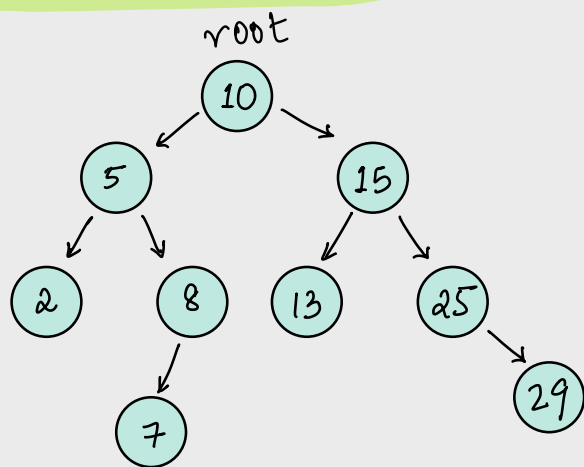


## Que 1 Iterative Postorder

LRD



Postorder →

2 7 8 5 13 29 25 15 10

~~7~~  
~~8~~  
~~2~~  
~~29~~  
~~25~~  
~~13~~  
~~15~~  
~~5~~  
~~10~~  
s1

2  
7  
8  
5  
13  
29  
25  
15  
10  
s2

2  
7  
8  
5  
13  
29  
25  
15  
10  
s2

Note: If we pop from s2 it should give the answer.

```
void postorder(Node root) {
```

```
    stack<Node> s1, s2;
```

```
    s1.push(root)
```

```
    while (s1.size() > 0) {
```

```
        Node t = s1.top()
```

```
        s1.pop()
```

```
        s2.push(t)
```

```
        if (t.left) {
```

```
            s1.push(t.left)
```

```
        }
```

```
        if (t.right) {
```

```
            s1.push(t.right)
```

```
        }
```

```
    }
```

```
    // print stack 2. ⇒ TODO
```

```
}
```

TC: O(N)

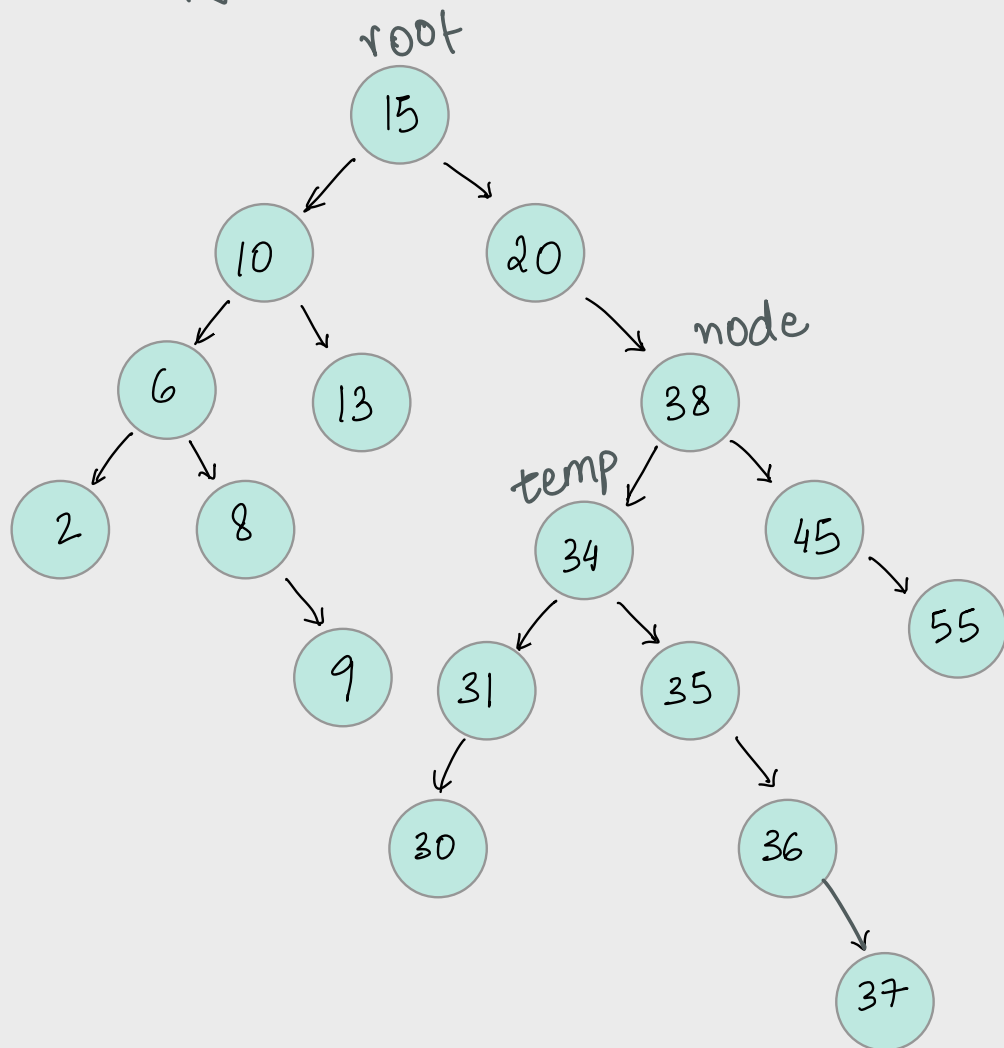
SC: O(N)

DIY / TODO

Do it using single stack.

