

Today's Content:

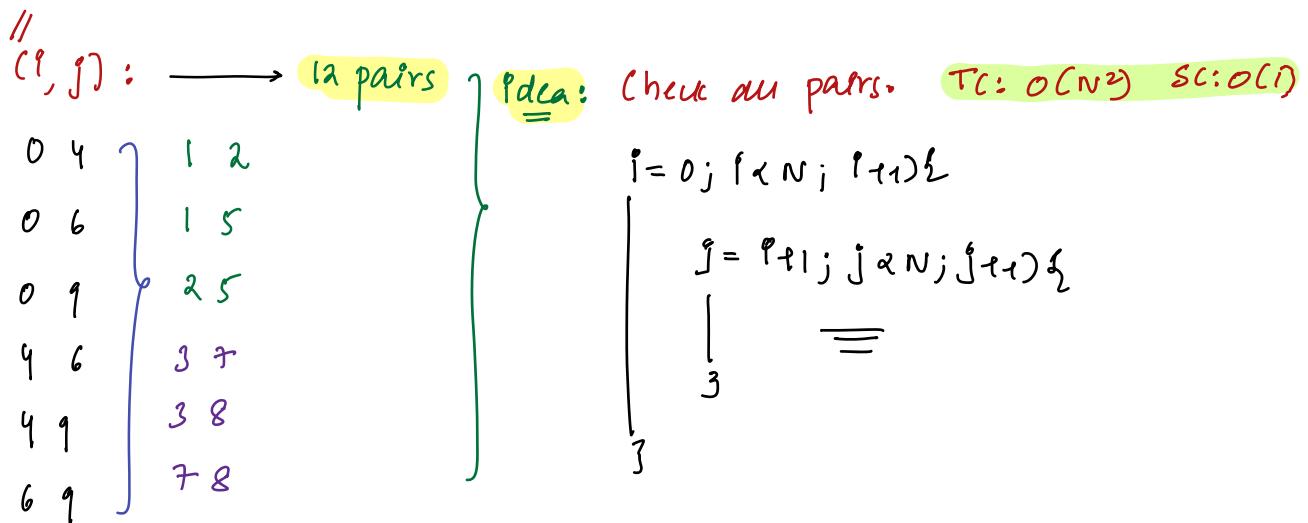
- No of duplicate pairs
- Min distance b/w any 2 distance elements
- longest consecutive Sequence
- Number of unique 2d points

↗ (Myntra)

Q2 Given $arr[N]$, count no of duplicate pairs p.c

$$A[i] = A[j] \text{ and } i \neq j$$

	0	1	2	3	4	5	6	7	8	9
<u>Ex:</u>	1	2	2	4	1	2	1	4	4	1



// Pdeas: We can only pair similar elements

$$\therefore \text{Pdeas} = 1: \{0, 4, 6, 9\} \Rightarrow 6 \Rightarrow 4C_2 = 6$$

$$\therefore \text{Pdeas} = 2: \{1, 2, 5\} \Rightarrow 3C_2$$

$$\therefore \text{freq}(4) \Rightarrow 3: 3C_2$$

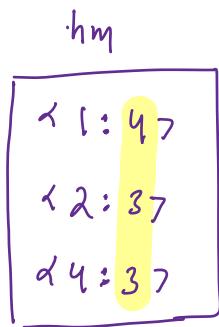
$$\therefore \text{ans} = 12$$

Idea: We need freq of all elements

$\text{arr}[i] \rightarrow$ freq of array element

- a) hashmap <int, int>, hm ✓
TC: $O(N)$

b) Insert all arr[] in hm ✓ }



$$\left\{ \begin{aligned} n_{C_2} &\Rightarrow \frac{n!}{2!(n-2)!} \\ n_{C_2} &= \frac{(n)(n-1)}{2} \end{aligned} \right.$$

ans = 0

$$n_{C_2} = \frac{(1)(0)}{2} = 0$$

- c) Iterate in hashmap for every key
gets its frequency say = n }
ans = ans + n_{C_2} TC: $O(N)$

d) return ans;

