

# CSC443 Assignment 1 Report

## PART1:

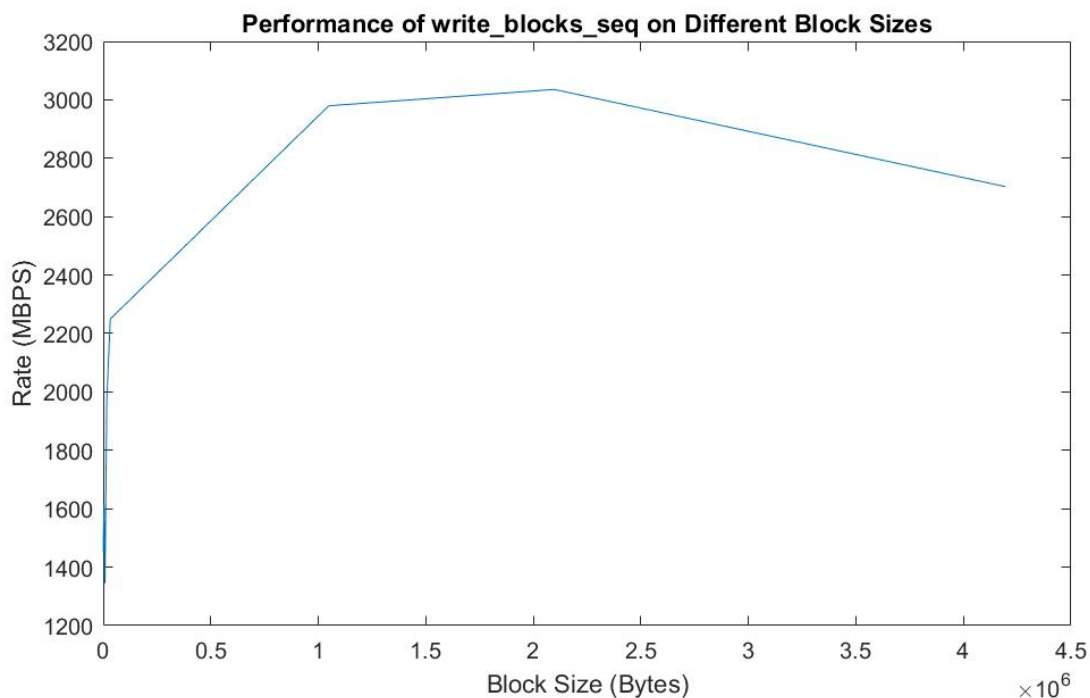
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### EXPERIMENT 1: OPTIMAL BLOCK SIZE

The optimal block size according to our experiment on *write\_blocks\_seq* is 2MB. It does not correspond to the system disk block size which is 4096. Block size of 4MB did not perform better than 2MB. The performance increases as block size increases from 512B to 2MB (except for 8KB), and decreases as block size increases from 2MB to 4MB. This is because the larger the block size, the fewer I/Os are needed to write the file. The reason why 2MB block size has better performance than 4MB block size is probably the time to write larger buffer size increases more than the time of reduced I/Os.

*write\_blocks\_seq* is more efficient than *write\_lines*, because *write\_lines* are doing disk I/Os for each line whereas *write\_blocks\_seq* are doing disk I/Os for each block. Therefore, *write\_blocks\_seq* has less disk I/Os and has better performance.

Please see the plot below.



