

## Predicting Outcomes for Turtle Games

### BACKGROUND & OBJECTIVE

Turtle Games, a global game manufacturer and retailer, has hired your data team to analyse customer trends. The goal is to improve sales performance by mapping their customer profile and enhancing the efficiency of their loyalty programme.

### MODULE 1

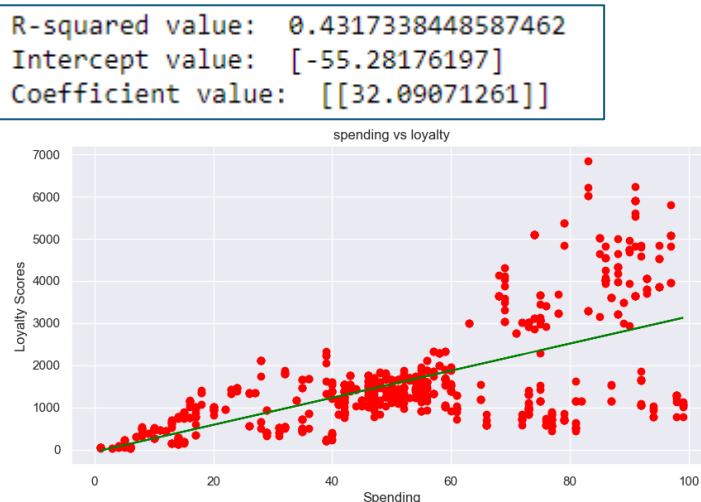
1. Import files, packages and libraries
2. Pre-processing
3. Descriptive statistics

**TG customers are relatively young**, with an average age of 39 and an average remuneration of £48k. 25% are 29, while the majority are between 29 and 49. On average, their spending score is 50 out of 100, and they have an average of 1578 loyalty points, ranging from 25 to 6847, indicating a wide variation in customer engagement.

4. Linear regression to predict loyalty points accumulation

Steps in the appendix<sup>A</sup>

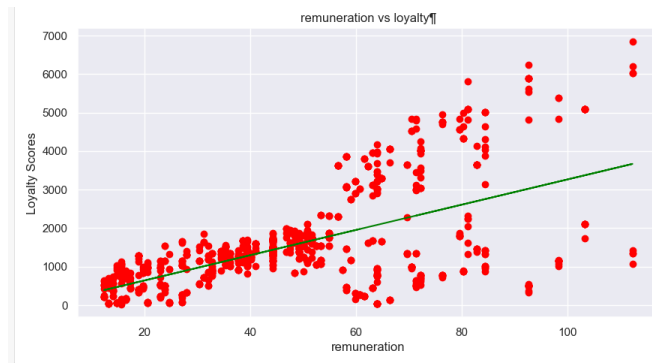
5. **LM: Spending vs Loyalty**



- R-squared : changes in spending can explain 43.17% of the variability in loyalty points.
- Coeff (32.09): for each unit increase in spending\_score, the loyalty points increase by 32.09 units.
- Intercept(55.28): implies loyalty points could be harmful when the spending score is zero, which doesn't have a practical meaning.
- A significant positive relationship between spending score and loyalty points

6. **LM: Remuneration vs Loyalty**

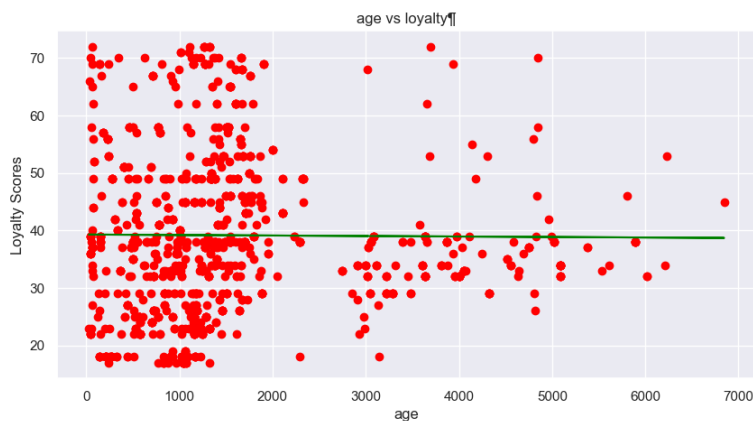
```
R-squared value: 0.356737353285977
Intercept value: [-11.28022101]
Coefficient value: [[32.73954412]]
```



- R-squared: changes in remuneration can explain around 35.67% of the variability in loyalty points.
- Coefficient 32.74: for every unit increase in remuneration, the loyalty points increase by 32.74.
- The intercepts suggest that the estimated loyalty points are around -11.28 when remuneration is zero, which is not practically meaningful.
- Remuneration and loyalty points have a positive but weak relationship.

## 7. LM: Age vs Loyalty

```
R-squared value: 6.384737472253654e-05  
Intercept value: [39.30095415]  
Coefficient value: [[-8.60093531e-05]]
```



- R-squared is very low (0.000064): age explains minimal variability in loyalty points.
- Coefficient: also very low (-0.742): tiny decrease of -0.742 in loyalty points for each year increase in age.
- Age and loyalty points display an extremely weak, if any, relationship.

## 8. Conclusions

|             | y = loyalty  |   |   |
|-------------|--|---|---|
|             | x = spending   | x = remuneration  | x = age   |
| R squared   | 43.17%   | 35.67%  | 0.01%   |
| Coefficient | 32.09  | 32.74   | -0.74   |
| Intercept   | -55  | -11   | 1587  |
| Conclusion  | Significant positive relationship between spending score and loyalty points. | Positive but weak relationship between remuneration and loyalty points. | Age and loyalty points exhibit an <b>extremely weak</b> , if any, relationship. |

## MODULE 2

I used only the numeric columns (spending\_score, age and remuneration) to build the decision tree to predict loyalty points. Then, I split the data in training.

```
Train MAE: 0.0
Test MAE: 26.175
Train R-squared: 1.0
Test R-squared: 0.9960547369776616
```

The model performed well on the training data, with an MAE of 0 and a perfect R-squared value of 1. The MAE was low on test data, at 26.175, but the R-squared value was slightly lower, at approximately 0.996. Overall, the model showed high predictive accuracy.

