

# Untitled

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## A

```
table <- data.frame(c(3.03, 5.53, 5.60, 9.30, 9.92, 12.51, 12.95, 15.21, 16.04, 16.84),  
                   c(3.19, 4.26, 4.47, 4.53, 4.67, 4.69, 12.78, 6.79, 9.37, 12.75))  
colnames(table) <- c("Type1", "Type2")
```

```
#We get the mean and stdv for each type.
```

```
mean1 <- mean(table$Type1)  
mean2 <- mean(table$Type2)
```

```
sd1 <- sd(table$Type1)  
sd2 <- sd(table$Type2)
```

```
t.test(table$Type1, table$Type2)
```

```
##  
## Welch Two Sample t-test  
##  
## data: table$Type1 and table$Type2  
## t = 2.0723, df = 16.665, p-value = 0.05408  
## alternative hypothesis: true difference in means is not equal to 0  
## 95 percent confidence interval:  
## -0.07752643 7.96352643  
## sample estimates:  
## mean of x mean of y  
## 10.693 6.750
```

```
# This might be little bit different with the method by hands, since they approximate (assumed the vari
```

```
# p = 0.05408
```

## B

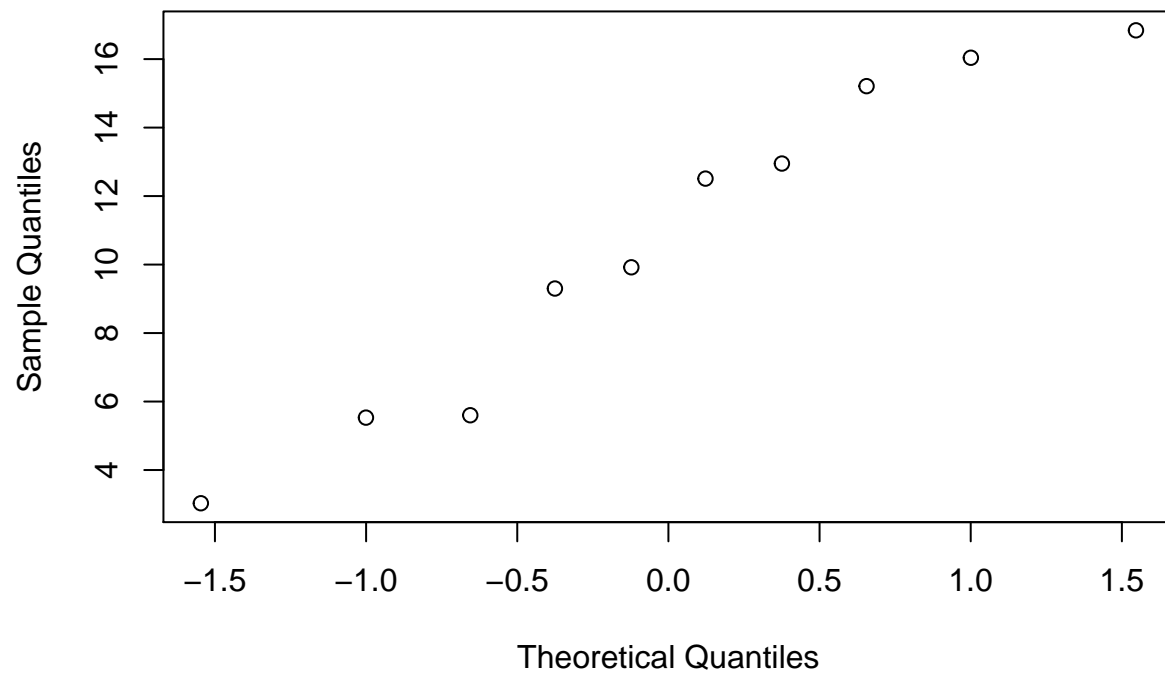
```
# Rather than using the rank sum test by hands and use appendix B at the back of the textbook, I will u  
wilcox.test(table$Type1, table$Type2)
```

```
##  
## Wilcoxon rank sum test  
##  
## data: table$Type1 and table$Type2  
## W = 75, p-value = 0.06301  
## alternative hypothesis: true location shift is not equal to 0
```

