

→ PARSE TABLE

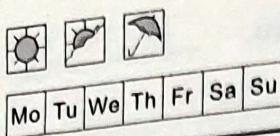
→ grammatical

$$A \rightarrow (A) \dots \dots A \rightarrow a$$

STATE	(	a	)	\$	A	GOTO
0	s2	s3			1	
1	s2			acc		
2	s2	s3			4	
3			s2	s2		
4			ss			
5			s1	s1		

- ②      1.  $S \rightarrow L = R$       3.  $L \rightarrow *R$   
 2.  $S \rightarrow R$       4.  $L \rightarrow id$       5.  $R \rightarrow L$   
 |      |      |  
 ACTION    GOTO      multiple entries  
 -HSLR

STATE	=	*	id	\$	S	L	R	GOTO	net(SLR)
0			84	ss		1	2		3
1					acc				
2	ss/	ss			ss				
3					ss				
4			84	ss			8	7	
5			84		ss				
6			84	ss			8	9	
7			ss						
8			ss						
9			ss						



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Q.  $S \rightarrow ABCDE$      $A \rightarrow a|\epsilon$      $B \rightarrow b|\epsilon$      $C \rightarrow c$   
 $D \rightarrow d|\epsilon$      $E \rightarrow e|\epsilon$

A.  $\text{First}(S) = \{a, b, c\}$      $\text{First}(C) = \{c\}$   
 $\text{First}(A) = \{a, \epsilon\}$      $\text{First}(D) = \{d, \epsilon\}$   
 $\text{First}(B) = \{b, \epsilon\}$      $\text{First}(E) = \{e, \epsilon\}$

$\text{Follow}(S) = \{\$\}$

$\text{Follow}(A) = \{b, c\}$

$\text{Follow}(B) = \{c\}$

$\text{Follow}(C) = \{d, e, \$\}$

$\text{Follow}(D) = \{e, \$\}$

$\text{Follow}(E) = \{\$\}$

Q.  $S \rightarrow Bb|Cd$      $B \rightarrow aB|\epsilon$      $C \rightarrow cCc|\epsilon$

A.  $\text{First}(S) = \{a, b, c, d\}$

$\text{First}(B) = \{a, \epsilon\}$

$\text{First}(C) = \{c, \epsilon\}$

$\text{Follow}(S) = \{\$\}$

$\text{Follow}(B) = \{b\}$

$\text{Follow}(C) = \{d\}$



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Q.  $S \rightarrow ACB \mid CbB \mid Ba \quad A \rightarrow da \mid BC$   
 $B \rightarrow g \mid \epsilon \quad C \rightarrow A \mid \epsilon$

A.  $\text{First}(S) = \{d, g, h, b, a, \epsilon\}$

$\text{First}(A) = \{d, g, h, \epsilon\}$

$\text{First}(B) = \{g, \epsilon\}$

$\text{First}(C) = \{h, \epsilon\}$

$\text{Follow}(S) = \{\$\}$

$\text{Follow}(A) = \{h, g, \$\}$

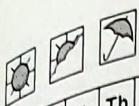
$\text{Follow}(B) = \{\$, a, h, g\}$

$\text{Follow}(C) = \{b, g, \$, h\}$

$A \rightarrow A\alpha \mid \beta$

$\hookrightarrow A \rightarrow BA^1$

$A^1 \rightarrow \alpha A^1 \mid \epsilon$



CC  
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## LEFT RECURSION:

- if there is a non-terminal such that there is a derivation:  
 $A \Rightarrow A\alpha$  for some string  $\alpha$ .
- top down parsers can't parse left recursive grammar

## IMMEDIATE LEFT RECURSION:

rule:  $A \rightarrow A\alpha \mid \beta$   $\beta$  does not start w/  $A$ .

new:  
 $A \rightarrow \beta A' \quad \downarrow$  new grammar is equivalent  
 $A' \rightarrow \alpha A' \mid \epsilon$

general form:  $A \rightarrow A\alpha_1 \mid A\alpha_m \mid \beta_1 \mid \dots \mid \beta_n$

$$A \rightarrow \beta_1 A' \mid \dots \mid \beta_n A'$$

$$A' \rightarrow \alpha_1 A' \mid \dots \mid \alpha_m A'$$

Q.  $E \rightarrow E + T \mid T \quad T \rightarrow T * F \mid F \quad F \rightarrow id \mid (E)$

A. ①  $E \rightarrow E + T \mid T \Rightarrow E \rightarrow T E'$

$$E' \rightarrow + T E' \mid \epsilon$$

②  $T \rightarrow T * F \mid F \Rightarrow T \rightarrow F T'$

$$T' \rightarrow * F T' \mid \epsilon$$



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## → Symbol Table:

- data structures used by compilers to store info about in programs constructs
- program is defined & separated into blocks using '{' '}' as delimiters.

