

# Introduction to Computers & Lab # Lab 09

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### **Preprocessor**

- A preprocessor is a separate program that runs immediately before compilation. When the preprocessor is running, it looks for directives in each code file. Directives are code that starts with # and ends with a line break.
- The preprocessor can act as a substitute for simply manipulating text just before the compiler runs, also helps with debugging and prevents duplicate inclusion of header files.

Ex) #include



#### Include

We are familiar with the #include directive. When you do #include, the preprocessor copies the contents of the embedded file to the location of the indicator. (It was used for forward declaration.)

#include <filename>

#include "filename"



#### Macro

- Use #define
- Macros are rules that define how inputs are converted into outputs.
- Macros include object-like macros and function-like macros.
- A function-like macro works like a function.

```
#define identifier
#define identifier substitution_text
```



# Example of using Macros

```
#include <iostream>
#define FAVORITE_NUM 9
using namespace std;

int main() {
  cout << "My favorite number is : " << FAVORITE_NUM << endl;
  return 0;
}

* preprocessed

cout << "My favorite number is : " << 9 << endl;</pre>
```



## **Preprocessor Directives**

Conditional compilation preprocessing indicators allow you to specify conditions to compile or conditions not to compile.

#if	#ident
#else	#import
#endif	#line
#elif	#machine
#ifdef	#system
#ifndef	#warning
#error	πwaiiiiig



# Conditional compilation

```
#include <iostream>
#define PRINT JOE
using namespace std;
int main() {
  #ifdef PRINT JOE
  cout << "Joe" << endl;</pre>
  #endif
  #ifdef PRINT BOB
  cout << "Bob" << endl;</pre>
  #endif
  return 0;
```

```
Joe
```

```
#include <iostream>
#define PRINT_JOE
using namespace std;
int main() {
  #ifdef PRINT JOE
  cout << "Joe" << endl;</pre>
  #endif
 #ifndef PRINT_BOB
  cout << "Bob" << endl;
  #endif
  return 0;
```

Joe Bob



# Matrix – array[row][column]

- To prevent the function from modifying passed array elements, you can make the array const.

#include <iostream>
using namespace std;

int main() {

 int array[3][5]=
 {
 {1,2,3,4,5},
 {6,7,8,9,10},
 {11,12,13,14,15}
 };

 return 0;

#### Column

	[0][0]	[0][1]	[0][2]	[0][3]	[0][4]
<b>/</b>		?			
				?	



# Task 1: Preprocessor Directive

Complete the code using preprocessor directive.

Try writing it using preprocessor direct without touching the main.

★ #if, #elif, #else, #endif, #define, #error



#### Task 2: Trace

If the matrix you receive is a square matrix, N X N write a program to obtain the diagonal sum of the matrices.

Trace is not defined unless it is a square matrix.

$$\begin{bmatrix} a_{11} & a_{12} & \cdots & a_{1n} \\ a_{21} & a_{22} & \cdots & a_{2n} \\ \vdots & \vdots & & \vdots \\ a_{n1} & a_{n2} & \cdots & a_{nn} \end{bmatrix}$$



#### Task 3: Inverse Matrix

Write a program that outputs an inverse matrix for the matrix you received input.

$$A = \begin{bmatrix} a & b \\ c & d \end{bmatrix} A^{-1} = \begin{bmatrix} x & y \\ z & k \end{bmatrix}$$

$$AA^{-1} = \begin{bmatrix} a & b \\ c & d \end{bmatrix} \begin{bmatrix} x & y \\ z & k \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$$

$$A^{-1} = \begin{bmatrix} x & y \\ z & k \end{bmatrix} = \frac{1}{ad - bc} \begin{bmatrix} d & -b \\ -c & a \end{bmatrix}$$



# Task 4: Transpose matrix

Write a function that finds the transpose of the input matrix and returns the transpose matrix to the calling function.

$$\star$$
 transpose  $a_{ij}^{\mathsf{T}} = a_{ji}$  example  $\rightarrow$   $A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix} \Rightarrow A^{\mathsf{T}} = \begin{bmatrix} 1 & 4 & 7 \\ 2 & 5 & 8 \\ 3 & 6 & 9 \end{bmatrix}$ 

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix} \Rightarrow A^{T} = \begin{bmatrix} 1 & 4 & 7 \\ 2 & 5 & 8 \\ 3 & 6 & 9 \end{bmatrix}$$

$$B = \begin{bmatrix} x & y \\ z & w \end{bmatrix} \Rightarrow B^{\mathsf{T}} = \begin{bmatrix} x & z \\ y & w \end{bmatrix}$$

$$C = \begin{bmatrix} 1 & 1 & 1 & 1 \\ -3 & 5 & -2 & 7 \end{bmatrix} \Rightarrow C^{\mathsf{T}} = \begin{bmatrix} 1 & -3 \\ 1 & 5 \\ 1 & -2 \\ 1 & 7 \end{bmatrix}$$