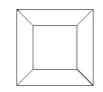
3D OpenGL Basic Models Hierarchical Modeling

GLUT 3D Models

- Two main categories
 - Wireframe Models
 - Solid Models
- Basic Shapes
 - Cube: glutWireCube(), glutSolidCube()
 - Cone: glutWireCone(), glutSolidCone()
 - Sphere, Torus, Tetrahedron
- More advanced shapes
 - Octahedron, Dodecahedron, Icosahedron
 - Teapot (symbolic)

Basic 3D GLUT Objects



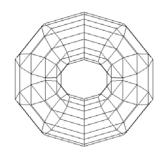
glutWireCube(1.0);



glutWireSphere(0.5,10,10);

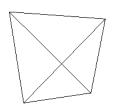


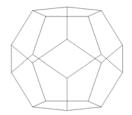
glutWireCone(1, 1, 10, 10);



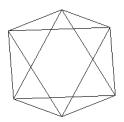
glutWireTorus(0.5,1.5,10,10)

GLUT Platonic Objects

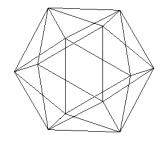




glutWireTetrahedron(); glutWireDodecahedron();

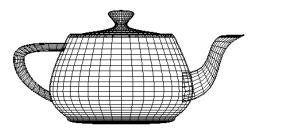


glutWireOctahedron();



glutWireIcosahedron();

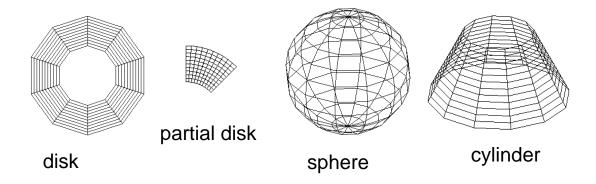
GLUT Object (Symbolic)



glutWireTeapot(1.0);

GLU Models

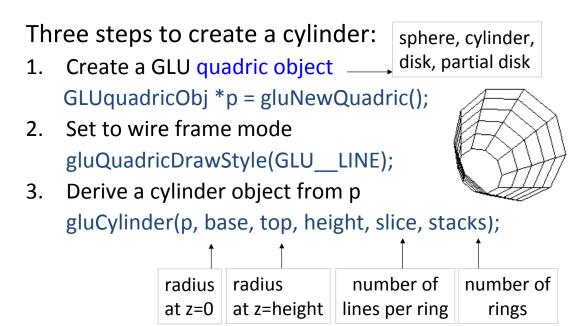
- GLUT does not provide a Cylinder object
- GLU provides so called *Quadrics* objects:



Quadrics

- Algebraic surface
 - f(x,y,z) is the sum of polynomials in x, y, z
- Quadric surface
 - Algebraic surfaces with a degree up to 2
 - Examples: x, y, xy, z², but not xy²
- Quadrics:
 - Spheres, disks, cones
 - At most 2 intersections with lines
 - Approximate quadrics surface by polygons

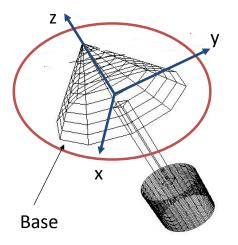
gluCylinder



Default position is with base on plane z = 0.

glutWireCone

Use glutWireCone and gluCylinder to make a lamp

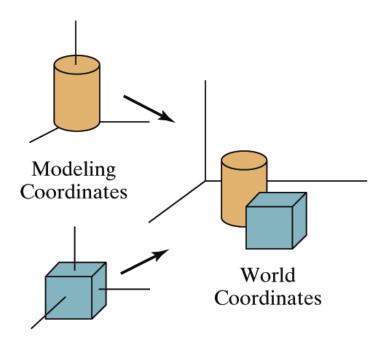


glutWireCone(base, height, slices, stacks)

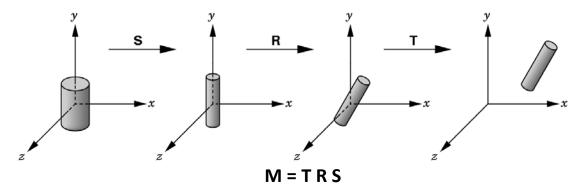
base: the width of its base height: the height of the cone slices: number of vertical lines stacks: number of horizontal lines

A polygonal approximation of a cone. Default position: base at z=0.

