

## Computational Cost Analysis of Block Processing

Let:

- $n$  : Number of state operations per block (each block h consumes a constant amount of gas) so n is constant.
- $L_h$  : Average number of nodes accessed per state operation (intermediate + leaf node).

Per operation:

- Reading time :  $T_r = L_r.R \rightarrow T_{hoperation} = L_h(R + N)$
- Writing time :  $T_w = L_h.W \rightarrow T_h = n.T_{hoperation} = n.L_h(R + W)$

More data means more nodes accessed per operations with lead to:  $L_h \approx k. \log_{16}(D_h)$   
(assuming MPT is balanced)

$k$ : Constant

Which lead to:

$$T_h = n.k. \log_{16}(D_h).(R + W)$$

- The processing time for the block  $h$ :  $T_h = n.k. \log_{16}(D_h).(R + W)$
- The processing time for the previous block ( $h-1$ ):

$$T_{h-1} = n.k. \log_{16}(D_{h-1}).(R + W)$$

- Relation between  $T_h$  and  $T_{h-1}$ :

$$\frac{T_h}{T_{h-1}} = \frac{n.k. \log_{16}(D_h).(R + W)}{n.k. \log_{16}(D_{h-1}).(R + W)}$$

$$\Rightarrow \frac{T_h}{T_{h-1}} = \frac{\log_{16}(D_h)}{\log_{16}(D_{h-1})}$$

$$T_h = \frac{\log_{16}(D_h)}{\log_{16}(D_{h-1})}.T_{h-1}$$