

Prop 2.1

$$C_1(I) = \sum_{\substack{P \in V(I), \dim R_P = d-1 \\ P \supset (0:I^\infty)}} \lambda \left(\frac{R_P}{(\underbrace{0:I^\infty + x_1}_{\mathcal{J}})_P} \right) \cdot e(R_P).$$

↑
avoid localize.

HS multi.

$$\mathcal{J} = \underbrace{Q_1 \cap \dots \cap Q_s}_{\text{necc}} \cap Q_{s+1} \cap \dots \cap Q_r$$

necc

unness.

$P_1 \dots P_s$

$L = P_1 \cap \dots \cap P_s.$

$\mathcal{J} : (\mathcal{J} : L^\infty)^\infty$