



# CLASSIC PUZZLES

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Wednesday, December 27, 2006

## Microsoft Interview Question : Polar Bear



One of the most asked and well known microsoft interview question is that of the walking bear. The question is still asked because a lot of people have either not heard of it or most of them don't know the correct solution yet.

If a bear walks one mile south, turns left and walks one mile to the east and then turns left again and walks one mile north and arrives at its original position, what is the color of the bear.

Well, from the very framing of the question it is evident that we are talking about the poles, and all polar bears are white. You can also very well argue that any bear or man walking the same path will reach the same starting position if he is at north

pole. The question can also be extended and that's what we are interested in.

The question is how many such points exist on the surface of the globe.

Well, what's your answer, is it one or infinity

Posted by [SSP](#) at [12:06 AM](#) [25 comments](#): 

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Wednesday, December 20, 2006

## Microsoft Puzzle : Coins on the Table



This is not one of the classic Microsoft puzzle. I recently heard from a friend. I am listing the problem below.

There is a table on which a number of coins are placed. You also know that there are as many coins with Head up as many coins with Tail up. Now you have to divide the coins (number of coins is even) into two equal piles such that number of coins with Heads up and Tails up in either pile be the same. The catch is you are blindfolded and you cannot determine the sides (for sure) if you are blindfolded

Posted by [SSP](#) at [9:25 PM](#) [24 comments](#): 

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Monday, December 18, 2006

## Solution to the Shopkeeper Problem

I don't think I need to post the solution as Christophe has already solved all of them in no time.

**Problem 1: One Side Only (Simple)**

This is simply the numbers  $2^0, 2^1, 2^2 \dots$  that is  
1, 2, 4, 8, 16 .....

So for making 1000 kg we need up to

1, 2, 4, 8, 16, 32, 64, 128, 512.

**Problem 2: Both Sides (Medium)**

For this answer is  $3^0, 3^1, 3^2 \dots$ . That is

1, 3, 9, 27, 81, 243, 729

**Problem 3: Incremental (Hard)**

This is exactly a problem solved by Gray code.

Gray codes are named after the Frank Gray who patented their use for shaft encoders in 1953

A Gray code represents each number in the sequence of integers  $\{0 \dots 2^N - 1\}$  as a binary string of length N in an order such that adjacent integers have Gray code representations that differ in only one bit position. Marching through the integer sequence therefore requires flipping just one bit at a time.

Example (N=3): The binary coding of  $\{0 \dots 7\}$  is {000, 001, 010, 011, 100, 101, 110, 111}, while one Gray coding is {000, 001, 011, 010, 110, 111, 101, 100}.

For this answer we need as many blocks as per Solution to Problem 1.

For easy understanding let me describe the case where the packets range from 1 to 7 which can be easily extended to 1 - 125 range.

Now if we want to make packets of all weights from 1 to & we will do the following

001 We measure 1kg, using 1kg block.

011 We measure 3kg by placing 2 kg block also

010 We remove 1kg block and measure 2 kg.

110 We add 4kg weight and measure 6kg weight ...

.....

Now we can see answer to our problem is Gray code of 7 bits. Now our range is 1 to 125 and not 1 to 127. This can be solved by using appropriate Gray code making the following numbers falling to the end of the sequence you are starting with

1111 110

1111 111

Posted by [SSP](#) at 10:48 PM 2 comments: 

Labels: [Microsoft Interview Puzzle](#)

Friday, December 15, 2006

## Job Interview Puzzle: 3 Classic Weighing puzzles :Simple Medium and Hard



In this post I want to describe about a series of puzzles called weighing puzzles. These puzzle vary in hardness from simple to extremely mathematical involving either expertise in some fields or extreme ingenuity. Either you know it or you figure out it using extreme intelligence. So here is the chance for some people to burn your grey cells.

I am putting forward three puzzles with varying range of hardness. Sometimes you may feel the hardest one is very easy for you have already come across the theory, but I still made it the hardest for the people who will be solving it with out knowing the theory behind it, giving them an option to figure out a small part in evolution of computational

history.

