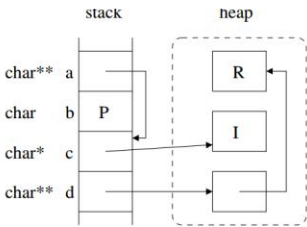


In this problem you will work with pointers and dynamically allocated memory. Write a fragment of code to create the memory diagram on the right.

```
Solution:
char** a;
char b = 'P';
char* c = new char;
*c = 'I';
char** d = new char*;
*d = new char;
**d = 'R';
a = &c;
```

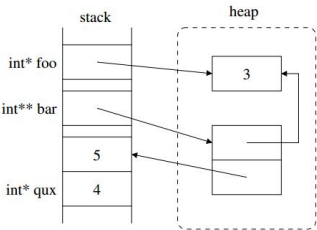


Now, write a fragment a C++ code that first accesses the data in the structure to print the abbreviation of our university to `std::cout` and then cleans up all dynamically allocated memory within the above example so that the program will not have a memory leak.

```
Solution:
std::cout << **d << b << *c << std::endl;
delete *d;
delete c;
delete d;
```

In this problem you will work with pointers and dynamically allocated memory. The fragment of code below allocates and writes to memory on both *the stack* and *the heap*. Following the conventions from lecture, draw a picture of the memory after the execution of the statements below.

```
int* foo;
int** bar;
int qux[2];
bar = new int*[2];
bar[0] = new int;
qux[0] = 4;
qux[1] = 5;
bar[1] = &qux[1];
foo = bar[0];
*foo = 3;
```

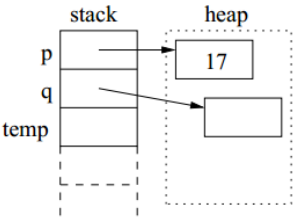


Solution:

Now, write a fragment a C++ code that cleans up all dynamically allocated memory within the above example so that the program will not have a memory leak.

```
Solution:
delete [] bar;
delete foo;
```

<pre>//Example of snowfall class h file class Snowfall { public: // CONSTRUCTOR Snowfall(const std::string &c, int hours, float inches_per_hour); // ACCESSORS const std::string& getCityName() const; float getTotal() const; // MODIFIERS void setSnowInHour(int which_hour, float amount); private: // REPRESENTATION std::string city; std::vector<float> snow_per_hour; }; // helper function for sorting bool by_total_snowfall(const Snowfall &a, const Snowfall &b);</pre>	<pre>Snowfall::Snowfall(const std::string &c, int hours, float inches_per_hour) { city = c; assert (hours >= 1 && inches_per_hour >= 0); snow_per_hour = std::vector<float>(hours, inches_per_hour); } const std::string& Snowfall::getCityName() const { return city; } float Snowfall::getTotal() const { float total = 0; for (int i = 0; i < snow_per_hour.size(); i++) { total += snow_per_hour[i]; } return total; } void Snowfall::setSnowInHour(int which_hour, float amount) { snow_per_hour[which_hour] = amount; } bool by_total_snowfall(const Snowfall &a, const Snowfall &b) { if (a.getTotal() >= b.getTotal()) return true; else return false; }</pre>																		
<pre>#include <string>, std::string Using comparison (>, <) operators with strings compares ascii value. -ascii goes symbols, numbers, capital letters, lower case letters. -"A" has the lowest ascii value of uppercase letters, "a" of lowercase std::string str = "The string."; str.insert(3,x); //inserts x at index 3 of string str.</pre>	<pre>#include <iostream>, std::cout, std::cin cout << std::endl; // ends line in output stream, clears buffer //stream manipulators mentioned below are important. //setprecision requires std::fixed</pre>																		
<pre>#include <vector>, std::vector<TYPE> //examples of vectors vec.push_back(object); //adds object to the end of vec vector.size() ; //returns size_type (similar to unsigned int) of the length of vector vector<int> c (1000) //creates a vector of 1000 ints, all unassigned vector<int> b(c) //creates a vector that is an exact copy of c, must be similar type int replace_in_matrix(std::vector<std::vector<int>> &matrix, int old_val, int new_val) { int rows = matrix.size(); int count = 0; for (int i = 0; i < rows; i++) { int cols = matrix[0].size(); for (int j = 0; j < cols; j++) { if (matrix[i][j] == old_val) { matrix[i][j] = new_val; count++; } } } return count; }</pre>	<div>Don't forget ++i, i++, and i--</div> <table><tr><th>Operator</th><th>Example</th><th>Equivalent expression</th></tr><tr><td>+=</td><td>index += 2</td><td>index = index + 2</td></tr><tr><td>-=</td><td>*(pointer++) -= 1</td><td>*pointer = *(pointer++) - 1</td></tr><tr><td>*=</td><td>bonus *= increase</td><td>bonus = bonus * increase</td></tr><tr><td>/=</td><td>time /= hours</td><td>time = time / hours</td></tr><tr><td>%=</td><td>allowance %= 1000</td><td>allowance = allowance % 1000</td></tr></table>	Operator	Example	Equivalent expression	+=	index += 2	index = index + 2	-=	*(pointer++) -= 1	*pointer = *(pointer++) - 1	*=	bonus *= increase	bonus = bonus * increase	/=	time /= hours	time = time / hours	%=	allowance %= 1000	allowance = allowance % 1000
Operator	Example	Equivalent expression																	
+=	index += 2	index = index + 2																	
-=	*(pointer++) -= 1	*pointer = *(pointer++) - 1																	
*=	bonus *= increase	bonus = bonus * increase																	
/=	time /= hours	time = time / hours																	
%=	allowance %= 1000	allowance = allowance % 1000																	

