

Today's Content:

→ Calculating LPS[]

→ Optimization LPS[]

→ { }

Ex:

	0	1	2	3	4	5	6	7
S =	c	a	c	y	c	a	c	a
lps[] =	0	0	1	0	1	2	3	2

TC → LPS[] : (N³) → (N) ?

// Calculating Lps[] \rightarrow {25%}

obs: Given s of length N & assume $\text{lps}[i] = 5$ \nearrow string $[0 \dots i]$

S_N : $S_0 S_1 S_2 S_3 S_4 \dots \dots S_{i-5} S_{i-4} S_{i-3} S_{i-2} S_{i-1} S_i \dots \dots S_{N-1}$

$\text{lps}[]$: $- - - - - \dots - - - - - 5$

obs: $S_0 S_1 S_2 S_3 \cancel{S_4} = S_{i-4} S_{i-3} S_{i-2} S_{i-1} \cancel{S_i}$

$S_0 S_1 S_2 S_3 = S_{i-4} S_{i-3} S_{i-2} S_{i-1}$

$\text{lps}[i-1] \geq 4$ }

$S_0 S_1 S_2 S_3 S_4 = S_{i-5} S_{i-4} S_{i-3} S_{i-2} S_{i-1}$

$S_0 S_1 S_2 S_3 S_4 S_5 = S_{i-6} S_{i-5} S_{i-4} S_{i-3} S_{i-2} S_{i-1}$

Assuming:

$\text{lps}[i] = x$

$\text{lps}[i-1] \geq x-1$

$\text{lps}[i-1] \geq \text{lps}[i] - 1$

$\text{lps}[i-1] + 1 \geq \text{lps}[i]$

$\text{lps}[i] \leq \text{lps}[i-1] + 1$

At max

$\text{lps}[i] = \text{lps}[i-1] + 1$

// our $\text{lps}[]$ value can at max
increase by 1? \rightarrow

Step: 2 → 50%.

ch - unknown

ch == s[3]
↓

ε_{n1}:

	0	1	2	3	4	5	6	7
S =	a	b	a	y	a	b	a	ch
lps[] =	0	0	1	0	1	2	3	4?

ε_{n2}:

	0	1	2	3	4	5	6	7	8	9
S =	b	c	a	d	c	b	c	a	d	ch
lps[] =	0	0	0	0	0	1	2	3	4	?

ch == s[4]

// generalize: // Assume lps[0, i-1] are calculated?

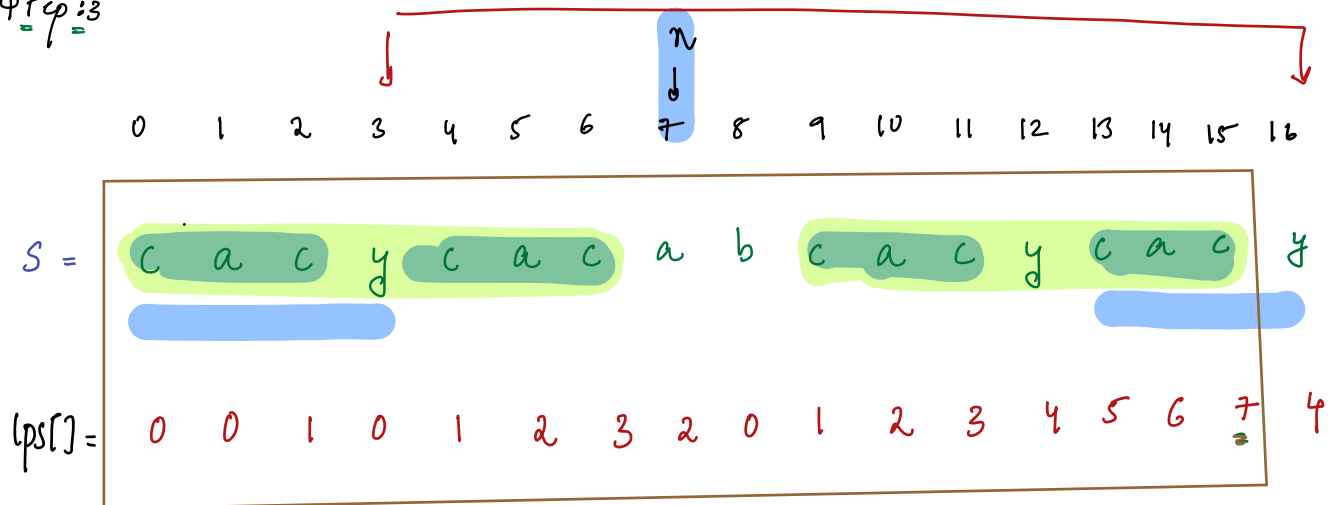
Cal lps[i] = ?