C

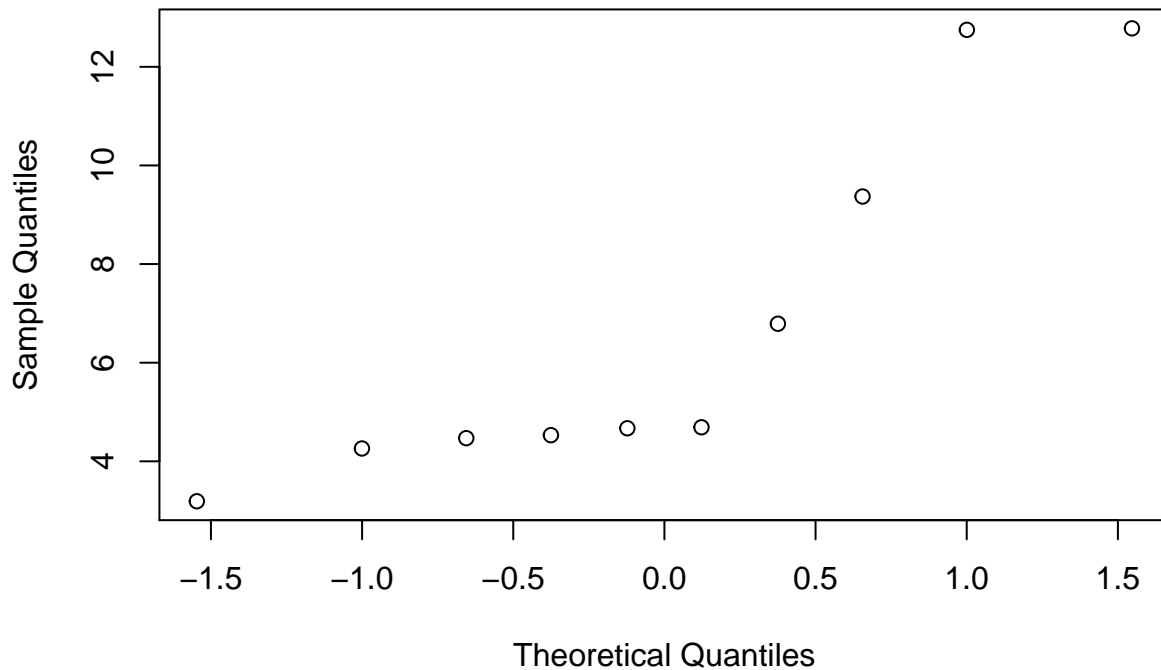
```
#Since the sample sizes of the two groups are small so, it is better to go with non-parametric method.  
qqnorm(table$Type1)
```

**Normal Q-Q Plot**



```
qqnorm(table$Type2)
```

## Normal Q-Q Plot



*# They do not both look like quite normal*

## D

```
#Tries to find the estimated probability where Type 1 bears more than Type 2 for this question.
# http://www.endmemo.com/program/R/outer.php
ty <- outer(table$Type1, table$Type2, ">")
Ty <- sum(ty)/ 100 #100 is the number of rows for type 1 * number of the rows for type 2

Ty

## [1] 0.75
```

## E

```
type1sample <- replicate(n = 1000, sample(table$Type1, size = 10, replace = T))
type2sample <- replicate(n = 1000, sample(table$Type2, size = 10, replace = T))
a <- c(0)

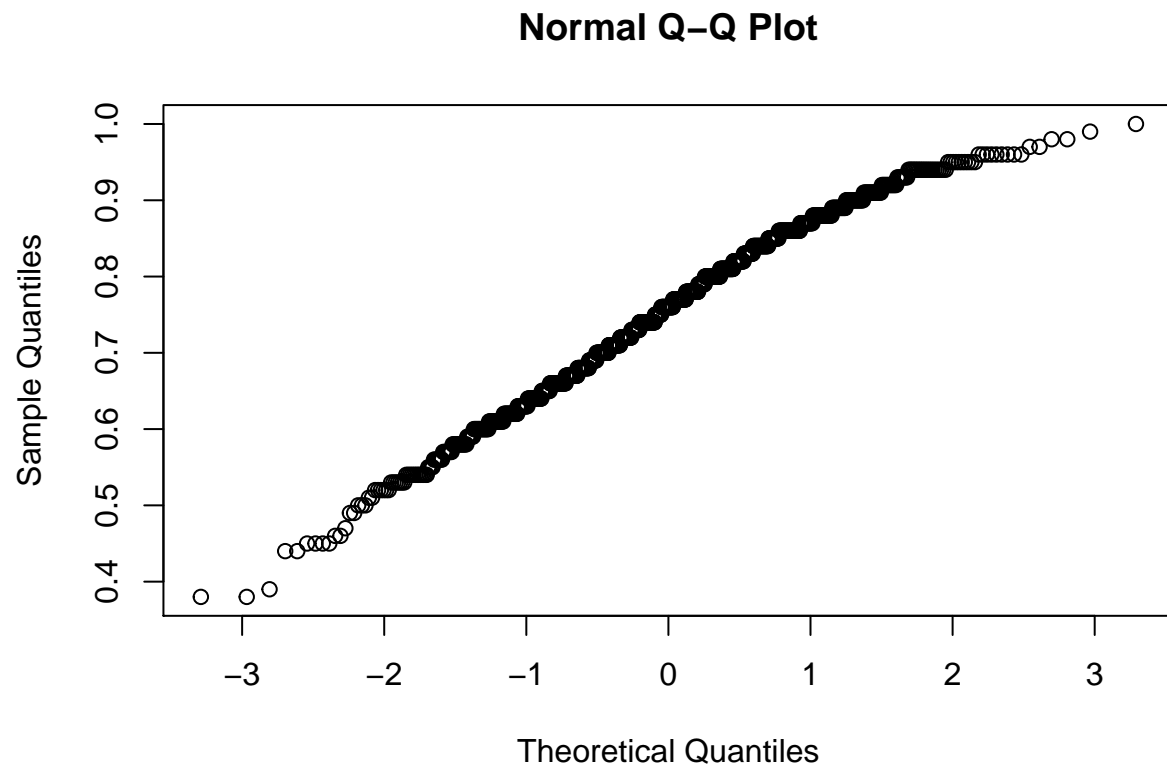
for (i in 1:1000){
  a[i] <- sum(outer(type1sample[,i], type2sample[,i], ">"))/100
}

sd(a)

## [1] 0.114052
```

F

```
qqnorm(a) #It looks approximately normal!
```



```
#Find 95% CI.
```

```
CI <- c(mean(a) - qqnorm(0.975)*sd(a), mean(a) + qqnorm(0.975)*sd(a))
```

```
CI
```

```
## [1] 0.5296322 0.9767078
```