Q. Given node, get rightmost node of inorder in BST.

Binary Search Tree



15  $\Rightarrow$  13

38  $\Rightarrow$  37

6  $\Rightarrow$  2

floor :

```
temp = node.left
while (temp.right != NULL)
{
    temp = temp.right
}
return temp.data
```

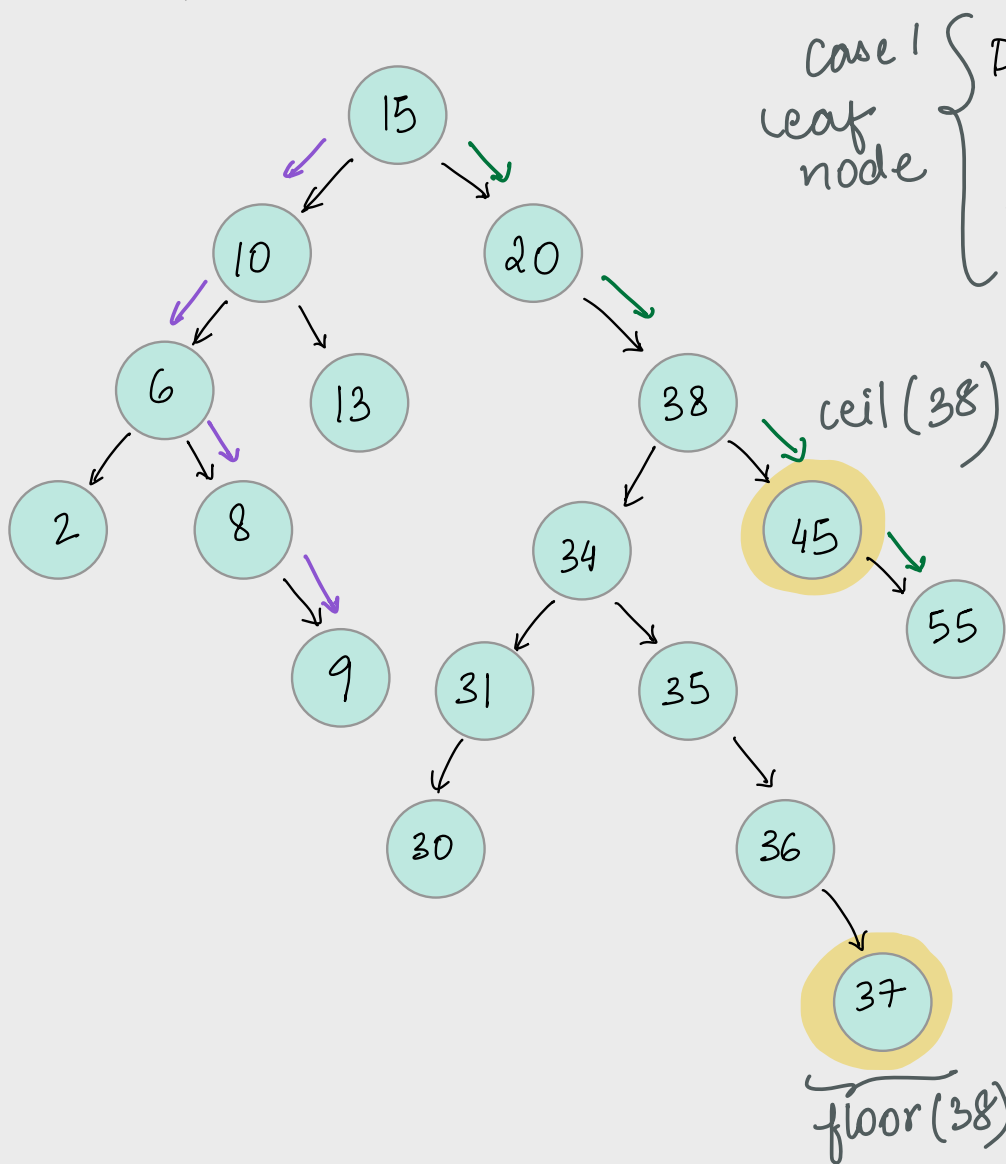
floor  $\rightarrow$  largest value  $\leq$  given val

ceil  $\rightarrow$  smallest val  $\geq$  given val

DIY.

Deletion in BST { Replacing the data is allowed if needed }

After deleting, return root node.

