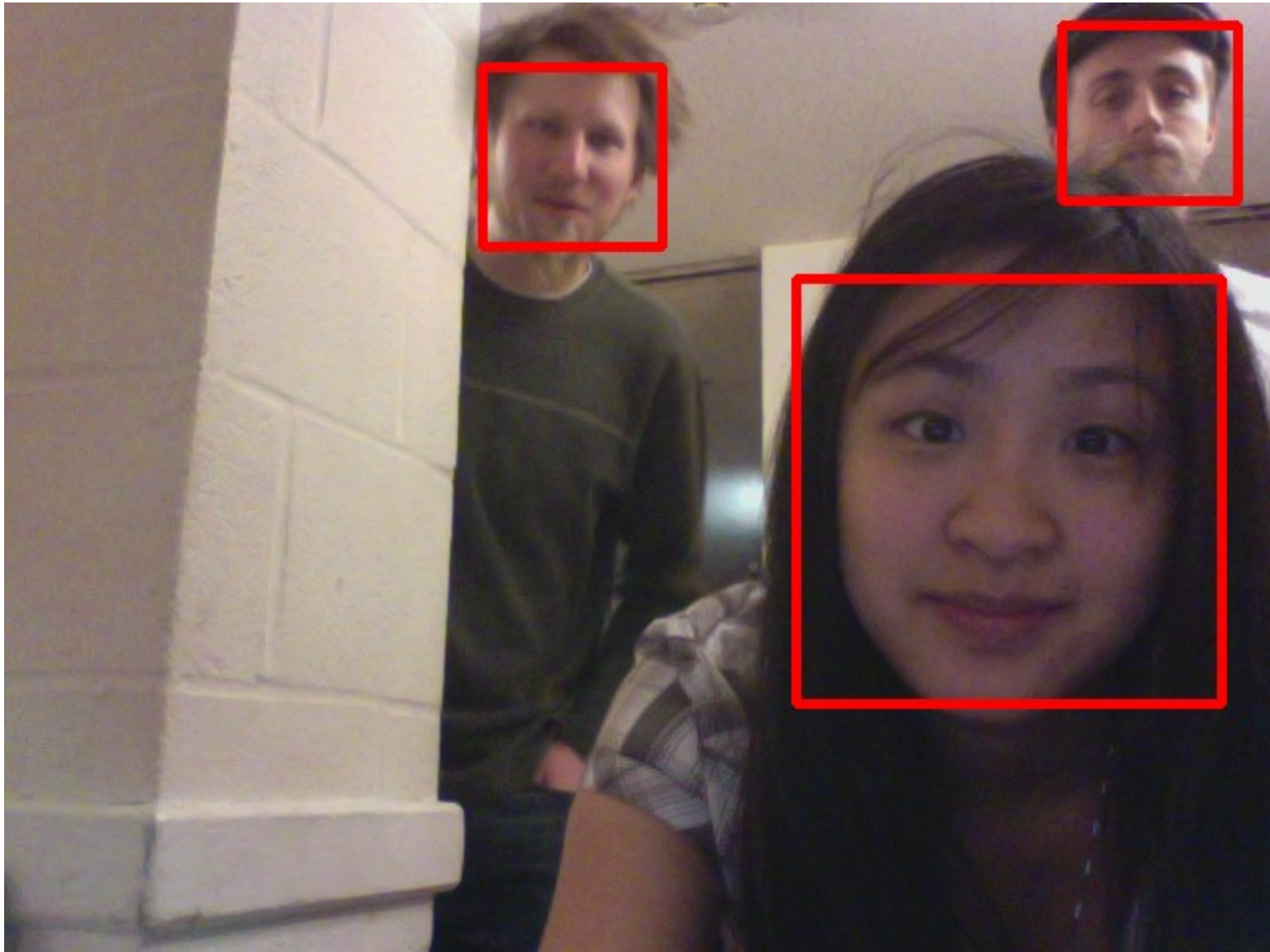


Facial Recognition on Mobile Platforms

Cooper Bills (csb88)
Jason Yosinski (jy495)