Review: Model to World Frame



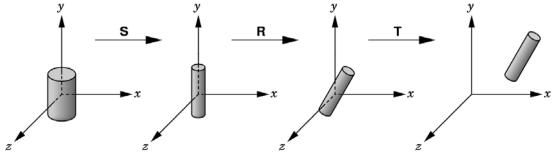
Model Frame to World Frame



In OpenGL

- Appropriate transformation set up from the model frame (frame of symbols) to the world frame
- Apply it to the MODELVIEW matrix BEFORE EXECUTING the code

Model → World



```
glMatrixMode(GL_MODELVIEW);  /* M = T R S */
glLoadIdentity ( );
glTranslatef (....);
glRotatef (...);
glScalef(..);
gluCylinder (....) /* or other symbol */
```

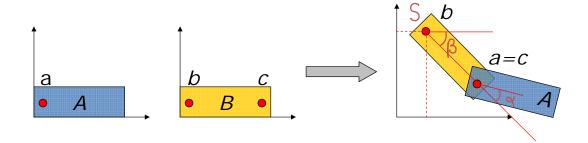
Hierarchical Models

Articulated Models

- Rigid parts connected by joints
- [Demo 3D Robot]
- By modeling joint angles, you can do animations
- Question is, given all the join angles, how do you draw the model?

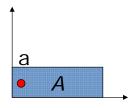


Making an Articulated Arm



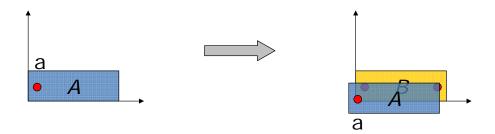
- A minimal 2D jointed object:
 - Two pieces, A ("forearm") and B ("upper arm")
 - Attach point c on B to point a on A ("elbow")
- Desired parameters:
 - shoulder position 5 (point at which b winds up)
 - shoulder angle β (A and B rotate together about b)
 - elbow angle α (A rotates about a, which stays attached to c)

Making an Arm, step 1

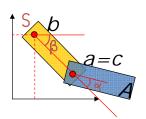


- Start with A and B in their untransformed configurations (B is hiding behind A)
- First apply a series of transformations to *A*, leaving *B* where it is...

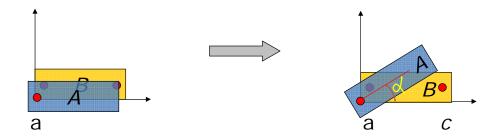
Making an Arm, step 2



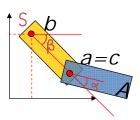
- Translate by -a, bringing a to the origin
- You can now see B peeking out from behind A



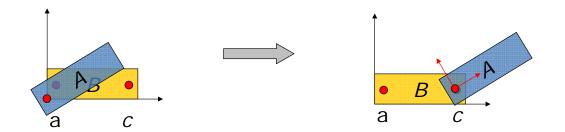
Making an Arm, step 3



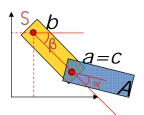
• Next, we rotate A by the "elbow" angle α



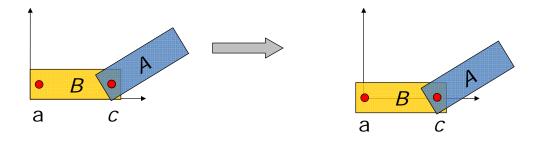
Making an Arm, step 4



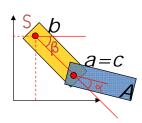
- Translate A by c, bringing a and c together to form the elbow joint
- We can regard c as the origin of the *lower arm* coordinate system, and regard A as being in this coordinate system.



