**1.** (1 point) Consider the function  $f(x) = 3x^3 - 4x$  on the interval [-5,5]. Find the average or mean slope of the function on this interval.

By the Mean Value Theorem, we know there exists at least one c in the open interval (-5,5) such that f'(c) is equal to this mean slope.

For this problem, there are two values of c that work. The smaller one is \_\_\_\_\_ and the larger one is \_\_\_

Correct Answers:

- -2.88675134594813
- 2.88675134594813
- **2.** (1 point) Consider the function  $f(x) = \frac{1}{x}$  on the interval
- (A) Find the average or mean slope of the function on this interval.

Average Slope =  $_{-}$ 

(B) By the Mean Value Theorem, we know there exists a c in the open interval (1,10) such that f'(c) is equal to this mean slope. Find all values of c that work and list them (separated by commas) in the box below.

List of values: \_

Correct Answers:

- -0.1
- 3.16227766016838
- **3.** (1 point) Consider the function  $f(x) = 10\sqrt{x} + 6$  on the interval [2, 10].
- (A) Find the average or mean slope of the function on this interval.

Average Slope = \_\_

(B) By the Mean Value Theorem, we know there exists at least one c in the open interval (2,10) such that f'(c) is equal to this mean slope. Find all values of c that work and list them (separated by commas) in the box below.

List of values: \_

Correct Answers:

- 2.18508012224411
- 5.23606797749979
- **4.** (1 point) Consider the function  $f(x) = 1 4x^2$  on the interval [-4, 8].
- (A) Find the average or mean slope of the function on this interval. i.e.

$$\frac{f(8) - f(-4)}{8 - (-4)} = \underline{\hspace{1cm}}$$

(B) By the Mean Value Theorem, we know there exists a c in the open interval (-4,8) such that f'(c) is equal to this mean slope. For this problem, there is only one c that works. Find it.

Correct Answers:

- - −16
  - 2

## **5.** (1 point)

Find the limit. Use l'Hospital's Rule if appropriate. Use INF to represent positive infinity, NINF for negative infinity, and D for the limit does not exist.

$$\lim_{x \to (\pi/2)^{+}} \frac{5 \cos x}{1 - \sin x} = \frac{1}{1 - \sin x}$$
Correct Answers:

• NINF

## **6.** (1 point)

Find the limit. Use l'Hospital's Rule if appropriate. Use INF to represent positive infinity, NINF for negative infinity, and D for the limit does not exist.  $7x + 7 \sin x$ 

$$\lim_{x \to 0} \frac{7x + 7\sin x}{6x + 6\cos x} = \frac{1}{\cos x}$$
Correct Answers:

## **7.** (1 point)

Find the limit. Use l'Hospital's Rule if appropriate. Use INF to represent positive infinity, NINF for negative infinity, and D for the limit does not exist.

$$\lim_{\substack{x \to -\infty \\ Correct \ Answers:}} 2x^2 e^x = \underline{\hspace{1cm}}$$

8. (1 point) Evaluate the following limit. Enter -I if your answer is  $-\infty$ , enter **I** if your answer is  $\infty$ , and enter **DNE** if the limit does not exist.

$$\lim_{x \to 0} \left( \frac{1}{2x} - \frac{1}{e^{2x} - 1} \right) = \underline{\hspace{1cm}}$$

Correct Answers:

• 0.5

9. (1 point) Compute the following limits using l'Hôpital's rule if appropriate. Use INF to denote ∞ and MINF to denote

$$\lim_{x \to 0} \frac{1 - \cos(8x)}{1 - \cos(5x)} = \frac{1}{\lim_{x \to 1} \frac{6^x - 5^x - 1}{x^2 - 1}} = \frac{1}{\lim_{x \to 1} \frac{6^x - 5^x - 1}{x^2 - 1}} = \frac{1}{\lim_{x \to 1} \frac{1 - \cos(8x)}{x^2 - 1}}$$

• 2.56

• 1.35168362659891

10. (1 point) Find the following limits, using l'Hôpital's rule if appropriate

$$\lim_{x \to \infty} \frac{\arctan(x^5)}{x^4} = \underline{\hspace{1cm}}$$

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 $\lim_{x \to 0^+} \sqrt[4]{x} \ln(x) = \_$ Correct Answers:

- 0 0