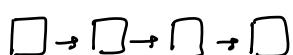


Adv - March 9th

→ Arrays



linked list



Stacks

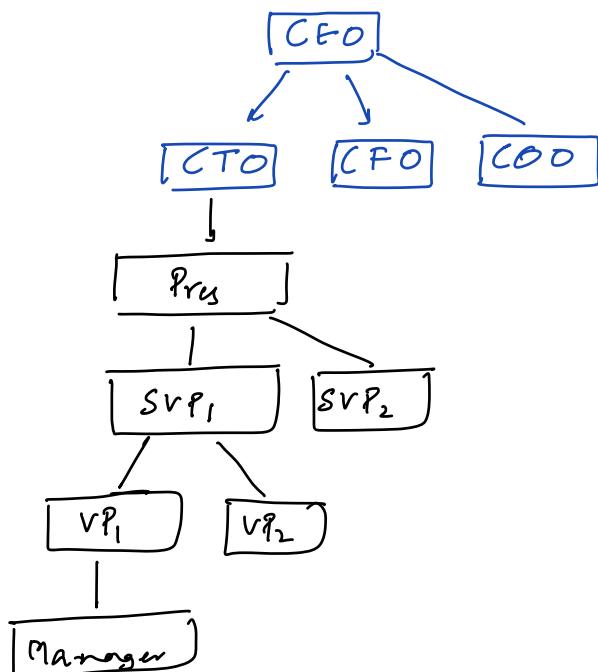


Queues

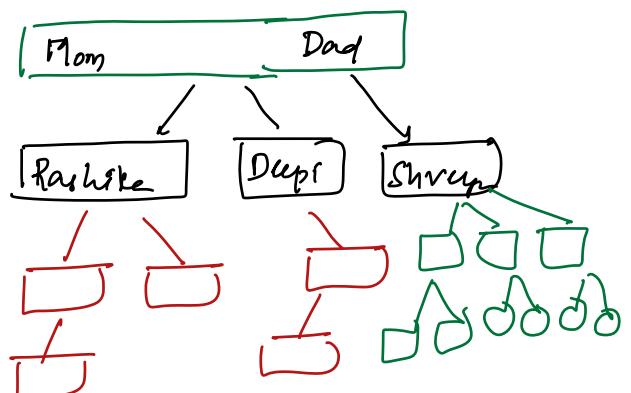


Hierarchical Data

Ex: Company organisation



Ex: Family tree



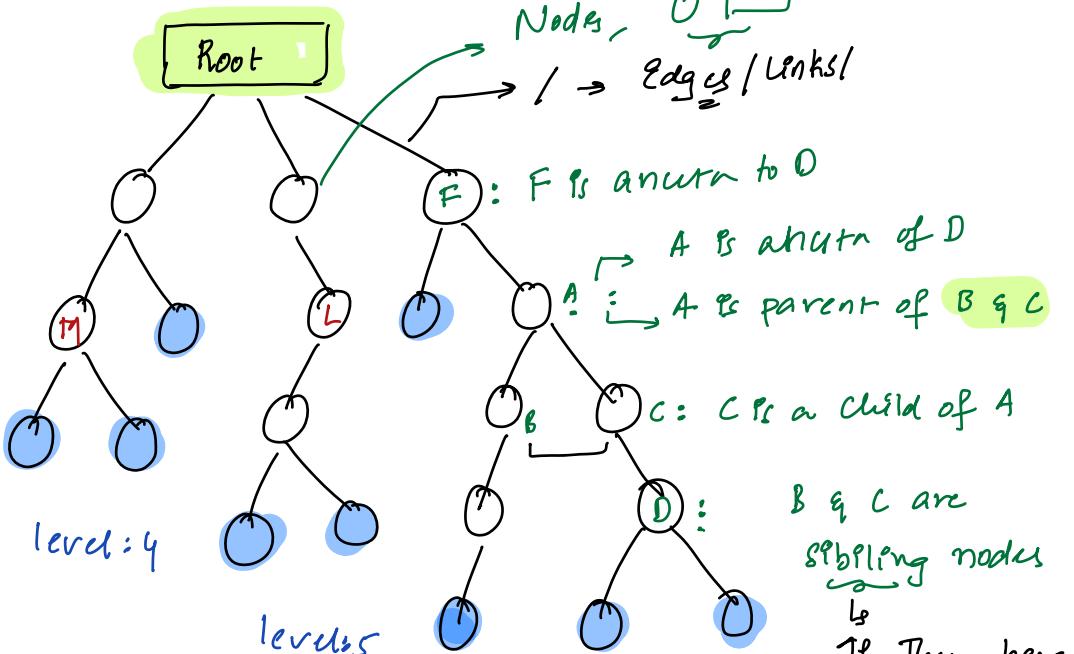
Trees :