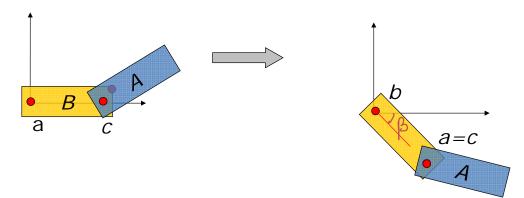
Making an Arm, step 5



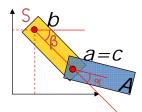
- From now on, each transformation applies to both A and B (This is important!)
- Translate by -a, bringing a to the origin
 - A and B both move together, so the elbow doesn't separate!



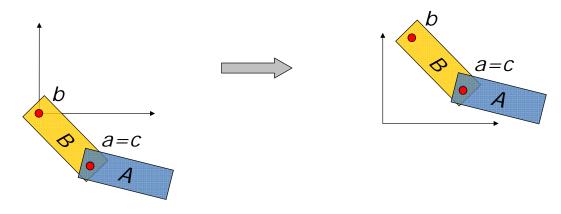
Making an Arm, step 6



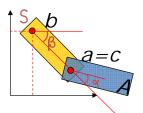
- \bullet Next, rotate by the "shoulder" angle $\!\beta$
 - again, A and B rotate together



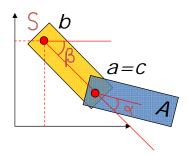
Making an Arm, last step



- Finally, translate by the shoulder position *S*, bringing the arm where we want it
- b is at origin of upper arm coordinate system

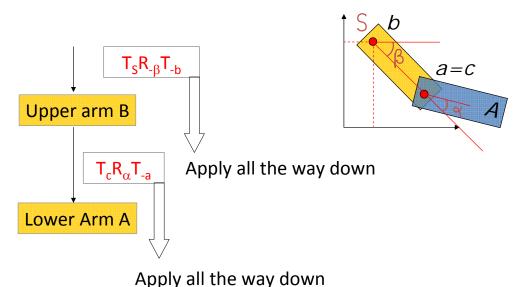


Note that ...

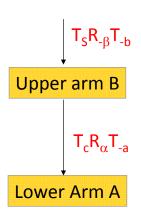


- S, α , and β are parameters of the model
- But a, b, and c are structural constants.
- Changing S, α , or β wiggles the arm
- Changing a, b, or c dismembers it
 - (useful only in video games!)

Hierarchical Transforms



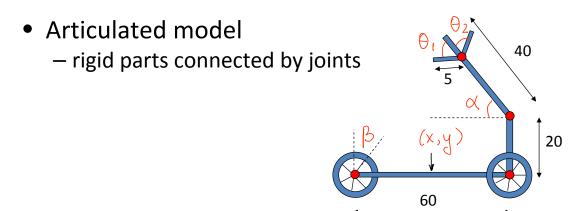
Hierarchical Transforms in OpenGL



- Down edges:
 - Push, transform, draw
- Up edges:
 - Pop.

glLoadId	• • • • • • • • • • • • • • • • • • • •	
glPushM	iatrix();	
-		
-		
_		
glPushM	latrix();	
-		
-		
_		
glPopMa	•••	
glPopMa	atrix();	