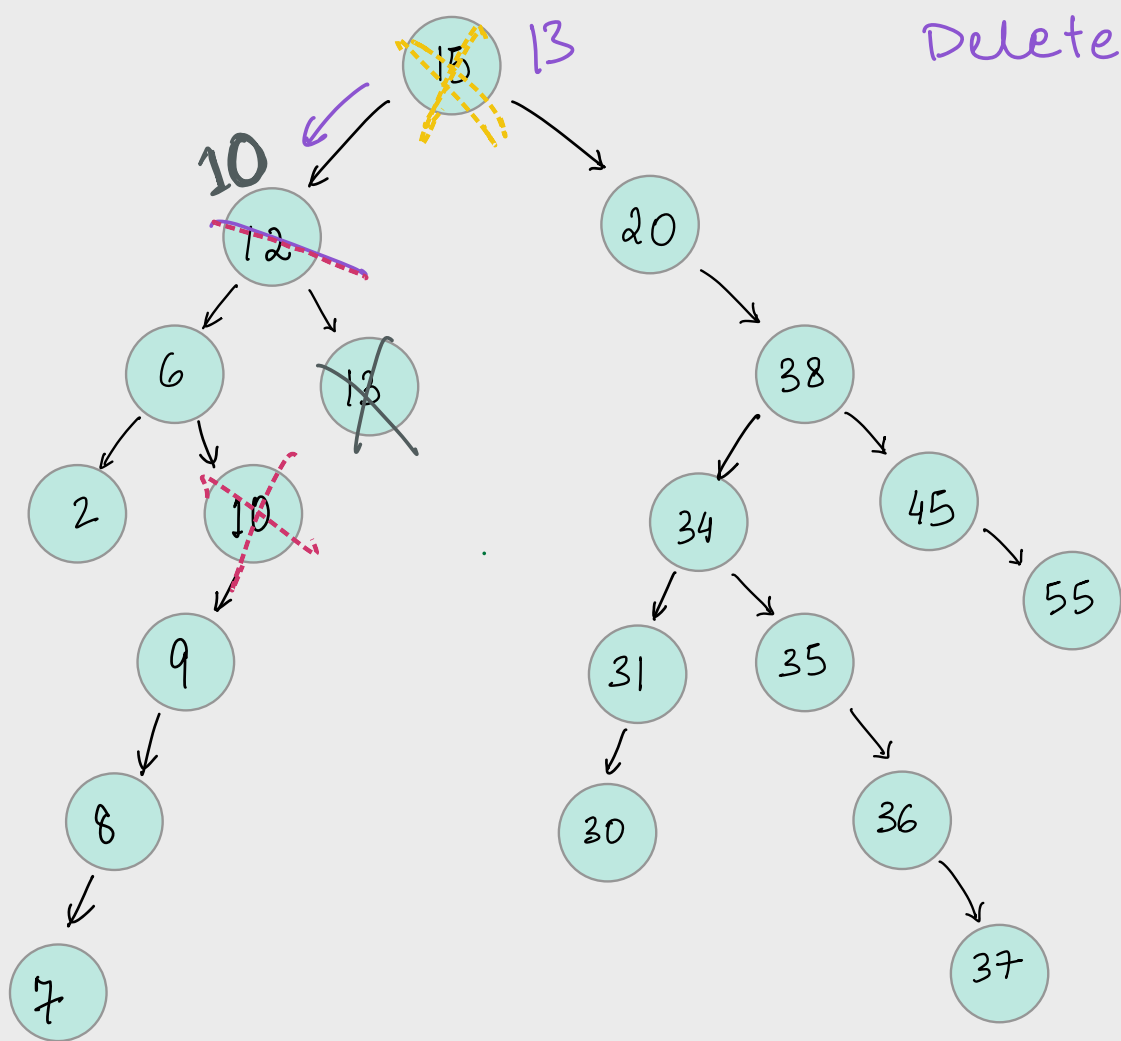


Case 1 { Delete 9  $8.right = NULL$   
leaf node { Delete 55  $45.right = NULL$

Case 2 { Delete 20  $15.right = 20.right$   
One child { Delete 45  $38.right = 45.right$

Case 3 { 38 :  
Both children { we can replace 38 with either 37 or 45.

- ① Find floor of 38
- ② Replace 38 with 37
- ③ Delete 37.



Delete 12

Find floor(12) → 10

Replace 12 with 10

Delete 10.

