# Coin Toss and R Markdown Introduction

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## R Markdown (src: RStudio)

This is an R Markdown document. Markdown is a simple formatting syntax for authoring HTML, PDF, and MS Word documents. For more details on using R Markdown see http://rmarkdown.rstudio.com.

When you click the **Knit** button a document will be generated that includes both content as well as the output of any embedded R code chunks within the document. You can embed an R code chunk like this:

#### Math 2265 Section 4.1

#### **Load Packages**

```
library(openintro)

## Loading required package: airports

## Loading required package: cherryblossom

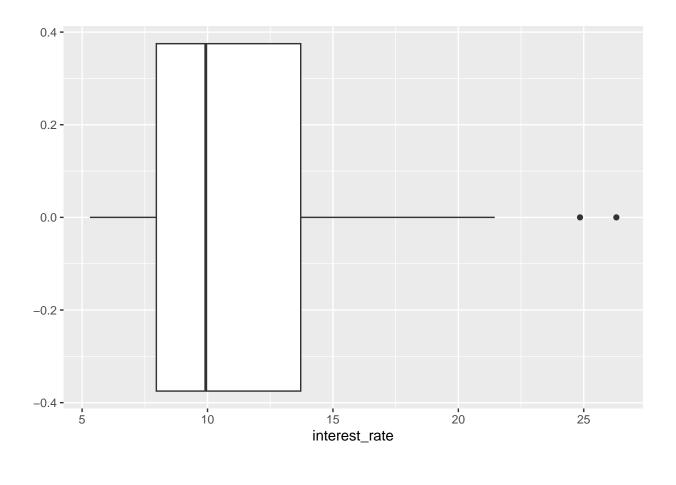
## Loading required package: usdata

library(ggplot2)
library(tinytex) # to knit to PDF
set.seed(2265)
```

#### **Short Recap**

In the following, we plot the box plot of the variable interest\_rate in the dataset loan50. See how R Markdown runs R code.

```
ggplot(data=loan50, mapping=aes(x=interest_rate)) +
  geom_boxplot()
```



#### Heads and Tails

We make a simulation of a fair coin toss. Recall there is an equal change of getting a head or tail.

```
coin <- c("H", "T") # define a vector consisting of "H" and "T"
sample(coin, 1)</pre>
```

```
## [1] "T"
```

Execute this cell by clicking on the green |> button.

Change the code to run the simulation 10 times.

```
coin <- c("H", "T") # define a vector consisting of "H" and "T"
sample(coin, 10)</pre>
```

## Error in sample.int(length(x), size, replace, prob): cannot take a sample larger than the population

This will result in an error since we want to grab 10 when there are only two. We can set the replace parameter TRUE.

```
coin <- c("H", "T") # define a vector consisting of "H" and "T"
sample(coin, 10, replace = TRUE)

## [1] "H" "H" "H" "H" "H" "H" "H" "H" "H"
# table(sample(coin, 10, replace = TRUE))</pre>
```

Run this a few times.

## Questions

Question 1. Did you get the even number of heads and tails?

Ans: No in general

Question 2. Complete the following code to simulate tossing a coin 500 times.

```
coin <- c("H", "T") # define a vector consisting of "H" and "T"
result <- sample(coin, 500, replace = TRUE)
table(result) # `table` tallies the result

## result
## H T
## 242 258</pre>
```

Run this code a few times.

The Law of Large Numbers As more observations are collected, the proportion of occurrences with a particular outcome converges to the probability of that outcome.

#### Question 3.

The following code runs 1000 simulations of tossing coins 500 times and saves the number of heads in each simulation to the variable num\_heads.

```
coin <- c("H", "T") # define a vector consisting of "H" and "T"
num_heads <- replicate(1000, as.numeric(table(sample(coin, 500, replace = TRUE))[1]))
data_coin <- data.frame(
   num_heads
) # it will be used in the next question
num_heads[1:5] # prints the first 5 results</pre>
```

```
## [1] 252 241 253 255 258
```

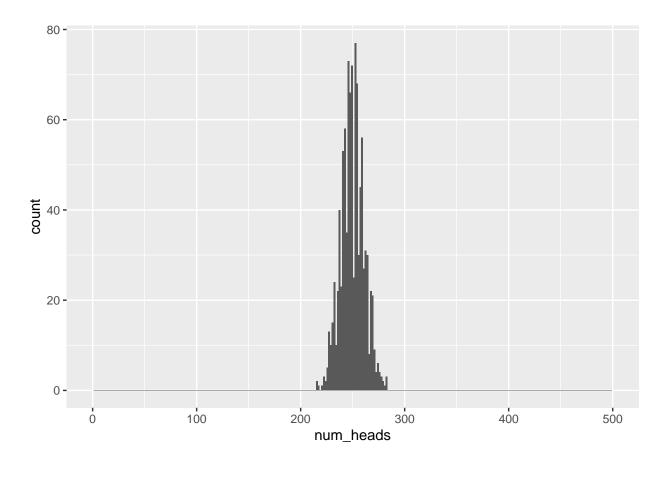
Make a histogram of the simulations with the bin number of your choice.

```
print(str(data_coin))

## 'data.frame': 1000 obs. of 1 variable:
## $ num_heads: num 252 241 253 255 258 240 241 228 246 255 ...
## NULL

ggplot(data=data_coin, aes(x=num_heads)) +
    xlim(0, 500) + # to make it to display x from 0 to 500
    geom_histogram(bins=300)
```

## Warning: Removed 2 rows containing missing values or values outside the scale range
## ('geom\_bar()').



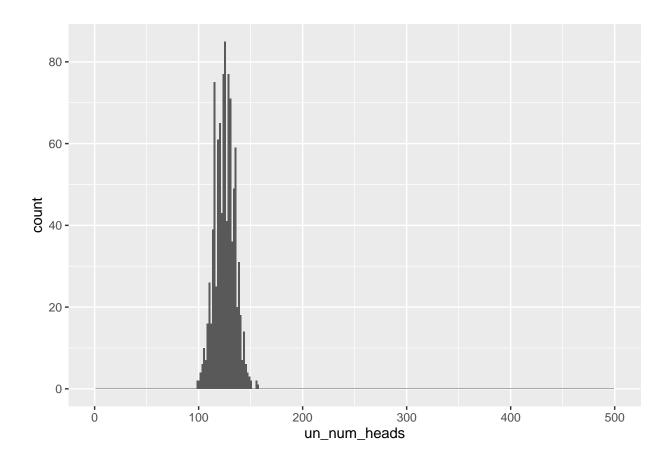
### Example of an unfair coin.

In this example, we have an unfair coin where the change of getting tail is 75%. Compare this histogram and the one you made in the previous question.

```
coin <- c("H", "T") # define a vector consisting of "H" and "T"
un_num_heads <- replicate(1000, as.numeric(table(sample(coin, 500, replace = TRUE, prob=c(0.25,0.75)))[</pre>
```

```
data_un_coin <- data.frame(
  un_num_heads
) # it will be used in the next question
ggplot(data=data_un_coin, aes(x=un_num_heads)) +
  xlim(0, 500) +
  geom_histogram(bins=300)</pre>
```

## Warning: Removed 2 rows containing missing values or values outside the scale range
## ('geom\_bar()').



#### Question 4.

Which simulation has a bigger mean of the number of heads? (fair coin vs. unfair coin above) To answer this question, it may help uncommenting the line xlim(0, 500) +.

Ans: The fair coin simulation

## Upload your work to Canvas