Package 'LFabs'

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Version 1.1.0										
Author Yiming Liu [aut,cre], Xiao Zhang [aut], Xingjie Shi [aut] Maintainer Yiming Liu liuyimingsufe@163.com> Description High-dimensional smoothed partial rank estimation with sparse laplacian shrinkage for nonparametric transformation survival model. The laplacian penalty is to incorporate the correlation patterns among predictors. The adaptive lasso is used to yield a sparse estimator.										
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adjmat	Generate a sparse adjacency matrix									
	Generate a sparse adjacency matrix	_								

Type Package **Title** LFabs

This function generates a sparse adjacency matrix for predictors. The elements of the matrix indicate whether pairs of vertices are adjacent or not in the graph. And each elements is based on the Pearson's correlation coefficients and proper cut-off value. To save the storage space, this function only retains the information of nonzero ones

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Usage

```
adjmat(x)
```

Arguments

Х

The n x p design matrix.

Value

A list

- edge The nonzero elements of the adjacency matrix.
- edgerow The row index of each nonzero elements, which has the same length as edge.
- edgecol The column index of each nonzero elements, which has the same length as edge.
- gamma A p vector. Each elements is the sum of the column of the adjacency matrix.
- ledge The number of the nonzero elements.

References

Jian Huang. Shuangge Ma. Hongzhe Li and Cun-Hui Zhang. (2011) The sparse Laplacian shrinkage estimator for high-dimensional regression

Examples

```
x = matrix(rnorm(200), 10, 20)
A <- adjmat(x)</pre>
```

cv.LFabs

A Forward and Backward Stagewise algorithm for High-dimensional smoothed partial rank estimation with sparse laplacian shrinkage.

Description

The laplacian shrinkage level is choosed by the cross-validation. This function uses the testing loss to select the turning.

Usage

```
cv.LFabs(
    X,
    y,
    s = NULL,
    sigma = NULL,
    weight = NULL,
    model = c("spr", "cox", "lm"),
    ntau = 5,
    nfold = 5
)
```

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Arguments

Χ	The design matrix.
У	The response.
S	The status.
sigma	The smoothing parameter in SPR.
weight	The weight vector of adaptive lasso.
model	The loss function. Quantitative for model="spr", model="cox", model="lm".
ntau	The length of the grid of the turning parameter before the laplacian penalty. Default is 5.
nfold	The nfold-fold cross-validation. Default is 5.

Value

A list.

- Beta The standardized estimator along the solution path.
- beta The optimal standardized estimator.
- lambda Lambda sequence generated by LFabs.
- tau The optimal laplacian shrinkage level choosed by cross-validation.
- direction Direction of LFabs. 1 indicates a forward step. 0 indicates a backward step.
- active Active set for each step.
- iter Iterations.
- bic The bic for each solution.
- opt Position of the optimal lambda based on bic.

See Also

LFabs.

Examples

```
library(mvtnorm)
library(Matrix)
n = 400
p = 500
d = 15
sig = c(0.5, 1.5)
rho = 0.9
error = "contaminate"
tran = "log"
censor.rate = 0.1
block = "Auto"
set.seed(2021)
dat = generator(n, p, d, g, sig, rho, error, tran, censor.rate, block)
x = dat$x
y = dat y
status = dat$status
```

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```
sigma = 1/sqrt(n)
w = abs(1/drop(cor(x, y, method = "pearson")))
w[which(w=="NaN"|w=="Inf")] = max(w[which(w!="NaN"&w!="Inf")])
model = "spr"
fit <- cv.LFabs(x, y, status, sigma, w, model)</pre>
```

generator

Generate survival samples

Description

This function generates survival data including response, covariates and status. Data can be right-censored and heavy-tailed. Morever, there may be a strong network structure and high-correlated pattern among covariates.

Usage

```
generator(
    n,
    p,
    d,
    g,
    sig,
    rho,
    error = c("norm", "contaminate", "t2", "ev"),
    tran = c("lm", "log"),
    censor.rate = 0,
    block = c("Block", "Auto", "BAND")
)
```

Arguments

n	The number of samples.
p	The number of covariates.
d	The number of nonzero values of true coefficients.
g	The group size.
sig	The two parameters of the uniform distribution. For example, $sig=c(a,b)$, which means the elements of true coefficients are from $U(a,b)$.
rho	The strength of correlation among covariates.
error	The error distribution. Quantitative for error="norm", error="contaminate", error="t2" or error="ev". For error="contaminate", y is from $0.7N(0,1)+0.3$ Cauchy.
tran	The transformation function. Quantitative for tran="lm" or tran="log"
censor.rate	The censor rate of survival sample. Default is 0.
block	The network structure of predictors. Quantitative for block="Block", block="Auto", block="BAND". For block="BAND", the number of groups g is equal to p.

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Value

A list

- x The n x p design matrix.
- y The n repsonse.
- b The true coefficients.
- status The survival status. 1 is censored and 0 is uncensored.

Examples

```
library(mvtnorm)
library(Matrix)
n = 400
p = 500
d = 15
g = 5
sig = c(0.5, 1.5)
rho = 0.9
error = "contaminate"
tran = "log"
censor.rate = 0.1
block = "Auto"
dat = generator(n, p, d, g, sig, rho, error, tran, censor.rate, block)
x = dat$x
y = dat y
b = dat b
status = dat$status
```

LFabs

A Forward and Backward Stagewise algorithm for High-dimensional smoothed partial rank estimation with sparse laplacian shrinkage.

Description

The laplacian shrinkage level is fixed, which means tau is predetermined.

Usage

```
LFabs(
   X,
   y,
   s = NULL,
   sigma = NULL,
   weight = NULL,
   model = c("spr", "cox", "lm"),
   tau = 0,
   stoping = TRUE,
   eps = 0.02,
   xi = 10^-6,
   iter = 10^4,
```

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```
lambda.min = 1e-04
)
```

Arguments

Χ The design matrix. У The response. The status. The smoothing parameter in SPR. sigma weight The weight vector of adaptive lasso. model The loss function. Quantitative for model="spr", model="cox", model="lm". The turning parameter before the laplacian penalty. Default is 0. tau The indicator of whether to stop iteration when lambda is less than lambda.min. stoping The step size for updating coefficients. Default is 0.02. eps The threshhold for LFabs. хi The maximum number of outer-loop iterations allowed. iter

The smallest value for lambda, as a stopping Criterion of the solution path.

Value

A list.

lambda.min

- Beta The standardized estimator along the solution path.
- beta The optimal standardized estimator.
- lambda Lambda sequence generated by LFabs.
- direction Direction of LFabs. 1 indicates a forward step. 0 indicates a backward step.
- active Active set for each step.
- iter Iterations.
- bic The bic for each solution.
- opt Position of the optimal lambda based on bic.

Examples

```
library(mvtnorm)
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n = 400
p = 500
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sig = c(0.5, 1.5)
rho = 0.9
error = "contaminate"
tran = "log"
censor.rate = 0.1
block = "Auto"

set.seed(2021)
dat = generator(n, p, d, g, sig, rho, error, tran, censor.rate, block)
```

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```
x = dat$x
y = dat$y
status = dat$status

sigma = 1/sqrt(n)
w = abs(1/drop(cor(x, y, method = "pearson")))
w[which(w=="NaN"|w=="Inf")] = max(w[which(w!="NaN"&w!="Inf")])
model = "spr"
tau = 0.5
fit <- LFabs(x, y, status, sigma, w, model, tau)</pre>
```

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```