Table stores scope of variables/identifier, value, etc.

- find the declaration of a variable in a block by moving outward to the program enclosing block → FINDING SCOPE OF IDENTIFIER.
- separate symbol tables for each block in a source program → each table is chained together.
- chains form a tree like structure for a program called CHAINED SYMBOL TABLE.
- a pointer 'top' points to the current symbol table node.
- a node is created at every open bracket '{'
  - ↳ top pointer moves to the node to keep track.
- the symbol table is deleted at every closed bracket '}' → same one that 'top' points to.
  - ↳ top points to 'null' at end of program

Mon Tue Wed Thu Fri Sat Sun

example.....

```
int n;
void f(int m) {
    float x,y;
```

```
{ int i,j; ... ; }
```

```
{ int a,b,...; }
```

}

```
int g(int n){
```

```
bool t;
```

...;

g

GLOBAL

n	int	var
f	void	fun
g	int	fun

(f)

m	int	arg
n	fl	var
y	fl	var

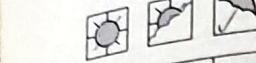
n	int	arg	cg
t	bool	var	

b1

i	int	var	
j	int	var	

l	int	var	
m	int	var	

b2



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## Syntax Directed Definition:

- SDD is a CFG + semantic rules & attributes  
↳ productions grammar symbols  
e.g. if 'x' is a symbol and 'a' is attribute  
↳  $x.a \rightarrow \text{value of } a @ x$ .

### Grammar:

### Semantic Rules

$$E \rightarrow EFT \quad E.\text{val} = E.\text{val} + T.\text{val}$$

predefined attribute 'val'

- Synthesized Attribute: takes values from its child nodes; i.e., value depends on child attributes

ex:  $A \rightarrow BCD$

$$\begin{aligned} A.S &= B.S \\ A.S &= C.S \\ A.S &= D.S + A.S \end{aligned}$$

semantics

(A)  $\rightarrow$  synthesized

- Inherited Attribute: takes values from parent or siblings or itself.

ex:  $A \rightarrow BCD$

$C.i = B.i \rightarrow$  left sibling

$C.i = D.i \rightarrow$  right sibling

$C.i = A.i \rightarrow$  parent

- terminals can have synthesized attr, not inherited  
- no rules in SDD to find value of terminal  
↳ attr. of terminals are lexical values given by lexical analyser.

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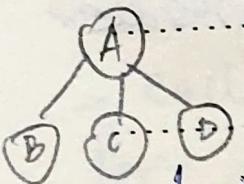
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- 'point' is a side effect of the grammar.  
 ex: expression Grammar  $\rightarrow$  not calculating value of attr. by analyzing.

### GRAMMAR

$$F \rightarrow \text{digit}$$



$$L \rightarrow E \text{ action}$$

### SEMANTICS

$$F.\text{Val} = \text{digit}.\text{lexval}$$

$$\text{point}(E.\text{val})$$

by analyzer.

- Two types of SDD:

- ① S-attributed: contains only synthesized (LR parser) attributes
- ② L-attributed: contains syn. + restricted inherited attributes

### \* Evaluation of SDD:

- usually done in a bottom up fashion, using postorder traversal (left-right-root)
- issues that can arise: cyclic dependency among inherited & synthesised attribute.

### \* Annotated Parse tree: parse tree that shows values of each node.

- dependency graph determines the eval. order of the semantic rules.



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Steps to evaluate an input:

- ① draw parse tree → annotate it
- ② annotation is done in bottom up fashion → compute terminal/leaf values then compute values of parent nodes till root node.

