d → liver or integer array, replace every element ALi7 with product of all array elements except itself.

$$A = \begin{bmatrix} 2 & 4 & 1 & 3 & 5 \end{bmatrix}$$

$$A = \begin{bmatrix} 2 & 4 & 1 & 3 & 5 \end{bmatrix}$$

$$A = \begin{bmatrix} 1 & 6 & 2 & 3 \end{bmatrix}$$

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$$A = \begin{bmatrix} 1 & 6 & 6 & 18 & 12 \end{bmatrix}$$

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$$A = \begin{bmatrix} 1 & 6 &$$

$$\begin{array}{ll} \underline{Sol1} \rightarrow & \rho = 1 & TC = O(N) & No \text{ overflow issue.} \\ & \text{for } i \longrightarrow 0 \text{ to } (N-1) & SC = \underline{O(1)} \\ & \rho \ \, * = Ali] \\ & \text{for } i \longrightarrow 0 \text{ to } (N-1) \\ & Ali] = \rho / Ali) \longrightarrow \mathcal{I}(Ali] == 0) \longrightarrow \text{even!} \end{array}$$

(Ali] = = 0) → Ali) → product of all remaining element

All remaining element → 0

If there are >1 (Ali) ==0) then \(\frac{1}{2} Ali] =0

If only '+' is allowed i.e no ' operator ear be used.

$$A = \begin{bmatrix} 2 & 4 & 1 & 3 & 5 \end{bmatrix}$$

$$1 \times 1 \times 3 \times 5 \qquad 2 \times 4 \times 3 \times 5 \qquad 2 \times 4 \times 1 \times 3 \qquad Ahi = \text{product } f \text{ elements } f \text{ prom}$$

$$= 60 \qquad = 120 \qquad = 24 \qquad \text{index } 0 \text{ to } (i-1)$$

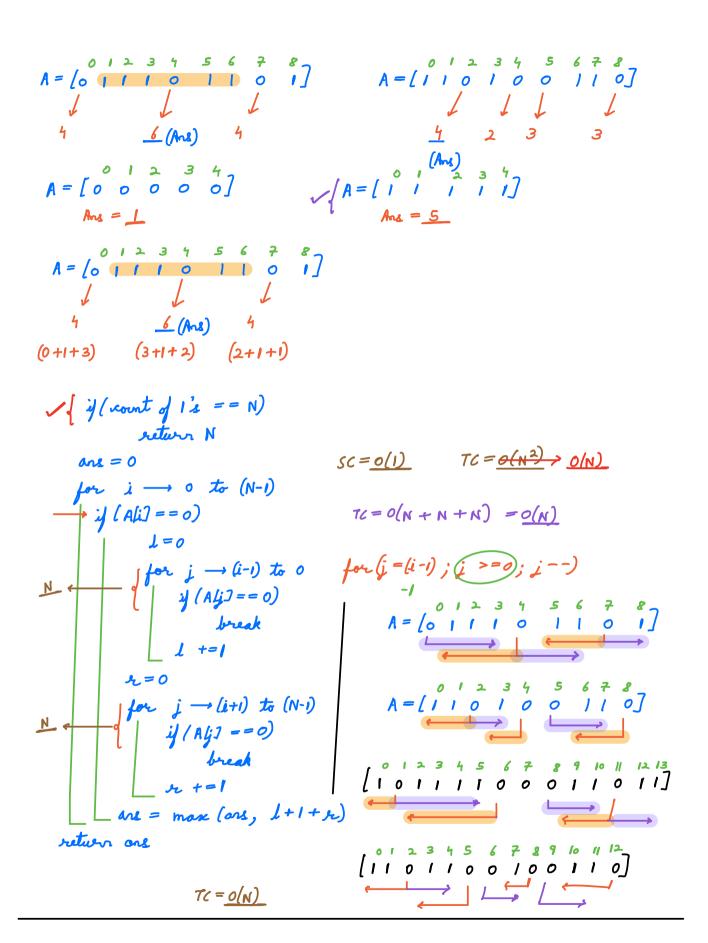
$$2 \times 1 \times 3 \times 5 \qquad 2 \times 4 \times 1 \times 5 \qquad *$$

```
= 30 = 40
\begin{bmatrix} 60 & 30 & 120 & 40 & 24 \end{bmatrix}
                                                          product of elemente from
                                                       index (i+1) to (N-1).
                           prefix product P[i] = A[i] * P[i-1]
                            suffix product Sli] = Ali] * S[i+1]
      (Ali+1) * Ali+2] - - . * Aln-1]) -> PIN-1] / Pli]
 A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 \\ 2 & 4 & 1 & 3 & 5 \end{bmatrix}
P = \begin{bmatrix} 2 & 8 & 8 & 24 & 120 \end{bmatrix}
S = \begin{bmatrix} 120 & 60 & 15 & 15 & 5 \end{bmatrix}
\begin{bmatrix} 60 & 30 & 120 & 40 & 24 \end{bmatrix}
                                                TC = O(N) SC = O(N)
   P[G] = A[G]
  for i \rightarrow 1 to (N-1)
     Pli] = Pli-1] * Ali]
                                                             S[N-1] = A[N-1]
                                                           for i \rightarrow (N-2) to 0
   S[N-1] = A[N-1]
   for i \rightarrow (N-2) to 0
                                                                    s(i) = s(i+i) * A(i)
        s(i) = s(i+i) * A(i)
   Alo7 = Sli7
                                                          p = A[6]
  A[N-1] = P[N-2]
                                                         Aloj = Slij
                                                           for i \rightarrow 1 to (N-2)
Aki = p * S(i+1)
p * = Aki 
 for i \rightarrow 1 to (N-2)
     Aki = Pki-i  * ski+i 
                                                         A[N-1] = p
    A = [8]
```

A→ Cinen a birary array AlI, AliI → O

Find mose consecutive 1's we can get by replacing atmost one D with 1.

{0,13 times



A→ Ciner a birary array Al] . Ali] -0

Find more consecutive I's we can get by replacing swap atmost one 0 with 1.

$$0 = 2 - 110111 + ... (N-1)$$
 $A = [11011 + 0]$

