Part 1

Q1)

Code

%--------Q1--------

% Define the open-loop transfer function G(s)

num\_G = 1;

den\_G = [1 1 0]; % s(s+1) = s^2 + s

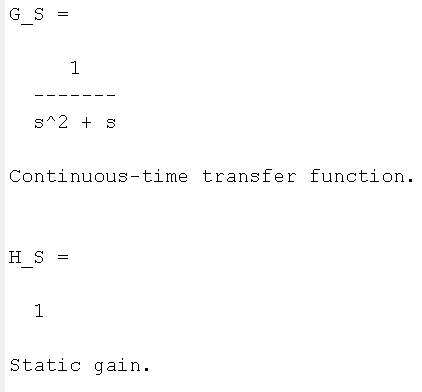
G\_S = tf(num\_G, den\_G)

% Define the feedback transfer function H(s)

num\_H = [1];

den\_H = [1]; % Unity Feedback

H\_S = tf(num\_H, den\_H)

Output:  


Q2) the 𝑠𝑡𝑒𝑝() command to plot the output of 𝐺(𝑆)

Code: We made a function that plots step time response and checks stability

%--------Q2-------- Step Response of G(s) (Open-Loop)

% Plot step response of G(s)

draw\_step(G\_S, 'Open-Loop System G(s)');  
  
  
function draw\_step(sys, sys\_name)

% Create figure

figure;

% Plot step response

step(sys);

title(['Step Response of ', sys\_name]);

grid on;

% Display poles

poles = pole(sys);

disp(['Poles of ', sys\_name, ':']);

disp(poles);

% Check stability

if all(real(poles) < 0)

disp('System is stable (all poles in LHP)');

elseif any(real(poles) > 0)

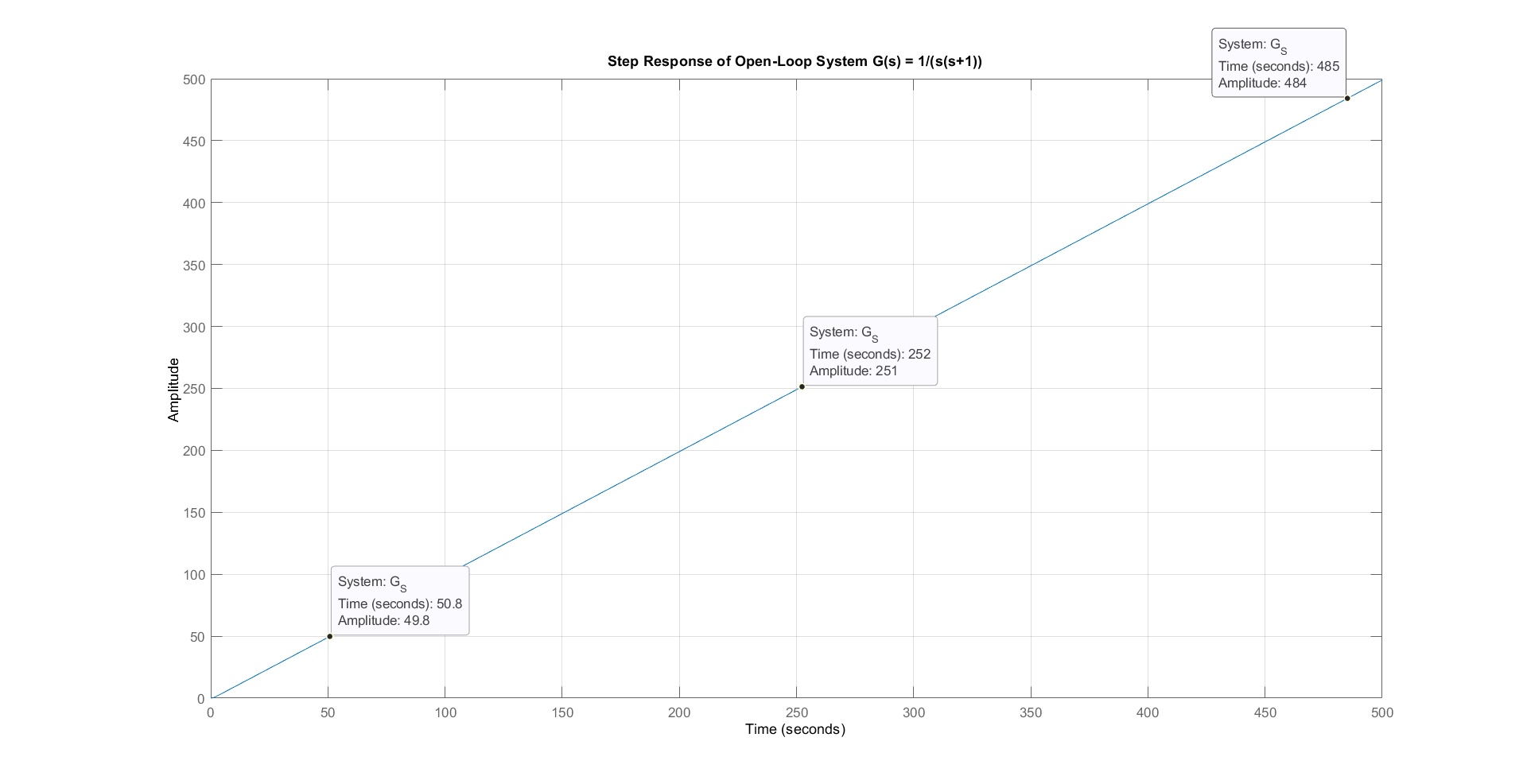
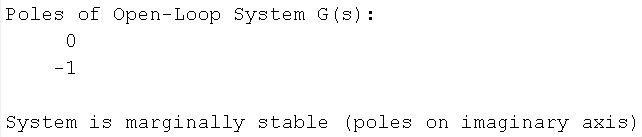
disp('System is unstable (at least one pole in RHP)');

else

disp('System is marginally stable (poles on imaginary axis)');

end

end

Output:

Q3)

Code:

%--------Q3-------- Closed-Loop Analysis

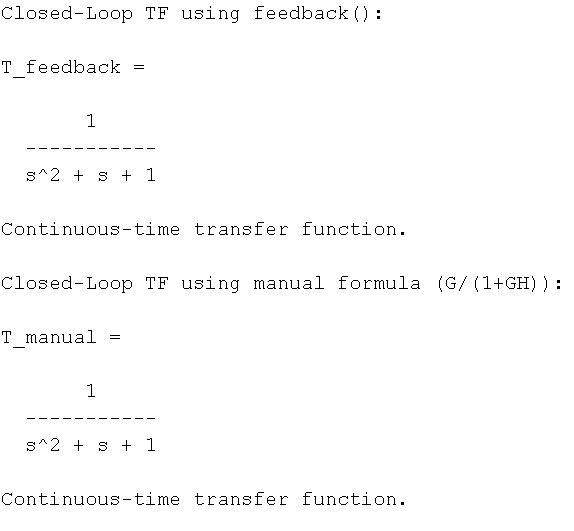
disp('Closed-Loop TF using feedback():');

T\_feedback = feedback(G\_S, H\_S)

disp('Closed-Loop TF using manual formula (G/(1+GH)):');

T\_manual = (1 / (1 + G\_S \* H\_S)) \* G\_S; % Equivalent to T(s) = G/(1+GH)

T\_manual = minreal(T\_manual) % Cancel common terms

Output:

Q4)