grammar:

$$T \rightarrow FT^?$$

$$T^? \rightarrow *FT^?,$$

$$T^? \rightarrow \epsilon$$

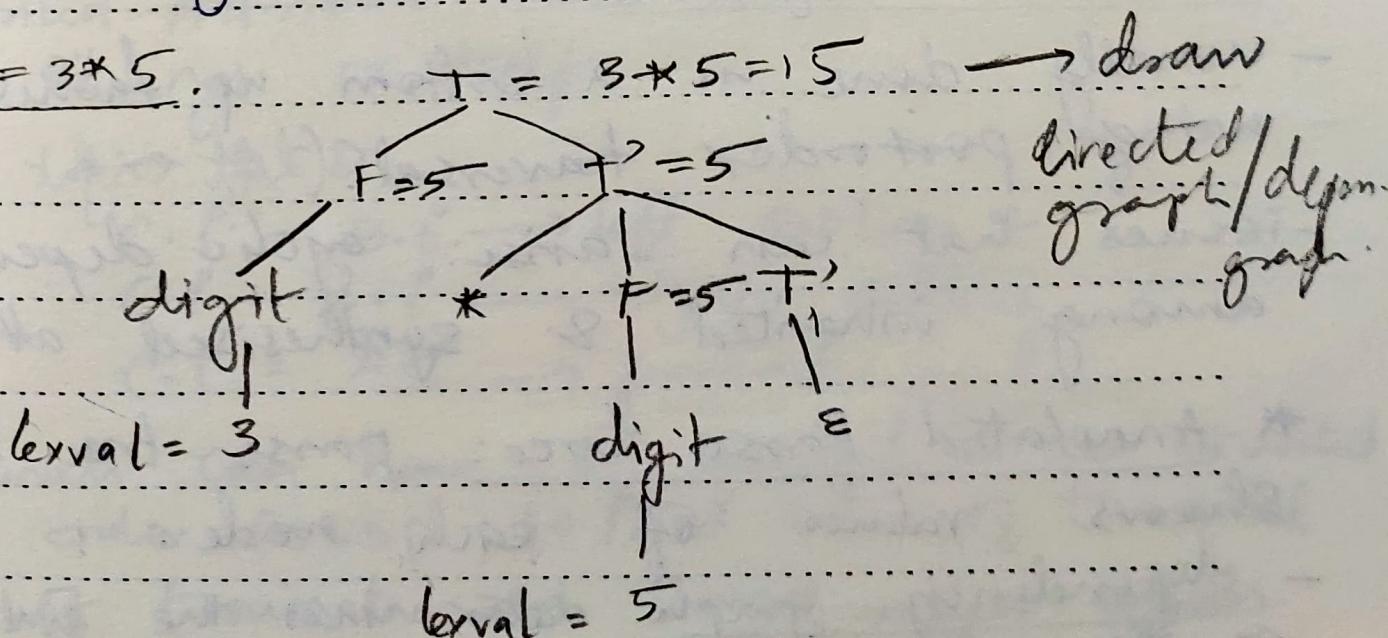
$$F \rightarrow \text{digit}$$

input =  $3 * 5$ :

$$T = 3 * 5 = 15$$

→ draw

directed graph/dyn. graph

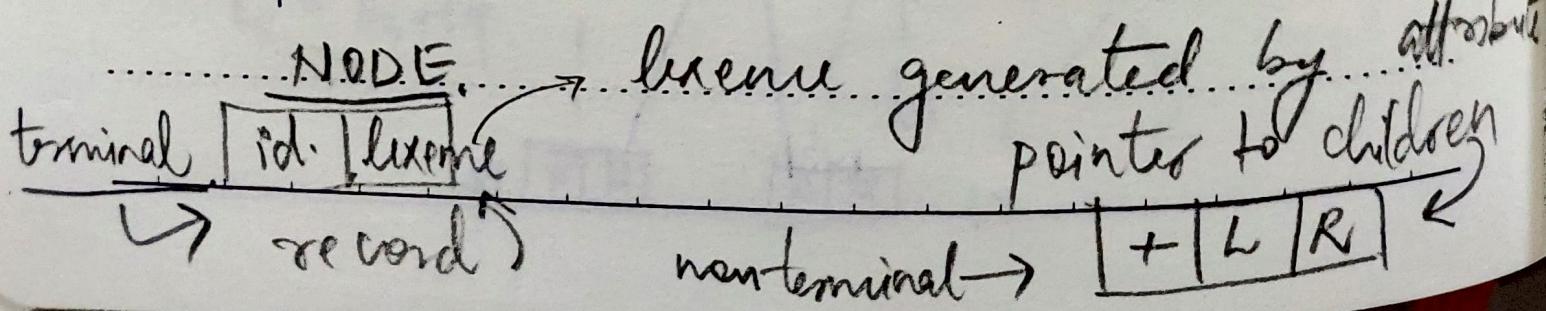


## CC → SYNTAX DIRECTED TRANSLATION!

- CFG, along w/ semantic actions which can be present anywhere on the RHS of the rule
- evaluation is top-down → infix to postfix
- semantic actions are represented as individual nodes in the parse tree.
- print output / perform action during eval.