I ranked the importance of the variables, with remuneration and spending\_score showing roughly the same values.

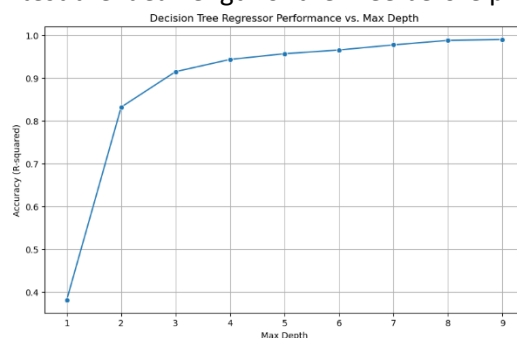
### Importance of the variables ¶

```
In [188]: # importance of each variable
dtc_input = reg
importance = pd.DataFrame({'feature':X_train.columns, 'importance':np.round(dtc_input.feature_importances_,3)})
importance = importance.sort_values('importance', ascending=False)
importance
```

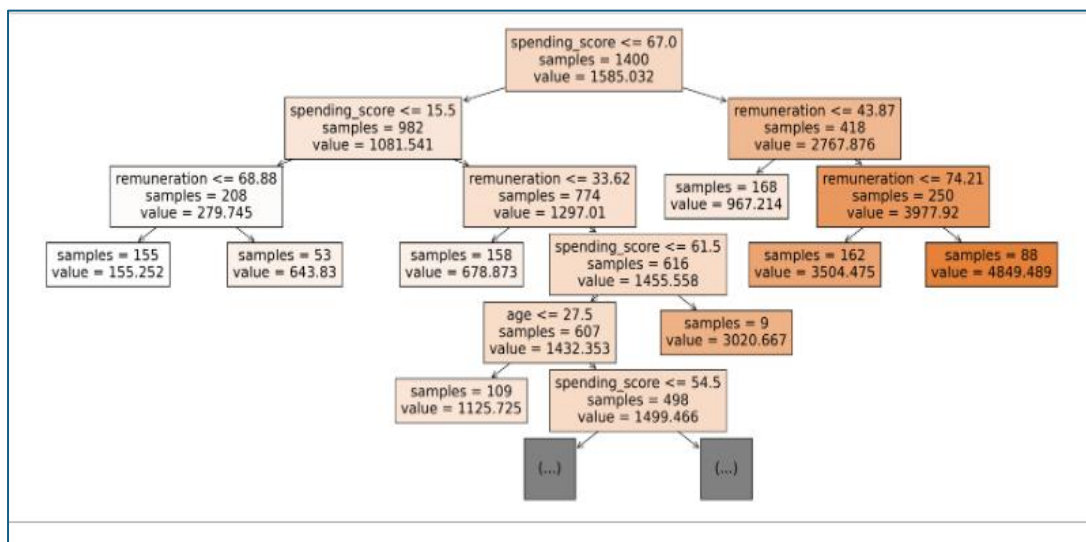
```
Out[188]:
```

|   | feature        | importance |
|---|----------------|------------|
| 1 | remuneration   | 0.498      |
| 2 | spending_score | 0.484      |
| 0 | age            | 0.018      |

I test the ideal length of the Tree before pruning it:



Obtaining the final pruned tree:

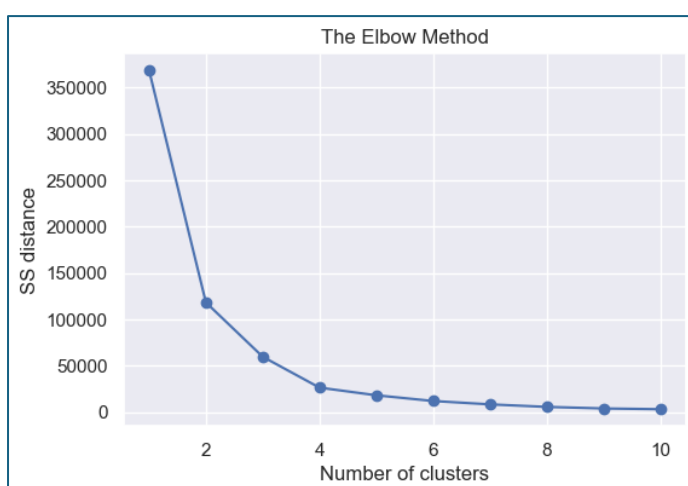


## MODULE 3

K-means clustering groups data based on similarity using centroids and a chosen distance metric. The algorithm splits data into clusters based on distances from centroids. To determine the optimal number of clusters, the Elbow and Silhouette Method are used to reduce the dataset while maintaining group homogeneity.

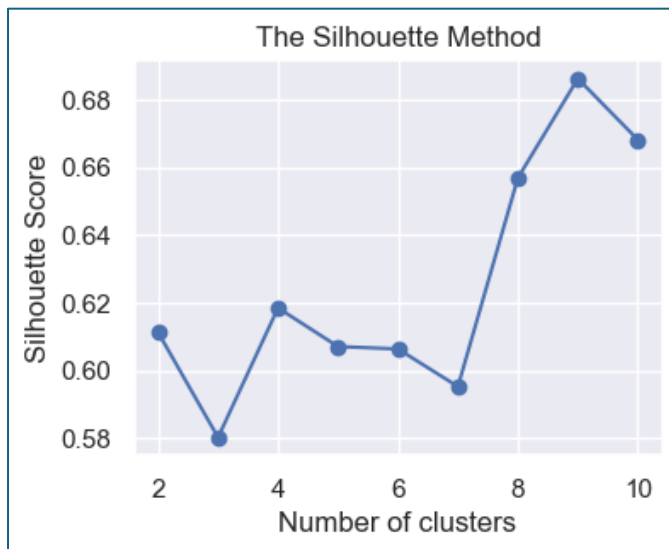
### Elbow Method

4 to 6 is the ideal number of clusters to maintain a significant level of homogeneity.