<pre> int * p = new int; *p = 17; cout << *p << endl; int * q; q = new int; *q = *p; *p = 27; cout << *p << " " << *q << endl; int * temp = q; q = p; p = temp; cout << *p << " " << *q << endl; delete p; delete q; </pre>  <p>The expression <code>new int</code> asks the system for a new chunk of memory that is large enough to hold an integer and returns the address of that memory. Therefore, the statement <code>int * p = new int;</code> allocates memory from the heap and stores its address in the pointer variable <code>p</code>.</p> <p>The statement <code>delete p;</code> takes the integer memory pointed by <code>p</code> and returns it to the system for re-use.</p> <hr/> <p>This memory is allocated from and returned to a special area of memory called the <i>heap</i>. By contrast, local variables and function parameters are placed on the <i>stack</i> as discussed last lecture.</p> <p>In between the <code>new</code> and <code>delete</code> statements, the memory is treated just like memory for an ordinary variable, except the only way to access it is through pointers. Hence, the manipulation of pointer variables and values is similar to the examples covered in Lecture 5 except that there is no explicitly named variable for that memory other than the pointer variable.</p> <p>Dynamic allocation of primitives like ints and doubles is not very interesting or significant. What's more important is dynamic allocation of arrays and objects.</p>	<pre> int main() { //this code parses text, counts words/letters per sentence std::ifstream istr("little_engine_that_could.txt"); std::string word; int num_chars = 0; int num_words = 0; int num_sentences = 0; while (istr >> word) { Solution: num_words++; num_chars += word.size(); // when we find the end of a sentence if (word[word.size()-1] == '.' word[word.size()-1] == '?' word[word.size()-1] == '!') { num_sentences++; num_chars -= 1; // print out stats about that sentence std::cout << "sentence " << std::setw(3) << num_sentences << " # words: " << std::setw(3) << num_words << " avg chars/word:" << std::fixed << std::setprecision(1) << std::setw(5) << num_chars / double(num_words) << std::endl; // reset the counters num_chars = 0; num_words = 0; } } } </pre>
<pre> Triangle::Triangle(double a, double b, double c) { a_ = a; b_ = b; c_ = c; } Triangle::Triangle(const std::vector<double>& vals) { assert (vals.size() == 3); a_ = vals[0]; b_ = vals[1]; c_ = vals[2]; } double Triangle::getPerimeter() const { return a_ + b_ + c_; } double Triangle::getArea() const { double s = getPerimeter()/2.0; return sqrt(s*(s-a_)*(s-b_)*(s-c_)); } void Triangle::doubleShortestEdge() { if (a_ <= b_ && a_ <= c_) { a_ *= 2; } else if (b_ <= a_ && b_ <= c_) { b_ *= 2; } else { assert (c_ <= a_ && c_ <= b_); c_ *= 2; } } </pre>	<pre> class Triangle { public: // TWO CONSTRUCTORS Triangle(double a, double b, double c); Triangle(const std::vector<double>& edges); // ACCESSOR double getPerimeter() const; double getArea() const; // MODIFIER void doubleShortestEdge(); private: // REPRESENTATION double a_; double b_; double c_; }; </pre> <p>TA: Mauricio Mentors:</p> <p>Matt S., John Allwein, Alec, & Fred</p> <p>SHINIGAMI LOVE APPLES</p>

L-Value/R-Value, sides of equal sign, L-Value finds location in memory.

Add matrix cycling code.

Example of for loop, while loop, if not there

- $O(1)$, a.k.a. CONSTANT: The number of operations is independent of the size of the problem. e.g., compute quadratic root.
- $O(\log n)$, a.k.a. LOGARITHMIC. e.g., dictionary lookup, binary search.
- $O(n)$, a.k.a. LINEAR. e.g., sum up a list.
- $O(n \log n)$, e.g., sorting.
- $O(n^2)$, $O(n^3)$, $O(n^k)$, a.k.a. POLYNOMIAL. e.g.,
- $O(2^n)$, $O(k^n)$, a.k.a. EXPONENTIAL. e.g., Fibonacci, playing chess.

Solution: $O(n^4)$ We have to search for each of the numbers from 1 to n^2 . We look for that number in each of the n^2 slots of the matrix. An alternate solution uses a helper vector of n^2 booleans, and checks each element as it sweeps through the data in $O(n^2)$. Or if sorting is used, the runtime is $O(n^2 \log n)$.