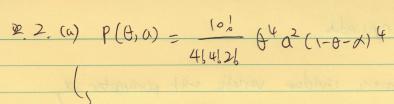
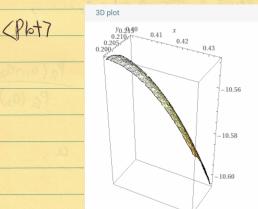
My 12 192201 @ nyu.edu 1. Given a a geometric random variable with parameter of geometric distribution is: Pala) = (1-d) d' if we assume $a = \tilde{a}$ equals a for a = 1, 2, 3, ...,and a = 2 equals a for a 75, the probability should be Palai) / Palai) = Palainas)

(f) a=122 is the Palain / Palai) = Palainas) (f) a=1,2,3,4,5 then Pa(a,na)=0, Since there will be no intersection of value a. if) a75, then Pa (and) = Pa (a) Since every a, will be on intersection of 1/2 Pa(a) = (1-2)-1. d1. Pa(02) = Pa(0.75) = 1 - (Pa(0+Pa(0)+Pa(3)+Pa(4)+Pa(5)) = 1- (1+1-2)-1+(1-2)-1+(1-2)-1+(1-2)-1 = (1-A - (1-A) d - (1-A) 2 - (1-A) 2 - (1-A) 4) = ((-d) (1-d-C+d)d-(1-d)2d + (1-a)3d) $= (1-d)^{2} (1-d-(1-d)d-(1-d)^{2}d)$ $= (1-\alpha)^3 (1-\alpha - (1-\alpha)\alpha)$ = C1-d)4(1-d) = (rd)5 $\frac{1}{1} \frac{1}{1} \frac{1}$ (4)5, $P_{2}(a_{1})/P_{3}(a_{2}) = P_{2}(a_{1}, a_{2}) - P_{2}(a_{1}) - (1-d)^{3} - (1-d)^{3} - (1-d)^{3}$





$$\frac{d}{d\theta} \log P(\theta, 0) = 0 + \frac{4}{\theta} + 0 + \frac{4 \times (-1)}{(1 - \theta - \alpha)} = 0$$

$$\frac{4}{\theta} = \frac{4}{\theta} = \frac{4 \times (-1)}{(1 - \theta - \alpha)} = 0$$

$$\frac{4}{\theta} = \frac{4}{(1-\theta-\alpha)}, \quad \theta = \frac{1-\alpha}{2}$$

$$\frac{1}{2} = \frac{1-\alpha}{2}$$

Since
$$\theta = \frac{1-a}{2} = 1-3a$$
, $1-a=2-6a$, $5a=1$, $a=\frac{1}{5}$, $\theta = \frac{1-\frac{1}{5}}{2} = \frac{2}{5}$

(c) P(Gony who) =
$$\frac{4}{10} = \frac{7}{5}$$
 from 10 chess games.

P(Anish whos) = $\frac{7}{10} = \frac{7}{5}$ This result is same as (b), which makes this nonparametric model

P(draw) = $\frac{7}{10} = \frac{7}{5}$. Same as parametric model

| 3. I | f a player needs total in attempts and hits a certain number ic-times, |
|--|---|
| | ast attempt should be hetting a certain number. |
| | n-1 ortempts lost attempt, |
| | (H) HH's a certain number) |
| | H F H F H F= fails to hit a certain number) |
| | (acy so the first of the first |
| a de la companya de l | |
| % | |
| | (14) times H is needed |
| | , for (n-1) attempts, ne have (14) Hits and (n-1) - (14) none hits |
| | |
| in | binominal distribution, |
| K | |
| T. | suming the probability of success in each attempt as o, |
| 0 | and number of required attempts K, pmf should be as below |
| | |
| P | mf) n-1 (12-1 · (b) k- (1-b) (n-1) - (12-1), b |
| | O(lack Attrimet - 4) |
| | p(last attempt = b) |
| | = n-1 Cicy (0) k, (1-8) n-K |
| -14 | |
| | |
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