### EXPERIMENT 2: SEQUENTIAL VS. RANDOM READ RATE

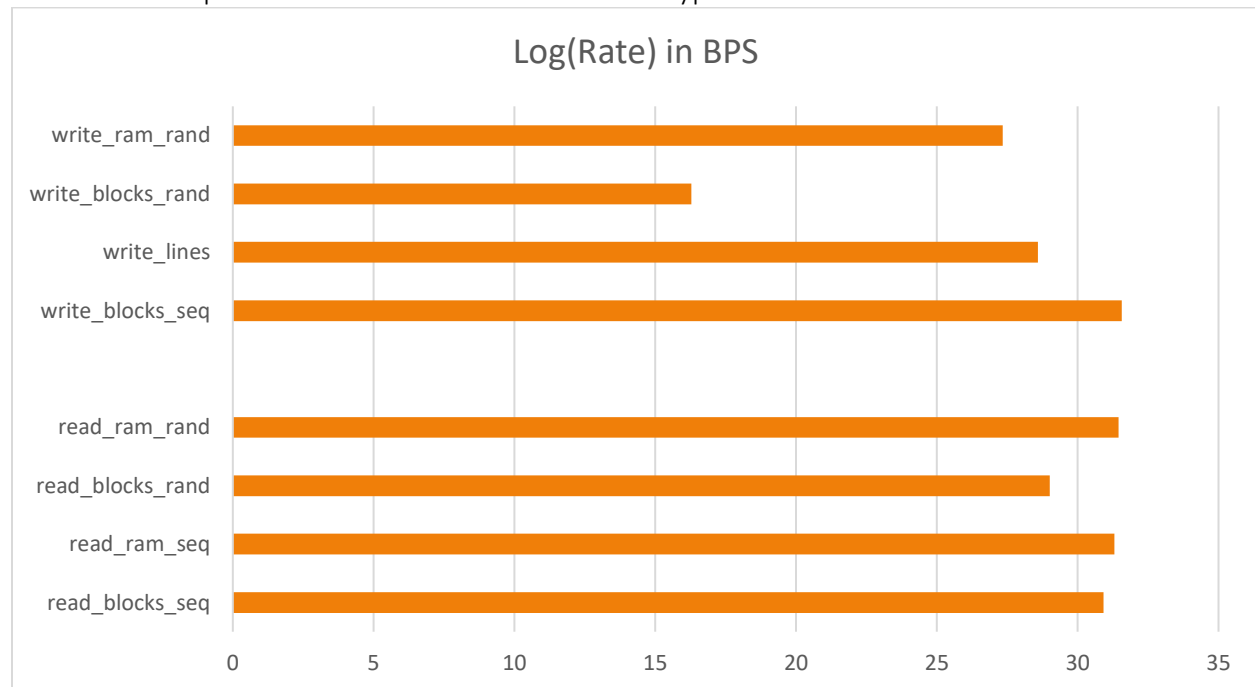
*Note: We performed the following experiments using SSD on CDF with block size 2MB.*

Database output: Average follows = 9.731726, Maximum follows = 214381.

We used Solid State Disk as the secondary storage, it has a sequential read rate of 1930 MB/s. The RAM has a sequential read rate of 2520 MB/s. The ratio rate between SSD and RAM in our experiment is  $1930/2520 = 0.766$ , but the ratio discussed in class is  $42/358 = 0.11$ . Our test result does not correspond to the ratio discussed in class. They both showed RAM having a faster read rate than SSD, but the discussed ratio is much lower than ours. We think that query is one of the reason caused the difference. We implemented a query in the program of testing RAM and SSD to read records from buffer, so the running time of query was an overhead while testing reading speed. The other problem is that we only tested 5 times for each experiment. We may need more tests to get a more accurate result.

The random read program for RAM (*read\_ram\_rand*) has the highest read rate around 2803 MB/s, while average for sequential read for RAM (*read\_ram\_seq*) is about 2521 MB/s. The query program in *read\_ram\_seq* takes more time because of extra executing time of query. Therefore, the *read\_ram\_seq* should have the highest read rate without query. *read\_blocks\_seq* and *read\_blocks\_ram* have a rate of 1927 MB/s and 513 MB/s separately. In SSD, sequential read take much less time than random read. In Addition, *read\_ram\_seq* has lower read rate than *read\_ram\_rand* because of query execution. RAM always takes less time to read both randomly and sequentially than SSD. In summary, we say RAM should have faster read speed than SSD, and also sequential read take less time than random read.