x = lps[i-1]

if (s[x] == s[i]) {

 lps[i] = x + 1
}

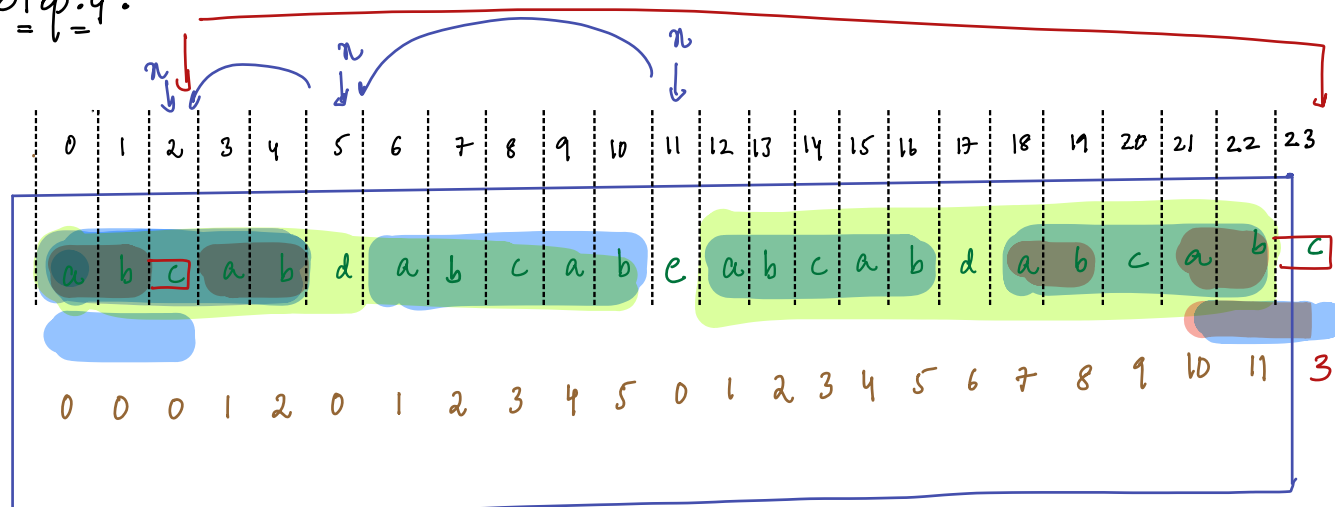
Step: 3



$i = 16, n = LPS[i]$

n	$str[n] == str[i]$		
7	$str[7] == str[16]$		$n = LPS[n-1]$
3	$str[3] == str[16]$		$LPS[i] = n+1; LPS[i] = 4$

Step: 4:



$$n = \text{lps}[i-1] = 11$$

n	$\text{str}[n] == \text{str}[i]$	
11	$\text{str}[11] == \text{str}[23]$	$n = \text{lps}[n-1]$
5	$\text{str}[5] == \text{str}[23]$	$n = \text{lps}[n-1]$
2	$\text{str}[2] == \text{str}[23]$	$\text{lps}[i] = n + 1, \text{lps}[i] = 3$

