Algorithm Template Library

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May 31, 2019

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1 图论

1.1 线段树维护树直径

```
#include <bits/stdc++.h>
using namespace std;
const int N = 2e5 + 5;
int T, n, m;
int len, head[N], ST[20][N];
struct edge{int u, v, w;}ee[N];
int cnt, fa[N], log_2[N], st[N], en[N], dfn[N], dis[N],
\rightarrow dep[N], pos[N];
struct edges{int to, next, cost;}e[N];
void add(int u, int v, int w) {
    e[++ len] = (edges)\{v, head[u], w\}, head[u] = len;
    e[++ len] = (edges)\{u, head[v], w\}, head[v] = len;
}
void dfs1(int u) {
    st[u] = ++ cnt, dfn[cnt] = u;
    for (int v, i = head[u]; i; i = e[i].next) {
        v = e[i].to;
        if (v == fa[u]) continue;
        fa[v] = u, dep[v] = dep[u] + 1;
        dis[v] = dis[u] + e[i].cost, dfs1(v);
    en[u] = cnt;
}
void dfs2(int u) {
    dfn[++ cnt] = u, pos[u] = cnt;
    for (int v, i = head[u]; i; i = e[i].next) {
        v = e[i].to;
        if (v == fa[u]) continue;
        dfs2(v), dfn[++ cnt] = u;
    }
```

```
}
int mmin(int x, int y) {
    if (dep[x] < dep[y]) return x;</pre>
    return y;
}
int lca(int u, int v) {
    static int w;
    if (pos[u] > pos[v]) swap(u, v);
    w = log_2[pos[v] - pos[u] + 1];
    return mmin(ST[w][pos[u]], ST[w][pos[v] - (1 << w) + 1]);
}
int dist(int u, int v) {
    int Lca = lca(u, v);
    return dis[u] + dis[v] - dis[Lca] * 2;
}
void build() {
    for (int i = 1; i <= cnt; i ++)
        ST[0][i] = dfn[i];
    for (int i = 1; i < 20; i ++)
        for (int j = 1; j <= cnt; j ++)
            if (j + (1 << (i - 1)) > cnt) ST[i][j] = ST[i -
             → 1][j];
            else ST[i][j] = mmin(ST[i - 1][j], ST[i - 1][j +
             \hookrightarrow (1 << (i - 1))]);
}
int M;
struct node {
    int 1, r, dis;
}tr[N << 1];</pre>
void update(int o, int o1, int o2) {
    static int d; static node tmp;
    if (tr[o1].dis == -1) {tr[o] = tr[o2]; return;}
    if (tr[o2].dis == -1) {tr[o] = tr[o1]; return;}
    if (tr[o1].dis > tr[o2].dis) tmp = tr[o1];
    else tmp = tr[o2];
    d = dist(tr[o1].1, tr[o2].1);
```

```
if (d > tmp.dis) tmp.l = tr[o1].l, tmp.r = tr[o2].l,

    tmp.dis = d;

    d = dist(tr[o1].1, tr[o2].r);
    if (d > tmp.dis) tmp.l = tr[o1].l, tmp.r = tr[o2].r,
    \rightarrow tmp.dis = d;
    d = dist(tr[o1].r, tr[o2].1);
    if (d > tmp.dis) tmp.l = tr[o1].r, tmp.r = tr[o2].l,
    \rightarrow tmp.dis = d;
    d = dist(tr[o1].r, tr[o2].r);
    if (d > tmp.dis) tmp.l = tr[o1].r, tmp.r = tr[o2].r,

    tmp.dis = d;

    tr[o] = tmp;
}
void ask(int s, int t) {
    if (s > t) return;
    for (s += M - 1, t += M + 1; s ^ t ^ 1; s >>= 1, t >>= 1)
        if (~s&1) update(0, 0, s ^ 1);
        if ( t&1) update(0, 0, t ^ 1);
    }
}
int main() {
    ios::sync_with_stdio(false);
    int u, v, w, ans; log_2[1] = 0;
    for (int i = 2; i <= 200000; i ++)
        if (i == 1 << (log_2[i - 1] + 1))
            log_2[i] = log_2[i - 1] + 1;
        else log_{2}[i] = log_{2}[i - 1];
    for (cin >> T; T --; ) {
        cin >> n >> m, cnt = len = 0;
        for (int i = 1; i <= n; i ++)
            head[i] = 0;
        for (int i = 1; i < n; i ++) {
            cin >> ee[i].u >> ee[i].v >> ee[i].w;
            add(ee[i].u, ee[i].v, ee[i].w);
        }
        dfs1(1);