Please see the performance results on all different types of reads and writes below:



### EXPERIMENT 3: SEQUENTIAL VS. RANDOM WRITE RATE

In conclusion, we have learned that comparing to RAM, disk I/O operations are more expensive. Sequential reads and writes are more efficient than random reads and writes. In order to improve performance, we should consider fewer disk I/Os, reduce seek and rotation delays using sequential disk access instead of random disk access.

## PART2:

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### EXPERIMENT:

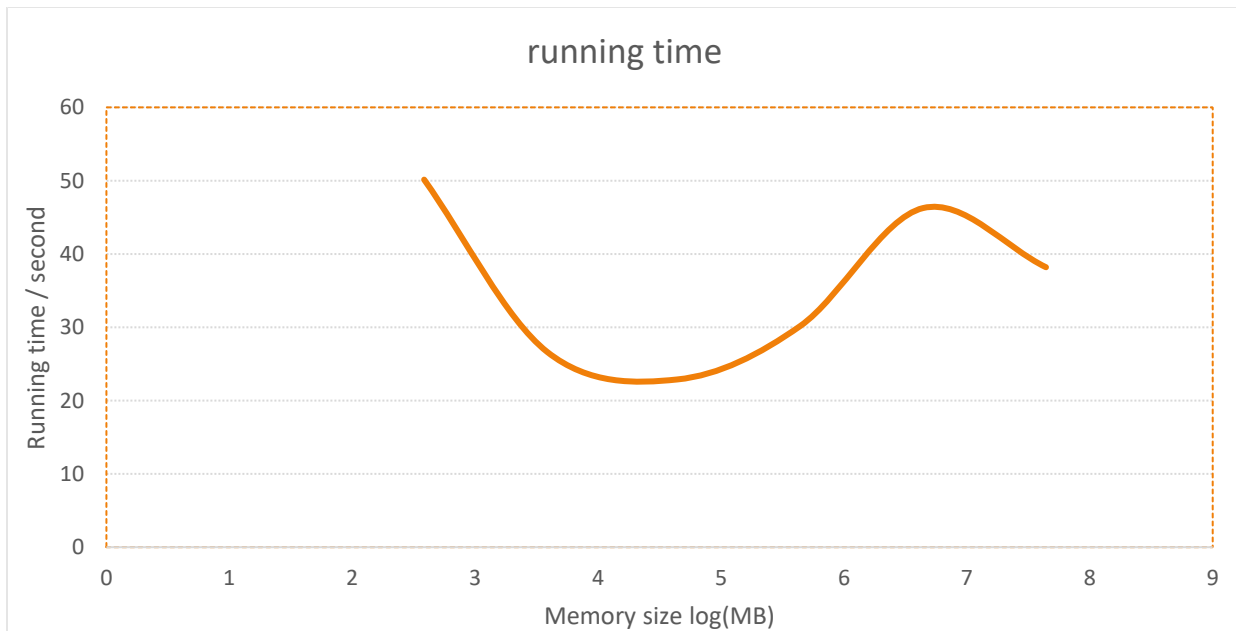
Test result for 2PMMS

Memory size (MB)	Elapsed time(m:ss)	Maximum resident set size(KB)
200	38.19	206224
100	46.29	103920
50	30.16	50708
25	22.88	26136
12	26.65	13812
6	50.14	5600

Black pass 2PMMS

Red only pass Phase I

Only Memory size of 200 MB and 100 MB can perform 2PMMS, others only only accomplish phase I because our optimal block size is 2MB and memory size is too small for merging in phase II.



### Test result for Unix sort

User time (seconds): 115.44
System time (seconds): 3.73
Percent of CPU this job got: 141%
Elapsed (wall clock) time (h:mm:ss or m:ss): 1:24.46
Maximum resident set size (kbytes): 3365516

### QUESTION

1. Is there any difference in performance in your experiments? Explain why there is a difference or why there is no difference.