level : 0

level : 1

level : 2

level : 3



M & L are Nodes at same level.

→ Leaf Nodes

No children

Naming Conventions

→ Parent / Child

→ Ancestors / Descendants

→ Sibling Nodes / Nodes at same level

→ Leaf Nodes

→ (Root Node)

Height (Node) :

length of longest path

from Nodes to any of

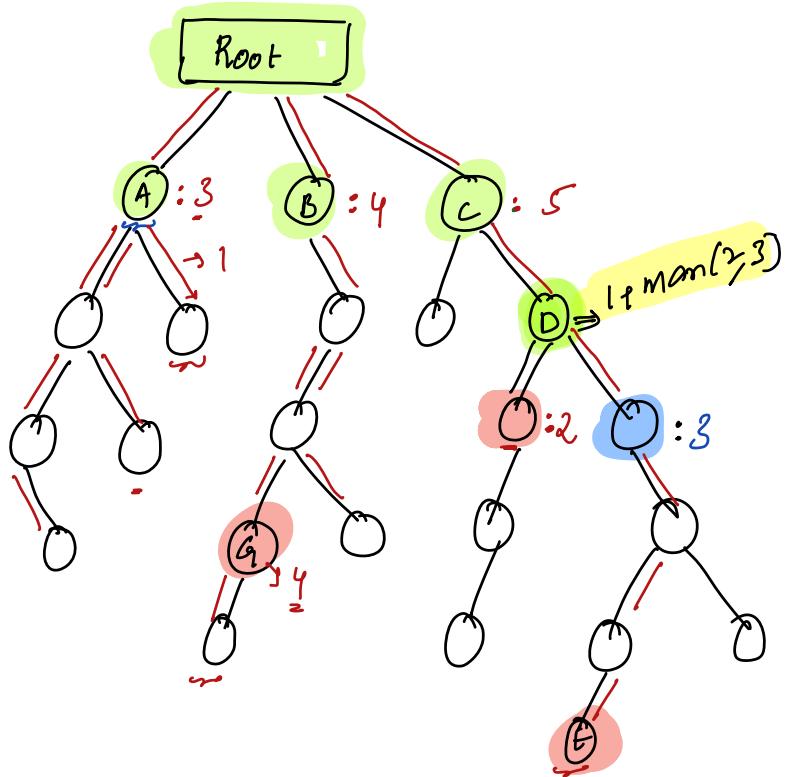
its descendant leaf Nodes

Path: No: of Edges

Height(A) : 3

Height(B) : 4

Height(C) : 5



Height (root) = 1 + max (Height of Child)

$$= 1 + 5 \Rightarrow 6$$

Height (Node) = 1 + Max of (Height of all Child Nodes)