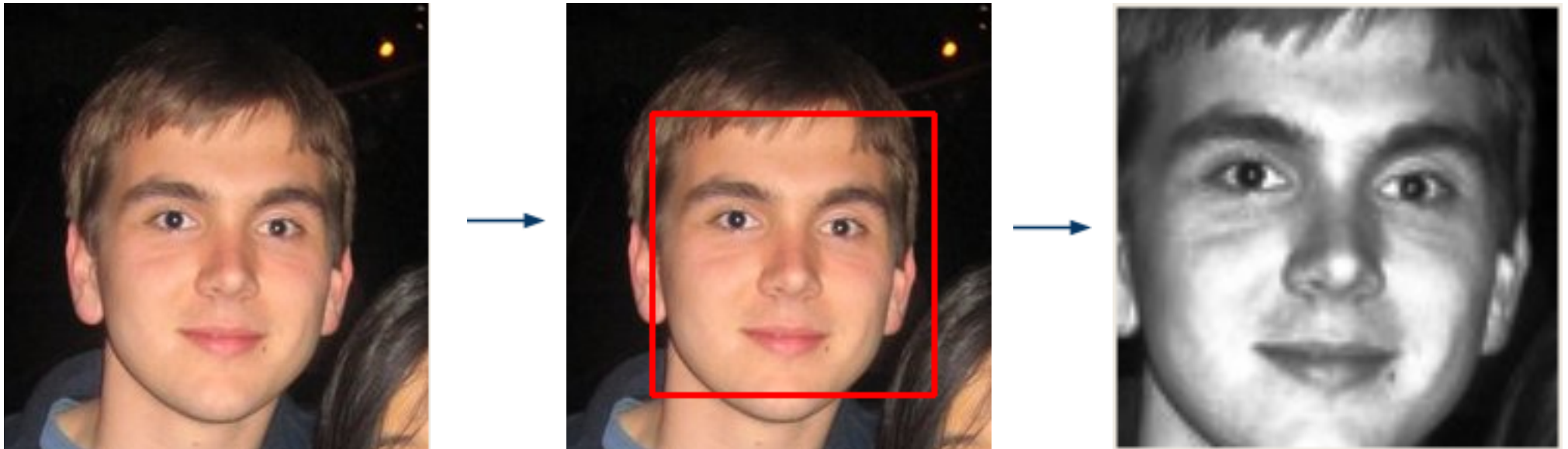
Approach - Face Detection

Harr cascades



Approach - Database Generation

Universally crop and equalize images:



Approach - Eigenfaces



Vector 0 (avg)



Vector 1



Vector 2



Vector 3 ...

Problem with Eigenfaces:

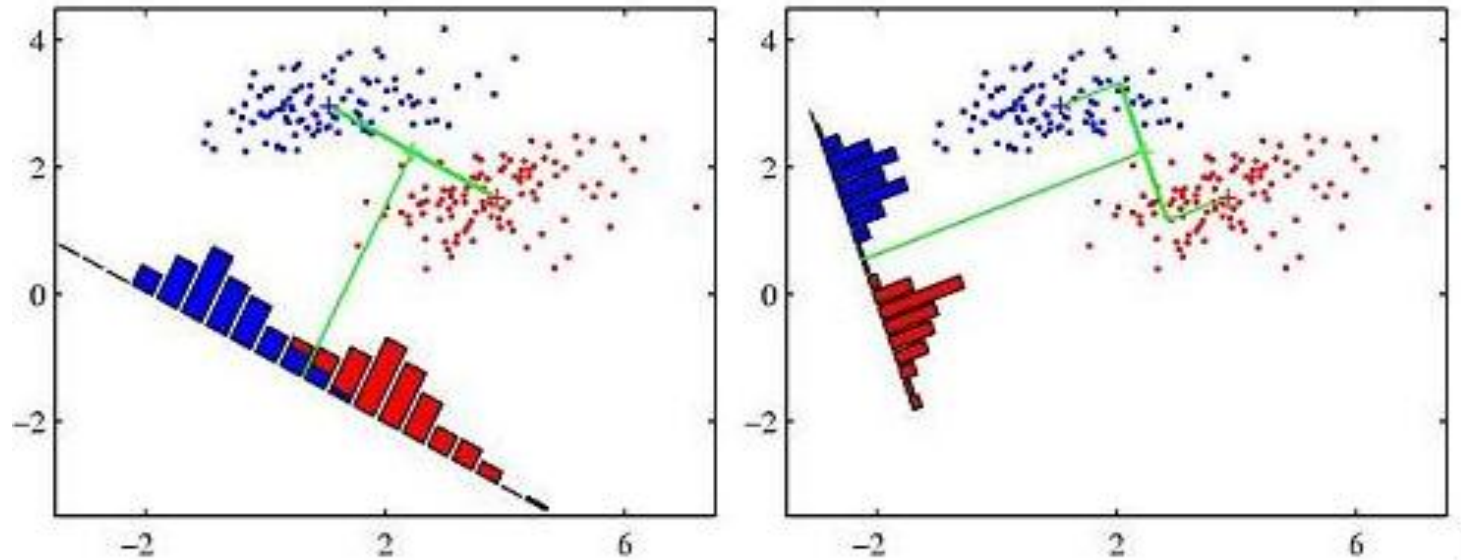
```
$ ../../eigenDecomp Result0.cooper01.jpg (not in dataset)
```