        for (M = 1; M < n + 2; M <<= 1);
        for (int i = 1; i <= n; i ++)
            tr[i + M].l = tr[i + M].r = dfn[i], tr[i + M].dis
        for (int i = n + M + 1; i \le (M \le 1) + 1; i ++)
```

tr[i].dis = -1;

```
cnt = 0, dfs2(1), build();
        for (int i = M; i; i --)
            update(i, i << 1, i << 1 | 1);
        for (int i = 1; i < n; i ++)
             if (dep[ee[i].u] > dep[ee[i].v])
                 swap(ee[i].u, ee[i].v);
        for (int u, v, i = 1; i <= m; i ++) {
             cin >> u >> v, ans = 0;
            u = ee[u].v, v = ee[v].v, w = lca(u, v);
            if (w == u \mid \mid w == v) {
                 if (w != u) swap(u, v);
                 tr[0].dis = -1, ask(1, st[u] - 1), ask(en[u] +
                 \rightarrow 1, n), ans = max(ans, tr[0].dis);
                 tr[0].dis = -1, ask(st[u], st[v] - 1),
                 \rightarrow ask(en[v] + 1, en[u]), ans = max(ans,
                 \rightarrow tr[0].dis);
                 tr[0].dis = -1, ask(st[v], en[v]), ans =

→ max(ans, tr[0].dis);
            }
            else {
                 if (st[u] > st[v]) swap(u, v);
                 tr[0].dis = -1, ask(1, st[u] - 1), ask(en[u] +
                 \rightarrow 1, st[v] - 1), ask(en[v] + 1, n), ans =
                 \rightarrow max(ans, tr[0].dis);
                 tr[0].dis = -1, ask(st[u], en[u]), ans =
                 \rightarrow max(ans, tr[0].dis);
                 tr[0].dis = -1, ask(st[v], en[v]), ans =
                 \rightarrow max(ans, tr[0].dis);
            printf("%d\n", ans);
        }
    }
    return 0;
}
     有向图判断两个点能否到达
/* 时间 O(n*m/32) 空间 O(n*n/blk) blk 随便取 */
#include <bits/stdc++.h>
using namespace std;
const int N = 1e5 + 2;
```

```
const int BLK = 5000;
int n, k, p;
int d[N];
vector <int> e[N], f[N], ck[N];
int top, sta[N], in[N];
int cnt, dfn[N], low[N], vis[N];
int sum, bel[N];
bitset <BLK> a[N];
queue <int> q;
int topo[N];
void tarjan(int u) {
        vis[u] = in[u] = 1;
        sta[++ top] = u, dfn[u] = low[u] = ++ cnt;
        for (int v : e[u])
                if (!vis[v]) {
                        tarjan(v);
                        low[u] = min(low[v], low[u]);
                else if (in[v])
                        low[u] = min(low[v], low[u]);
        if (low[u] == dfn[u]) {
                sum ++; int i;
                while (1) {
                        i = sta[top --];
                        in[i] = 0, bel[i] = sum;
                        if (i == u) break;
                }
        }
}
int main() {
        freopen("input.txt", "r", stdin);
        freopen("output.txt", "w", stdout);
```

```
ios::sync_with_stdio(false);
cin >> n >> k;
for (int u, v, i = 1; i <= k; i ++) {
        cin >> u >> v;
        e[u].push_back(v);
}
cin >> p;
for (int u, v, i = 1; i <= p; i ++) {
        cin >> u >> v;
        f[u].push_back(v);
}
for (int i = 1; i <= n; i ++)
        if (!vis[i])
                tarjan(i);
for (int i = 1; i <= n; i ++) {
        for (int j : f[i]) {
                if (bel[i] == bel[j]) return

→ puts("NO"), 0;

                ck[bel[i]].push_back(bel[j]);
        }
        f[i].clear();
for (int i = 1; i <= n; i ++)
        for (int j : e[i]) {
                if (bel[i] == bel[j]) continue;
                f[bel[i]].push_back(bel[j]);
