Q→ Civer ar integer array & t ∀ i A[i] = 0.
Return the final A[] after performing multiple queries.

Query $\rightarrow (i, x) \rightarrow Add \times to all numbers from A[i] to A[N-1].$

Benteforce
$$\rightarrow \frac{\forall \text{ query }}{0(0)}$$
 add $\times \text{ from } \underline{i \text{ to } (N-1)}$.
 $0(0) \quad * \quad 0(N) \quad \longrightarrow TC = 0(0 \times N)$
 $SC = \underline{0(1)}$

$$P[i] = P[i-1] + A[i]$$

$$A[i] += A[i-1]$$

$$i \rightarrow N-1 \leftarrow \text{prefixe seem left to Right}$$

$$i \leftarrow N-1 \quad \text{Suffix seem Right to Left}$$

Averies
$$A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 & 5 & 6 \\ 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix}$$
 Averies one by one $(1,3)$ $(1,2)$ $(1,2)$ $(1,2)$ $(1,2)$ $(1,2)$ $(1,3)$ $(1,2)$ $(1,3)$

I($\rho \rightarrow I = [1 \ 4 \ 3]$

$$X = [3 \ 2 \]$$

 $A \rightarrow \text{ Giver are integer array } s.t. \forall i. A[i] = 0.$ Return the final A[] after performing multiple queries.

```
Query (i,j,x) \rightarrow Add x to all numbers from A[i] to A[j].
        A = [0 \ 0 \ 9 \ 0 \ 0 \ 0]
         [-1455110]
      A = [0 0 0 0 0 0 0 ] Query
          A - [0 0 0 0 0 0 0]
 Query 0 1 2
                         (1, 3, 5) +5 +5 +5 +5 (1, 5)
                                            -5 -5 -5 (3+1,-5)
(1,3,5) \qquad I = \begin{bmatrix} 1 & 2 & 0 \end{bmatrix}
(2,5,1) J=[353]
(0, 3, -1) k = [5, 1, -1]
                                          +5 +5 +5 +5 (3, 6, 5)
        for k \rightarrow 0 to (\theta^{-1})
                                                   (3,5) (6+1,-5)
            i = I[k]
                               Irden out of bourd
            j = J[k]
            x = X[k]
            A[i] +=x
          A4+17-=2
     for i \rightarrow 1 to (N-1) } perefix sum
A[i] += A[i-1]
```

```
for k \rightarrow 0 to (\theta-1)
i = I[k]
j = J[k]
x = X[k]
A[i] += x
if (j+1 < N) \quad A[j+1] -= x
for \quad i \rightarrow 1 \text{ to } (N-1) \quad prefix sum}
A[i] += A[i-1]
return A
```

0 → liver or integer array, find more value of f(i, j).

$$A = [1 \ 3 \ 5 \ 2] \longrightarrow 5 - 1 = 4$$
 $SC = 0(1)$
 $A = [-1 \ -3 \ -5 \ -2] \longrightarrow -1 - (-5) = 4$

0 - when an integer array, find more value of f(i,j).

$$f(i,j) = |A|i| - A|j| + |i-j|$$
 $\forall i,j index$

$$A = \begin{bmatrix} 1 & 3 & -2 \end{bmatrix} \quad i \quad j \quad [A|i] - A|j| \quad [i-j] \quad f(i,j)$$

$$0 \quad 0 \quad |1-1| = 0 \quad |0-o| = 0 \quad 0 + 0 = 0$$

$$|x| \rightarrow x \quad ij \quad x = 0 \quad 0 \quad 1 \quad |1-3| = 2 \quad |0-i| = 1 \quad 2 + 1 = 3$$

$$-x \quad ij \quad x < 0 \quad 0 \quad 2 \quad |1-(-x)| = 3 \quad |0-2| = 2 \quad 3 + 2 = 5$$

$$|3-1| = 2 \quad |1-0| = 1 \quad 2 + 1 = 3$$

$$|-2| = -(-2) - 2 \quad 1 \quad |1 \quad 3 - 3| = 0 \quad |1-1| = 0 \quad 0 + 0 = 0$$

$$|51 = 5 \quad 1 \quad 2 \quad |3-(-2)| = 5 \quad |1-2| = 1 \quad 5 + 1 = 6 \quad (M_{N_2})$$

