

Notes

February 7, 2014

gray codes

cyclic vs noncyclic

reflected \rightarrow specific. inductive definition, algorithm.

went over proof of generating algorithm. It's in the book

generating r subsets

$$S = \{x_{n-1}, x_{n-2}, \dots, x_1, x_0\} \equiv \{1, 2, \dots, n\}$$

subsets are equivalent to words in letters $\{1, \dots, n\}$ where the word is increasing (strictly).

example

want to generate 2-subsets of $\{x_3, x_2, x_1, x_0\} = \{1, 2, 3, 4\}$

$$0_4 0_3 1_2 1_1 \approx \{x_1, x_0\} \approx 12$$

binary order's are lexicographical, squashed...

it's better to do lexicographic order on the *words* (r-subsets).

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algorithm

begin with $a_1 a_2 \dots a_r = 12 \dots r$. Find the farthest right position such that $a_k + 1 \leq n$ and $a_k + 1$ is not in the word. Then the next word is $a_1 \dots a_{k-1} (a_k + 1) (a_k + 2) (a_k + 3) \dots (a_k + r - k + 1)$

do 26 and 28

12

28

2,3,4,6,9,10 \rightarrow 2,3,4,7,8,9

problems 31&32

generating r-permutations:

generate r-subsets

for each r-subset generate the permutations