

3 | arr: 3-5 :  $\min(7)$  vs 8

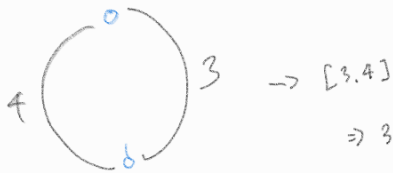
1-4 : vs  $\boxed{6}$

1. 입력 방식

[1, 2, 3, 4, 5]

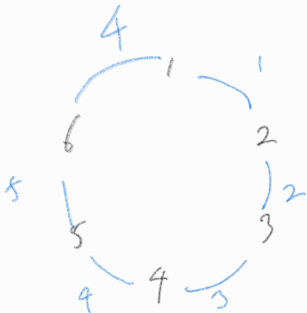
ex) 1-3 :  $\min(1+2, 5+4+3)$  total-dis

2-4 :  $\min(arr[1]+arr[2], arr[0]+arr[3]+arr[4])$



$= \min(2+3, \frac{1+5+4}{dis})$  total-dis

2. 모든 a → b 점까지의 거리 구하기



1 → 2 :  $\min(1, 14) = 1$

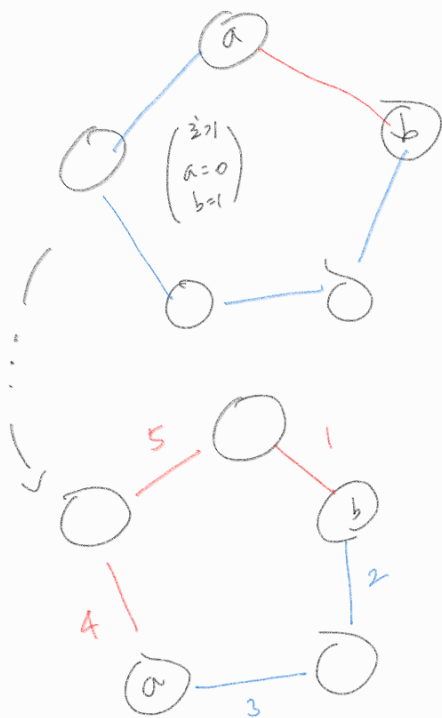
1 → 3 :  $\min(\frac{1+2+arr[3]}{3}, \frac{Total - (1+2+arr[3])}{19-3}) = 3$

1 → 4 :  $\min(\frac{1+3+arr[4]}{1+3=6}, \frac{Total - (1+3+arr[4])}{19-6}) = 6$

1 → 5 :  $\min(\frac{1+4+arr[5]}{6+4=10}, \frac{Total - (1+4+arr[5])}{19-10}) = 9$

1 → 6 :  $\min(\frac{1+5+arr[6]}{9-5=4}, \frac{Total - (1+5+arr[6])}{19-4}) = 4$

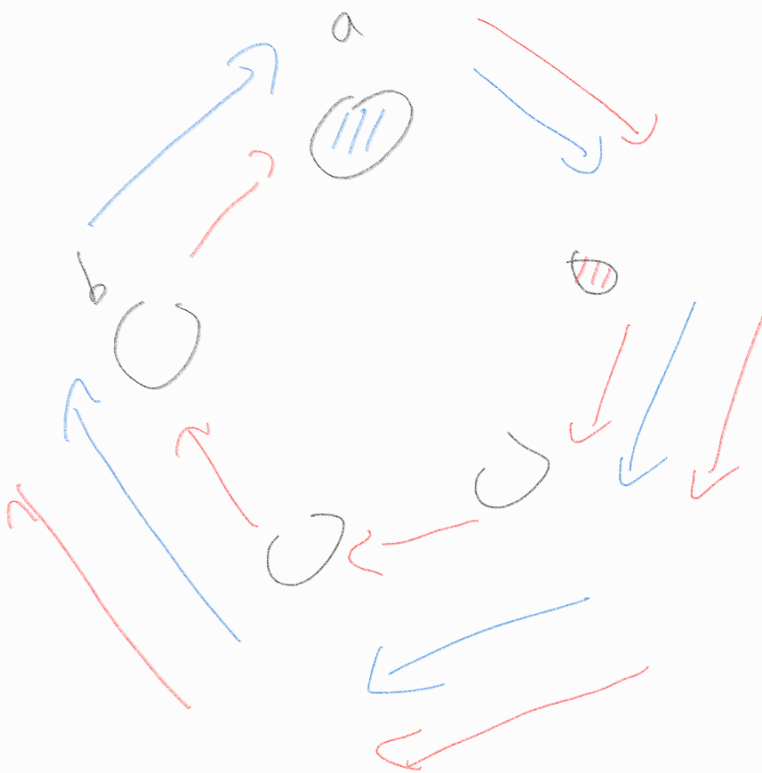
3. 가장 큰 거리 찾기



$sumA$  :  $a$  기준  $b$ 까지 시계방향으로의 거리합

$sumB$  :  $a$  기준  $b$ 까지 반시계방향으로의 거리합

1.  $sumA = sumB$  : 최단경로  $\Rightarrow$  정답
2.  $sumA > sumB$  :  $a$ 를 반시계방향으로 이동
3.  $sumA < sumB$  :  $b$ 를 반시계방향으로 이동



$a$ 는  $O(N)$

$b$ 는  $O(2N-2)$

$$\therefore O(N+2N-2)$$

$$\underline{\underline{= O(N)}}$$

$\begin{matrix} a & b \\ [1, 2, 3, 4, 5] \end{matrix}$

$$\begin{aligned} & \text{arr}[a]=1, \text{sumA}=1, \text{sumB}=14 \Rightarrow \text{sumA} + \text{arr}[b], \text{sumB} - \text{arr}[b] \\ & \text{sumA}=3, \text{sumB}=12 \Rightarrow \text{sumA} \end{aligned}$$