Note: Height (Leaf Node) = 0

Depth (Node) = length of path from Root Node \rightarrow Given Node

$$\text{Depth}(G) = 4$$

$$\text{Depth}(F) = 6$$

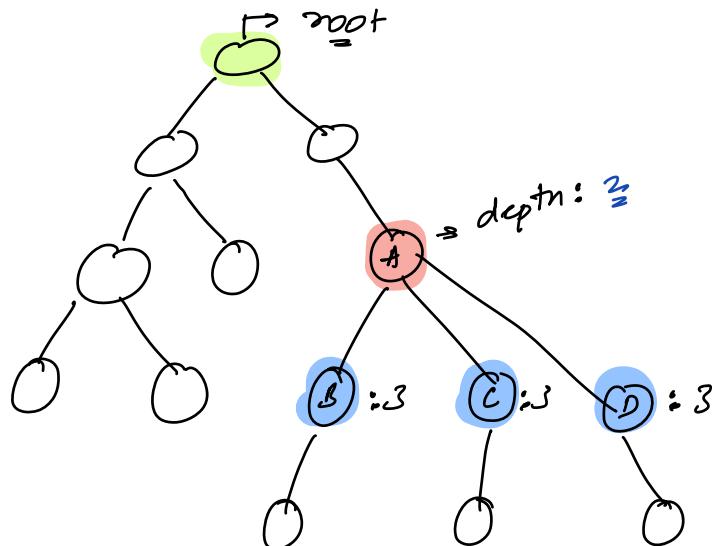
Ex:
=

Obs: Note.

$$\text{depth}(\text{Node}_c) = k$$

depth of all pts

$$\text{child Node}_c = (1 + k)$$



Q2
=

$$\boxed{\text{height of Tree} = \text{height}(\text{Root}) = \text{max depth}(\text{Leaf Node})}$$

Note: $\text{Depth}(\text{Root}) = 0$

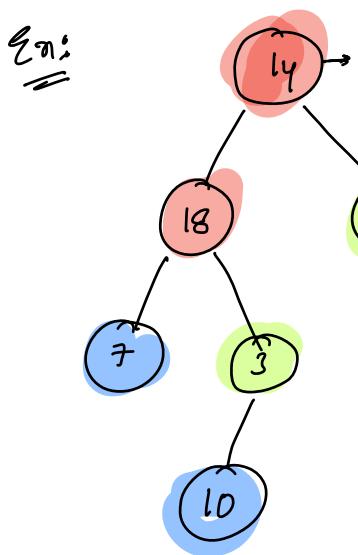
Obs: \Rightarrow (Take a tree / by them our working or that)

Binary Tree

Every Node can at max have 2 child Nodes

N - Array Tree $\Rightarrow \{ \text{Adv} \}$

At max every node can have N Child Nodes
 $\leftarrow N \in \{0, 1, 2 - N\}$



- → 0 children
- → 1 child node
- → 2 child Nodes

class Node {

int data;

Node left;

Node right;

Node (int n) {

data = n;

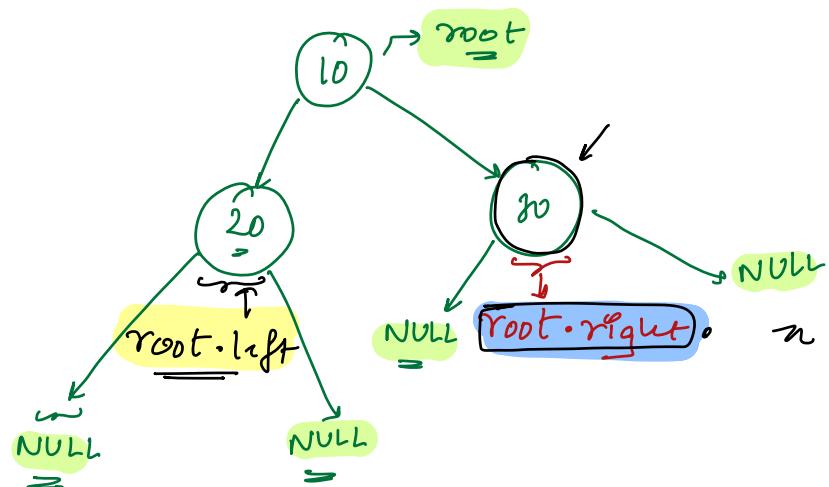
left = NULL;

right = NULL;