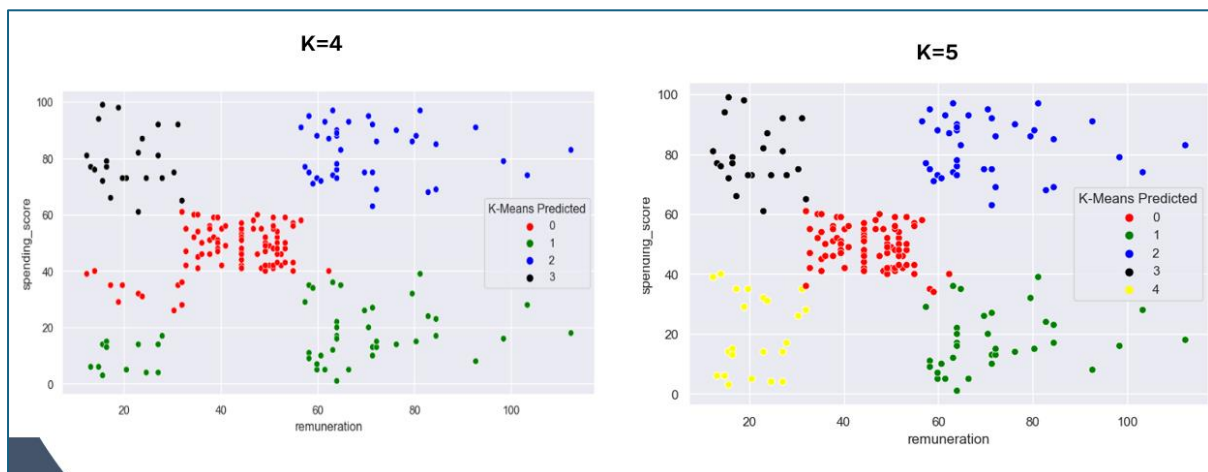


### The Silhouette

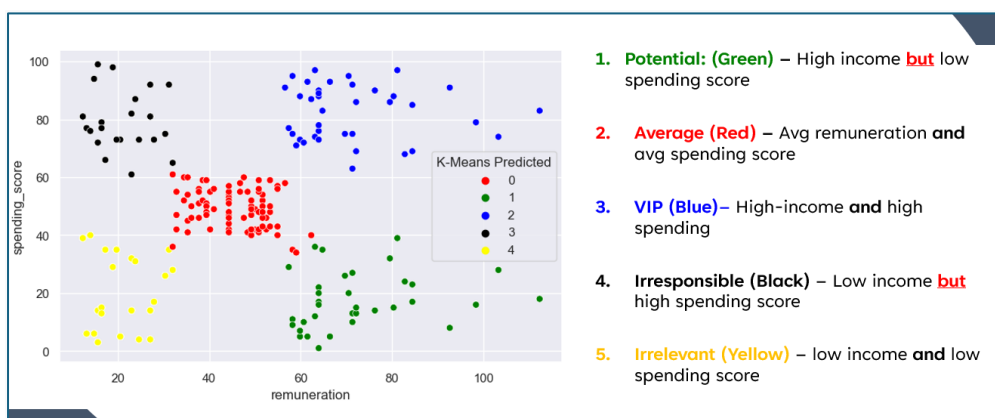
The silhouette score measures an object's similarity to its assigned cluster compared to others. In the chart below, 4 clusters are preferable to 5,6,7.