There is a shopkeeper who wants to weigh things who has a common balance. He must be in a position to weigh things of all possible integral weighing units from 1 to a given maximum sum. The question will be either about how many weights you will need or how will you weigh.

### **Problem 1: One Side Only (Simple Interview Question for Phone Screening usually)**

In this version of the problem shopkeeper can only place the weights in one side of the common balance. For example if shopkeeper has weights 1 and 3 then he can measure 1,3 and 4 only. Now the question is how many minimum weights and name the weights you will need to measure all weights from 1 to 1000. This is a fairly simple problem and very easy to prove also.

### **Problem 2: Both Sides (Medium:5 to 10 mins onsite interview question)**

This is same as the first problem with the condition of placing weights on only side of the common balance being removed. You can place weights on both side and you need to measure all weights between 1 and 1000. For example if you have weights 1 and 3, now you can measure 1,3 and 4 like earlier case, and also you can measure 2, by placing 3 on one side and 1 on the side which contain the substance to be weighed. So question again is how many minimum weights and of what denominations you need to measure all weights from 1kg to 1000kg.

### **Problem 3: Incremental (Hard)**

This is an altogether different one in the same scenario. You have to make 125 packets of sugar with first one weighing 1 kg, second 2 kg, third 3 kg etc ...and 125th one weighing 125kg. You can only use one pan of the common balance for measurement for weighing sugar, the other pan had to be used for weights i.e. weights should be used for each weighing.

It has come into notice that moving weights into and out of

the pan of the balance takes time and this time depends on the number on the number of weights that are moved. For example - If we need to measure 4 kg using weights 1 and 3 only, it will take twice as much time needed to measure 1 kg. Lets say we want to make sugar packets of weights 1,3,4 using weights 1 and 3 only. For this first we measure 1 kg, with 1 unit of time, we place 3 kg along with 1 kg and measure 4kg with again 1 unit of time, and finally we move 1kg out of pan to measure 3kg in 1 unit of time. So in 3 units of time we could measure 1,3 and 4kg using weights 1 and 3 only.

Now you have to make sugar packets of all weights from 1 to 125 in minimum time, in other words in minimum movement of weights. The question here is to find out the minimum number of weighs needed and the weight of each the weights used and the strategy to be followed for the creation of 125 packets of sugar.

Please post your solutions as comments. Solution will be posted soon in the blog. If any where its obfuscated or simple wrong pls feel free to correct.

Posted by [SSP](#) at [4:26 AM](#) [23 comments](#): 

Labels: [Google Interview Puzzles](#), [Microsoft Interview Puzzle](#)

Monday, December 11, 2006

## Solution to the 13 Balls Problem

Solution for 12 Ball Problem

NOTE : N represents a normal ball

Name the 12 balls as A1,A2,A3,A4,B1,B2,B3,B4 C1,C2,C3 and C4. We will weigh A's on one side and B's on the other side.

A1 A2 A3 A4 <---> B1 B2 B3 B4

If Both weighed same then the odd ball is among C's.

We have to find the odd ball among 4 balls using 2 weightings. For that we balance

C1 C2 with C3 N.

Now if C1 C2 equals C3 N then C4 is the odd one.

Now suppose C1 C2 is heavier than C3 N then we compare C1 C3 to N N

Now if C1 C3 equals to N N the C2 is the odd ball.

If C1 C3 is lighter than N N, then C3 is the odd ball.

If C1 C3 is heavier than N N then C1 is the odd ball.

Coming to the situation where the first weighing resulted in unequal balance. Lets assume A's are heavier than B's.  
ie .

A1 A2 A3 A4 > B1 B2 B3 B4

Now we compare

A1 A2 B1 B2 to N N N B4.

if A1 A2 B1 B2 > N N N B4

The odd ball is among A1 A2 or B4 and we also know that A1 A2 > B4 N. To find out the odd ball among A1 A2 and B4 we do compare

A1 B4 to N N .

if A1 B4 > N N then

A1 is the odd ball

if A1 B4 < b4 = " N" b2 = " N"> N B3 which we have already shown how to solve.