6.right = 10. left  
10 cannot have  
any child on right  
Because then  
floor of 12 will not  
be 10 but  
the rightmost node

Delete 15:

floor(15) → 13

Replace 15 with 13

Delete 13

Node Delete(Node root, int K) {

if (root == NULL) return NULL

if (root.data == K) {

// leaf node

if (root.left == NULL && root.right == NULL) {

return NULL

// If single child

if (root.left == NULL || root.right == NULL) {

if (root.left == NULL) {

return root.right

if (root.right == NULL) return root.left

// Both children

int n = floor(root)

root.data = n

root.left = Delete(root.left, n)

return root

}

else if (root.data > K) {

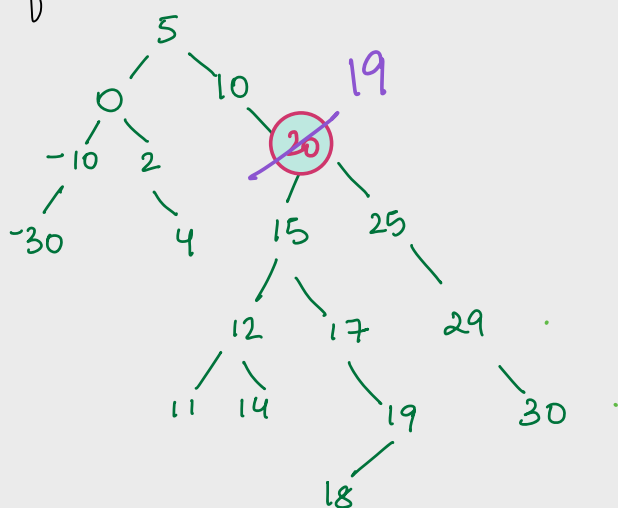
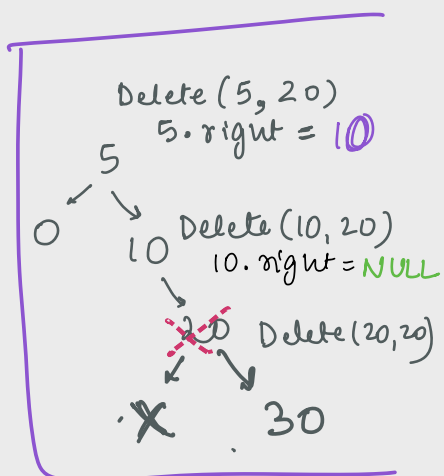
root.left = Delete(root.left, K)

