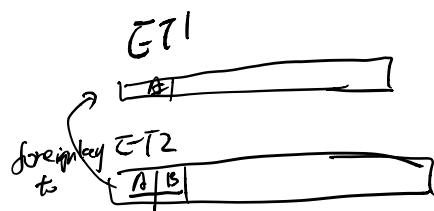
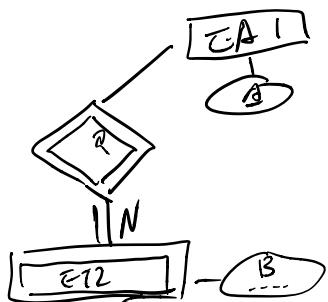
or method 2:

ET1

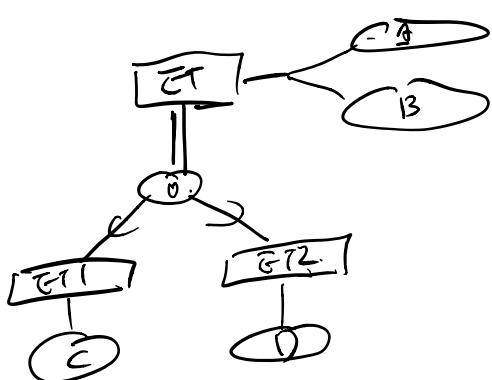
As mandatory participation of ET2, we can only use method 2.
because, method 2 will show all B to A

$G1 \leftrightarrow G2$
 $| \rightarrow N$

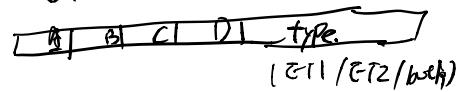
$N \rightarrow M$.



$G1$ can omit B, and
add a
 $G1$ table

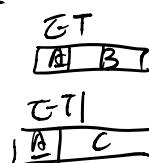


options (don't like)

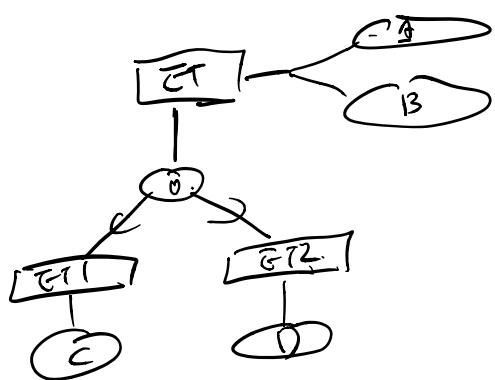


- lots of null.
- consistency problem w/ type column

or



n-n mandatory.



Options:
choice free

<u>A</u>	<u>B</u>	<u>C</u>	<u>D</u>	type.
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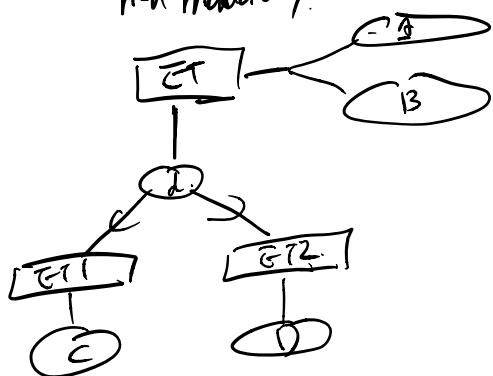
Or

<u>A</u>	<u>B</u>
----------	----------

<u>E1</u>	<u>A</u>	<u>C</u>
-----------	----------	----------

<u>E2</u>	<u>A</u>	<u>D</u>
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n-n mandatory.