### → SYNTAX TREES :

- DAG: directed acyclic graph is a variant of syntax trees → used to identify common subexpressions.
- if a node 'N' in a DAG has more than one parent then 'N' is a common subexpression



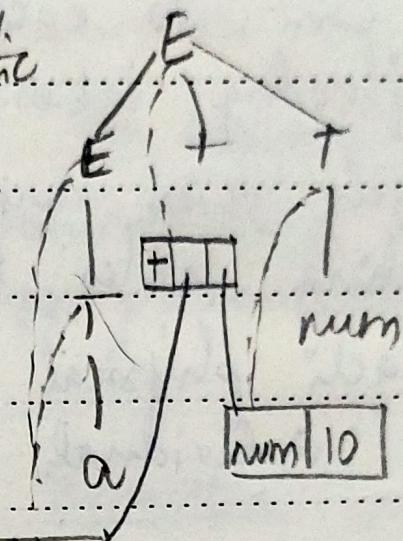
example:  $a + 10$  (expr. grammar DAG)

→ how semantic

roles are linked.

→ nodes

→ syntax tree.



Order of generation: 1 id a

① leaf(id, a) = P1 → child nodes

② leaf(num, 10) = P2

③ Node(+, P1, P2) = P3 → 2 pointers

→ l-attributed SDD req. dependency graph.

Q:  $a + a - 10$

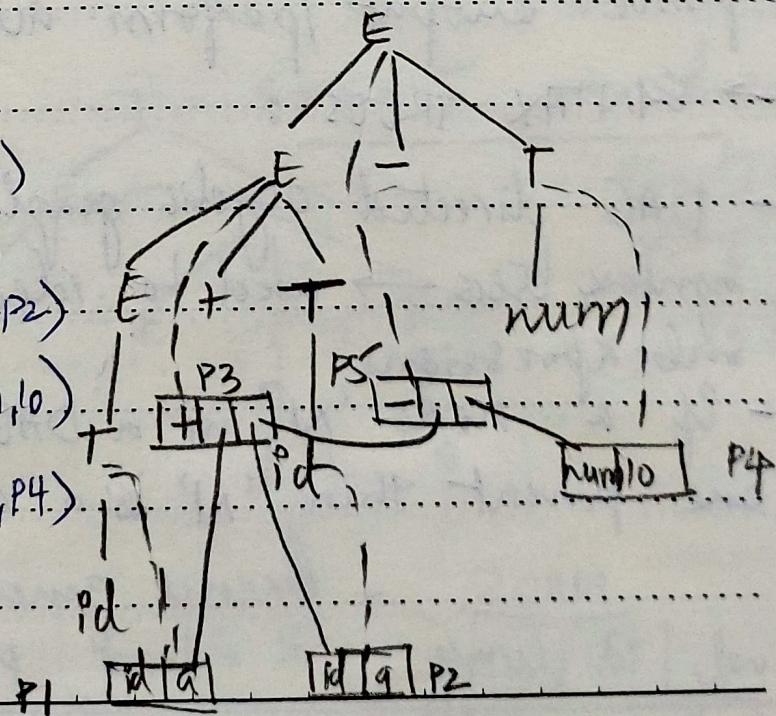
① P1 = leaf(id, a)

② P2 = leaf(id, a)

③ P3 = Node(+, P1, P2)

④ P4 = leaf(num, 10)

⑤ P5 = Node(-, P3, P4)





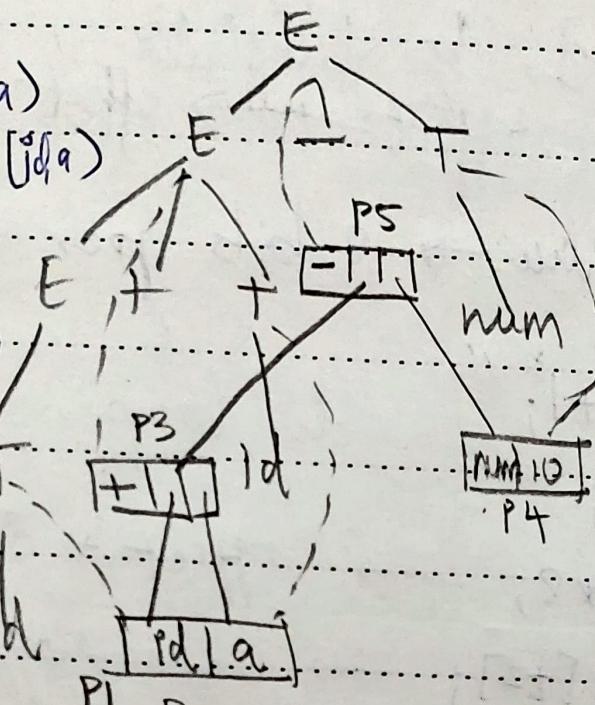
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DAG for input  $a + a - 10$ :