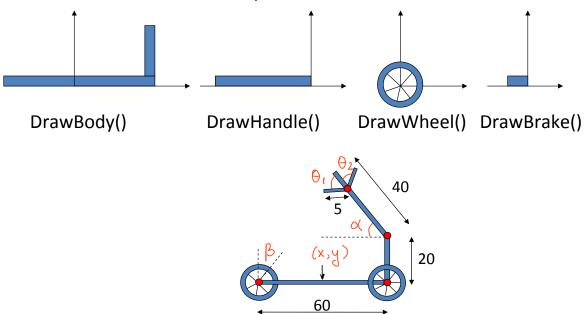
Articulated Model Exercise

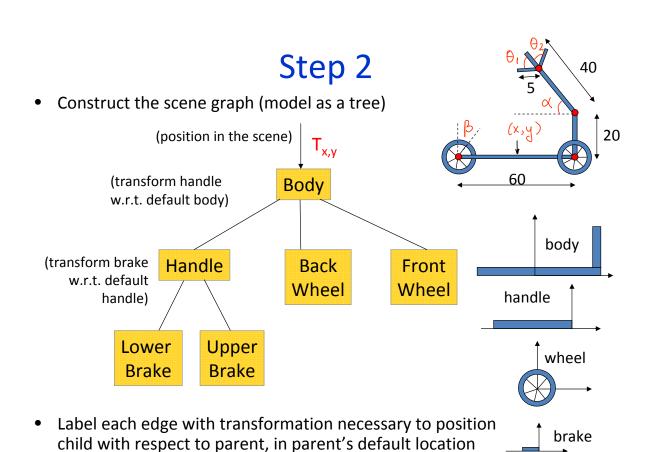


• Given x, y, α , β , θ_1 and θ_2 , draw the scooter.

Step 1

• Write functions that draw parts in default location:

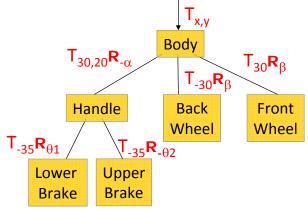




Step 3

• Code it up: glMatrixMode(GL_MODELVIEW);

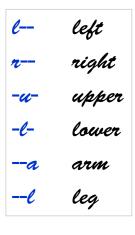
```
glPushMatrix();
glTranslatef(x, y);
DrawBody();
```

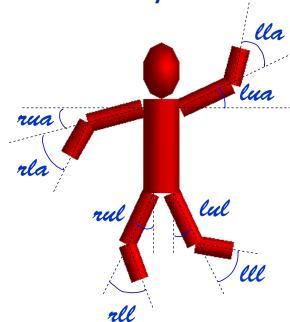


• Down edges: Push, transform, draw. Up edges: Pop.

Back to the Robot ...

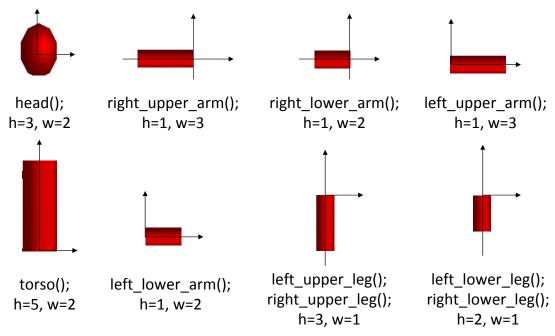
Robot Guy





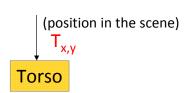
Step 1

• Write functions that draw parts in default location



Step 2

• Scene Graph (Tree)

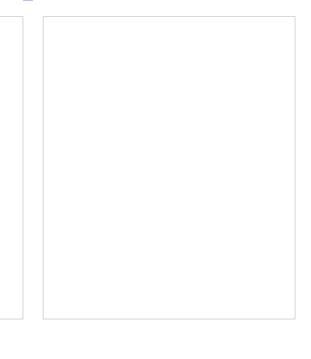




Step 3

• Code it up: glMatrixMode(GL_MODELVIEW);

```
glPushMatrix();
glTranslatef(x, y);
torso();
```



Hands-on Session

- Download robotSkeleton.cpp from class website
- Complete Steps 1, 2, 3 to draw the robot
- Add Keyboard events to make robot move and increase/decrease joint angles
- Add a menu that allows selection of individual joints and manipulation of joint angles (+, -)
- Add Idle or Timer events to make robot dance

Summary

- GLUT 3D Models
 - Cube, sphere, cone, torus, teapot
 - Tetr/oct/dodec/icos -- ahedron
- GLU Models
 - Cylinder, sphere, disk, partial disk
- Hierarchical Modeling
 - Transform each object relative to its parent
 - Transformation applies to parent and ALL children
 - Convenient for static models
 - Vital for animations