TC: $O(N)$

SC: $O(N)$

Try to do it single iteration

Pseudocode: { for every $ar[i]$, get its occurrence from $\{0, 9-1\}$ }

	0	1	2	3	4	5	6	7	8	9	10	11	12
<u>Ex1:</u>	1	2	2	4	1	2	1	4	4	1	3	4	1
=	=	=	=	=	=	=	=	=	=	=	=	=	=

ans = 0 0 1 0 1 2 2 1 2 3 0 3 4 } 19

	0	1	2	3	4	5	6	7	8	9	10		
<u>Ex2:</u>	4	2	1	4	4	2	1	10	4	2	4		
=	=	=	=	=	=	=	=	=	=	=	=		

ans = 0 0 0 1 12 11 10 13 12 14 } 14

hashmap <int, int> hm;

[
4, 12
2, 3
1, 2
10, 1]

TC: O(N)

SC: O(N)

Pseudocode:

hashmap <int, int> hm
ans = 0;
for (i = 0; i < N; i++) {
 if (ar[i] is in hm) {
 ans = ans + hm[ar[i]]
 hm[ar[i]]++;
 } else {
 hm.insert(ar[i], 1);
 }
}
return ans;

208) Given an array of size N, return the min distance b/w any two duplicate elements

$$(i, j) \ A[i] = A[j] \ \& \ |i-j| \text{ is minimum}$$

} BF: All pairs:
 TC: $O(N^2)$
 SC: $O(1)$

sug: { for every $ar[i]$, get its later index from $\{0, i-1\}$ }

$$Ex1: \left\{ \begin{array}{cccccccccc} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ 1 & 2 & 3 & 0 & 1 & 2 & 1 & 3 & 2 & 1 \end{array} \right\} \ ans = 2$$

$$Ex2: \left\{ \begin{array}{cccccccccc} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ 2 & 4 & 5 & 6 & 2 & 5 & 4 & 5 & 2 & 6 \end{array} \right\} \ ans = 2$$

ar[i] (later index of $ar[i]$ element)

HashMap < int, int > hm

HashMap < int, int > hm

ans = N

$\boxed{\begin{array}{c} \text{hm} \\ \{ \\ \{x_2, 0 \ x_4, 8 \\ x_4, x_6 \\ x_5, x_8 \ x_7 \\ x_6, x_9 \end{array}}$ } \quad \boxed{\begin{array}{l} ans = \min (ans, 4-0) \\ ans = \min (ans, 5-1) \\ ans = \min (ans, 6-1) \\ ans = \min (ans, 7-5) \\ ans = \min (ans, 8-4) \\ ans = \min (ans, 9-3) \end{array}} \quad \boxed{\begin{array}{l} p=0; i<N; i++ \{ \\ \quad \quad \quad \text{if } (ar[i] \text{ is in hm}) \{ \\ \quad \quad \quad \quad \quad \quad ans = \min (ans, \\ \quad \quad \quad \quad \quad \quad p - hm[ar[i]] \\ \quad \quad \quad \quad \quad \quad hm[ar[i]] = i \\ \quad \quad \quad \quad \quad \quad \text{else } \{ hm.\text{insert}(ar[i], i) \} \\ \quad \quad \quad \quad \quad \quad \text{return ans}; \end{array}}

TC: $O(N)$
SC: $O(N)$

208) Given an array of size N , return the max distance b/w any two duplicate elements

$(i, j) \ A[i] = A[j] \ \& \ |i - j| \text{ is maximum? } \}$ TODO

En2: $\{ \begin{array}{cccccccccc} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ 2 & 4 & 5 & 6 & 2 & 5 & 4 & 5 & 2 & 5 \end{array} \}$

idea: For every $A[i]$, we need it's first occurrence index

Ques: Given N array elements, find length of longest sequence which can be re-arranged in a strictly increasing order by 1. {Consecutive}

Note: Sequence means pick any random elements, they don't have to be continuous.

$$\text{Exm: } \left\{ \begin{array}{cccccccc} * & * & * & * \\ 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 \\ -1 & 8 & 2 & 3 & 7 & 1 & 4 & 9 \end{array} \right\}$$

$$\text{Seq1: 1 } \{ 8 \ 3 \ 7 \ 9 \} \longrightarrow \{ 3 \ 7 \ 8 \ 9 \} *$$

$$\text{Seq2: 2 } \{ 8 \ 7 \ 1 \} \longrightarrow \{ 7 \ 8 \ 9 \} : \text{len} = 3$$

$$\text{Seq3: 3 } \{ 2 \ 3 \ 1 \ 4 \} \longrightarrow \{ \underbrace{1}_{\uparrow} \underbrace{2}_{\uparrow} \underbrace{3}_{\uparrow} \underbrace{4}_{\uparrow} \} : \text{len} = 4$$