The elapsed time is different for different memory size. Any memory size less than or equal to 50MB which is too small for 2PMMS. Memory size with 200MB has the least elapsed time. Although only 200 MB and 100 MB satisfy 2PMMS, it shows a tendency that the elapsed time increases as memory size decreases. The reason is that large memory size means that less sub arrays to be sorted separately in main memory, so it takes less time in phase I, and in phase II less file open streams needed to read each sub list file. Memory size 200MB has the most maximum resident set 201MB, and 100MB only takes half of it.

2. Which program is faster: your implementation or Unix sort? Which one uses less memory? Explain the difference (or the lack of difference) in performance. If there is a difference - what in your opinion could explain it?

My implementation is faster than Unix sort. Unix sort use 3286MB memory while my implementation only uses 201MB memory for 200MB allocated memory size. The elapsed time for Unix sort is 1:24.46 which is longer than my implementation. User time of Unix sort is 115 seconds, and my implementation takes around 10 seconds. In my implementation read binary file directly, while Unix sort read input line by line and extract sort keys from each line of input. Unix sort takes much time to read the inputs and then convert them into binary format.

### CONCLUSION

In 2PMMS, we perform 4 I/Os for per each block, so the running time depends on the memory size which can hold large unsorted array. More memory means faster sorting sub arrays in main memory. Unix sort take more memory and more time than 2PMMS.

## PART 3:

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### STEP 1: EXPRESSING QUERIES

Let  $R(\text{uid1}, \text{uid2}) := \text{Followers}(\text{uid1}, \text{uid2})$

1. Producing the list and the count of user ID pairs which represent "true friends".
  - a. **Description:** Select the user ID pairs which they followed by each other, and count the number of pairs.
  - b. **Relational Algebra:**  $(\sigma_{R1.\text{uid1} = R2.\text{uid2} \text{ and } R1.\text{uid2} = R2.\text{uid1}} (\rho_{R1}(\sigma_{\text{uid1} < \text{uid2}} R) \times \rho_{R2}(\sigma_{\text{uid2} < \text{uid1}} R))$
  - c. **SQL:**

```
SELECT COUNT(*)
FROM
    (SELECT T.uid1, T.uid2
    FROM
        (SELECT * FROM R WHERE uid1 < uid2) as T,
        (SELECT * FROM R WHERE uid2 < uid1) as S
    WHERE T.uid1 = S.uid2 AND T.uid2 = S.uid1);
```
2. Producing the list of top 10 "celebrities", sorted by (in-degree - out-degree)-difference in descending order (from more famous to less famous).
  - a. **Description:** Select the top 10 users which they have the largest difference between in-degree and out-degree, sort these 10 users in descending order of difference.
  - b. **Relational Algebra:**
    - i.  $\text{Outdegree}(\text{uid}, \text{count}) := \gamma_{\text{uid1} \rightarrow \text{uid}, \text{COUNT}(\text{uid2}) \rightarrow \text{count}}(R)$
    - ii.  $\text{Indegree}(\text{uid}, \text{count}) := \gamma_{\text{uid2} \rightarrow \text{uid}, \text{COUNT}(\text{uid1}) \rightarrow \text{count}}(R)$
    - iii.  $\tau_{\text{diff}} \rho_C(\text{uid}, \text{indegree}, \text{outdegree}, \text{diff}) (\Pi_{\text{Indegree.uid}, \text{Indegree.count}, \text{Outdegree.count}, \text{Indegree.count} - \text{Outdegree.count}} \sigma_{\text{Indegree.uid} = \text{Outdegree.uid}} (\text{Indegree} \times \text{Outdegree}))$
  - c. **SQL:**
    - i. CREATE VIEW outdegree AS  
SELECT uid1 AS uid, count(uid2) AS count  
FROM R  
GROUP BY uid1;
    - ii. CREATE VIEW indegree AS  
SELECT uid2 AS uid, count(uid1) AS count  
FROM R  
GROUP BY uid2;

```

iii. SELECT indegree.uid, indegree.count AS indegree, outdegree.count AS
      outdegree, (indegree.count - outdegree.count) AS diff
      FROM indegree, outdegree
      WHERE indegree.uid = outdegree.uid
      ORDER BY diff DESC
      LIMIT 10;