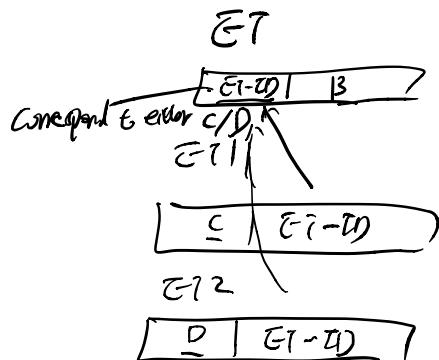
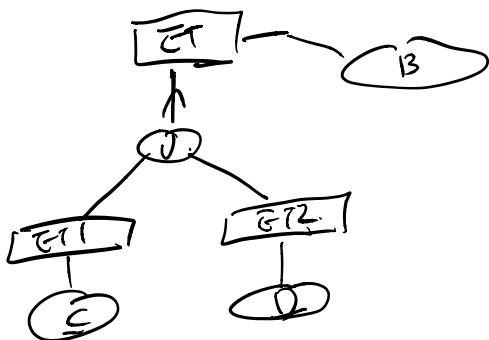


<u>E1</u>	<u>A</u>	<u>B</u>
-----------	----------	----------

<u>E1</u>	<u>A</u>	<u>C</u>
-----------	----------	----------

<u>E2</u>	<u>A</u>	<u>D</u>
-----------	----------	----------

Union type



Relational Algebra	Ops	
$R \cup S$	union	$\pi_{A_1, A_2, \dots, A_n}(R)$ project
$R \cap S$	intersection	
$R \setminus S$	Set difference	
$R \times S$	Cartesian Product	
<hr/>		
$\rho[A_1, B_1, \dots, A_n, B_n]$ rename.		
		<u>Expression (R) selector</u>
		$R * S$ natural join
		$R \bowtie S$ outer join(s)
		$R \bowtie_\theta S$ theta join
		$R \div S$ division by

Selection : 6

simple expression: $= < > \leq \geq \neq$

composite expression: expression AND expression \wedge
OR \vee

(expression)

Not expression.

Projection - $\pi_{A_1, A_2, \dots, A_n}(R)$ No Duplicates

e.g. Find email, birthYear, & sex for regular users in Atlanta.

$\pi_{Email, BirthYear, Sex}(\text{HomeTown} = \text{Atlanta} \wedge \text{UserType} = \text{Regular User})$

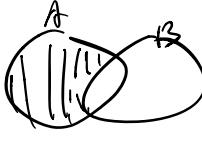
Relations are sets!!!

e.g. Find sex for regularUsers in Atlanta, we only have
2 entries, male or female

Union - \cup (sv) same degree & same domain for each
 $\pi_{CurrentCity}(\text{RegularUser}) \cup \pi_{HomeTown}(\text{RegularUser})$
 must be type compatible: i.e. same number
of attributes & pairwise same types

1. (and)

Set difference - \setminus
 $A \setminus B \rightarrow$



- natural join * (inner join)
• matches attr with same name.
• keep only 1 copy of common attributes

Theta join - \bowtie_θ

e.g. Regular User \bowtie $BirthYear < Equal$ for Major 60s Books
table 1 expression table 2

- combine records with expression satisfied records
• both attribute appears
• inner join

Cross-Join:

left: \bowtie

preserve left records over right right

Cartesian Product \times (natural join w/ no same name columns)
each record in table 1 combine with those in table 2.
(useful to find complement-set)

Divide by

$$R /_{\text{table } A \text{ attr}} \div _{\text{table } B \text{ attr}} S(B) = \{ r | r \in R \text{ and } \forall s \in S(r) \exists f \in r \text{ such that } f = s \}$$

($r.A = f.A$ and $f.B = s.B$)

e.g. R $\bowtie_A B$ \div^S_B user | interest
 $\Pi_{\text{Normal,Interest}} UserInterest \div \Pi_{\text{Interest}}^B (General = 'user@gr.edu' (UserInterest))$

meaning: Find Email of all users w/ at least one of the interests of user 1

Remove - P

of $P_{User} [YearBirth, GenderSex]$ (Regular User)

bubble remove.