- ①  $P_1 = \text{leaf}(\text{id}, a)$
  - ②  $P_2 = P_1 > \text{leaf}[\cup]$
  - ③  $P_3 = \text{Node}$ 
    - $\dots (+, P_1, P_1)$
  - ④  $P_4 = \text{leaf}$ 
    - $(\text{num}, 10)$
  - ⑤  $P_5 = \text{Node id}$ 
    - $(-, P_3, P_4)$



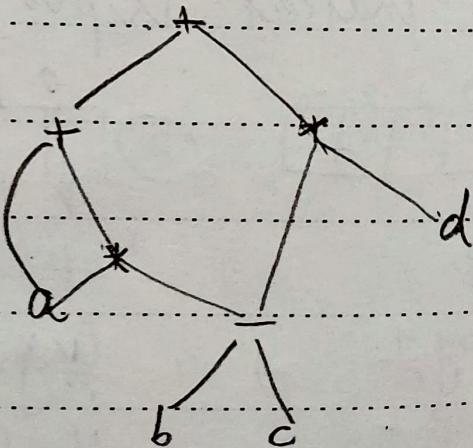
## \* FORMS OF ICG2:

## ↳ Three Address Code

- at most one operator on RHS

- it's the linearized representation of a syntax tree

$$\begin{aligned} \text{ex: } t_1 &= b - c \\ t_2 &= a * t_1 \\ t_3 &= a + t_2 \\ t_4 &= t_1 * d \\ t_5 &= t_3 + t_4 \end{aligned}$$





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- Q. Consider: double a[10];  
do  $i = i + 1$ ; while ( $a[i] < v$ );  
index needs to be translated  
to the offset  $\rightarrow$  offset + base add.  
A: double value  $\rightarrow$  8 bits per value index.

L:  $t_1 = i + 1;$  ] do loop,  
 $i = t_1;$

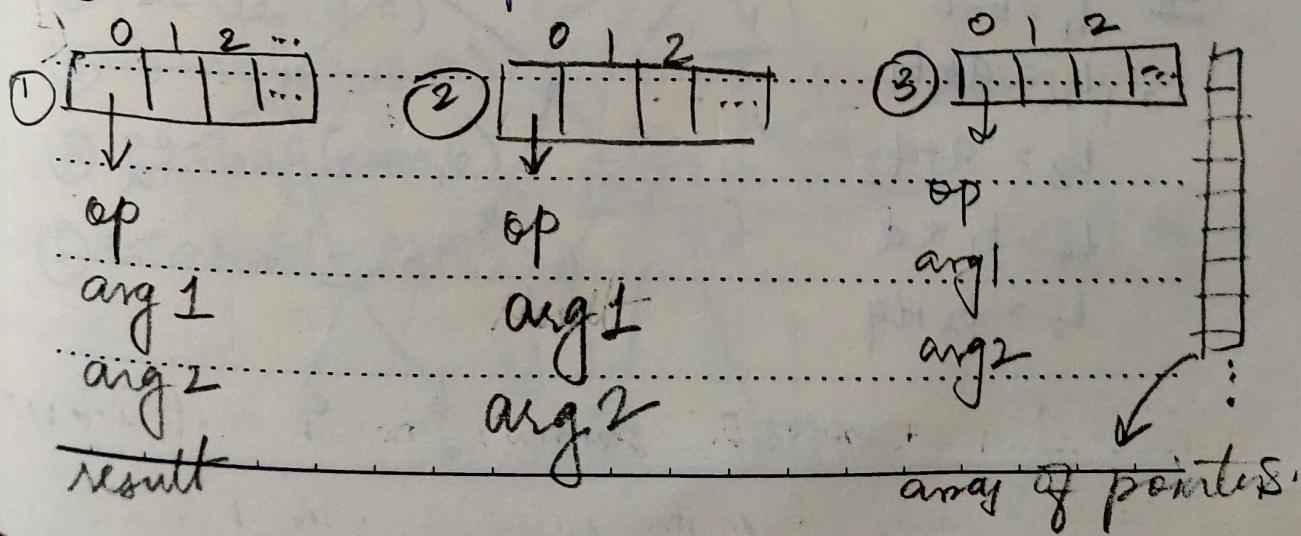
$t_2 = i * 8;$   $\rightarrow$  offset \* 8