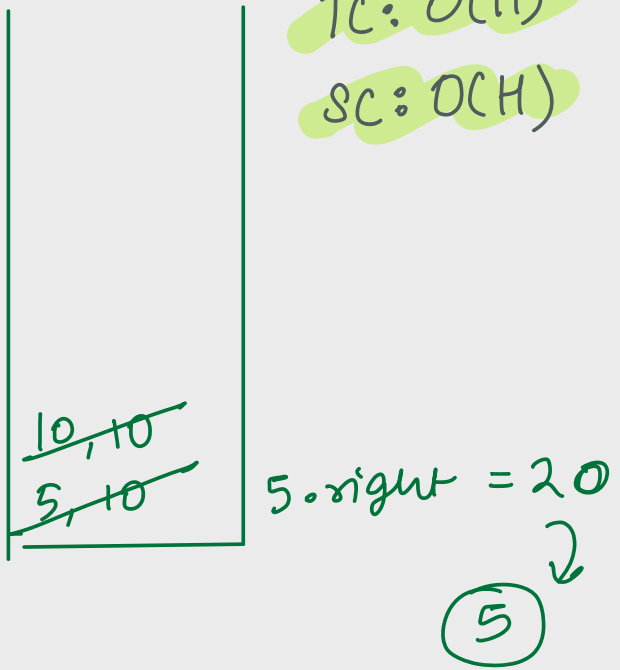
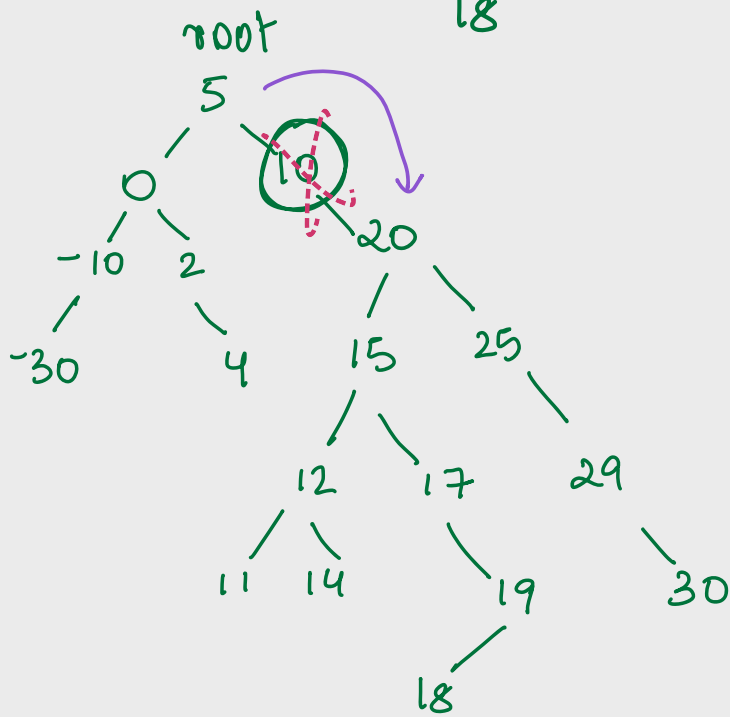
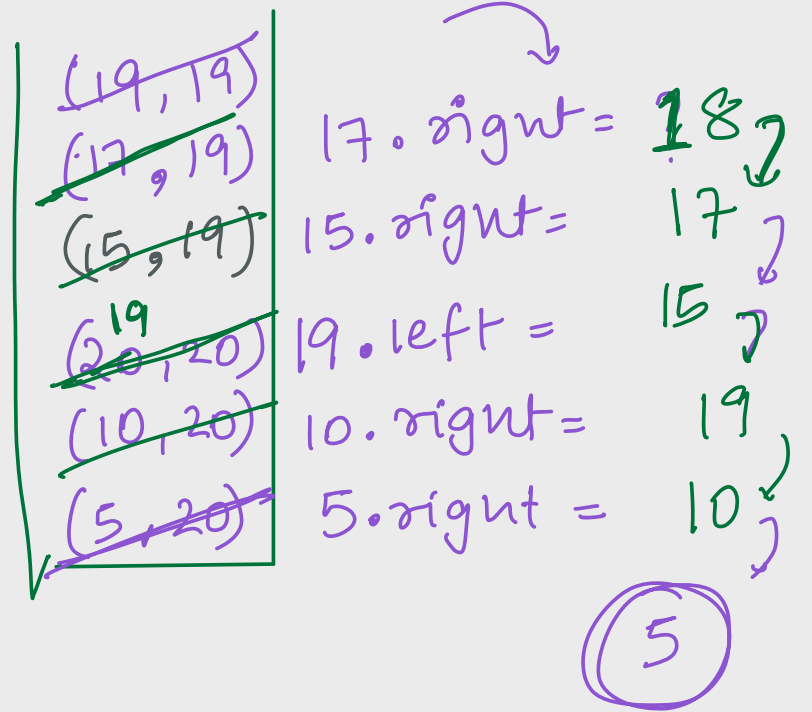
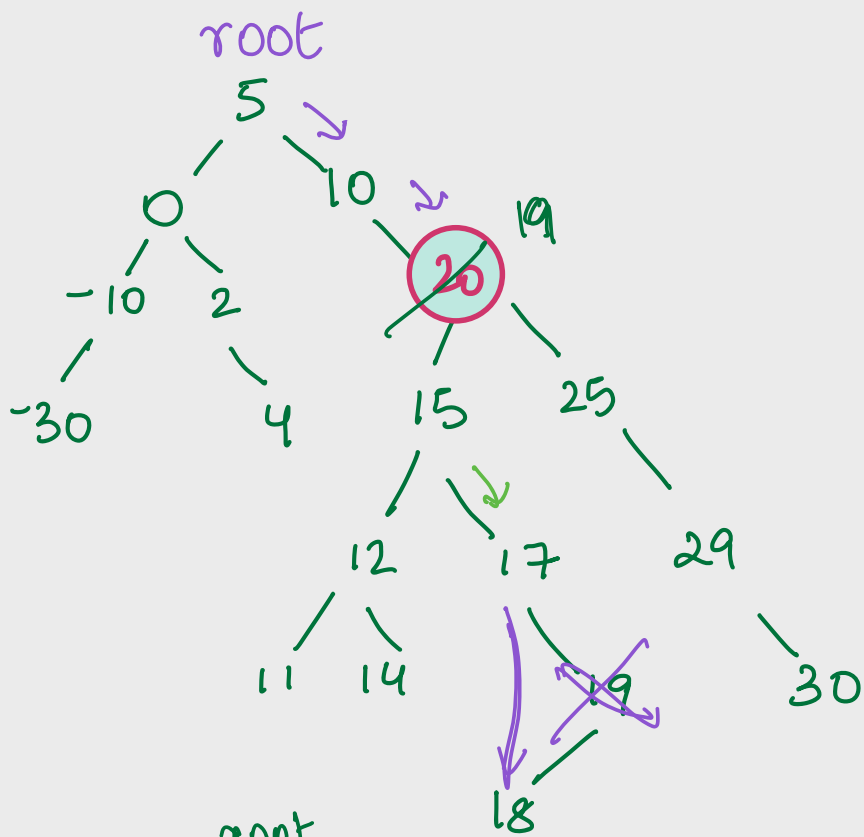
else {

root.right = Delete(root.right, K)

