

# *Sound Physics & Audition Basics*

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## Sound Waves

**Sound Waves:** Vibrations of moving air created when an object's movement causes surrounding air molecules to fluctuate in pressure.

### Mechanism

- When an object vibrates, it creates alternating areas of:
- Condensation:** High-pressure zones where air molecules are compressed.
- Rarefaction:** Low-pressure zones where air molecules are pulled apart.
- This pattern of pressure fluctuations travels away from the source at  $\sim 700$  mph (the speed of sound).

### Wave Relationship Formula

$$v = f \times \lambda$$

$v$  = speed of sound ( $\sim 343$  m/s in air)

$f$  = frequency (in Hz)

$\lambda$  = wavelength (in meters)

### Example Problem

A sound has a frequency of 440 Hz (the note 'A'). What is its wavelength in air?

$$\lambda = v / f$$

$$\lambda = 343 \text{ m/s} / 440 \text{ Hz}$$

$$\lambda \approx 0.78 \text{ meters}$$

*Annotation: Higher frequencies result in shorter wavelengths. This is why a high-pitched piccolo produces much smaller sound waves than a low-pitched tuba.*

## Audition (Hearing)

**Audition:** The process by which the human ear transduces (converts) fluctuations in air pressure into neural signals interpreted by the brain.

### Human Hearing Range

- Frequency:** Humans can typically hear vibrations between **20 Hz and 20,000 Hz**.
- Wavelength:** This corresponds to detectable wavelengths from approximately **17 meters** (for 20 Hz) down to **1.7 centimeters** (for 20,000 Hz).

## 3 Physical Dimensions of Sound

### 1. Loudness (Amplitude)

**Loudness:** The perception of sound intensity, which corresponds to the amplitude of the sound wave. It's the relative difference in pressure between condensation and rarefaction zones.

- High Amplitude** → Densely Packed Condensations → **LOUD** Sound
- Low Amplitude** → Loosely Packed Condensations → **SOFT** Sound
- Relates to how far the sound energy travels.

### 2. Pitch (Frequency)

**Pitch:** The perception of how "high" or "low" a sound is, corresponding to the frequency of the sound wave.

- High Frequency** → More cycles per second → **HIGH** Pitch
- Low Frequency** → Fewer cycles per second → **LOW** Pitch
- Measured in Hertz (Hz).
- In the cochlea, different frequencies are processed at different locations.

### 3. Timbre (Complexity)

**Timbre (pronounced "TAM-ber"):** The quality or "color" of a sound that distinguishes different sound sources, even when they have the same pitch and loudness.

- Arises from the complexity of the sound wave (its unique shape).
- A pure tone is a simple sine wave. Most sounds are complex waves, composed of a fundamental frequency plus multiple overtones (harmonics).



# Advanced Concepts: Loudness & Pitch

## Measuring Loudness: The Decibel (dB)

**Decibel (dB):** A logarithmic unit used to measure sound intensity level. The logarithmic scale better reflects how human ears perceive loudness.

- **0 dB:** The threshold of human hearing.
- A **10 dB increase** corresponds to a **10-fold increase in intensity** and is perceived as roughly **twice as loud**.
- **60 dB:** Normal conversation.
- **120 dB:** Pain threshold (e.g., jet engine).

## Sound Intensity Level Formula

$$L = 10 \times \log_{10}(\frac{I}{I_0})$$

*L* = Sound level in decibels (dB)

*I* = Sound intensity ( $\text{W/m}^2$ )

$I_0$  = Reference intensity ( $10^{-12} \text{ W/m}^2$ )

## Example Problem

A quiet library has a sound intensity of  $10^{-9} \text{ W/m}^2$ . What is its decibel level?

$$L = 10 \times \log_{10}(\frac{10^{-9}}{10^{-12}})$$

$$L = 10 \times \log_{10}(10^3)$$

$$L = 10 \times 3 = 30 \text{ dB}$$

*Annotation:* This shows how a tiny absolute intensity value corresponds to a familiar decibel level for a quiet environment.

## Inverse Square Law for Sound

**Inverse Square Law:** Describes how the intensity of sound decreases as the distance from the source increases. Specifically, intensity is inversely proportional to the square of the distance.