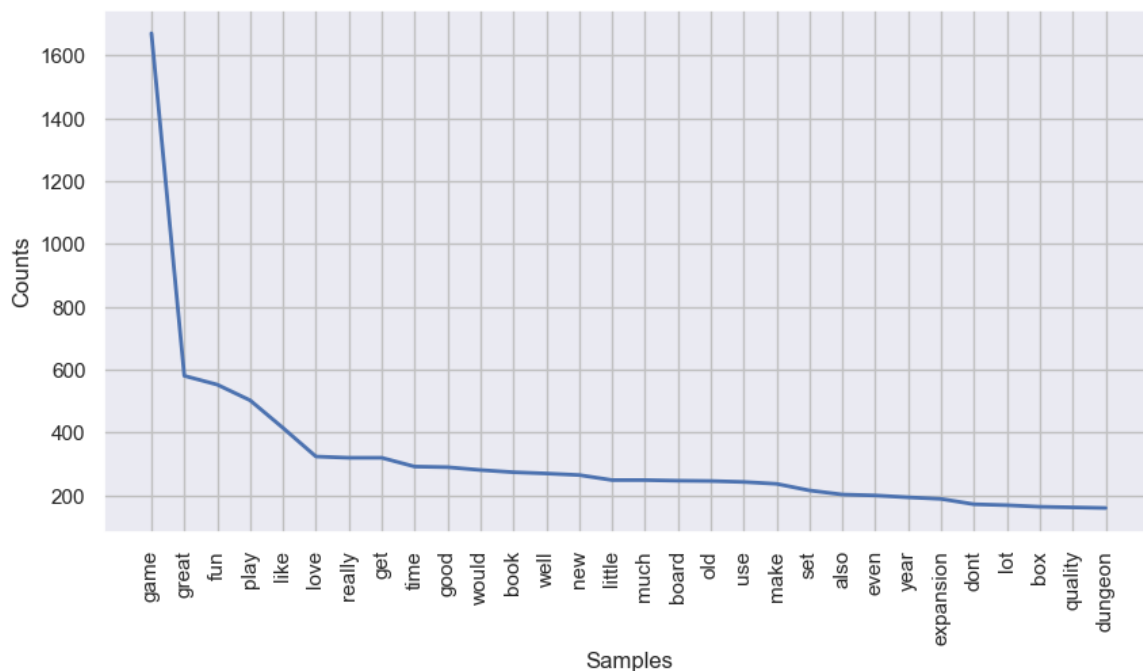


Tested and plotted k=4 and k=5

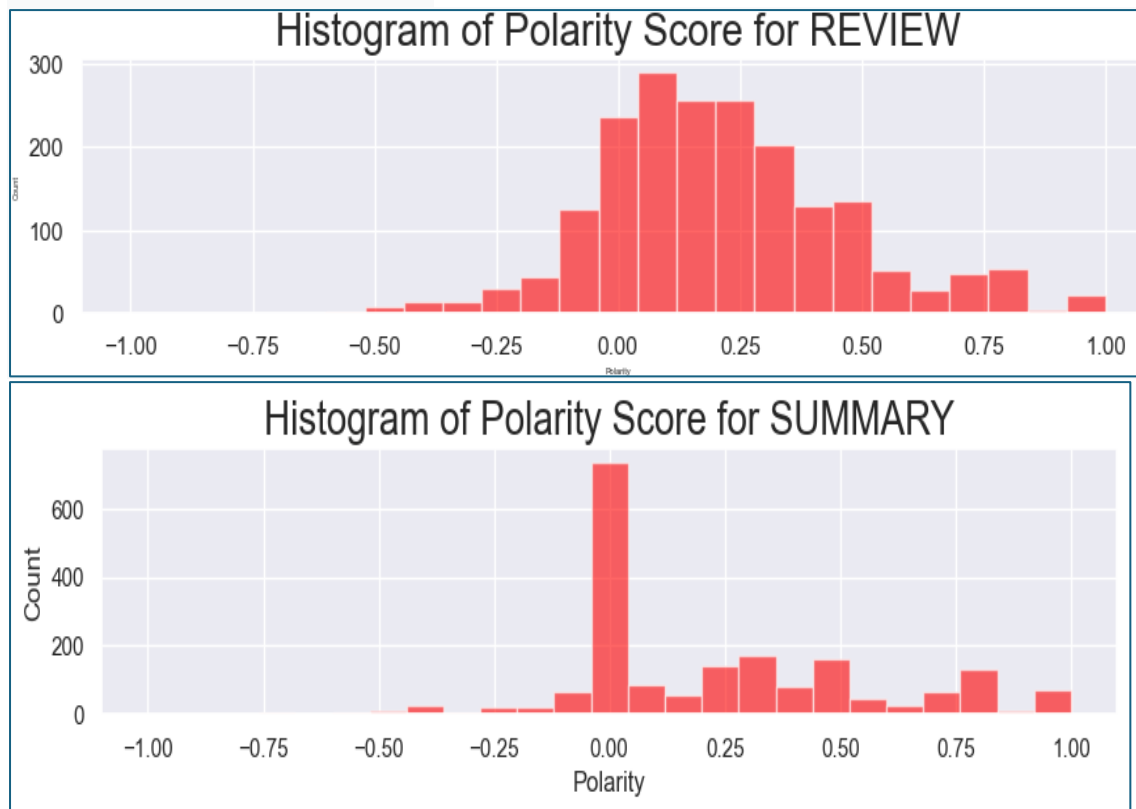


Choosing the right K is a subjective choice. The plotted data suggests that K=5 brings a higher level of homogeneity. Therefore, I continued with naming the cluster as presented below. Prioritise high-spending consumers but push incentives for the 'potential' cluster.





The polarity histograms of reviews and summaries show a right-tailed distribution, indicating an overall positive sentiment among reviews. When analysing the Subjectivity Scores, higher levels were found for reviews than summaries.<sup>B</sup>



Top Positive/ Top Negative Reviews using the polarity score

| Top Positive Reviews   |   | Top Negative Reviews |  |
|--|---|----------------------|--|
|  | review polarity_review                            |                      | review polarity_review                             |
| <ul style="list-style-type: none"> <li>✓ Condition</li> <li>✓ Set</li> <li>✓ Product</li> <li>✓ Toy</li> </ul> | came in perfect condition                         | 0                    | booo unless you are patient know how to measure... |
|  | awesome book                                      | 1                    | incomplete kit very disappointing                  |
|  | it is the best thing to play with and also min... | 2                    | im sorry i just find this product to be boring...  |
|  | awesome toy                                       | 3                    | one of my staff will be using this game soon s...  |
|  | this was perfect to go with the 7 bean bags i...  | 8                    | difficult  |
|  | my daughter loves her stickers awesome seller ... | 7                    | instructions are complicated to follow             |
|  | one of the best board games i played in along ... | 9                    | expensive for what you get                         |
|  | its awesome                                       | 5                    | this was a gift for my daughter i found it dif...  |
|  | awesome addition to my rpg gm system              | 4                    | i bought this as a christmas gift for my grand...  |
|  | best set buy 2 if you have the means              | 6                    | i found the directions difficult                   |
|  | awesome set                                       | 10                   | i sent this product to my granddaughter the po...  |
|  | awesome   | 11                   | my 8 yearold granddaughter and i were very fru...  |
|  | perfect   | 12                   | i purchased this on the recommendation of two ...  |
|  | wonderful for my grandson to learn the resurre... | 13                   | very hard complicated to make these                |
|  | delightful product                                | 18                   | i bought this for my son he loves this game        |
|  | wonderful product                                 | 14                   | kids i work with like this game                    |
|  | perfect just what i ordered                       | 15                   | this game although it appears to be like uno a...  |
|  | excellent activity for teaching selfmanagement... | 16                   | my son loves playing this game it was recommen...  |
|  | awesome gift                                      | 17                   | this game is a blast                               |
|  | excellent toy to simulate thought                 | 19                   | was a gift for my son he loves the game            |

- Difficult
- Complicated
- Frustrating
- Hard
- Expensive

Overall, consumers show a positive sentiment towards TG, with conditions, set and the product mentioned in top positive reviews. However, there are complaints about the games' difficulty and complexity and instructions.

## MODULE 5

Steps:

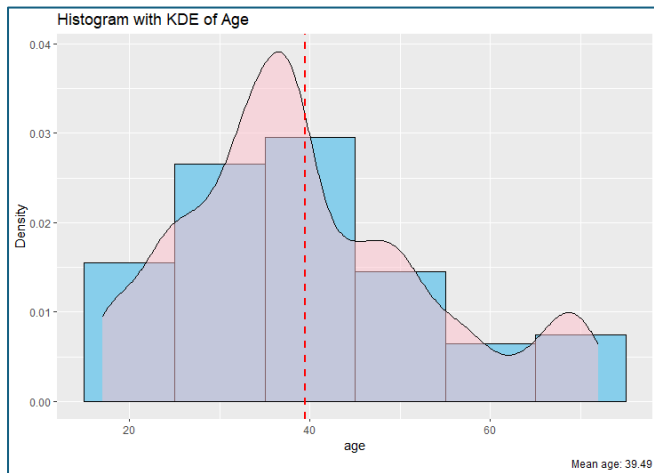


**Youko Fujino – LSE | Data Analytics Career Accelerator**  
**DA301\_Assignment**  
**22.04.2024**

- Install Packages & Import Libraries
- Pre-processing Data
- Exploratory Data Analysis