Solution for 13 ball problem is easy if we could solve 12 ball problem. For that lets assume we have an extra ball C5. Now if A's and B's don't weigh same we have all the steps already calculated.

Now if A's and B's weigh same then the odd one is among C's.

Now we compare

C1 C2 to C3 N.

If  $C1 C2 = C3 N$  then we can find out the odd ball from C4 and C5 by comparing it with any normal ball.

Else if  $C1 C2 > C3 N$  then we compare

C1 C3 to N N.

If  $C1 C3 > N N$  then C1 is the odd ball

If  $C1 C3 = N N$  then C2 is the odd ball

If  $C1 C3 < N N$  then C3 is the odd ball

Posted by SSP at 10:54 AM 19 comments: 

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## 13 Balls problem : One of the Hardest Interview Questions



One of the most classic puzzles involving balls is figuring out the odd one out using common balance. There are many levels of puzzles based on the same concept for different levels of interviews - Simple ones for phone interviews to the most gruelling 1 hour hard work needing hard ones.

### Problem space

The general problem is you will be given  $n$  balls and one of them is either heavier or lighter and you are asked to find out the minimum number of weighings using a common balance required to find out the odd one out.

### Example 1: 8 Balls, Odd ball being heavier

This is the simplest question among the lot and is often used during phone screenings. The question is to find out the minimum number of weighings required to spot the odd heavier ball among 8 identically looking balls using a common balance. Answer is 2 and the solution is given in



the next paragraph.

For simplicity let us name the balls as A1,A2,A3,B1,B2,B3,C1 and C2. We weigh with A's on one side and B's on the other side of the balance. If both sides are equal this means the heavier odd ball is among C1 and C2. We can figure out the heavier ball with one more weighing. If A's are heavier than B's then the heavier odd ball is among A's. Now we balance A1 and A2. If both are same then A3 is the odd ball or else the heavier one of A1 and A2. Thus, we can find out the heavier ball using only 2 weighings.

**Example 2: 8 Balls, Odd ball can be either heavier or lighter than the rest.**

This is a little trickier to solve. Let us name the 8 balls as A1,A2,A3,B1,B2,B3,C1 and C2. Now weigh with A1,A2,A3 on one side and B1,B2,B3 on the other side. If both weigh equal then the odd ball is among C1 and C2. Now we know that A's and B's are all normal ones we can weigh C1 with A1 and check whether C1 weighs the same as the normal ball. In this way, we can figure out in one weigh which of C1 and C2 is odd. Now if A's weighed more than B's then we know for sure C's are normal ones. Now let's assume A's heavier than B's and we still don't know whether the odd is among A's or B's.

We know

$A1\ A2\ A3 < B1\ B2\ B3$

Now we compare

$A1\ B2\ B3$  to  $B1\ C1\ C2$ .

Now if the  $A1\ B2\ B3$  is heavier than  $B1\ C1\ C2$  Then it means the odd ball is among A1 and B1. If  $A1\ B2\ B3$  is lighter than  $B1\ C1\ C2$  then the odd ball is among B2 and B3. If  $A1\ B2\ B3$  equal to  $B1\ C1\ C2$  then odd ball is among A2 and A3. So we have zeroed down to 2 balls. Now it's very easy as we can compare any of the normal ball with one of the 2 balls. So answer is 3, i.e. in 3 weighings we can find out the odd ball.

## Problem

You are given 13 balls. The odd ball may be either heavier or lighter. Find out the odd ball in 3 weightings. (There is an equally difficult smaller version of the puzzle involving 12 balls also but because both require the same solution technique i am leaving that problem) Hint: I have already given the hint for this question. This mammoth looking task only requires the techniques already discussed in the page. If you have not read all the steps mentioned above i request you to please go through the above solutions carefully.

Solution will be posted soon ....

Pls post your solution as comment ...

Waiting for a trickier smarter solution ....

Posted by [SSP](#) at [12:00 AM](#) [103 comments](#): 

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