### Inverse Square Law Formula

$$\frac{I_1}{I_2} = \frac{r_2^2}{r_1^2}$$

*I* = Intensity

*r* = distance from source

### Example Sketch

If you double your distance from a speaker (from 2m to 4m), what happens to the intensity?

Distance is multiplied by 2.

Intensity is divided by  $2^2 = 4$ .

The sound will be only **one-quarter** as intense.

*Annotation:* This explains why sounds get faint so quickly as you move away from them. It's a fundamental principle in acoustics and audio engineering.

## Pitch, Octaves, and Music

**Octave:** In music, an octave is the interval between one musical pitch and another with double its frequency.

- If the note **A4** has a fundamental frequency of **440 Hz**:
- The note one octave higher (**A5**) has a frequency of **880 Hz** ( $440 \times 2$ ).
- The note one octave lower (**A3**) has a frequency of **220 Hz** ( $440 / 2$ ).
- Notes an octave apart are perceived by humans as being the "same" note, just higher or lower in pitch.

## Frequency Ranges (Approx.)

- **Sub-bass:** 20 - 60 Hz
- **Bass:** 60 - 250 Hz
- **Midrange:** 250 Hz - 2 kHz (Human voice)
- **Upper Midrange:** 2 kHz - 4 kHz
- **Presence:** 4 kHz - 6 kHz
- **Brilliance:** 6 kHz - 20 kHz

# Timbre, Complexity & Doppler Effect

## Timbre & Wave Complexity

**Fourier's Theorem:** Any complex, periodic waveform can be broken down into a sum of simple sine waves of different frequencies, amplitudes, and phases.

- **Fundamental Frequency:** The lowest frequency in the complex wave. It determines the perceived pitch of the note.
- **Overtones/Harmonics:** Higher frequency sine waves that are whole-number multiples of the fundamental.
- The unique combination and intensity of these harmonics determine the instrument's **timbre**.

### Visualizing Timbre (Sketch)

Imagine building a sound wave:

#### [Simple Sine Wave @ 100Hz]

(This is the fundamental)

+

#### [Smaller Sine Wave @ 200Hz]

(This is the 2nd harmonic)

+

#### [Even Smaller Sine Wave @ 300Hz]

(This is the 3rd harmonic)

↓

#### [A Complex, Jagged Waveform]

(This is the final sound with a unique timbre)

*Annotation: A flute produces a sound that is very close to a pure sine wave (few harmonics), while a trumpet has many strong, high-frequency harmonics, giving it a "bright" or "brassy" timbre.*

## The Doppler Effect

**Doppler Effect:** The change in frequency of a wave in relation to an observer who is moving relative to the wave source.

- As a sound source **approaches** an observer, the sound waves are compressed, leading to a **higher perceived frequency (higher pitch)**.
- As a sound source **moves away** from an observer, the sound waves are stretched, leading to a **lower perceived frequency (lower pitch)**.

### Doppler Effect Formula (Moving Source)

$$f' = f \left( v / (v + v_s) \right)$$

$f'$  = observed frequency

$f$  = emitted frequency

$v$  = speed of sound

$v_s$  = speed of the source

Use (-) for approaching, (+) for receding.

## Doppler Effect Example

### Example Problem

An ambulance with a 1200 Hz siren is approaching you at 25 m/s. The speed of sound is 343 m/s. What frequency do you hear?

$$f' = 1200 \times (343 / (343 - 25))$$

$$f' = 1200 \times (343 / 318)$$

$$f' = 1200 \times 1.0786$$

$$f' \approx 1294 \text{ Hz}$$

*Annotation: You hear a higher pitch (1294 Hz) than the actual siren (1200 Hz) because the ambulance is moving towards you. If it were moving away, you would use (343 + 25) in the denominator, resulting in a lower perceived pitch.*

## Sonic Boom

**Sonic Boom:** When an object travels faster than the speed of sound (supersonic), it outruns its own sound waves. These waves build up into a single, high-pressure shockwave that is heard as a loud "boom" when it passes an observer.