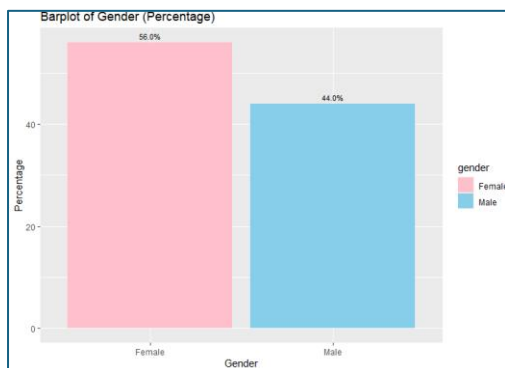
| Column         | Mean   | Max    | Min  | Mode  |
|----------------|--------|--------|------|-------|
| remuneration   | 48.1   | 112.3  | 12.3 | 44.28 |
| loyalty_points | 1578.0 | 6847.0 | 25.0 | 1014  |
| spending_score | 50.0   | 99.0   | 1.0  | 42    |
| age            | 39.5   | 72.0   | 17.0 | 38    |

## 1) AGE



Customers range in age from 17 to 72, with a mode of 38. The KDE exhibits a left-tailed distribution, with a higher density of younger customers.

## 2) GENDER

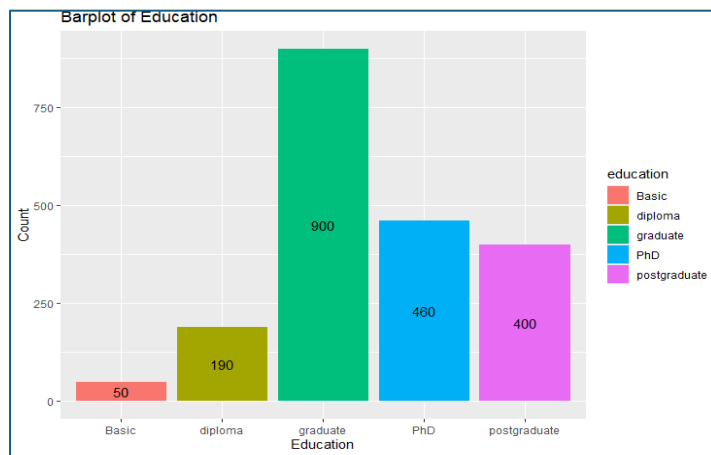


Majority women (56%), men (44%)

## 3) EDUCATION

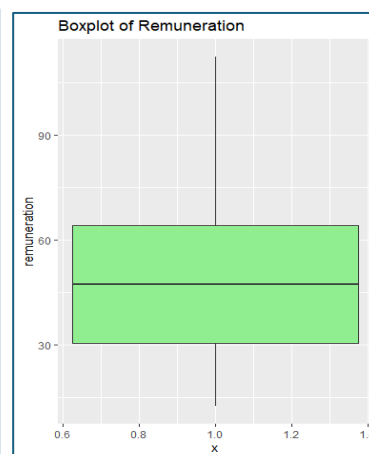
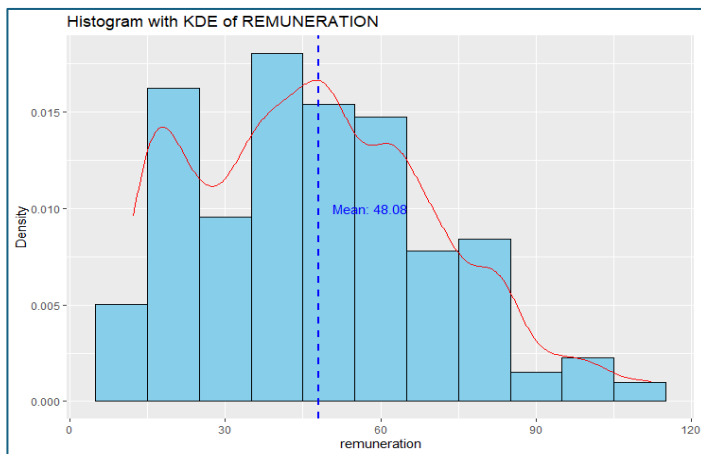
Most consumers are highly educated, with bigger groups: 1) graduate, 2)PHD, 3) Postgraduate.





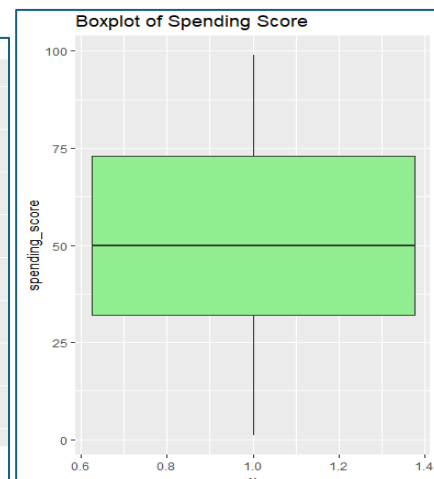
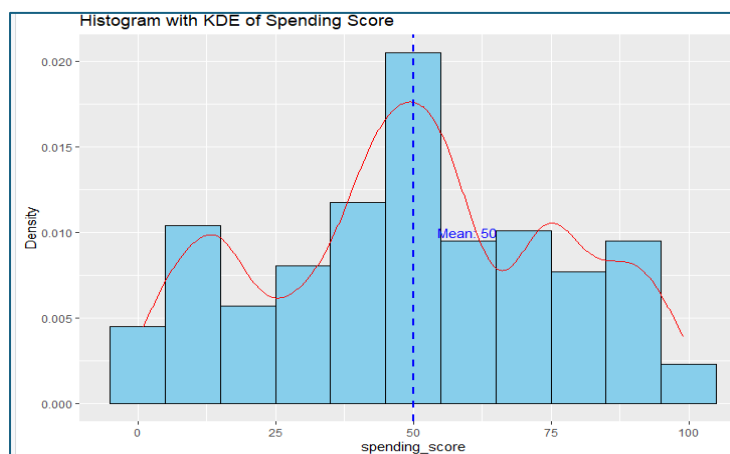
#### 4) REMUNERATION

Customers receive a remuneration of \$48.1k annually, with a concentration of values between \$15k and \$60k. Beyond \$60k/year, the distribution falls, showing a right-tailed pattern as evidenced by the KDE line.