```

## STEP 2: IMPLEMENTING QUERIES

### Implementation

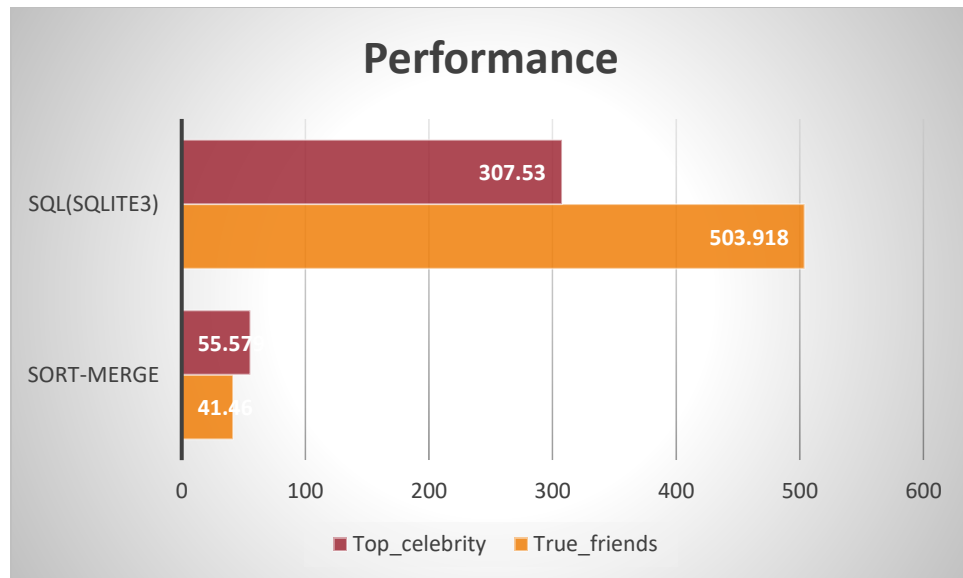
Our test block size is 2MB.

1. First, sort edges dataset by uid1 and uid2 respectively, and then we create two relations that R is sorted with ascending order uid1, uid2, and S is sorted with ascending order uid2, uid1. Second, split 200MB available main memory into two input buffers (98MB) for each relation and one output buffer (4MB). Load R and S into main memory, and find intersections by zigzag join. If  $R.uid1 < S.uid2$ , move pointer to next tuple in R, if  $R.uid1 > S.uid2$ , move pointer to next tuple in S. When  $R.uid1 = S.uid2$ , compare  $R.uid2$  and  $S.uid1$ , if  $R.uid2 < S.uid1$ , move pointer to next tuple in R; if  $R.uid2 > S.uid1$ , move pointer to next tuple in S. Keep looping R and S until find  $R.uid1 = S.uid2$  and  $R.uid2 == S.uid1$ , save  $(R.uid1, R.uid2)$  into output buffer.
2. First sort edges dataset by uid1 and uid2 respectively, and then create Outdegree(UID, count) by sorted\_uid1 files and create Indegree(UID, count) by sorted\_uid2 file. Next, merge Outdegree and Indegree with same user id and calculate the difference between indegree and outdegree, output the top 10 celebrities who has the largest difference. If a uid is only in Indegree, let its outdegree be 0. If a uid is only in Outdegree, let its indegree be 0.

## STEP 3: REPORTS

### Performance

	True Friends (Seconds)	Top celebrities (Seconds)
SQL (sqlite3)	503.918	307.530
Implementation(Sort-Merge)	41.460	55.579



## Conclusion

Our implementation took much less time than Sqlite3 no matter for computation the true friends or top celebrities. We used SMJ to compute the query. We sorted the relations first and then used zigzag to merge tuples. The possible reason why Sqlite3 SQL take almost 10x running time might be that the natural join of it has exponential runtime. On the other hand, our implementation was linear on the input size (total number of tuples in both relations). Different RDBM system may have different implementation for SQL, so it is important to know what kind of structure and data we are dealing with before we choose the appropriate RDBM system.