$$t_{n2}: \left\{ \begin{array}{cccccccccc} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ 3 & 8 & 2 & 1 & 9 & 6 & 5 & 6 & 7 & 3 \end{array} \right\} \Rightarrow \underline{\text{ans}} = 5$$

$$\text{Seq1: } \{ 3 \ 2 \ 1 \ 3 \} \longrightarrow \{ \underbrace{1 \ 2 \ 3}_{\uparrow \uparrow \uparrow} \ 3 \} *$$

$$\text{Seq2: } \{ 3 \ 2 \ 1 \} \longrightarrow \{ 1 \ 2 \ 3 \} : \text{len} = 3$$

$$\text{Seq3: } \{ 8 \ 9 \ 6 \ 5 \ 7 \} \rightarrow \{ 5 \ 6 \ 7 \ 8 \ 9 \} : \text{len} = 5$$

Idea: Sort + iterate in array : $T.C = O(N \log N + N)$

$$ar[10] = \{ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9 \}$$

$$\downarrow$$

$$ar[10] = \{ 2, 6, 7, 8, 9, 10, 12, 13, 14, 15 \}$$

$$ar[10] = \{ 2, 6, 7, 8, 9, 10, 12, 13, 14, 15 \} : ans = 5$$

$$\text{len: } 1 \quad 5 \quad 4$$

$$ar[12] = \{ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12 \}$$

$$\downarrow$$

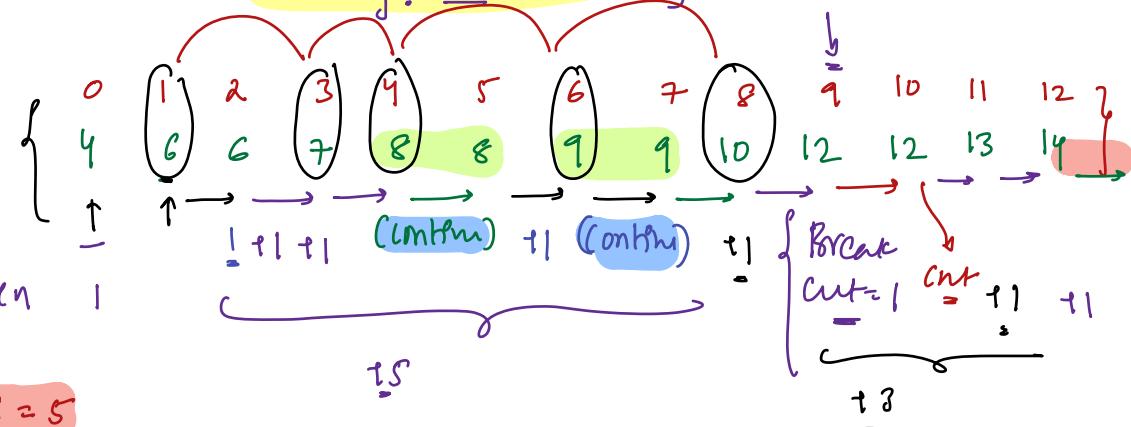
$$ar[12] = \{ 9, 4, 8, 8, 12, 14, 13, 6, 7, 6, 12, 10, 10, 9 \}$$

$$\text{Sort} \Rightarrow \{ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12 \}$$

$$\downarrow \quad \downarrow \quad \uparrow \rightarrow \quad \downarrow \quad \downarrow$$

$$\text{len} = 1 \quad 1 \quad 3 \quad 2 \quad 2 \quad 2 \quad 2 \quad 1 \quad 2 \quad 2 \quad 1 \quad 1 \quad 3$$

// Sorting + { Iterating when we get a duplicate, we are breaking : }



// ans = 5

Pdeca: 1) Sort.

