Solve for the roots of $3x^2 - 5x = 2$ using either factoring or quadratic formula

$$\frac{1}{3} \chi^{2} - 5\chi - 2 = 0$$

$$3\chi + 1/(\chi - 2) = 0$$

$$3\chi + 1 = 0$$

$$\chi - 2 = 0$$

$$\chi = -\frac{1}{3}$$

$$\chi = \frac{-(-5)^{\pm} \int (-5)^{2} - 4(3)(-2)}{2(3)}$$

$$\chi = \frac{5^{\pm} \int 49}{6} = \frac{5^{\pm} 7}{6}$$

$$\chi = \frac{5^{\pm} \int 49}{6} = \frac{5^{\pm} 7}{6}$$

$$\chi = \frac{5^{\pm} \int 49}{6} = \frac{12^{2}}{6} = \frac{12^{$$

2) Find the roots, in simplest radical form, of $x^2 + 4x = -2$

(hint: when the question says "in radical form," you should use quadratic formula because it means the polynomial can not be factored) 18 = 14.2 = 211

$$\chi^{2} + (4) \pm \sqrt{4} + \sqrt{2} + (1)(2) = -4 \pm \sqrt{8} = -4 \pm \sqrt{12}$$

$$\chi^{2} - (4) \pm \sqrt{4} + (1)(2) = -4 \pm \sqrt{8} = -4 \pm \sqrt{12}$$

$$\chi^{2} + (4) \pm \sqrt{4} + (1)(2) = -4 \pm \sqrt{8} = -4 \pm \sqrt{12}$$

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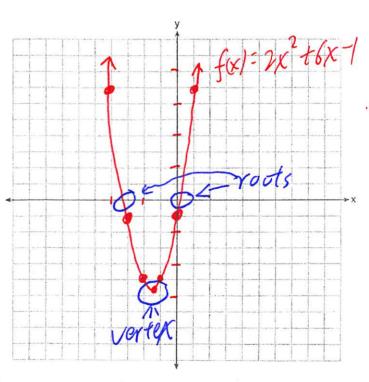
$$\chi^{2} + (4) \pm \sqrt{4} + (1)(2) = -4 \pm \sqrt{12} =$$

3) Given the function $f(x) = 2x^2 + 6x - 1$ a) By inspecting the equation, does the graph have a maximum or a minimum? Explain

Since a=2, which is positive, so graph is concave up, U. that means it will have a Minimum

b) sketch the graph of $f(x) = 2x^2 + 6x - 1$

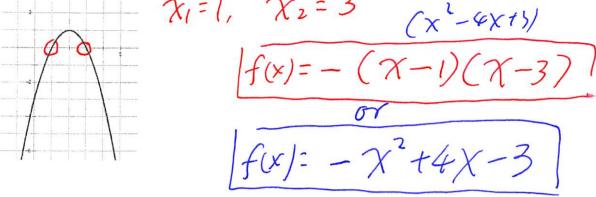
$\chi = \frac{-2}{29}$ χ	
$\chi = \frac{-6}{3(2)}$ $\frac{-4}{3}$ $\frac{7}{4}$	-
$\sqrt{-1}$ -2 -5	
x=-1.5 x -1.5 -5.5	
-1 -5	
0 -1	_
1 7	



c) on your graph, circle the roots, vertex of the graph

d) write the equation of the axis of symmetry

4) The graph of a quadratic function, f(x) is given below. Find an equation for f(x) $\chi_1 = 1, \quad \chi_2 = 3 \quad (\chi^2 - 4\chi t)$



- 5) After a projectile is launched, its path is modeled by $h(t) = -16t^2 + 96t + 258$, where h is the height, in feet, and t is time measured in seconds.
 - a) find the height, in feet, of the projectile 4 seconds after its launched

b) how many seconds after its launch will the projectile hit the ground? $\Rightarrow \mathcal{H}(\mathcal{A}) = \mathcal{C}$

of t-8=0 | t+2=0 f=8 | t=-2 very Seconds later it will hit the stand

c) what is the maximum height, in feet, will the projectile reach?

Step 1:
$$f = \frac{1}{2a} = \frac{-(96)}{2(46)} = 3$$

Step2: h(3) = -16(3) +96(3) +256 = 400 feet

Maximum height

6) Find three consecutive positive odd integers such that the product of the smallest and largest integers exceed four times of the middle integer by one.

X= smallest integer 37 X+2 = middle integer 5 (=) X+4= (Gryst integer 7)

(X/(X+4) = 4(X+2)+1 $X^{2}+4X = 4X+9+1$ $x^{2}+4X = 4X+9+1$

The Integers are 3, 5, 7

 $\chi^{2}-9 = 0$ $(\chi + 3)(\chi - 3) = 0$