#### COMP335: Midterm

### Slides: 335\_Intro\_01

- What Automata
- Different Kinds of Automata
- PROOF TECHNIQUES
  - Proof by induction
  - Proof by contradiction

# Slides: 335-Languages

- What are languages
- Alphabets and Strings
- Operation on Strings
- Operations On languages

## Slides: 335\_FA

- What is a Finite Automata
- Transition Graph for Deterministic FA
- Formalities for DFA:  $M = (Q, \Sigma, \delta, q_0, F)$
- Recursive definition for transition function
- When the language is accepted by DFA
- How to design a DFA for a language
- What and when the language is Regular

### Slides: FA\_Cont

- What is a Non deterministic Finite Automata (NFA)
- Formal Definition of NFAs
- When two FA are equivalent
- Languages accepted by NFA = Regular Languages
- How to convert and NFA to DFA

### Slides: RL&RE

- How to convert NFA with more than one finite state to single finite state.
- Properties of regular languages
- Regular expression and regular languages
- Languages Generated by Regular Expressions= regular Languages
- any regular expression is a regular language
- Reducing the number of states: reducing regular expression

## Slides: RL\_Cont

- Standard Representations of Regular Languages:
  - ➤ DFA
  - ➤ NFA
  - Regular Expression
  - Regular Grammar
- **Q:** Given any regular language L and any string w in the alphabet, how can we check if  $w \in L$
- **A:** Take a DFA that accepts L and check if W is accepted .
- **Q:** Given any regular language L, how can to check if  $L = \emptyset$ ? That is, is L empty?
- **A:** Take a DFA M that accepts L Then check if there is any path from the initial state to a final state.
- ${f Q}:$  Given a regular language L , how can we check if it is finite?
- A: Take a DFA that accepts L Then check if there is a walk with cycle from the initial state to a final state
- **Q:** Given regular languages  $L_1$  and  $L_2$  , how to decide if  $L_1 = L_2$  ?
- A: Check if :  $(L_1 \cap \overline{L_2}) \cup (\overline{L_1} \cap L_2) = \emptyset$
- How to show that a language is not regular?
  - > The Pumping Lemma (proof by contradiction)

- ullet Given an infinite regular language L
- there exists an integer m
- for any string  $w \in L$  with length  $|w| \ge m$
- we can write w = x y z
- with  $|xy| \le m$  and  $|y| \ge 1$
- such that:  $w_i = x \ y^i \ z \in L$ , i = 0, 1, 2, ...

### Slides: CFG

- What is a context free Grammar
- Leftmost derivation
- Right most derivation
- Derivation Tree
- Parsing a string is an exhaustive search problem
- Time complexity of the exhaustive search
- What is an ambiguous Grammar.

Text Book: From Chapter 1~Chapter 5 included,

Tutorials,

Assignment 1 and Assignment 2.