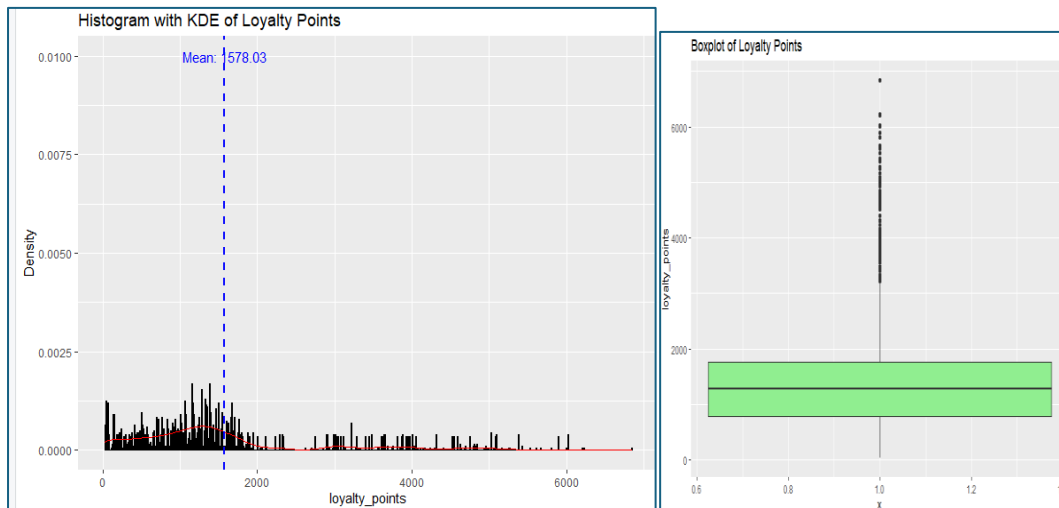
#### 5) SPENDING SCORE

The spending score exhibits a reasonably symmetrical distribution, centred around an average of 50.0. A prominent peak around the 50k range resembles a bell-shaped curve indicative of a normal distribution.



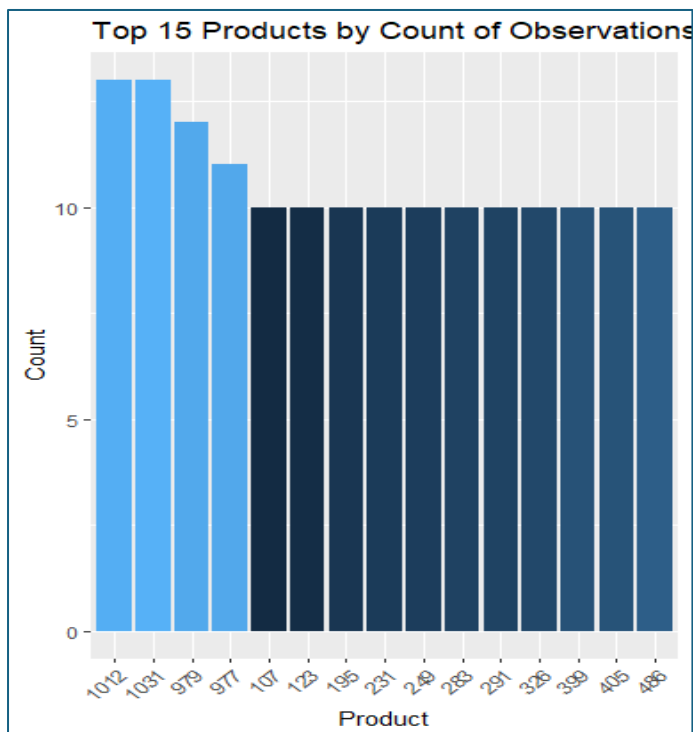
## 6) LOYALTY POINTS

The loyalty points boxplot indicates a wide presence of outliers in the high-end loyalty system. Most consumers have a range between 1k and 2k loyalty points, with outliers superior to 3k.



## 7) PRODUCTS CONSUMPTION

According to Metafile, products are assigned a unique code based on their description. There are 200 unique products registered.



## MODULE 6

### DESCRIPTIVE STATISTICS WITH R: Details in Appendix <sup>c</sup>

```
> print(descriptive_stats)
      Column  Mean   Max  Min  Mode    SD    IQ
1 remuneration  48.1 112.3 12.3 44.28  23.1  57.6
2 loyalty_points 1578.0 6847.0 25.0 1014 1283.2 2816.7
3 spending_score  50.0  99.0  1.0   42  26.1  50.0
4      age       39.5  72.0 17.0   38  13.6  42.8
> |
```

#### LOYALTY POINTS

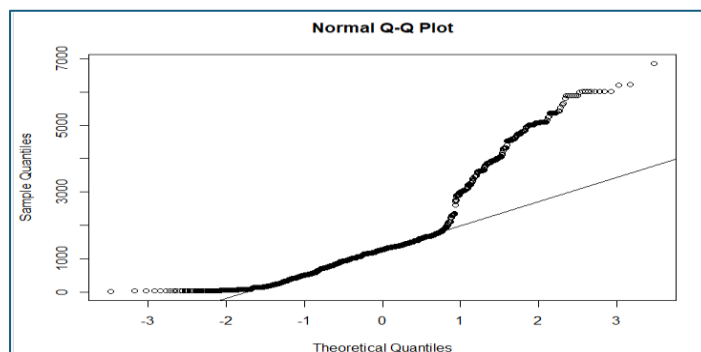
- The Shapiro Test

```
      shapiro-wilk normality test

data:  df$loyalty_points
W = 0.84307, p-value < 2.2e-16
```

The very small p-value < 2.2e-16 invalidates the null hypothesis of normality.

