

Algorithm 1. Find N^{th} node from the end of a Singly Linked List without using the number of elements of linked list (not allowed to store the count also). Time: $O(n)$ and space: $O(1)$.

Algorithm 2. Find the middle element of the non-empty singly linked list. Middle element for list of even length n is the element at $\frac{n}{2}^{th}$ index from start of list and for odd n , element is present at $\frac{n+1}{2}^{th}$ index. Find this element without using or storing the variable n . Time: $O(n)$ and space: $O(1)$.

Algorithm 3. Detect whether a loop is present in a singly linked list, given only head of that list. Obviously tail and counts are not given. Loop in a linked list can be formed when next pointer of tail refers to some element already present in the list. (Floyd's Cycle-Finding Algorithm)

Algorithm 4. Find intersection point of two linked lists. Time: $O(m + n)$ and space: $O(1)$.

Algorithm 5. Reverse a linked list (existing one, without creating a new one) using as few pointers as possible. Assume you have access to protected head pointer of the list. Time: $O(n)$ and space: $O(1)$.