Node root = new Node(10);

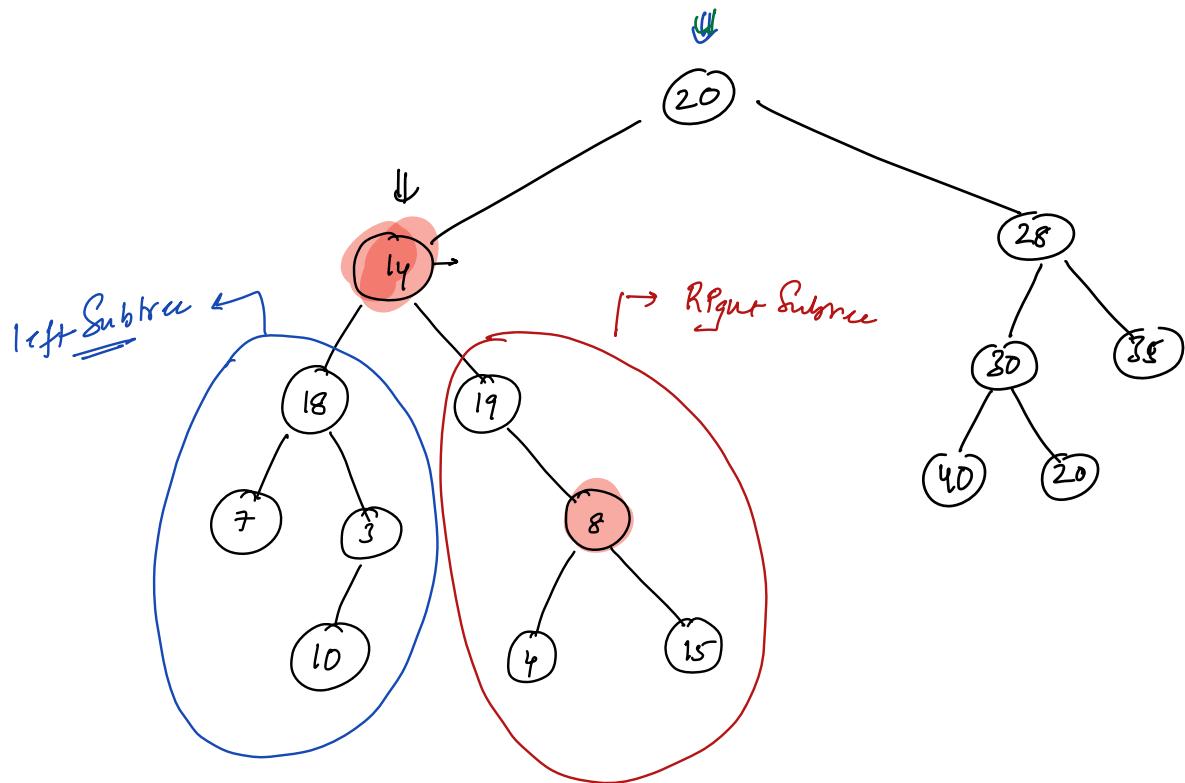
root.left = new Node(20);

root.right = new Node(30);



// Problems:

- = You are given BT, { We will do problems }
- = We cannot change Node structure (Node structure fixed)



// Because of above subtree property → Recursion plays huge

Recursion:

Ass: { Decide, what your function should do, assume it does }

Main logic: { Solving problems with subproblems }

Base Condition: { When code stops }

→ C#

- ↳ TreeMap / TreeSet in C#
- ↳ TreeMap / TreeSet in Java
- Map / Set in C++

TreeMap, TreeSet are built by BBST Trees

Balanced Binary Search Tree ?

10:20 PM

→ 9 March

State: Ramya has 2 children

Ramya has 2 children

Ramya has 2 children

Ramya has 2 children

Content..