                d[bel[j]] ++;
        }
cnt = 0;
for (int i = 1; i <= sum; i ++)
        if (!d[i])
                q.push(i);
while (!q.empty()) {
        int now = q.front(); q.pop();
        topo[++ cnt] = now;
        for (int j : f[now]) {
                d[j] --;
                if (d[j] == 0) q.push(j);
        }
}
```

```
for (int i = 1, t = (sum + BLK - 1) / BLK; i <= t; i
        → ++) {
                for (int j = sum; j; j --) {
                         int u = topo[j];
                         a[u].reset();
                         if (BLK * (i - 1) < u && u <= BLK * i)
                                 a[u][u - BLK * (i - 1) - 1] =
                                 for (int v : f[u])
                                 a[u] |= a[v];
                }
                for (int j = 1; j <= sum; j ++)
                         for (int v : ck[j])
                                 if (BLK * (i - 1) < v && v <=
                                 \rightarrow BLK * i && a[j][v - BLK *
                                 \hookrightarrow (i - 1) - 1] == 1) {
                                         puts("NO");
                                         return 0;
                                 }
        }
        printf("YES\n%d\n", k);
        for (int i = 1; i <= n; i ++)
                for (int j : e[i])
                        printf("%d %d\n", i, j);
        return 0;
}
1.3 spfa 费用流
const int N = 600, M = 800000, inf = 0x3f3f3f3f;
int s, t, ans, len, maxflow;
int T, n, m, K, W;
int head[N], incf[N], path[N], pre[N], vis[N], d[N];
struct edge{
        int to, next, cap, cost;
}e[M];
struct video {z
        int s, t, w, op;
```

```
}a[N];
void add(int u, int v, int w, int c) {
        e[++ len] = (edge)\{v, head[u], w, c\}, head[u] = len;
        e[++ len] = (edge)\{u, head[v], 0, -c\}, head[v] = len;
}
bool spfa() {
        deque <int> q;
        q.push_back(s), incf[s] = inf;
        for (int i = 1; i <= t; i ++) d[i] = inf;</pre>
        d[s] = 0;
        while (!q.empty()) {
                int x = q.front();
                q.pop_front(), vis[x] = 0;
                for (int i = head[x]; i; i = e[i].next) {
                         if (e[i].cap \&\& d[e[i].to] > d[x] +
                         → e[i].cost) {
                                 d[e[i].to] = d[x] + e[i].cost;
                                 pre[e[i].to] = x,
                                  → path[e[i].to] = i;
                                 incf[e[i].to] = min(incf[x],
                                  → e[i].cap);
                                 if (!vis[e[i].to]) {
                                          vis[e[i].to] = 1;
                                          if (q.empty() ||
                                          \rightarrow d[e[i].to] <

    d[q.front()])

¬ q.push_front(e[i].to);

                                          else

¬ q.push_back(e[i].to);

                                 }
                         }
                }
        maxflow += incf[t];
        if (d[t] == inf) return 0;
        for (int i = t; i != s; i = pre[i]) {
                e[path[i]].cap -= incf[t];
                e[path[i] ^ 1].cap += incf[t];
        return ans += incf[t] * d[t], 1;
}
```

```
int main() {
        /*build graph*/
        while(spfa());
}
1.4 dinic 最大流