- Normal QQ Plot for Loyalty Points



- Skewness & Kurtosis

```
> skewness(df$loyalty_points)
[1] 1.463694
> kurtosis(df$loyalty_points)
[1] 4.70883
```

- a. The strong positive skewness of 1.46 indicates a significant right skewness, suggesting that the distribution is stretched more towards the higher values.
- b. The kurtosis of 4.71 indicates a high degree of peakedness and heavy tails, meaning there are more extreme values (outliers) than a normal distribution.

#### REMUNERATION

The Shapiro Test: The p-value < 2.2e-16 invalidates the null hypothesis of normality

```
shapiro-wilk normality test  
data:  df$remuneration  
W = 0.96768, p-value < 2.2e-16
```

- Skewness & Kurtosis

```
> skewness(df$remuneration)  
[1] 0.412842  
> kurtosis(df$remuneration)  
[1] 2.591949
```

- Positive skewness: distribution has a longer right tail, implying that some individuals have relatively high incomes, pulling the distribution towards the right.
- The kurtosis (2.59) indicates that the distribution is leptokurtic: heavier tails and a sharper peak than normal distribution.

### **SPENDING SCORE**

- The Shapiro Test : low p-level, invaliding the null hypothesis of normality

```
> shapiro.test(df$spending_score)  
  
shapiro-wilk normality test  
data:  df$spending_score  
W = 0.96835, p-value < 2.2e-16
```

- Skewness & Kurtosis

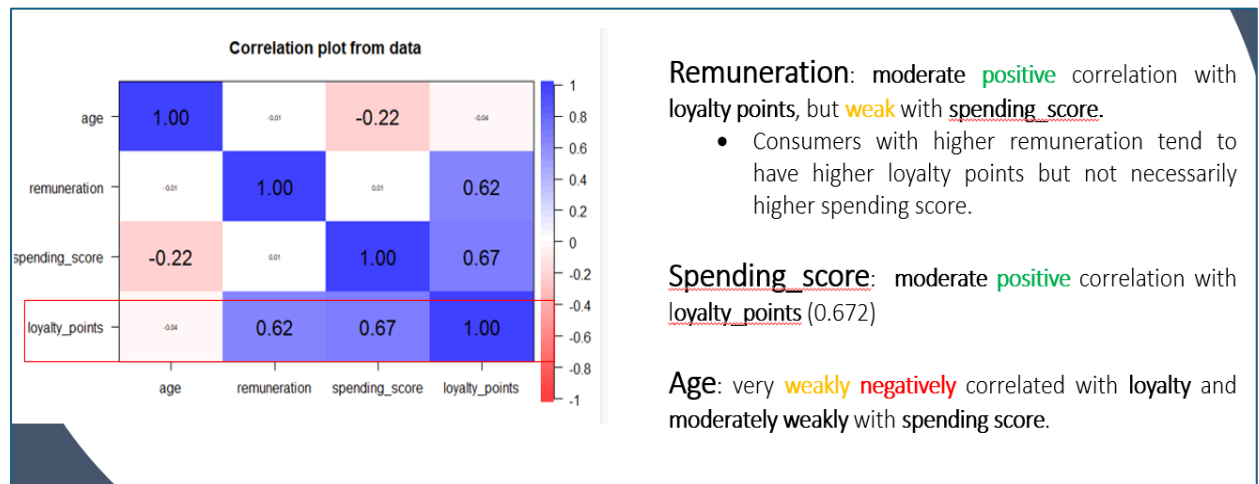
```
> skewness(df$spending_score)  
[1] -0.04161713  
> kurtosis(df$spending_score)  
[1] 2.110333
```

The spending\_score data has a slightly left-skewed distribution with a moderate degree of peakedness and heavier tails, but less pronounced than in a leptokurtic distribution. Despite a slight deviation from normality, the distribution is relatively close with minor deviations.

### **BUILDING AN MLR TO PREDICT LOYALTY POINT**

#### **VARIABLES**

- Age: very weakly negatively correlated with loyalty and moderately weakly with spending
- Remuneration: moderate positive correlation with loyalty points, but weak with spending\_score, implying that individuals with higher remuneration tend to have higher loyalty points but not necessarily the same uplift in spending\_score.
- Spending\_score: moderate positive correlation with loyalty\_points (0.672).



### CREATING A MODEL TO PREDICT LOYALTY POINTS

#### MODEL A = REMUNERATION + SPENDING\_SCORE

Syntax R (appendix)<sup>D</sup>

- Remuneration and spending score are significant predictors of loyalty points ( $p < 0.001$ ).
- For every unit increase in remuneration, loyalty\_points increase by 34 units.
- For every unit increase in spending\_score, loyalty\_points increase by 33 units.
- The model explains 82.7% of the variance in loyalty points.

#### MODEL B = REMUNERATION + SPENDING SCORE + AGE

Syntax R (appendix)<sup>E</sup>

- All predictors are significant ( $p < 0.001$ ) in predicting loyalty\_points.
- For every unit increase in remuneration, loyalty\_points increase by 34 units.
- For every unit increase in spending\_score, loyalty\_points increase by 34 units.
- For every year increase in age, loyalty\_points increase by 11 units
- The model explains 83.97% of the variance in loyalty\_points.

#### MODEL A OR MODEL B?

Models A and B show high R-squared values and significant p-coefficients.

Model B, including age, offers enhanced explanatory power. It suggests that older individuals tend to have higher loyalty points, which aligns with real-life expectations.

|                          | <b>y = loyalty</b>  |  |
|--------------------------|---|--|
|                          | A = REMUNERATION +<br>SPENDING_SCORE  | B = REMUNERATION +<br>SPENDING SCORE + AGE |
| <b>R squared</b>         | <b>82.70%</b>   | <b>83.97%</b>                              |
| <b>Coeff Remuneratio</b> | <b>34.0</b>   | <b>34.0</b>                                |
| <b>Coeff Spending</b>    | <b>33.9</b>   | <b>34.2</b>                                |
| <b>Coeff Age</b>         | <b>-</b>  | <b>11.1</b>                                |
| <b>Conclusion</b>        | Models A nd B show high R-squared values and significant p-coefficients.<br>Model B, including age, offers enhanced explanatory power. It suggests that older individuals tend to have higher loyalty points, which aligns with real-life expectations. |  |