0 1 2 3 4 5 6 7
 str: a b a d a b a c

lps[]: 0 0 1 0 1 2 3

$n = \text{lps}[i-1]$

n	str[n] == str[i]	
3	str[3] == str[7]	$n = \text{lps}[n-1]$
1	str[1] == str[7]	$n = \text{lps}[n-1], n = \text{lps}[0] \quad n=0$ <i>out of bounds</i>
0	str[0] == str[7]	(At 0 not matching: $n = \text{lps}[n-1]$ <i>break</i>)

// Pseudocode:

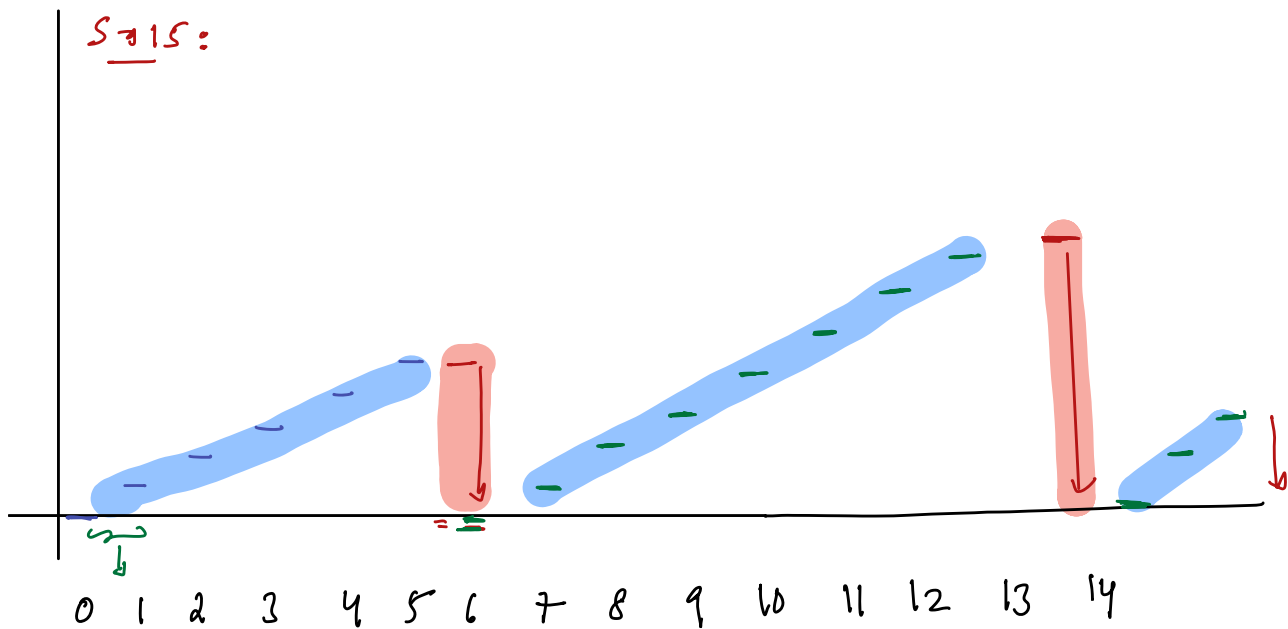
```

lpsVal (string s) {
    int N = s.length(); lps[N];
    lps[0] = 0;
    for (i = 1; i < N; i++) {
        // Say we need lps[i]
        n = lps[i-1]
        while (s[n] != s[i]) {
            if (n == 0) { n = -1; break; }
            n = lps[n-1]
        }
        lps[i] = n + 1
    }
}
  
```

→ 10:35 break

$O(N)$

//



→ (Total inc Steps in arr Val): $O(N)$ → ? { At man we can inc $\neq 1$ }

(Total dec Steps in arr Val): $O(N)$

→ Total Steps in arr Val: $O(N)$

// kmp: Pattern matching using LPSIT → kmp { Knuth - Morris - Pratt }

283] Given 2 strings A & B check if they are Anagrams $\Rightarrow \{ \checkmark \}$ Each other?