TC: $O(N \log N + N)$

// $c = 1$, ans = 0

2) $i = 0; i < N-1; i++\{$

if ($ar[i+1] - ar[i] == 1$) {

$c = c + 1;$

else if ($ar[i+1] == ar[i]$) {

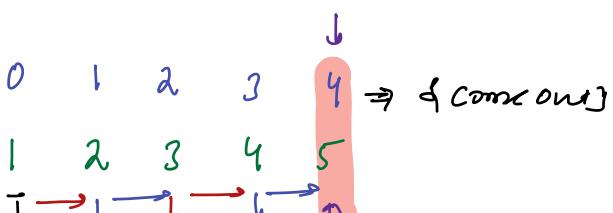
continue

else { →

$ans = max(ans, c)$

$c = 1$

} return $max(ans, c)$ ↳ [arr sequence is left out]

Ex: $ar[5] :$  \Rightarrow 4 consecutive

$$\begin{cases} c = |t| + 1 \\ ans = 0 \end{cases}$$

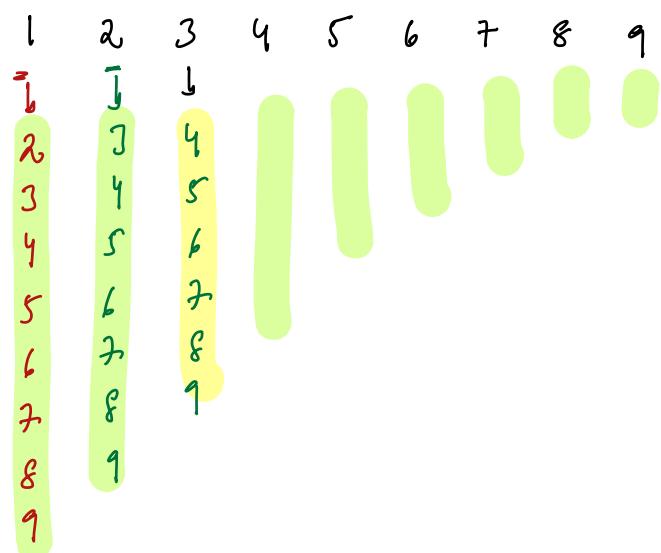
Pdeaz: a) `transact <int> hs`, insert all Elements in `hs` $\rightarrow \Theta(N)$

6) Take every element as start of Sequence, keep iterating until next element is not present in this } TC: $O(N) * \{N\}$

$$\textcircled{c} \quad Tc: O(N+N^2) \quad Sc: O(N)$$

$$\left\{ \begin{array}{cccccccccccccccc} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 10 & 11 & 12 & 13 & 14 & 15 & 16 \\ 9 & -1 & -3 & 7 & 0 & 6 & -2 & 12 & 13 & 14 & 15 & 1 & 6 & 8 & 16 & 5 \\ 10 & 0 & -2 & 8 & 1 & 7 & 8 & 8 & 9 & 10 & 11 & 12 & 13 & 14 & 15 & 10 \\ \rightarrow & & & & \rightsquigarrow & & & & & & & & & & & \\ 2 & 1 & -1 & 9 & 2 & 9 & 10 & 10 & 10 & 10 & 10 & 10 & 10 & 10 & 10 & 10 \\ \rightarrow & & & & & & & & & & & & & & & \\ 3 & 0 & 10 & 4 & 5 & 5 & 6 & 7 & 8 & 9 & 10 & 11 & 12 & 13 & 14 & 15 \\ \rightarrow & & & & & & & & & & & & & & & \\ 5 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 10 & 11 & 12 & 13 & 14 & 15 \end{array} \right\}$$

Worst Case: $T(n) = \Theta(N^2)$ $S(n) = \Theta(N)$



Process:

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
9	-1	-3	7	0	6	-2	12	13	14	15	1	6	8	16	5	10
x	x	x	x	x	x	x	x	x	x	x	x	x	x	x	x	-

9: { 8 present : no need * }

-1: {-2 present : no need * }

-3: { -4 not present : -3 -2 -1 0 1 }

7: { 6 present : no need * }

0: { -1 present : no need * }

6: { 5 present : no need * }

-2: {-3 present : no need * }

12: { 11 not present : 12 13 14 15 16 }

13: { 12 present : no need * }

14: { 13 present : no need * }

15: { 14 present : no need * }

1: { 0 present : no need * }

6: { 5 present : no need * }

8: { 7 present : no need * }

16: { 15 present : no need * }

5: { 4 is not present : 5 6 7 8 9 10 }

10: { 9 present : no need * }

Tl: $O(2N) \Rightarrow O(N)$

Sc: $O(N)$

Pseudocode:

a) `function (int) hs`

b) `Insert all $ar[i]$ elements in hs`

c) `ans = 0`

`i = 0; i < N; i++) {`

// When can start a sequence from $\underline{ar[i]}$?

