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Information of "event A has high probability value",
"event B has medium probability value",
"event C has low probability value", ...
is called "probability distribution"
Elementary event (or atomic event):
Elementary event has one number of sample
   P(Diamond) = 0.1
P(\text{Heart}) = 0.2
P(\text{Spade}) = 0.3
P(\text{Clover}) = 0.4
   Then, you can calculate probability value of all kinds of events,
which has 2 samples, 3 samples, etc
according to 3rd rule of Kolmogorov's axiom
   P(\text{Heart,Spade}) = 0.2 + 0.3 = 0.5
Probability mass function:
Probability mass function defines probability values
to each elementary event,
when there are only finite number of events
   _____
P(\{1\}) = 0.2
P() is probability function
{1} is event which has one sample
0.2 is probability value for event \{1\}
   p(1) = 0.2
p() is probability mass function
1 is elementary event which has number 1
0.2 is probability value for elementary event 1
   ______
P(\{1,2\}) = 0.2
P() is probability function
\{1,2\} is event which has 2 samples
0.2 is probability value for event \{1, 2\}
  p(1,2) can be defined
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Simple interval event A: $A = \{a \le x < b\}$

$$A = \{a \le x < b\} \rightarrow P(A) = P(\{a \le x < b\}) = P(a, b)$$

$$P(B) = P(\{-2 \le x < 1\}) + P(\{2 \le x < 3\}) = P(-2, 1) + P(2, 3)$$

$$P(B) = P(\{-2 \le x < 3\}) - P(\{1 \le x < 2\}) = P(-2, 3) - P(1, 2)$$

Cumulative distribution function:

From above, you used 2 numbers to define "interval" or "simple interval event A"

To use only one number, you can use negative infinity

$$S_{-1} = \{ -\infty \le X < -1 \}$$

$$S_0 = \{-\infty \le X < 0\}$$

$$S_1 = \{ -\infty \le X < 1$$

$$S_{1} = \{-\infty \le X < 1\}$$

$$S_{2} = \{-\infty \le X < 2\}$$

$$S_x = \{ -\infty \le X < x \}$$

In interval $\{a \le x < b\}$

simple intervale probability $P(a,b) = P(-\infty,b) - P(-\infty,a)$

Probability density function:

derivative of Cumulative distribution function

Probability distribution function:

Probability mass function

Cumulative distribution function

Probability density function