→ Moving advanced Batch

Poor's Women Joky }

→ Parvathi → gender of PG's : 8AM - 10:30PM

Yahni :

P/W/F // @ support

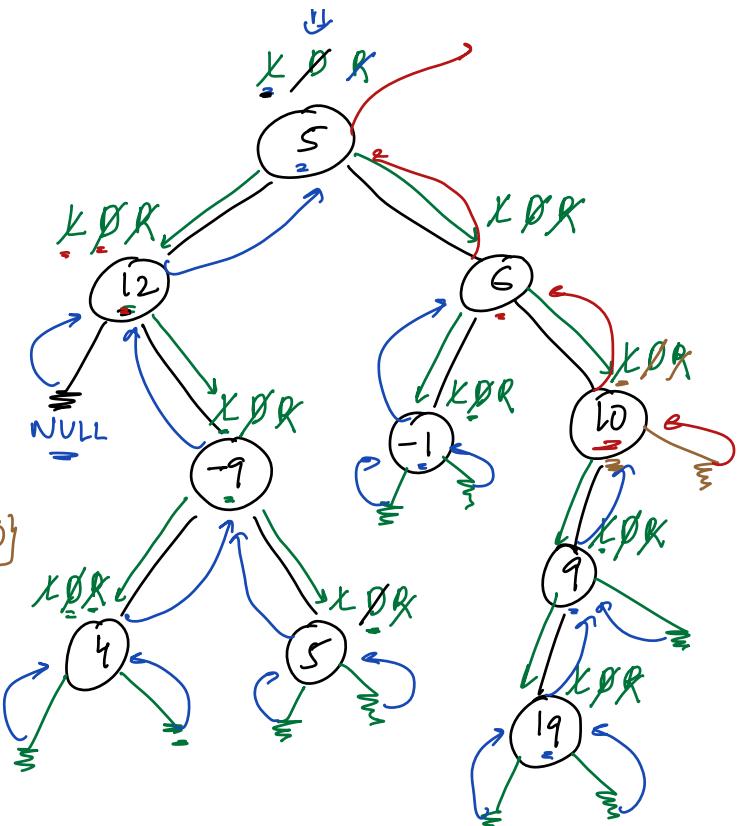
Problems:

Tree Traversals

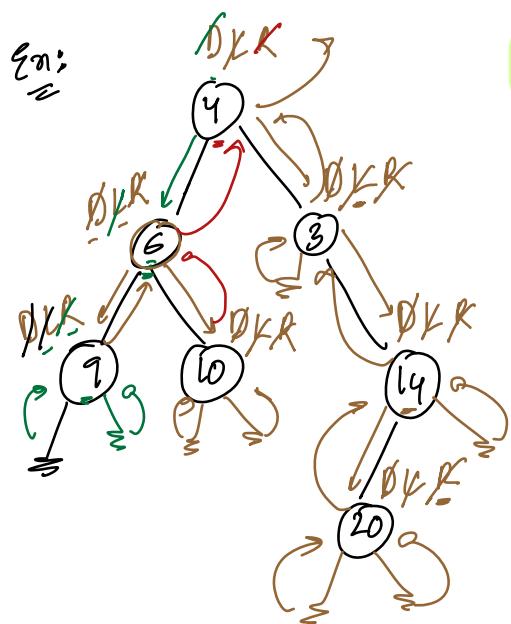
1) pre order : $[D \ L \ R] \Rightarrow \{TODD\}$

2) In order: $[L \ D \ R] \Rightarrow \{$

3) post order : $[L \ R \ D] \Rightarrow \{TODD\}$



Inorder: 12 4 -9 5 5 -1 6 19 9 10



Inorder: 9 6 10 4 3 20 14

preorder: 4 6 9 10 3 14 20

postorder: 9 10 6 20 14 3 4

// Inorder traversal → (Recursive)

void Inorder(Node root){

Ass: Given root node, it will print entire tree in Inorder.

