- 1 What does a neuron compute?
  - A neuron computes the mean of all features before applying the output to an activation function
  - A neuron computes a linear function (z = Wx + b) followed by an activation function

## Correct

Correct, we generally say that the output of a neuron is a = g(Wx + b) where g is the activation function (sigmoid, tanh, ReLU, ...).

- A neuron computes an activation function followed by a linear function (z = Wx + b)
- A neuron computes a function g that scales the input x linearly (Wx + b)
- Which of these is the "Logistic Loss"?

$$\mathcal{L}^{(i)}(\hat{y}^{(i)}, y^{(i)}) = -(y^{(i)}\log(\hat{y}^{(i)}) + (1 - y^{(i)})\log(1 - \hat{y}^{(i)}))$$

## Correct

Correct, this is the logistic loss you've seen in lecture!

- $\mathcal{L}^{(i)}(\hat{y}^{(i)}, y^{(i)}) = |y^{(i)} \hat{y}^{(i)}|^2$
- $\mathcal{L}^{(i)}(\hat{y}^{(i)}, y^{(i)}) = |y^{(i)} \hat{y}^{(i)}|$
- $\mathcal{L}^{(i)}(\hat{y}^{(i)}, y^{(i)}) = max(0, y^{(i)} \hat{y}^{(i)})$

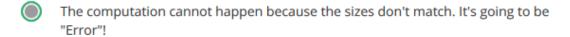
3.	Suppose img is a (32,32,3) array, representing a 32x32 image with 3 color channels red, green and blue. How do you reshape this into a column vector?
	x = img.reshape((32*32*3,1))
	Correct
	x = img.reshape((1,32*32,*3))
	x = img.reshape((32*32,3))
	x = img.reshape((3,32*32))
4.	Consider the two following random arrays "a" and "b":
	1 a = np.random.randn(2, 3) # a.shape = (2, 3) 2 b = np.random.randn(2, 1) # b.shape = (2, 1) 3 c = a + b
	What will be the shape of "c"?
	c.shape = (2, 3)
	Correct Yes! This is broadcasting. b (column vector) is copied 3 times so that it can be summed to each column of a.
	The computation cannot happen because the sizes don't match. It's going to be "Error"!
	c.shape = (2, 1)
	c.shape = (3, 2)

5. Consider the two following random arrays "a" and "b":

```
1 a = np.random.randn(4, 3) # a.shape = (4, 3)
2 b = np.random.randn(3, 2) # b.shape = (3, 2)
3 c = a*b
```

What will be the shape of "c"?

c.shape =	(3.	3)
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#### Correct

Indeed! In numpy the "\*" operator indicates element-wise multiplication. It is different from "np.dot()". If you would try "c = np.dot(a,b)" you would get c.shape = (4, 2).

6. Suppose you have  $n_x$  input features per example. Recall that  $X = [x^{(1)}x^{(2)} \dots x^{(m)}]$ . What is the dimension of X?



$$(m, n_x)$$

$$(n_x, m)$$

Correct

7. Recall that "np.dot(a,b)" performs a matrix multiplication on a and b, whereas "a\*b" performs an element-wise multiplication.

Consider the two following random arrays "a" and "b":

```
1 a = np.random.randn(12288, 150) # a.shape = (12288, 150)
2 b = np.random.randn(150, 45) # b.shape = (150, 45)
3 c = np.dot(a,b)
```

What is the shape of c?



c.shape = (12288, 45)

#### Correct

Correct, remember that a np.dot(a, b) has shape (number of rows of a, number of columns of b). The sizes match because :

"number of columns of a = 150 = number of rows of b"

- The computation cannot happen because the sizes don't match. It's going to be "Error"!
- c.shape = (12288, 150)
- c.shape = (150,150)

8. Consider the following code snippet:

How do you vectorize this?

- c = a.T + b
- c = a + b
- c = a + b.T

Correct

c = a.T + b.T

# 9. Consider the following code:

```
1 a = np.random.randn(3, 3)
2 b = np.random.randn(3, 1)
3 c = a*b
```

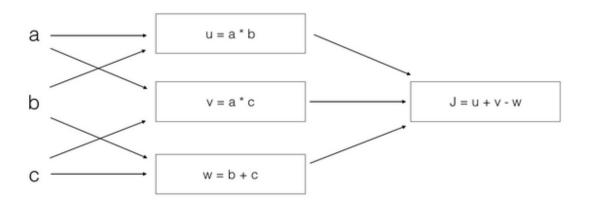
What will be c? (If you're not sure, feel free to run this in python to find out).

This will invoke broadcasting, so b is copied three times to become (3,3), and \* is an element-wise product so c.shape will be (3, 3)

### Correct

- This will invoke broadcasting, so b is copied three times to become (3, 3), and \* invokes a matrix multiplication operation of two 3x3 matrices so c.shape will be (3, 3)
- This will multiply a 3x3 matrix a with a 3x1 vector, thus resulting in a 3x1 vector. That is, c.shape = (3,1).
- It will lead to an error since you cannot use "\*" to operate on these two matrices. You need to instead use np.dot(a,b)

10. Consider the following computation graph.



What is the output J?

- J = (c 1)\*(b + a)
- J = (a 1) \* (b + c)

## Correct

Yes. 
$$J = u + v - w = a*b + a*c - (b + c) = a * (b + c) - (b + c) = (a - 1) * (b + c).$$

- J = a\*b + b\*c + a\*c
- J = (b 1) \* (c + a)