#include <bits/stdc++.h>
using namespace std;
const int N = 20000;
const int M = 500000;
const int inf = 0x3f3f3f3f;
int n, m;
int s, t, len = 1;
int to[M], cap[M], nex[M];
int g[N], p[N], q[N], d[N];
void add(int x, int y, int v) {
        to[++ len] = y, cap[len] = v, nex[len] = g[x], g[x] =
        \hookrightarrow len;
        to[++ len] = x, cap[len] = 0, nex[len] = g[y], g[y] =
        → len;
}
bool bfs() {
        int 1 = 1, r = 1, x, i;
        memset (d, 0, sizeof d);
        d[s] = 1, q[1] = s;
        while (1 <= r) {
                x = q[1 ++];
                for (i = g[x]; i; i = nex[i])
                         if (cap[i] && !d[to[i]])
                                 d[to[i]] = d[x] + 1, q[++ r] =
                                  \rightarrow to[i];
        }
        return d[t];
```

```
}
int dfs(int x, int y) {
       if (x == t \mid \mid y == 0) return y;
       int flow = 0;
       for (int &i = p[x]; i; i = nex[i]) {
               if (!cap[i] || d[to[i]] != d[x] + 1) continue;
               int f = dfs(to[i], min(y, cap[i]));
               flow += f, y -= f;
               cap[i] -= f, cap[i ^ 1] += f;
               if (!y) break;
       return flow;
}
int dinic() {
       int maxflow = 0;
       while (bfs()) {
               memcpy(p, g, sizeof g);
               maxflow += dfs(s, inf);
       return maxflow;
}
int main() {
       ios::sync_with_stdio(false);
       return 0;
}
1.5 DAG 删去无用边
无用边定义:对于边 (u,v) 如果存在从 u 到 v 不经过该边的另一条路
→ 径,则称该边无用
时间复杂度:0(n~3)
bool f[N][N];//i 是否可达 j
vector <int> e[N];
int main() {
       rep(i, 1, n)
               for (int j : e[i]) {
```

```
for (k, 1, n)
                                 if (i != k && j != k &&
                                  \rightarrow f[i][k] && f[k][j])
                                         no_use_edge;
                }
}
1.6 树分治
#include <bits/stdc++.h>
using namespace std;
typedef long long ll;
const int N = 1e5 + 5;
vector <int> e[N];
int n, a[N];
int root, _left, vis[N];
int siz[N], maxv[N];
void find_root(int u, int fr) {
        siz[u] = 1, maxv[u] = 0;
        for (int v : e[u]) {
                if (v == fr || vis[v]) continue;
                find_root(v, u);
                siz[u] += siz[v];
                maxv[u] = max(maxv[u], siz[v]);
        maxv[u] = max(maxv[u], _left - siz[u]);
        if (!root || maxv[u] < maxv[root])</pre>
                root = u;
}
void dfs(int u, int fr) {
        siz[u] = 1;
        for (int v : e[u]) {
                if (v == fr || vis[v]) continue;
                find_root(v, u);
                siz[u] += siz[v];
```

```
}
}
void solve(int u, int w) {
        dfs(u, u);//update siz[]
        a[u] = w, vis[u] = 1;
        for (int v : e[u]) {
                if (vis[v]) continue;
                _left = siz[v];
                root = 0;
                find_root(v, v);
                solve(root, w + 1);
        }
}
int main() {
    ios::sync_with_stdio(false);
    cin >> n;
    for (int u, v, i = 1; i < n; i ++) {
            cin >> u >> v;
            e[u].push_back(v);
            e[v].push_back(u);
    }
    _left = n, root = 0, find_root(1, 1);
    solve(root, 0);
    for (int i = 1; i <= n; i ++)
            printf("%c ", 'A' + a[i]);
    return 0;
}
```

2 数据结构

2.1 treap

```
/* 容易实现的预开内存池 treap, 每次 head 清空即可