Calculus:

Relational Calculus Expressions
 $\{t \mid P(t)\}$

range expression: $t \in R$ and $R \in \mathcal{C}$ denotes t is a type of relation R

attribute val: $t.A$ value of t on attribute A

constant: c .

comparison operators Θ : $=, \neq, \leq, \geq, <, >$

atoms: $t \in R, r.A \Theta S.B, r.A \Theta c$

Predicates: an atom is a predicate; if $P_1 \& P_2$ are predicates,
so are $(P_1), \text{NOT}(P_1), P_1 \text{ or } P_2, P_1 \text{ and } P_2, P_1 \Rightarrow P_2$

Selection in tuple calculus:

$\{r \mid r \in \text{RegularUser}\}$

$\{r \mid r \in \text{RegularUser} \text{ and } (r.\text{CurrentCity} = r.\text{HomeTown}$
or $r.\text{HomeTown} = \text{'Atlanta'})\}$

Projection:

$\{r.\text{Email}, r.\text{BirthYear}, r.\text{Sex}\} \mid r \in \text{RegularUser}$

Union:

$\{s.\text{City} \mid \exists (t \in \text{RegularUsers}) (s.\text{City} = t.\text{CurrentCity})$
or $\exists (t \in \text{RegularUsers}) (s.\text{City} = t.\text{HomeTown})\}$

Intersection.

Diff : $\{ s \text{ City} \mid \exists (r \in \text{RegularUsers}) (s.\text{city} = r.\text{currentCity})$
and $\text{Not}(\exists t \in \text{RegularUsers}) (s.\text{city} = t.\text{HomeTown}) \}$

Natural Join:

$\{ t.\text{Email}, t.\text{Year}, t.\text{Sex}, t.\text{Event} \mid \exists (r \in \text{RegularUser}) \exists (s \in \text{MajorEvents}) (r.\text{Year} = s.\text{Year} \text{ and } t.\text{Event} = r.\text{Event})$
 $t.\text{Year} = \dots \text{ and } t.\text{Sex} = r.\text{Sex} \text{ and } t.\text{Event} = s.\text{event} \}$

get columns from Regular user get columns from MajorEvents

Cartesian Product.

$\{ r, s \mid r \in \text{RegularUser} \text{ and } s \in \text{UserTable} \}$

Divide by

SQL * SQL Can Have duplicate Rows!!!

Insert:

insert into table (c₁, c₂, c₃) VALUES (v₁, v₂, v₃)

Delete:

Delete From Table. (where ---)

can delete a set of rows

Update:

Update Table. SET c₁ = v₁ where c₂=v₂ AND c₃=v₃

General syntax

SELECT c₁, c₂... From t₁, t₂... t_n Where condition

DISTINCT:

Select DISTINCT(c₁) from t₁

Natural Inner Join

Need to specify columns from which table if it exists in both tables.

With NATURAL JOIN clause, you don't need to specify joined column name

LEFT Outer Join

SELECT c₁, t₁.c₂, c₃ From t₁ left Outer Join t₂

String Matching

LIKE 'song', % matches any string, including empty string.

LIKE 'A----' - matches single char

Sorting.

ORDER BY ASC/DESC.

Union

SELECT c₁ FROM t₁ (No duplicates)

Union (Duplicates Union All)

SELECT c₂ FROM t₂

Intersect

SELECT c₁ FROM t₁

Intersect

SELECT c₂ FROM t₂

Intersect All will include
duplicates

Except

SELECT c₁ FROM t₁

EXCEPT

SELECT c₂ FROM t₂

see diff.

Except All will include
duplicates

Having
put condition on group, (group by)

Nested Queries,

In / NOT In

Where $C_1 > \text{All } (\text{another query})$
or $> (\text{select max}(C))$

Correlated

Select R.Gmail, BirthYear

From RegularUser R
where NOT Exist

(Select * from UserInterest U where U.Gmail = R.Gmail)

reference out of scope. ...

When R.Gmail not in U.Gmail.

For each row, see whether there is empty set