### DEMO: USING THE MODEL B TO PREDICT LOYALTY POINTS

Appendix<sup>F</sup>

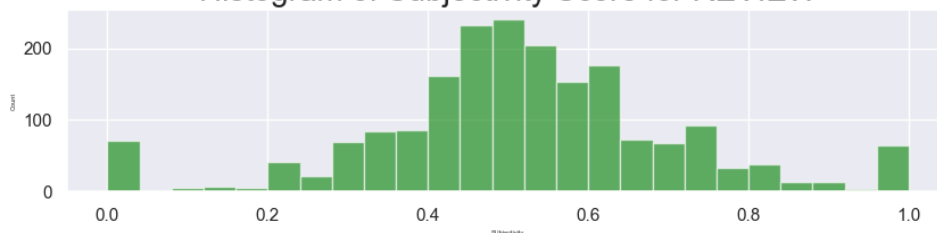
## Appendix

### <sup>A</sup> STEPS TO BUILD A LINEAR REGRESSION

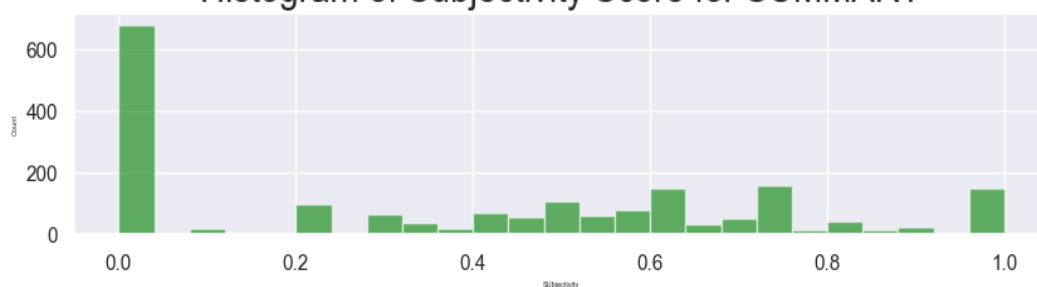
- 1) Define the dependent variable and independent variables
- 2) Specify the linear regression model (lm), test the model and predict the training dataset
- 3) Evaluate the goodness of fit of the model, obtaining the R-squared, intercept and coefficient value
- 4) Plot the regression

### <sup>B</sup> SUBJECTIVITY HISTOGRAMS

Histogram of Subjectivity Score for REVIEW



Histogram of Subjectivity Score for SUMMARY



### <sup>C</sup> DESCRIPTIVE STATISTICS WITH R

- 1) Remuneration: the average annual income is \$48.1k, with a notable standard deviation of \$23.1k, indicating variability. The maximum remuneration is \$112.3k, while the minimum is \$12.3k, with a wide range of remuneration in the dataset.
- 2) Loyalty points: Customer loyalty levels vary significantly, with a mean of 1578.0 and a substantial standard deviation of 1283.2.
- 3) Spending score distribution displays a symmetrical pattern, with a mean of 50.0 and a standard deviation of 26.1, indicating moderate variability in spending behaviour. Notably, the mode of spending score closely aligns with the mean, suggesting a concentration of values around the average spending level.

### <sup>D</sup> SYNTAX R – MODEL A

#### MODEL A = REMUNERATION + SPENDING\_SCORE

```
# Create a MLR for LOYALTY points
# specify the lm function and the variables.
modela = lm(loyalty_points~remuneration+spending_score, data=numeric_df)
# Print the summary statistics.
summary(modela)
```

#### Output

```
Residuals:
    Min       1Q   Median       3Q      Max
-1646.02  -363.66   40.34   280.59  1999.95

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)  -1700.3051    35.7396  -47.58  <2e-16 ***
remuneration    33.9795     0.5166   65.77  <2e-16 ***
spending_score  32.8927     0.4578   71.84  <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 534.1 on 1997 degrees of freedom
Multiple R-squared:  0.8269,    Adjusted R-squared:  0.8267
F-statistic: 4770 on 2 and 1997 DF,  p-value: < 2.2e-16
```

### <sup>E</sup> SYNTAX R – MODEL B

#### MODEL B = REMUNERATION + SPENDING SCORE + AGE

```
#MODEL B (remuneration + spending_score + age)
# specify the lm function and the variables.
modelb = lm(loyalty_points~remuneration+spending_score+age, data=numeric_df)
# Print the summary statistics.
summary(modelb)
```

#### Output



```
Residuals:
    Min       1Q   Median       3Q      Max
-1819.11  -350.84    4.61   291.00  1894.62

Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)  -2203.0598    52.3609  -42.08  <2e-16 ***
remuneration    34.0084     0.4970   68.43  <2e-16 ***
spending_score  34.1832     0.4519   75.64  <2e-16 ***
age            11.0607     0.8688   12.73  <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 513.8 on 1996 degrees of freedom
Multiple R-squared:  0.8399,    Adjusted R-squared:  0.8397
F-statistic: 3491 on 3 and 1996 DF,  p-value: < 2.2e-16
```

#### F DEMO: APPLYING MODEL B TO PREDICT LOYALTY POINTS

##### Scenario 1 (High remuneration, low spending\_score, avg age)

The predicted loyalty\_points is 1497.34.

##### Scenario 2 (Low remuneration, high spending\_score, avg age)

The predicted loyalty\_points is 1755.49.

```
# Scenario 1: High remuneration(3rd quartile), low spending_score (1st quartile), and average age
scenario1 <- data.frame(remuneration = 63.96, spending_score = 32, age = 39)

# Scenario 2: Low remuneration (1st quartile), high spending_score (3rd quartile), and average age
scenario2 <- data.frame(remuneration = 30.34, spending_score = 73, age = 39)

# Predict using Model B
loyalty_points_B_scenario1 <- predict(modelb, newdata = scenario1)
loyalty_points_B_scenario2 <- predict(modelb, newdata = scenario2)

print("Predictions using Model B:")
print(paste("Scenario 1 (High remuneration, low spending_score):", loyalty_points_B_scenario1))
print(paste("Scenario 2 (Low remuneration, high spending_score):", loyalty_points_B_scenario2))
```