$t_3 = a[t_2];$   $\rightarrow$  base + offset in  $t_3$

if  $t_3 < v$  goto L  $\rightarrow$  self jump

### - 3AC representations (array based):

- ① quadruples  $\rightarrow$  4 fields for each record.
- ② triples  $\rightarrow$  3 fields for each record.
- ③ indirect triples





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example:  $a = b * - c + b * - c$  QUADRUPLES

unoptimized:

	op	arg 1	arg 2	result
$t_1 = \text{minus } c$	minus	c		$t_1$
$t_2 = b * t_1$	*	b	$t_1$	$t_2$
$t_3 = \text{minus } c$	minus	c		$t_3$
$t_4 = b * t_3$	*	b	$t_3$	$t_4$
$t_5 = t_2 + t_4$	+	$t_2$	$t_4$	$t_5$
$a = t_5$	=	$t_5$		a

- triples don't req. result  $\rightarrow$  result marked by index of second.

### TRIPLES

	op	arg 1	arg 2	
0	minus	c		* reduces storage space
1	*	b	(0)	
2	minus	c		* copy/assignment
3	*	b	(2)	op is done
4	+	(1)	(3)	with result
5	=	a	(4)	of quad $\rightarrow$ tri <sup>g</sup> arg 1

- quadruples are preferred by an optimizing compiler

### INDIRECT

: an array of pointers to indicate & keep track of reordering of instructions in triples



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## \* Translating Arrays:

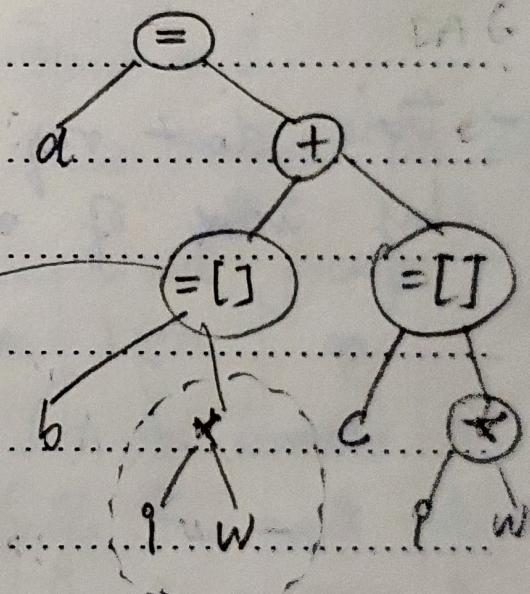
- base : address of 1<sup>st</sup> array location
- width : size of each array location

- OK:  $t1 = i * w \rightarrow$  multiplying index of width  
ZAC  $t2 = b[t1] \rightarrow$  accessing element  
 $t3 = i * w \rightarrow$  find array 'b'  
 $t4 = c[t3]$

$$t5 = t2 + t4$$

$$a = t5$$

assignment  
from an array  
 $= [ ]$



\* assignment to

an array  $\rightarrow [ ] =$

offset

input  $\Rightarrow a = b[i] + c[p] \rightarrow$  syntax tree

$= [ ] \Rightarrow$  always has 2 children

base (array) & offset (index \* width)



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	op	arg 1	arg 2	result	
0	*	b	w	t1	
1	+	b	t1	t2	
2	=[]	t2		t3	QUADRUPLE
3	*	b	w	t4	FOR SAMPLE
4	+	c	t4	t5	3AC ←
5	=[]	t5		t6	
6	+	t3	t6	t7	
7	=	t7		a	

① array assignment is split into 2 steps  
 in quadruple → similar to syntax  
 ↳ not the same as 3AC  
 (more temp. variables used)

	op	arg 1	arg 2	op
0	*	b	w	
1	+	b	(0)	TRIPLE
2	=[]	(1)		FROM SAMPLE
3	*	b	w	
4	+	c	(3)	QUADRUPLE
5	=[]	(4)		←
6	+	(2)	(5)	
7	=	a	(6))	



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ex: assignment to an array  $[ ] =$

