())

(i) 0 ミ x ≦ Q 閉 曲 面 内 部 に 電 枝 は 存在 L な (1 の で) E(M) = 0 [Vm]

$$E_{2(h)} = \frac{Q}{4\pi F^2 \, \epsilon_{(h)}} = \frac{Q}{4\pi F \, \epsilon_0 \alpha} \, \left[V_{nm} \right]$$

$$\int E_{3(r)} o(r) = \frac{Q-Q}{\varepsilon_0} = 0$$

$$E_{3(t)} = 0$$
 [V/m]

(i)
$$2a \le r < 3a$$

$$\oint_{3h} = -\int_{\infty}^{3a} E_{H} dr - \int_{3a}^{1} E_{D} dr$$

$$= 0 + 0 = 0$$
[V]

$$\oint_{2^{(k)}} = \oint_{3(2\alpha)} - \int_{2\alpha}^{k} E_{2(k)} dk$$

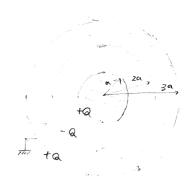
$$= 0 + \frac{Q}{4\pi \epsilon_{0}\alpha} \left[\log k \right]_{k}^{2\alpha}$$

$$= \frac{Q}{4\pi \epsilon_{0}\alpha} \log \frac{2\alpha}{k}$$

$$= \sqrt{\sqrt{2\alpha}} \log k \log k$$

$$\frac{\phi_{i}(r) = \phi_{i}(a) - \int_{a}^{r} E_{i}(r) dr$$

$$= \frac{Q}{4 \cdot \xi_{i} a} \log 2 \quad [V]$$



$$C = \frac{Q}{V}$$

VはAとBの間の電位差のga

単位面積当たりのエネルギー密度は

$$W_e = \frac{1}{2} \frac{\epsilon_0 \alpha}{L} E_{2(H)}$$

$$=\frac{1}{2}\frac{8\alpha}{1}\left(\frac{Q}{4\pi 16\alpha}\right)^2$$

導体問負切の全静でエネルギーな

$$V = \frac{4}{3}\pi L^3 \rightarrow \frac{dV}{dr} = 4\pi r^2$$