return root

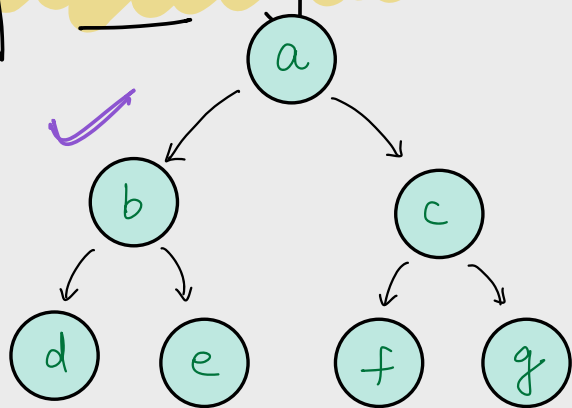
}



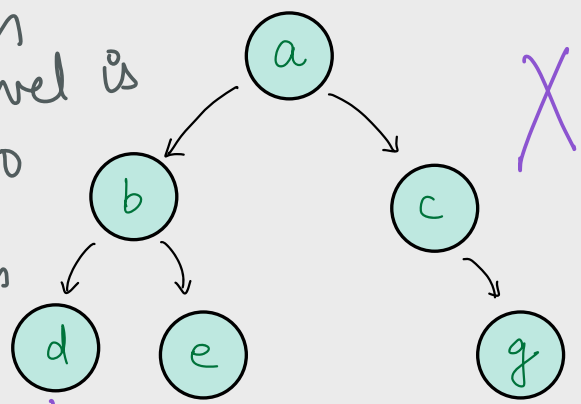


Break : 10 : 40

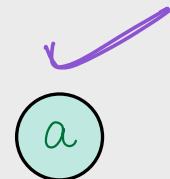
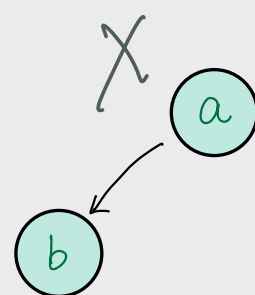
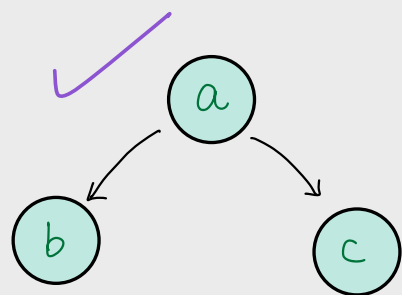
## Perfect Binary Tree



Each node has 2 children or not children  
Only last level is allowed to have 0 children



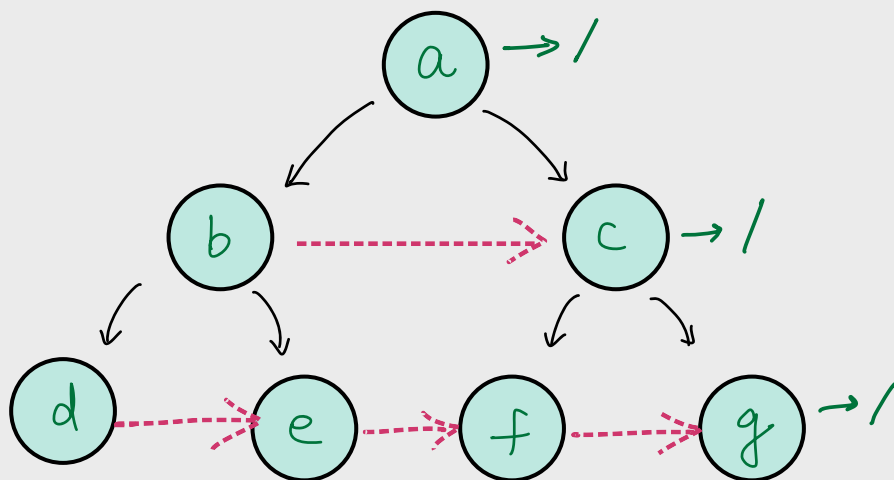
All the levels must be filled.



Que. Given a perfect tree,

Amazon

```
class Node {
    Node left
    Node right
    Node side
}
```



Approach 1 :