如果初始要插入 n 个 1, 可改为类似 splay 的 O(n)build 写法
*/
#include <bits/stdc++.h>
using namespace std;
const int poolSize = 5e5 + 10;
struct node {
        node *c[2];
        int v, r, siz;
        void update();
        void init(int x);
};
node *null = new node(), *root = null;
void node::update() {
        siz = c[0] -> siz + c[1] -> siz + 1;
}
void node::init(int x) {
        v = x, r = rand(), siz = 1;
        c[0] = c[1] = null;
}
node nodesPool[poolSize];
int head;//每次 head=0 清空
node *newnode(int x) {
        node *res = &nodesPool[head ++];
        res -> init(x);
        return res;
}
void rot(node *&o, int d) {
        node *tmp = o \rightarrow c[!d];
        o \rightarrow c[!d] = tmp \rightarrow c[d], tmp \rightarrow c[d] = o;
```

```
o -> update(), tmp -> update(), o = tmp;
}
void insert(node *&o, int x) {
          if (o == null) {
                   o = newnode(x);
                   return;
          }
          int d = x > o -> v ? 0 : 1;
          insert(o -> c[d], x);
          if (o \rightarrow c[d] \rightarrow r < o \rightarrow r) rot(o, !d);
          o -> update();
}
void del(node *&o, int x) {
          if (x == o -> v) {
                   if (o \rightarrow c[0] == null) \{o = o \rightarrow c[1];
                    → return;}
                   if (o \rightarrow c[1] == null) \{o = o \rightarrow c[0];
                    → return;}
                   int d = o \rightarrow c[0] \rightarrow r < o \rightarrow c[1] \rightarrow r ? 1 :
                    → 0;
                   rot(o, d), del(o \rightarrow c[d], x);
          else del(o \rightarrow c[x <= o \rightarrow v], x);
          o -> update();
}
void build(node *&o, int 1, int r) {
         o = newnode(1);
          if (1 == r) return;
          int mid = 1 + r >> 1;
          if (1 < mid) build(o \rightarrow c[0], 1, mid - 1);
          if (o -> c[0] != null && o -> c[0] -> r < o -> r)
          \rightarrow swap(o -> c[0] -> r, o -> r);
          if (mid < r) build(o -> c[1], mid + 1, r);
          if (o \rightarrow c[1] != null && o \rightarrow c[1] \rightarrow r < o \rightarrow r)
          \rightarrow swap(o -> c[1] -> r, o -> r);
          o -> update();
}
```

2.2 KDTree

```
2.2.1 3 维 KDtree
```

```
*O(n*n^(1-1/k)),k 为维度
 */
#include <bits/stdc++.h>
using namespace std;
const int N = 1e5 + 5;
const int Mod = 1e9 + 7;
int nowD, ans, x[3], y[3];
int n, m, a[N], b[N], c[N], d[N];
struct node {
    int Max[3], Min[3], d[3];
    int val, maxv;
    node *c[2];
    node() {
         c[0] = c[1] = NULL;
         val = maxv = 0;
    }
    void pushup();
    bool operator < (const node &a) const {</pre>
         return d[nowD] < a.d[nowD];</pre>
    }
}Null, nodes[N];
node *root = &Null;
inline void node::pushup() {
    if (c[0] != &Null) {
         if (c[0] \rightarrow Max[1] > Max[1]) Max[1] = c[0] \rightarrow Max[1];
         if (c[0] \rightarrow Max[2] > Max[2]) Max[2] = c[0] \rightarrow Max[2];
         if (c[0] \rightarrow Min[0] < Min[0]) Min[0] = c[0] \rightarrow Min[0];
         if (c[0] \rightarrow Min[2] < Min[2]) Min[2] = c[0] \rightarrow Min[2];
```

```
if (c[0] \rightarrow maxv > maxv) maxv = c[0] \rightarrow maxv;
    if (c[1] != &Null) {
         if (c[1] \rightarrow Max[1] > Max[1]) Max[1] = c[1] \rightarrow Max[1];