Results:

```
Index Match0: 157, dist: 45990788.000, Label: Result1.subject05.rightlight.jpg  
Index Match0: 78, dist: 49232532.000, Label: Result0.subject08.rightlight.jpg  
Index Match0: 131, dist: 63325640.000, Label: Result0.subject13.rightlight.jpg  
Index Match0: 142, dist: 64011600.000, Label: Result0.subject14.rightlight.jpg  
Index Match0: 152, dist: 64910080.000, Label: Result0.subject15.rightlight.jpg  
Index Match0: 57, dist: 65682916.000, Label: Result0.subject06.rightlight.jpg  
Index Match0: 39, dist: 66772448.000, Label: Result0.subject04.rightlight.jpg  
Index Match0: 17, dist: 68427568.000, Label: Result0.subject02.rightlight.jpg  
Index Match0: 88, dist: 68480248.000, Label: Result0.subject09.rightlight.jpg  
Index Match0: 120, dist: 70358344.000, Label: Result0.subject12.rightlight.jpg
```

Done.

Approach - Fisher Faces



- Find the single dimension that best separates two classes
- Separation defined as:

$$S = \frac{\sigma_{between}^2}{\sigma_{within}^2} = \frac{(\vec{w} \cdot \vec{\mu}_{y=1} - \vec{w} \cdot \vec{\mu}_{y=0})^2}{\vec{w}^T \Sigma_{y=1} \vec{w} + \vec{w}^T \Sigma_{y=0} \vec{w}} = \frac{(\vec{w} \cdot (\vec{\mu}_{y=1} - \vec{\mu}_{y=0}))^2}{\vec{w}^T (\Sigma_{y=0} + \Sigma_{y=1}) \vec{w}}$$

- Make k separate one-vs-all classifiers

Approach - Fisher Faces

- Tricky to calculate covariances

$$\vec{w} = (\Sigma_{y=0} + \Sigma_{y=1})^{-1} (\vec{\mu}_{y=1} - \vec{\mu}_{y=0})$$

- Raw images: 10000 x 10000
- As many dimensions as images: 165 x 165
- First N eigenvectors: N x N