we can do level order traversal using queue }  
 TC:  $O(N)$   
 SC:  $O(N)$

~~a~~ ~~NULL~~ ~~b~~ ~~c~~ ~~NULL~~ ~~d~~ ~~e~~ ~~f~~ ~~g~~ ~~NULL~~

prev a  
curr ~~a~~  
NULL

a.side = NULL

~~NULL~~ ~~NULL~~  
~~b~~ ~~c~~  
c

b.side = c

~~c~~ ~~c~~  
NULL

c.side = NULL

~~NULL~~ ~~NULL~~  
~~d~~ ~~e~~

d.side = e

e

~~e~~  
f

e.side = f

f

~~f~~  
g

f.side = g

prev NULL  
curr ~~NULL~~  
a

if (prev == NULL)  
prev = curr

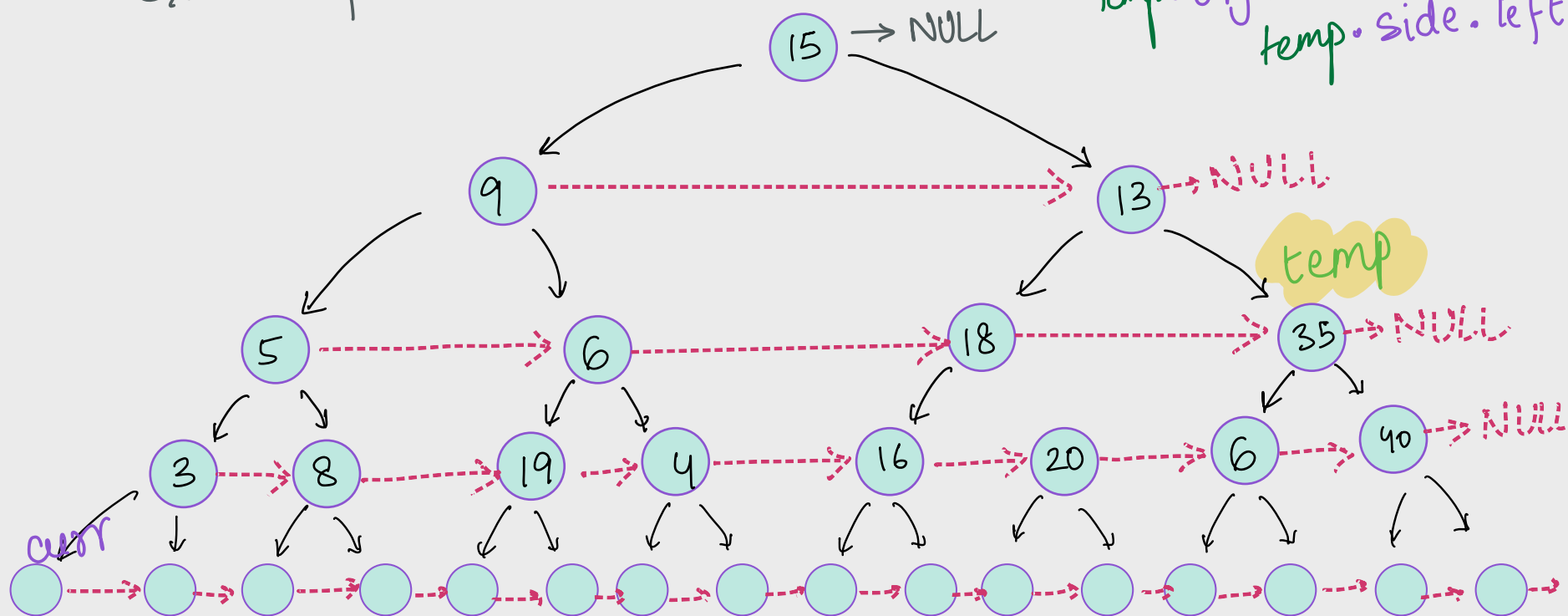
else  
prev.side = curr  
prev = curr

~~g~~ ~~g~~  
NULL  
g.side = NULL  
NULL NULL

Use only constant  
extra space

root

temp.left.side =  
temp.right  
temp.right.side =  
temp.side.left

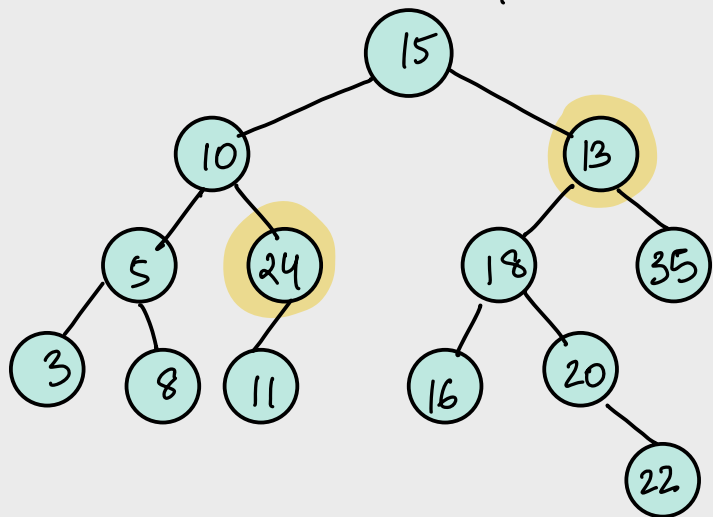


```
void connectSides (Node root) {
    curr = root
    while (curr.left != NULL) {
        temp = curr
        while (temp != NULL) {
            temp.left.side = temp.right
            if (temp.side) {
                temp.right.side = temp.side.left
            }
            temp = temp.side
        }
        curr = curr.left
    }
}
```