         if (c[1] \rightarrow Max[2] > Max[2]) Max[2] = c[1] \rightarrow Max[2];
         if (c[1] \rightarrow Min[0] < Min[0]) Min[0] = c[1] \rightarrow Min[0];
         if (c[1] \rightarrow Min[2] < Min[2]) Min[2] = c[1] \rightarrow Min[2];
         if (c[1] \rightarrow maxv > maxv) maxv = c[1] \rightarrow maxv;
    }
}
inline node *build(int 1, int r) {
     int mid = 1 + r >> 1; nowD = rand() % 3;
    nth_element(nodes + 1, nodes + mid, nodes + r + 1);
    node *res = &nodes[mid];
    if (1 != mid) res \rightarrow c[0] = build(1, mid - 1);
    else res \rightarrow c[0] = &Null;
    if (r != mid) res \rightarrow c[1] = build(mid + 1, r);
    else res -> c[1] = &Null;
    res -> pushup();
    return res;
}
inline int calc(node *o) {
     if (y[0] < o \rightarrow Min[0] \mid | x[1] > o \rightarrow Max[1] \mid | x[2] > o
     \rightarrow -> Max[2] || y[2] < o -> Min[2]) return -1;
    return o -> maxv;
}
inline void query(node *o) {
     if (o -> val > ans && y[0] >= o -> d[0] && x[1] <= o ->
     \rightarrow d[1] && x[2] <= o -> d[2] && y[2] >= o -> d[2]) ans =
     \hookrightarrow o -> val;
    int dl, dr;
    if (o \rightarrow c[0] != \&Null) dl = calc(o \rightarrow c[0]);
    else dl = -1;
    if (o \rightarrow c[1] != \&Null) dr = calc(o \rightarrow c[1]);
    else dr = -1;
    if (dl > dr) {
         if (dl > ans) query(o -> c[0]);
         if (dr > ans) query(o -> c[1]);
    } else {
         if (dr > ans) query(o \rightarrow c[1]);
         if (dl > ans) query(o \rightarrow c[0]);
```

```
}
}
int main() {
    ios::sync_with_stdio(false);
    cin >> n >> m;
    for (int i = 1; i <= n; i ++) {
        cin >> a[i];
        b[i] = d[a[i]];
        d[a[i]] = i;
    }
    for (int i = 1; i <= n; i ++) d[i] = n + 1;
    for (int i = n; i; i --) {
        c[i] = d[a[i]];
        d[a[i]] = i;
    }
    for (int i = 1; i <= n; i ++) {
        nodes[i].Min[0] = nodes[i].d[0] = b[i];
        nodes[i].Max[1] = nodes[i].d[1] = c[i];
        nodes[i].Max[2] = nodes[i].Min[2] = nodes[i].d[2] = i;
        nodes[i].val = nodes[i].maxv = a[i];
    root = build(1, n);
    for (int 1, r; m --; ) {
        cin >> 1 >> r;
        1 = (1 + ans) \% n + 1;
        r = (r + ans) \% n + 1;
        if (l > r) swap(l, r);
        y[0] = 1 - 1;
        x[1] = r + 1;
        x[2] = 1, y[2] = r;
        ans = 0, query(root);
        cout << ans << endl;</pre>
    }
    cout << endl;</pre>
    return 0;
}
2.2.2 KDtree 二维空间区间覆盖单点查询
/* 类似线段树 */
#include <bits/stdc++.h>
using namespace std;
```

```
const int N = 1e5 + 5;
const int Mod = 1e9 + 7;
int nowD, x[2], y[2], z;
struct node {
    int Max[2], Min[2], d[2];
    int val, lazy;
    node *c[2];
    node() {
         c[0] = c[1] = NULL;
    void pushup();
    void pushdown();
    bool operator < (const node &a) const {</pre>
         return d[nowD] < a.d[nowD];</pre>
}Null, nodes[N];
node *root = &Null;
inline void node::pushup() {
     if (c[0] != &Null) {
         if (c[0] \rightarrow Max[0] > Max[0]) Max[0] = c[0] \rightarrow Max[0];
         if (c[0] \rightarrow Max[1] > Max[1]) Max[1] = c[0] \rightarrow Max[1];
         if (c[0] -> Min[0] < Min[0]) Min[0] = c[0] -> Min[0];
         if (c[0] \rightarrow Min[1] < Min[1]) Min[1] = c[0] \rightarrow Min[1];
    if (c[1] != &Null) {
         if (c[1] \rightarrow Max[0] > Max[0]) Max[0] = c[1] \rightarrow Max[0];
