Report:

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Complete the code:
       It only takes a few lines to have the code completed.
       1) create a graph:
       since we don't really have a weight, we set it to 1 on each edge
              for (int i=0; i\lttitles.size();i++){
                     for (int j=0; j<links[i].length;j++){
                            g.setDirectedEdge(i, links[i][j], 1);
                     }
              }
       2) run Choi's Dijkstra algothrism to find the shortest path.
              Integer[] path= d.getShortestPath(g, source, target);
       The return of this function is a array (linked list) and
       3) we traverse it to get the answer
              while (true){
                     counter++:
                     System.out.println(thisint+": "+titles.get(thisint));
                     if (path[thisint]!= null) {
                            thisint = path[thisint];
                     } else break;
It is working fine... Some sample results
       Finding path from 0 : For_Your_Consideration to 0 :
       For_Your_Consideration
       0 : For_Your_Consideration
       length=0
       No path
       Finding path from 0 : For_Your_Consideration to 10 : Foster_care
       0 : For_Your_Consideration
       3741 : Television_network
       4262 : United_States
       1583 : Madonna_(entertainer)
       10 : Foster_care
       lenath=4
       Finding path from 15 : Fox_Plaza_(Los_Angeles) to 20 :
       Fracture_(2007_film)
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15 : Fox_Plaza_(Los_Angeles)
1500 : Los_Angeles,_California
3800 : The_CW_Television_Network
2147 : New_Line_Cinema
20 : Fracture_(2007_film)
length=4
Finding path from 45 : Frau_Farbissina to 999 : July_1999
45 : Frau_Farbissina
4512 : Wikiquote
1009 : July_2007
999 : July_1999
length=3
Finding path from 666 : Iraqi_insurgency to 888 : Johanna_Sällström
666 : Iraqi_insurgency
lenath=0
No path
Finding path from 789 : January_26 to 1230 : Ladder_49
789 : January_26
777 : January_2002
580 : Impostor
935 : John_Travolta
1230 : Ladder_49
length=4
Finding path from 78: Futsal to 12: Four_Weddings_and_a_Funeral
78 : Futsal
2111 : National_sport
1011 : July_21
3040 : Robin_Williams
12 : Four_Weddings_and_a_Funeral
lenath=4
Finding path from 798 : January_6 to 152 : Get_Down_Tonight
798 : January_6
788 : January_25
1088 : KC_and_the_Sunshine_Band
152 : Get_Down_Tonight
lenath=3
Finding path from 321 : Hallgeir_Brenden to 905 : John_E._McLaughlin
321 : Hallaeir_Brenden
3297 : September_21
2334 : October_2008
2271 : November_2004
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905 : John_E._McLaughlin
length=4

Finding path from 1000 : July_2 to 1001 : July_20
1000 : July_2
1001 : July_20
length=1

Finding path from 1001 : July_20 to 1002 : July_2000
1001 : July_20
1002 : July_2000
length=1
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Observations:

- 1) When target=source, the length of the path is always 0. This makes sense because we don't want loops and the shortest path from one node to itself is not going anywhere.
- 2) $A \rightarrow B$ can be very different from $B \rightarrow A$ in terms of both path and degree. This is because
 - 1) This is a directed graph so path might not be reversible
 - 2) Even it is, there might be other route from B—>A that is shorter than the reverse of A—B
 - 3) And the algorithm we find path is finding a shortest one, there might be many
- 3) A few pairs are impossible to reach
- 4) Other than those mentioned in 3), most pairs are reachable in less than 4 steps.
 - 1) I randomly chose 1000 pairs and the results are:
 - 1) Most of them (~700) case has degree 4
 - 2) A few (~150) has degree 3
 - 3) A few (~100) is not possible
 - 4) Fewer are of degree 2 or 1 or 5
 - 5) NO case has degree >=6. Maybe there can be some but in my experiment I didn't find any of them. That should be very few if at all exits. So it might be degree of 5
- 5) Although the graph is very sparse, it is still possible to have most pairs connected.
- 6) Finding one path is a very fast process and is instant.