`if ($\underline{ar[i] - 1}$ is not present in hs) {`

// we can start our sequence at $\underline{ar[i]}$

`else = $\underline{ar[i] + 1}$; c = 1,`

`while (\underline{ele} is in \underline{hs}) {`

`| ele++, c++;`

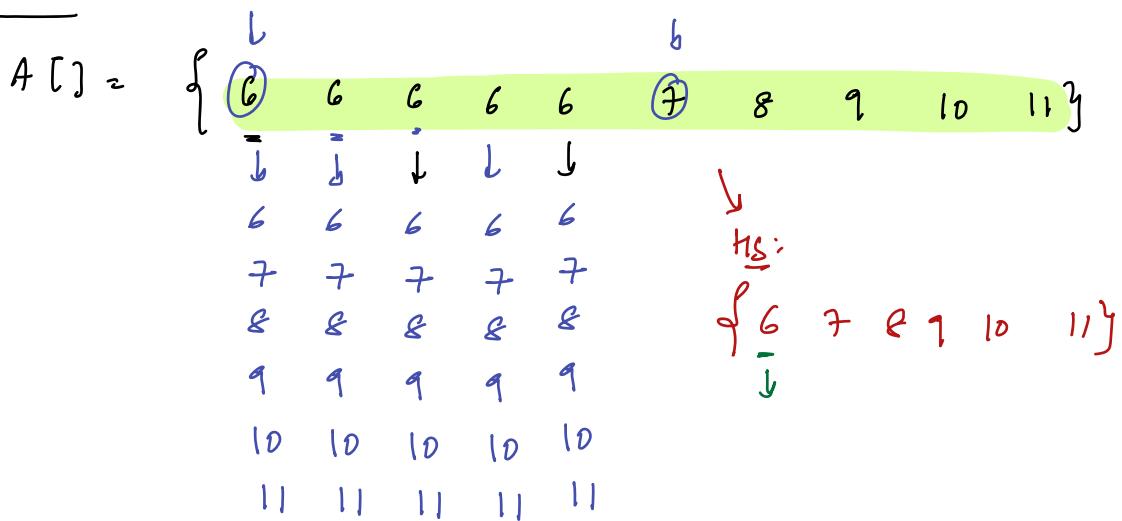
`| ans = max(ans, c)`

`return ans`

$T.C: O(N) \rightarrow O(N^2)$

$S.C: O(N) \rightarrow O(\underline{N})$

What Can:



a) Hashset & int hs

b) Insert all ar[] elements in hs

c) ans=0

of iterate in hashset, so that we can get only unique elements

// When can start a sequence from ar[i]?

if (ar[i]-1 is not present in hs) {

// we can start our sequence at ar[i]

ele = ar[i]+1; c=1,

while (ele is in hs) {

ele++, c++;

ans = max(ans, c)

Tc: $O(N)$

Sc: $O(N)$

return ans

Q8) Given 2 arrays $x[n], y[n]$, if $(x[i], y[i])$ is point in 2d plane, how many

<u>$N=5$</u>	<u>A</u>	<u>B</u>
	$[3] \quad [5] \rightarrow 1$	
	$[1,5] \quad [1,6] \rightarrow 2$	
	$[1] \quad [1,6] \rightarrow 3$	
	$[3] \quad [5] \times$	
	$[6] \quad [1,3] \rightarrow 4$	

ans = 4

different points are there?

soln: hashset

every point is a pair

// soln: Insert all points in hashset < pair<int, int>
 key: pair<int, int>

In hashset / hashmap key can be

following datatypes

{ : int
: long
: float
: string }

soln:

Concatenate $x[i], y[i]$ as string & insert

$[3] \quad [5] \rightarrow [35]$	
$[1,5] \quad [1,6] \rightarrow [1,5,6]$	
$[1] \quad [3,6] \rightarrow [1,3,6]$	
$[3] \quad [5] \rightarrow [35]$	
$[6] \quad [1,3] \rightarrow [6,1,3]$	

to different points can have same concatenation

Ques:

Concatenate n $[i]$, $y[i]$ or string with a separator = @, & intervals

$$[3] [5] = [3 @ 5]$$

of them in traversal string > be

$$[13] [6] = [13 @ 6]$$

// ans = hs.size()

$$[1] [36] = [1 @ 36]$$

Tc: O(N)

$$[3] [5] = [3 @ 5]$$

Sc: O(N)

$$[6] [13] = [6 @ 13]$$

Doubts:

In HashSet / HashMap if we want key to be our required datatype, { override hashCode }