

## Special Operators

### Lecture 11

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## Conditional Operator

- The conditional operator ?: takes three operands
  - $c ? r1 : r2$
  - The value of the expression using the conditional operator is the value of either its second or third operand, depending on the value of the first operand
  - Same as
    - if c
    - result value is r1
    - else
    - result value is r2

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## Conditional Operator

### Examples

- In assignment

$x = (a < b) ? a : b;$

→ x will be assigned the smallest value between a and b

- In assignment

$y = (a == b) ? (a + b) : (a - b);$

→ if (a == b), y will be assigned (a + b)

→ if (a != b), y will be assigned (a - b)

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## Conditional Operator

- Very useful for macros

### Examples

#define MAX(a,b) (((a) > (b)) ? (a) : (b))

→ Returns the max between the parameters assigned to a and b.

#define ISLETTER(c) (((c) >= 'A' && (c) <= 'Z') ? 1 : 0)

→ Returns 1 if the value assigned to c is a letter and returns 0 if not.

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## Sequential Evaluation

### ■ The comma operator

- Evaluates its two operands in sequence, yielding the value of the second operand as the value of the expression
- The value of the first is discarded

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## Sequential Evaluation

### ➤ Example

- In assignments

`x = (i += 2, a[i]);` → `i += 2; x = a[i];`

→ Parentheses are important because precedence of the assignment operator is higher than precedence of the comma

- In for loops

```
for (i = 0, j = 0; i < I_MAX && j < J_MAX; i += 2, j += i)  
    printf ("i = %d, j = %d\n", i, j);
```

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## Bitwise Operators

### ■ Positive integers are represented in the computer by standard binary numbers

- Examples:

`short n = 13;`

→ in memory - 0000 0000 0000 1101

→  $2^0 + 2^2 + 2^3 = 13$

`char c = 5;`

→ in memory - 0000 0101

→  $2^0 + 2^2 = 5$

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## Bitwise Operators

### ■ Bitwise operators

- take operands of any integer type

- char, short, int, long

- but treat an operand as a collection of bits rather than a single number

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## Bitwise Negation

## ■ Bitwise negation

## ➤ Operand ~

- Application of  $\sim$  to an integer produces a value in which each bit of the operand has been replaced by its negation
    - 0 becomes 1
    - 1 becomes 0
  - Example

$n = 0000\ 0000\ 0000\ 1101$   
 $\sim n = 1111\ 1111\ 1111\ 0010$

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## Bitwise Shift

## ■ Shift operators

- shift left → <<
  - shift right → >>

- Take two integers operands

- The value on the left is the number to be shifted
    - Viewed as a collection of bits that can move
    - To avoid implementation problems, avoid negative numbers when shifting right
  - The value on the right is a nonnegative number telling how far to move the bits

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## Bitwise Shift

## ■ Operand

- << shifts bits left  
➤ >> shifts bits right

- The bits that “fall off the end” are lost

- The “emptied” positions are filled with zeros

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## Bitwise Shift

## ■ Example:

n 0000 0000 0000 1101

$n \ll 1 \rightarrow 0000\ 0000\ 0001\ 1010$

(lost 1 bit on the left)

$n << 4 \rightarrow 0000\ 0000\ 1101\ 0000$

(lost 4 bits on the left)

$n >> 3 \rightarrow 0000\ 0000\ 0000\ 0001$

(lost 3 bits on the right)

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## Bitwise Shift

- Compound assignment operators <<= and >>=
- cause the value resulting from the shift to be stored in the variable supplied as the left operand

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## Bitwise AND, XOR, and OR

- The bitwise operators & (and), ^ (xor), and | (or)
- Take two operands that are viewed as strings of bits
- The operator determines each bit of the result by considering corresponding bits of each operand
- For each bit  $i$ 
  - $r_i = n_i \& m_i \rightarrow 1$  when both  $n_i$  and  $m_i$  are 1
  - $r_i = n_i | m_i \rightarrow 1$  when  $n_i$  and/or  $m_i$  is 1
  - $r_i = n_i ^ m_i \rightarrow 1$  when  $n_i$  and  $m_i$  do not match

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## Bitwise AND, XOR, and OR

### ■ Example:

```
n =      0000 0000 0000 1101
m =      0000 0000 0011 1100
m & n =  0000 0000 0000 1100

n =      0000 0000 0000 1101
m =      0000 0000 0011 1100
m | n =  0000 0000 0011 1101
```

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## Bitwise AND, XOR, and OR

### ■ Example:

```
n =      0000 0000 0000 1101
m =      0000 0000 0011 1100
m ^ n = 0000 0000 0011 0001
```

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## Bitwise AND, XOR, and OR

- Compound assignment operators `&=`, `|=`, and `^=`
  - cause the resulting value to be stored in the variable supplied as the left operand

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## Bitwise Operators

- Notes on shifting
  - `<<` by 1 is the same as multiplying by 2
  - `>>` by 1 is the same as dividing by 2
- Notes on `~` and `!`
  - `~` and `!` are different operators
    - `~` is a bitwise operator
      - each bit is reversed
    - `!` is a logical complement or negation
      - `! nonzero` → false (zero)
      - `! zero` → true (one)

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## Bitwise Operators

- Notes on AND
  - $x \& 0$  is always 0
  - $x \& 1$  is always  $x$
- Notes on OR
  - $x | 1$  is always 1
  - $x | 0$  is always  $x$

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## Bitwise Operators

- Masks -- Used to change specific bits in an integer
  - To set specific bits
    - Use OR with a mask in which only the bits to be set have 1
  - short c = 0000 0101;  
short mask = 0000 0010;  
c | mask = 0000 0111
  - To zero specific bits
    - Use AND with a mask in which only the bits to be zeroed have 0
  - short c = 0000 0101;  
short mask = 1111 1110;  
c & mask = 0000 0100

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## Bitwise Operators

### ■ Masks -- Used to change specific bits in an integer

➤ To verify specific bit

- Use AND with a mask in which only the bit to be verified is 1
- Result == 0 implies that bit == 0
- Result != 0 implies that bit == 1

```
short c =      0000 0101;  
short mask =   0000 0100;  
c & mask =     0000 0100 (not zero ==> bit is not zero)
```

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## Bitwise Operators

### ■ Notes on XOR

- $x \wedge 0$  is always  $x$
- $x \wedge 1$  is always  $\sim x$
- $x \wedge x$  is always 0
- $x \wedge \sim x$  is always 1
- if  $x \wedge y == z$ , then
  - $x == z \wedge y$  and  $y == z \wedge x$

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