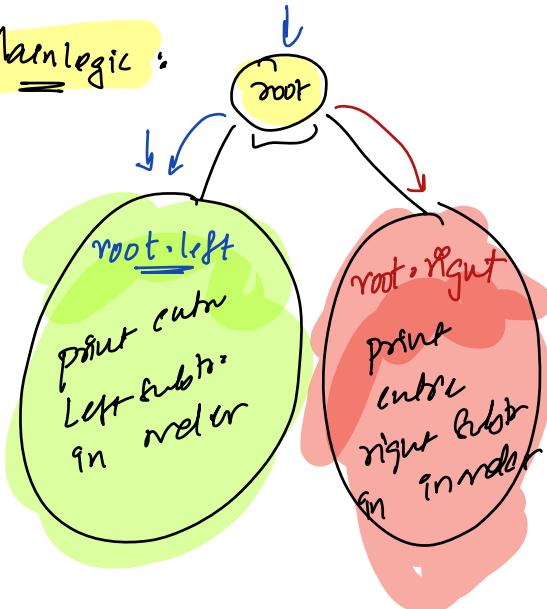
① if (root == NULL) { return; }

② Inorder(root.left)

③ print (root.data)

④ Inorder(root.right)

Plan logic:



Inorder : 1 2 3 4

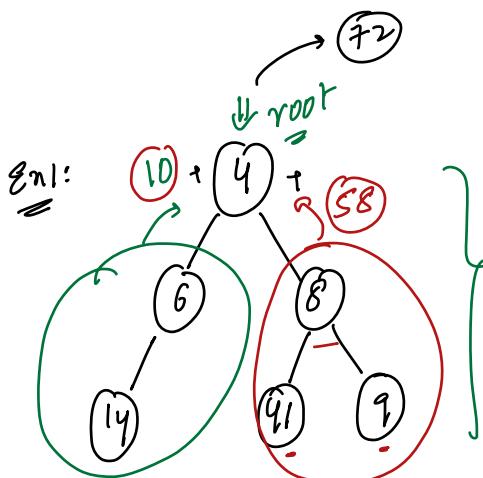
preorder : 2 3 1 4

postorder : 1 2 4 3

print entire left subtree in Inorder

print root.data

print entire right subtree in Inorder



Base Condition: If root == NULL
return

size = 6

- size(): given Node, it will return size

- sum(): given Node, it will return sum of all Nodes

prob1 :

\rightarrow (Node*)