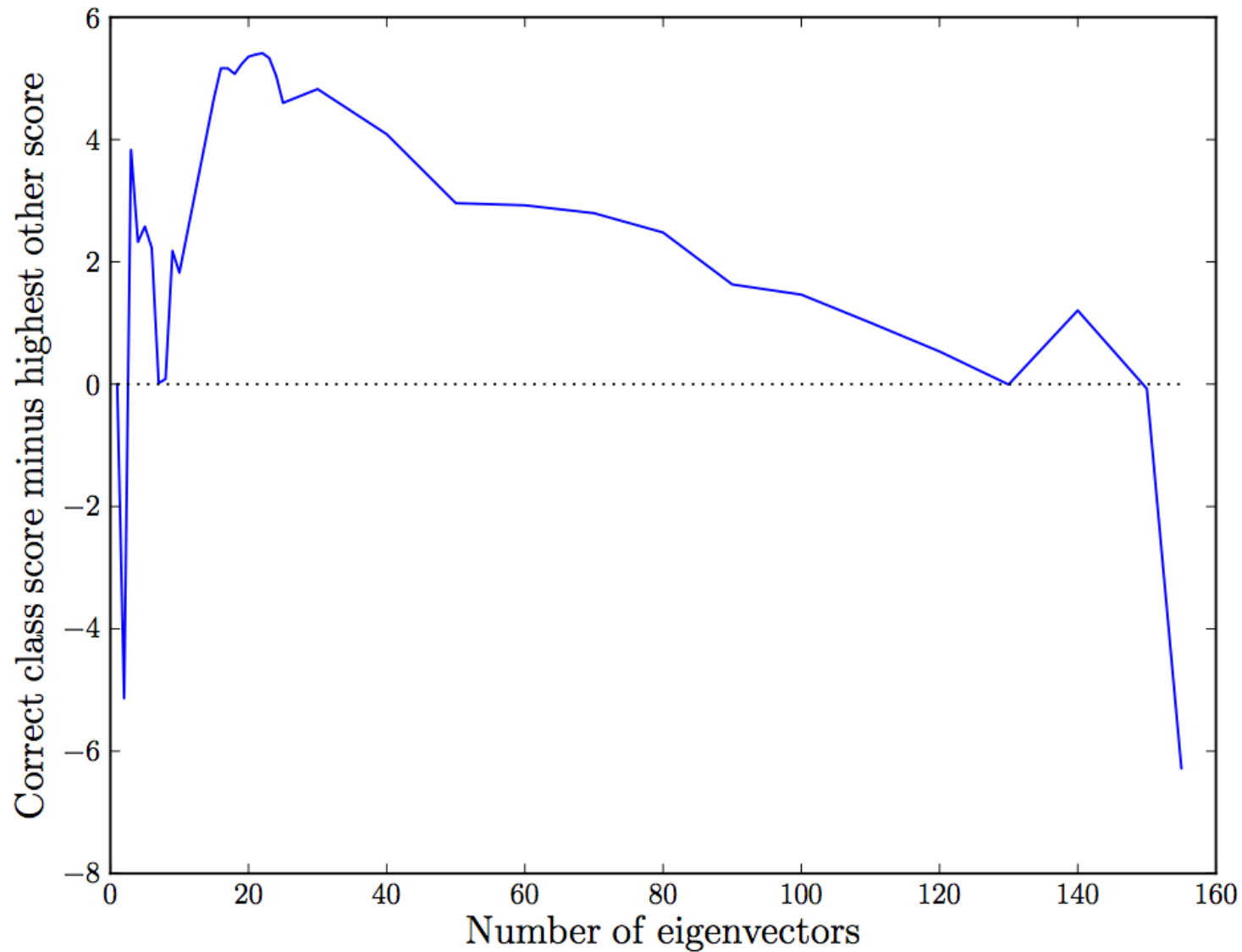
- Regularization

$$\vec{w} = (\Sigma_{y=0} + \Sigma_{y=1} + \epsilon I)^{-1} (\vec{\mu}_{y=1} - \vec{\mu}_{y=0})$$

- Score for each class:

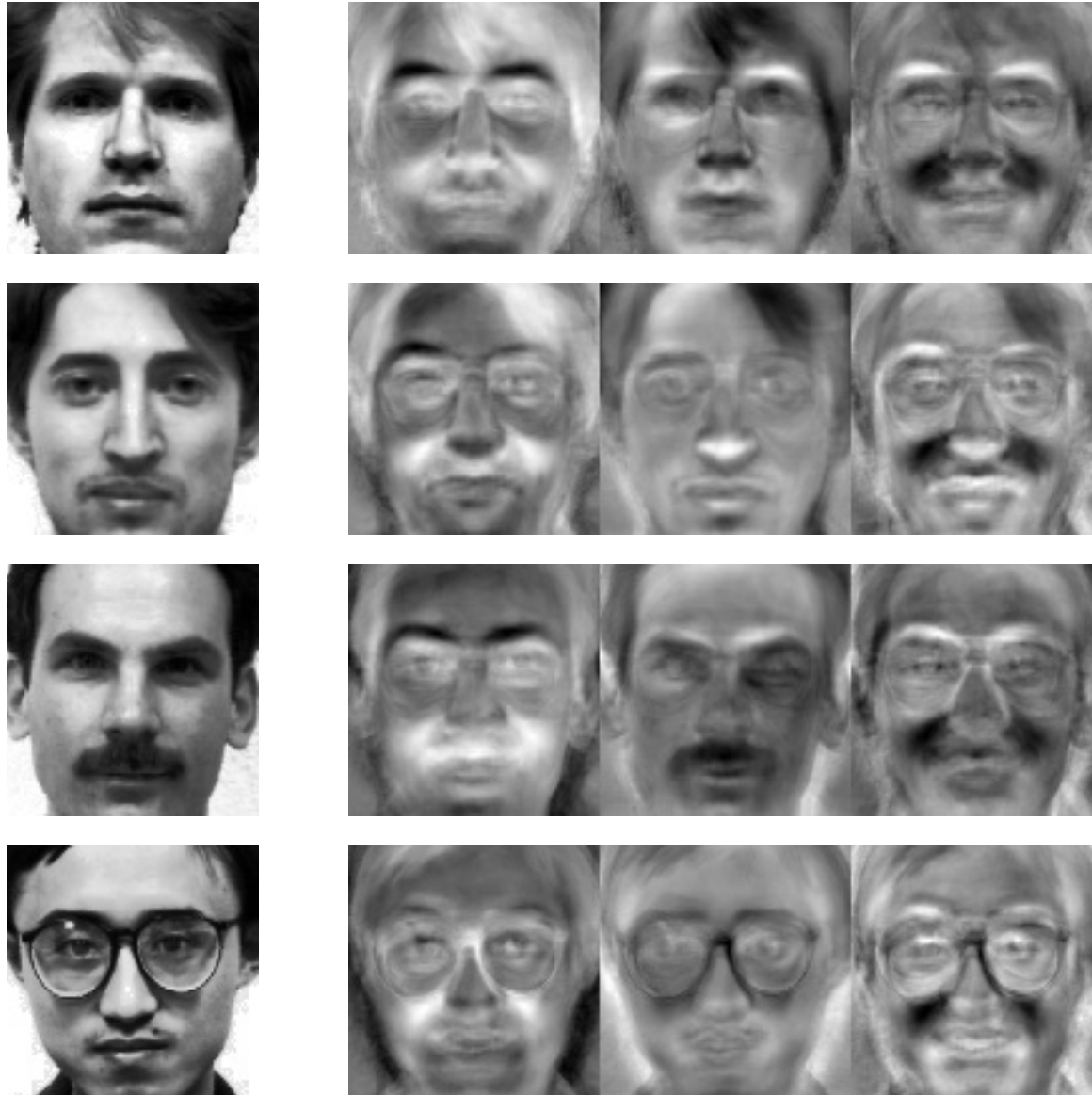
$$s_{ratio} = \frac{s_{test} - s_{\mu_0}}{s_{\mu_1} - s_{\mu_0}}$$

Results - Fisher Faces



Settled on 24 dimensions for rest of work

Results - Fisher Faces



Results - Fisher Faces

Results on Yale Database:

- Perfect recognition of "normal" faces (easier).



- Perfect recognition of "happy" faces (harder).



Demo

Live Demo! (Hopefully)

Questions?

References:

Yale Face Database - Retrieved from: <http://cvc.yale.edu/projects/yalefaces/yalefaces.html>

Bradski, G. (2000) The OpenCV Library - Dr. Dobb's Journal of Software Tools

Shervin Emami (2010) Introduction to Face Detection and Face Recognition.
Retrieved from: <http://www.shervinemami.co.cc/faceRecognition.html>

M. Turk, A. Pentland, Eigenfaces for Recognition, Journal of Cognitive Neuroscience, Vol. 3, No. 1, 1991, pp. 71-86

Christopher M. Bishop, *Pattern Recognition and Machine Learning*