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$$|51 = 5 \quad 1 \quad 2 \quad |5-2-(-2)| = 0 \quad |5-2| = 0 \quad 0 + 0 = 0$$

$$|51 = 5 \quad 1 \quad 2 \quad |5-2-(-2)| = 0 \quad |5-2| = 0 \quad 0 + 0 = 0$$

Observations $\rightarrow i$ $(i = = j) \Rightarrow f(i,j) = 0 \rightarrow ignore$ $\Rightarrow min(f(i,j)) = 0$

$$\begin{cases}
(i,j) = \frac{|A|i| - A|j|}{>=0} + \frac{|i-j|}{>=0} & \forall i,j \text{ index} \\
\text{Only where } (i>j) \text{ or } (j>i).
\end{cases}$$

$$Ans = f(2,5) \longrightarrow f(5,2)$$

$$f(i,j) = |Aij| - Aij| + (i-j) \qquad \forall i > j \rightarrow i-j > 0$$

$$f(x,y) = x^2 - 3y + 8x - 2 + y^3 - 2$$

$$|x| \rightarrow x \text{ if } x \ge 0$$

$$-x \text{ if } x < 0$$

$$(Aii) = Aij : 1)$$

$$\{(i,j) = Aii : Aij : 1)$$

$$\{(i,j) = (Aii) + Ai : -1)$$

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$$A = \begin{bmatrix} 1 & 3 & -2 \end{bmatrix}$$

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$$Aii : 1$$

$$Aii :$$

$$A = \begin{bmatrix} 0 & 3 & -2 \\ 1 & 3 & -2 \end{bmatrix}$$

$$A = \begin{bmatrix} 0 & -1 & 2 \\ 1 & -4 & -2 \end{bmatrix}$$

$$A = \begin{bmatrix} 0 & -1 & 2 \\ 1 & -4 & -2 \end{bmatrix}$$

$$TC = O(N)$$

$$\begin{cases} (0,2) \to 5 \\ (1,2) \to [-4-(-2)]+[1-2] = 2+1 = 3 \end{cases}$$

$$\begin{cases} (0,1) \\ |1-(-4)|+|0-1| = 5+1 = 6 \end{cases}$$

$$A = \begin{bmatrix} 1 & 3 & 8 & 5 & 6 \\ 3 & 8 & 5 & 6 \\ 1 & 1 & 1 & 6 \\ 1 & 1 & 1 & 6 \\ 1 & 1 & 1 & 1 \end{cases}$$

0 → Fird the mose subarray sum \ subarrays in the array. continuous part of array

$$A = \begin{bmatrix} 0 & 1 & 2 \\ 1 & 3 & -2 \end{bmatrix}$$

return ars

$$\begin{bmatrix}
1 & \longrightarrow 1 \\
1 & 3 & \longrightarrow 4 \\
1 & 3 & -2 & \longrightarrow 2
\end{bmatrix}$$

$$\begin{bmatrix}
3 & -2 & \longrightarrow 3 \\
1 & -2 & \longrightarrow 1 \\
-2 & \longrightarrow -2
\end{bmatrix}$$

suborrays =
$$N * (N+1)$$
 ~

[1 3]
$$\rightarrow \underline{4}$$
 (Ane)

Bruteforce $\rightarrow \underline{V}$ subarrays colculate sum

Let \underline{V} subarrays colculate sum

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 \underline{V} subarrays colculate sum

 \underline{V} \underline{V}

ars = 07 INI_HIN or A[e]
$$\sqrt{}$$
for $i \rightarrow 0$ to $(N-1)$ ||start

sum = 0

for $j \rightarrow i$ to $(N-1)$ ||erd

sum += A[j]

ars = mosc (ars, sum)

$$A = [-2] - 8 - 1]$$

$$Ans = -1$$

$$-8 < -2 < -1$$

Observation $\rightarrow 1$ Vi Ali] > = 0 \rightarrow Ans = $\sum_{i=0}^{N-1} A[i]$ (include all elemente)

2) Vi A[i] <0 -> Ans = mox (A) (exclud negative elemente)

not include -5 as it will decrease subarray sum.

cornot include 10 alone because - subarray is continuous.

include 10-5 = 5 : it is increasing sum.

for
$$i \rightarrow 0$$
 to $(N-1)$
 $sum += Ali]$
 $ars = man(ars, sum)$

if
$$(sum < 0)$$

 $sum = 0$

return are

$$TC = O(N)$$
 $SC = O(I)$ 2 = TO

Kadare's Algo

$$A = \begin{bmatrix} -2 & -8 & -1 & -3 \end{bmatrix} \rightarrow And = -1$$

H.W → Find any one subarray with more sum i.e find L, R s.t. sum of subarray from L to R

$$A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 \\ 3 & 8 & -20 & 8 & 3 \end{bmatrix}$$