↳ always has 3 children

array, offset, RHS value

$$\text{input} \rightarrow a[i] = b*c + b*d$$

$$t_1 = b*c$$

$$t_2 = b*d$$

$$t_3 = t_1 + t_2$$

$$t_4 = i * w$$

$$a[t_4] = t_3$$

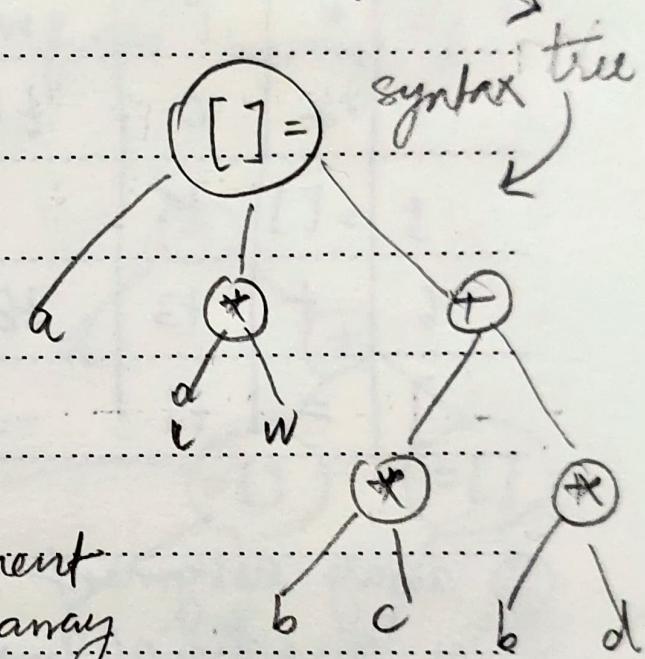
offset is to an array

index QUADRUPLE

TRIPLE

op	arg1	arg2	res	op	arg1	arg2
*	b	c	t1	0	*	b
*	b	d	t2	1	*	b
+	t1	t2	t3	2	+	(0)
*	i	w	t4	3	*	w
+	a	t4	t5	4	+	a
[ ] =	t3		t5	5	[ ] =	(4)

Split into 2 steps w/ new temp variables.





Ex. Let  $a[2][3]$  be an int array &  $c, i, j$  are int.  
 $3AC = c + a[i^0][j^0] \quad \{ \text{size} = w = 4 \}$

- considering row major order,

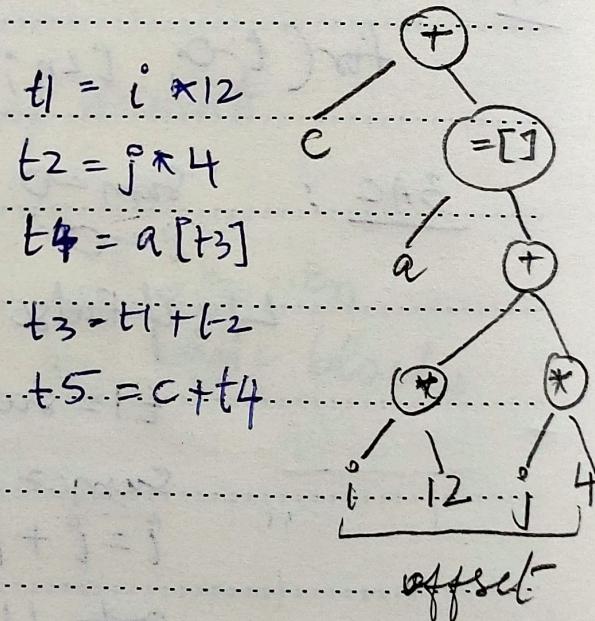
$$\text{address} = \text{base} + (i^1 * w_1 + i^2 * w_2)$$

$$= \text{base} + ((i^0 * (3 * 4)) + (j^0 * 4))$$

$$w_1 = \text{width of 1 row} = n \times w$$

$$w_2 = \text{width of 1 element} = w \rightarrow \text{size of element.}$$

op	arg1	arg2	res
*	i	12	t1
*	j	4	t2
+	t1	t2	t3
+	a	t3	t4
=[]	t4		t5
+	c	t5	t6



### SHORT CIRCUIT CODE:

- jumping code, boolean expressions are converted to jumping statements (go to)
- redundant 'gotos' can be avoided using 'if false' → fall through helps w/ true cond.