TC :  $O(N)$   
SC :  $O(1)$



Q. Find 2 swapped nodes of BST.



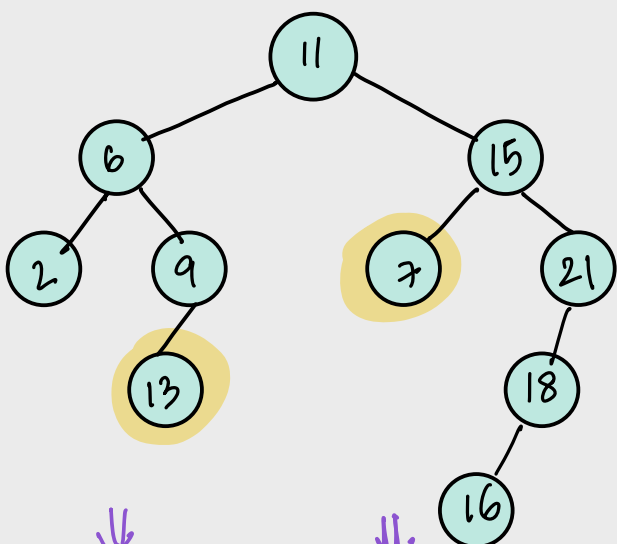
Left to Right : Data  $\uparrow$

if ( $A[i] > A[i+1]$ )  
 $\Rightarrow A[i]$  is out of order

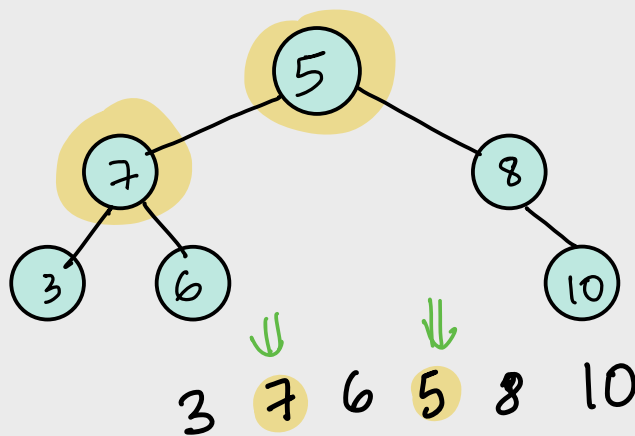
Right to Left : Data  $\downarrow$

if ( $A[i] < A[i-1]$ )  
 $\Rightarrow A[i]$  out of order

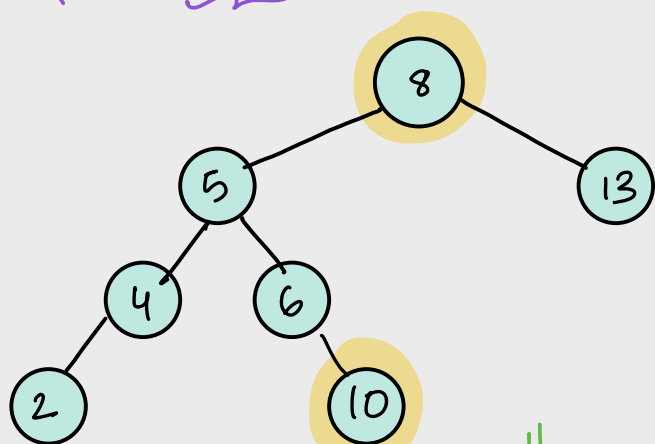
inorder: 3 5 8 10 11 24 15 16 18 20 22 13 35  
 $< < < < < > < < < < > <$



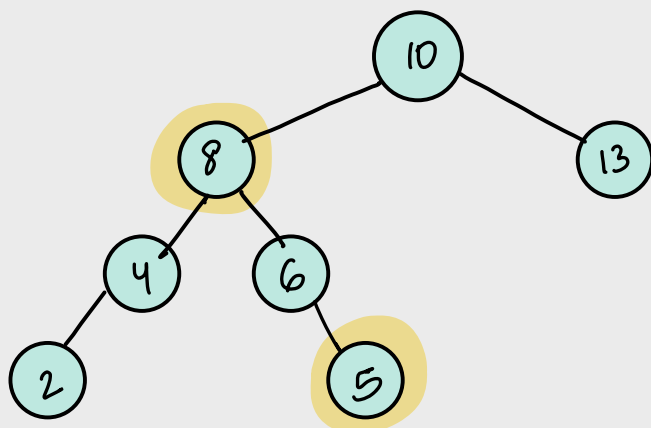
2 6 13 9 11 7 15 16 18 21  
 $< < > < < < < <$



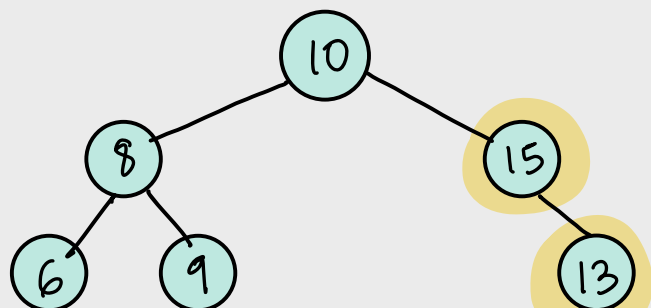
3 7 6 5 8 10  
 $< < < < <$



2 4 5 6 10 8 13  
 $< < < < > <$



2 4 8 6 5 10 13  
 $< < < < < <$



6 8 9 10 15 13  
 $< < < < >$

Find inorder traversal

# Try with Morris