

P-adic Numbers

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- 8 Talk 8 - Elementary Analysis in \mathbb{Q}_p
 - 8.1 TODO p-adic mean value theorem
 - 8.2 Problems with derivatives:
 - There exist Injektive Functions with derivative zero at some points, so the zero derivative does not imply that a function is locally constant in \mathbb{Q}_p

9 Talk 9 - Strassman's Theorem and the Logarithm Function