Anagrams:

2 strings A & B are said to be anagrams, if they are permutations of each other

Ex:

cat \rightarrow Yes
 satya \rightarrow No
 pls \rightarrow Yes

Madam \rightarrow No
 dadam \rightarrow No

ramas \rightarrow sorted \rightarrow aamsn
 snmaaa \rightarrow sorted \rightarrow aamsn

Given strings A & B

Idea1: Sort & Compare $\checkmark \Rightarrow O(N)$

Idea2: Take xor of all character of $A, B \Rightarrow \{ * \}$

$A: aa$ $B: bb$ } xor of all char $\neq 0$ *

Idea3: frequency of all character in both strings have to be same, using hashmap

HashMap $\langle \text{char}, \text{int} \rangle$ hm_1, hm_2
 $A \rightarrow$ in hm_1 , $B \rightarrow$ in $hm_2 : O(N)$

You need to check if hm_1 & hm_2 are exactly same

TC: $\{ N + N + 26 \}$

To insert in hm_1, hm_2 to compare hm_1 & hm_2

288)

Given 2 strings A of length N and B of length M , ($N \geq M$), Count no. of substrings of A are anagrams of B

Ex: A : a b c a c c b a b c a c
(12)

B : a b a c c
(5)

Idea: For all substrings of len = 5 in A
check if they are anagrams
with B .

	<u>A</u>	\Rightarrow	<u>B</u>
0-4	a b c a c	\rightarrow	a b a c c ✓
1-5	b c a c c		a b a c c
2-6	c a c c b		a b a c c
3-7	a c c b a		a b a c c
4-8	c c b a b		a b a c c
5-9	c b a b c		a b a c c
6-10	b a b c a		a b a c c
7-11	a b c a c		a b a c c

Idea: Using sliding window

Ex: A: ~~a~~ ~~b~~ ~~a~~ ~~a~~ ~~c~~ ~~b~~ a b c a c
(12)

B: a b a c c
(5)

freq need to compare

	<u>l</u>	<u>r</u>	<u>freq</u>	<u>c</u>	<u>freq</u>
0-4:			{a:2, b:1, c:2}	c=c+1	{a:2, b:1, c:2}
1-5:	5	0	{a:1, b:1, c:3}		{a:2, b:1, c:2}
2-6:	6	1	{a:1, b:1, c:3}		{a:2, b:1, c:2}
3-7:	7	2	{a:2, b:1, c:2}	c=c+1	{a:2, b:1, c:2}
4-8:	8	3	{a:1, b:2, c:2}		{a:2, b:1, c:2}
5-9:	9	4	{a:1, b:2, c:2}		{a:2, b:1, c:2}
6-10:	10	5	{a:2, b:2, c:1}		{a:2, b:1, c:2}
7-11:	11	6	{a:2, b:1, c:2}	c=c+1	{a:2, b:1, c:2}
// TODO				ans = 3	

// Idea of how hm1 & hm2

if (hm1.size() == hm2.size()) {

// for every in hm1 the frequency
in both hm1 & hm2 have to
be same

}

→ Friday: Oaps & Linked Lmr

Monday: _____

Wedn: _____

Friday: _____

//

// soy.

→ { Linked Lmr }
 { Trees }

{ Dp }

{ Graphs }

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→ { Saturday / Sunday }

// →

//

```
if (hm1.size() == hm2.size()) {
```

```
// for every in hm1 its frequency  
in both hm1 & hm2 have to  
be same
```

```
for (auto i = hm1.begin(); i < hm1.end(); i++) {
```

```
    k = i.first    v = i.second
```

```
    ↴
```

```
    if (v != hm2[k]) {
```

```
        return false
```

```
    }
```

```
return True
```

```
//
```

```
{ cat ✓  
  cat a a  
  cat y }
```

```
s1: d n y _ _  
s2: d a _ _ }
```

```
_ _
```

s_1 d n y b c

s_2 d a c c

s_2 s_1
d d
d a d
d a a d

s_1 a b b a e
 s_2 c d d
 s_1 a b b a e s_2 c

// s_1 s_2 :

// Decide whom sho com first y last

f a c
 s
 ans: f[0] s[0]