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ex: while ( $a < b$ ) {  $c = a + b$ ;  $a = a + 1$ ; }

3AC: L1: if false  $a < b$  L2

$$t1 = a + b$$

$$c = t1$$

$$t2 = a + 1$$

$$a = t2$$

goto L1

L2:

ex: sum = 0

for (  $i = 0$ ,  $i < n$ ;  $i++$ ; ) { sum = sum + i; }

3AC: sum = 0

$$p = 0$$

L1: if false ( $i < n$ ) L2

$$t1 = sum + i$$

$$sum = t1$$

$$i = i + 1$$

goto L1

if  $n$  goto L L2:

op	arg1	arg2	acc	op	arg1	arg2
of	x	1	L	(0)	=	x
iff	x		L	(1)	if	(0)
iffalse	x			(0)	=	x

iffalse x goto L



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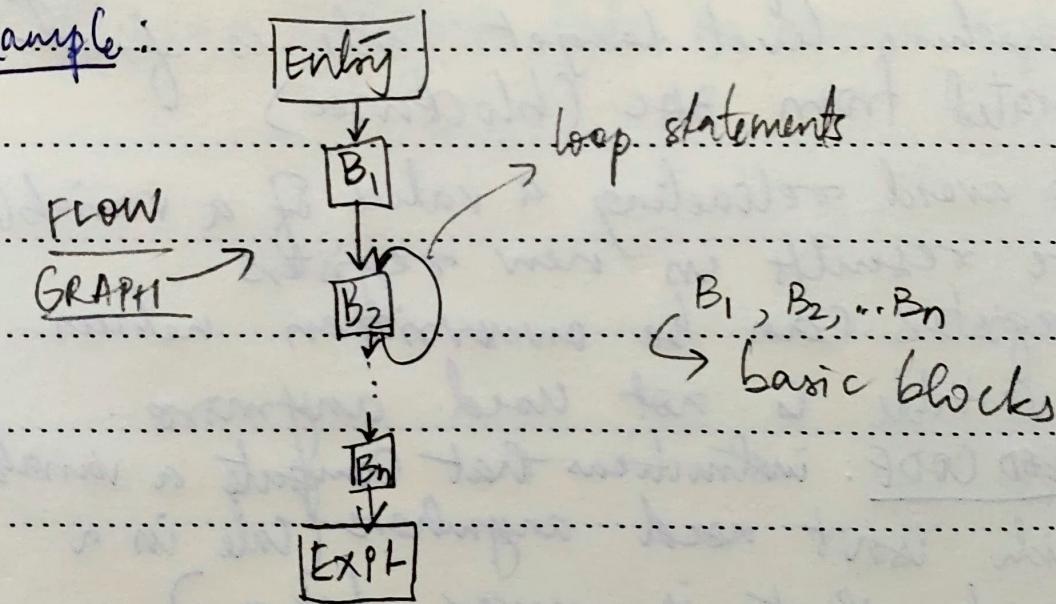
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## → CODE GENERATION:

- the intermediate code is partitioned into basic blocks → maximal sequences of SIC instr.
- basic blocks become nodes of a flow graph
- R1 - the first instr of a block is the leader of the block → instr of 'goto' is a leader.
- R2 - instr following 'goto' is also a leader
  - ↳ to form a block, find a leader, add instr to the block until another leader is encountered.

example:



- function "getReg(instr)" is used to get registers
- registers are scarce resources (limited)
  - ↳ registers have reg. descriptors → which variable is stored in a particular register.
- every variable has an Address descriptor → store locations of where the values of a variables there is.

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ex: suppose a program has variable 'a'

↳ 'a' is in 'a' → denotion of location.

- for copy instructions ( $x = y$ ), get Reg. will always same register for both variables.

- while ending a basic block;

↳ forget about temporary variables

↳ if a variable is LIVE ON EXIT: needed outside blk

- then value of variable is stored in memory

- machine level target code is first generated from BAC (blockwise)

- to avoid reloading a value of a variable, store results in new registers.

- registers can be overwritten unless

↳ a variable is not used anymore.

- DEAD CODE: instructions that compute a variable which isn't used anywhere (code in a branch that is never taken.)

↳ optimized code should contain no dead code

ex: copy propagation: use a variable as far as possible:

$$t = i * 4$$

$$s = t$$

$$a = t + 2$$

$$t = i * 4$$

$$a = t + 2$$

dead code



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- loop invariant: an expression whose value never changes despite multiple iterations.  
↳ CODE MOTION: moving loop invariants outside to avoid extra computation.
- CONSTANT FOLDING: replacing values of constants during compile time.  
↳ ex:  $u=3$   $\Rightarrow v = 3+w$   
 $v = u+w$
- code is optimised multiple times, repetitive steps can optimise code as much as possible.