Pnt $\text{sum}(\text{Node } \text{root}) \{$

if ($\text{root} == \text{NULL}$) { return 0 }

$l = \text{sum}(\text{root.left})$

$r = \text{sum}(\text{root.right})$

return $l + r + \text{root.data}$

}

\rightarrow sum of all Nodes

put $\text{sum}(\text{Node } \text{root}) \{$

if ($\text{root} == \text{NULL}$) { return 0 }

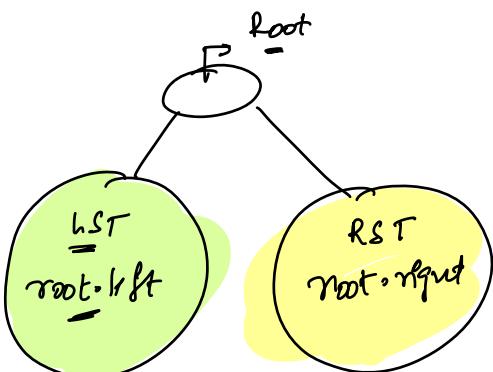
$l = \text{sum}(\text{root.left})$

$r = \text{sum}(\text{root.right})$

return $[l + r + \text{root.data}]$

LST RST

}



height: Given Node, it will
return height of tree

height($\text{Node } \text{root}) \{$

if ($\text{root} == \text{NULL}$) { return 0 }

$hl = \text{height}(\text{root.left})$

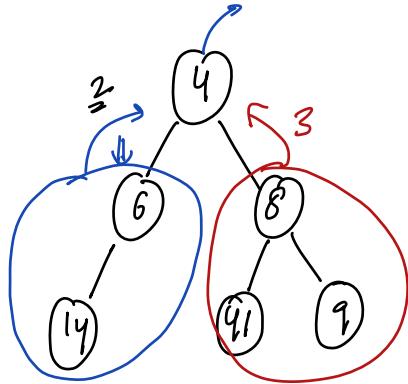
$hr = \text{height}(\text{root.right})$

return $(\max(hl, hr) + 1)$

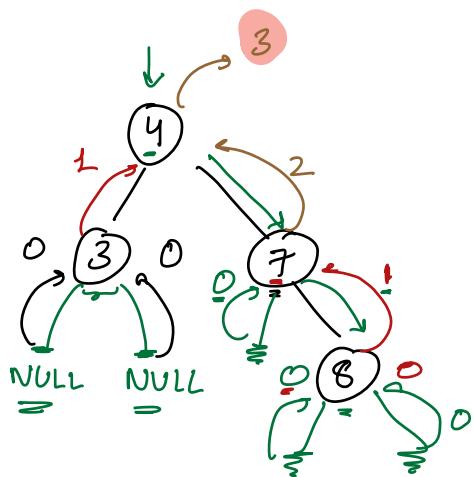
}

$\text{height}(\text{Node}) = 1 + \text{Max of } (\text{height of all child Nodes})$

Trace



Trace2



height (Node root) :

If (root == NULL) & return -1]

hl = height (root.left)

hr = height (root.right)

return man (hl, hr) + 1)

g

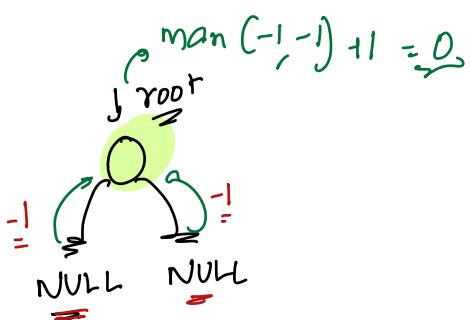
In Assignment height is different
to what we discussed

→ height : No: of Edges

→ height : No: of Nodes

→ Tree Traversals: (Iterative)

→ Arrange submit code recursive manner



Doubts

Put $\ell = 0;$

void Inorder(Node root, ar[])

- ① If (root == NULL) { return }
- ② Inorder(root.left, ar)
- ③ { ar[i] = root.data, $i = i + 1$ }
- ④ Inorder(root.right, ar)

}

⇒

Solved $\Rightarrow \{$

Put $n = \text{Size}(\text{Root})$

Put $\text{ar}[] = \text{new int}[n]$

Inorder(Root, ar[])

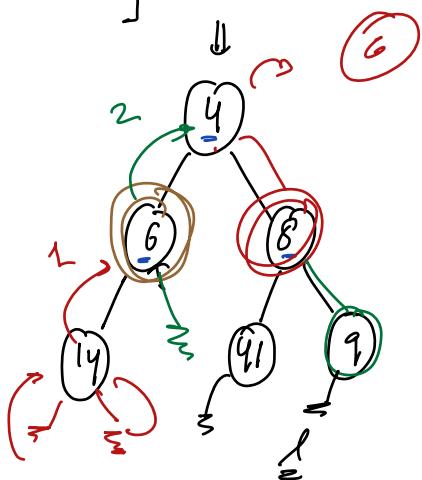
return $\text{ar}[]$

}

$\{ \text{Ops} \rightarrow \text{Class } \underline{\text{Object}} \text{ Object } \underline{\text{Refer}} \}$ } Ops :
Reunim →

⇒ Tracing Recursion

Put $size(\text{Node root}) \{$
 if ($\text{root} == \text{NULL}$) { return 0 }
 $l = size(\text{root.left})$
 $r = size(\text{root.right})$
 return $l + r + 1$



~~$size(6) : l=0$~~
 ~~$size(4) : r=2$~~
 ~~$size(8) : l=1, r=1$~~
 ~~$size(1) : r=0$~~
 ~~$size(9) : l=1, r=2$~~
 ~~$size(4) : l=2, r=3$~~