         if (c[1] \rightarrow Max[1] > Max[1]) Max[1] = c[1] \rightarrow Max[1];
         if (c[1] \rightarrow Min[0] < Min[0]) Min[0] = c[1] \rightarrow Min[0];
         if (c[1] \rightarrow Min[1] < Min[1]) Min[1] = c[1] \rightarrow Min[1];
    }
}
inline void node::pushdown() {
    if (c[0] != \&Null) c[0] \rightarrow val = c[0] \rightarrow lazy = lazy;
```

```
if (c[1] != &Null) c[1] \rightarrow val = c[1] \rightarrow lazy = lazy;
     lazy = -1;
}
inline node *build(int 1, int r, int D) {
     int mid = 1 + r \gg 1; nowD = D;
     nth_element(nodes + 1, nodes + mid, nodes + r + 1);
     node *res = &nodes[mid];
     if (1 != mid) res -> c[0] = build(1, mid - 1, !D);
     else res \rightarrow c[0] = &Null;
     if (r != mid) res \rightarrow c[1] = build(mid + 1, r, !D);
     else res \rightarrow c[1] = &Null;
     res -> pushup();
     return res;
}
inline int query(node *o) {
     if (o == &Null) return -1;
     if (o \rightarrow lazy != -1) o \rightarrow pushdown();
     if (x[0] > o \rightarrow Max[0] \mid | y[0] > o \rightarrow Max[1] \mid | x[0] < o
     \rightarrow -> Min[0] || y[0] < o -> Min[1]) return -1;
     if (x[0] == o \rightarrow d[0]) return o \rightarrow val;
     return max(query(o -> c[0]), query(o -> c[1]));
}
inline void modify(node *o) {
     if (o == &Null) return;
     if (o \rightarrow lazy != -1) o \rightarrow pushdown();
     if (x[0] > o \rightarrow Max[0] \mid \mid y[0] > o \rightarrow Max[1] \mid \mid x[1] < o
     \rightarrow -> Min[0] || y[1] < o -> Min[1]) return;
     if (x[0] \le o \rightarrow Min[0] \&\& y[0] \le o \rightarrow Min[1] \&\& x[1] >=
     \rightarrow o \rightarrow Max[0] && y[1] \rightarrow o \rightarrow Max[1]) {
          o \rightarrow val = o \rightarrow lazy = z;
         return;
     if (x[0] \le o \rightarrow d[0] \&\& y[0] \le o \rightarrow d[1] \&\& x[1] >= o \rightarrow
     \rightarrow d[0] && y[1] >= o -> d[1]) o -> val = z;
     modify(o \rightarrow c[0]), modify(o \rightarrow c[1]);
}
int n, m, k, a[N], c[N], d[N];
int cnt, st[N], en[N], dfn[N], dep[N];
```

```
vector <int> e[N];
void dfs(int u) {
    st[u] = ++ cnt, dfn[cnt] = u;
    for (int v : e[u])
        dep[v] = dep[u] + 1, dfs(v);
    en[u] = cnt;
}
int main() {
    ios::sync_with_stdio(false);
    int T, ans;
    for (cin >> T; T --; ) {
        cin >> n >> m >> k, ans = cnt = 0;
        for (int i = 1; i <= n; i ++)
            e[i].clear();
        for (int u, i = 2; i <= n; i ++) {
            cin >> u;
            e[u].push_back(i);
        }
        dfs(1);
        for (int i = 1; i <= n; i ++) {
            nodes[i].Min[0] = nodes[i].Max[0] = nodes[i].d[0]
            \hookrightarrow = i;
            nodes[i].Min[1] = nodes[i].Max[1] = nodes[i].d[1]
            nodes[i].val = 1, nodes[i].lazy = -1;
        }
        root = build(1, n, 0);
        for (int u, v, w, i = 1; i <= k; i ++) {
            cin >> u >> v >> w;
            if (w == 0) {
                x[0] = st[u], y[0] = dep[u];
                ans = (ans + 111 * i * query(root) % Mod) %
                → Mod;
            } else {
                x[0] = st[u], x[1] = en[u];
                y[0] = dep[u], y[1] = dep[u] + v;
                z = w, modify(root);
            }
        cout << ans << endl;</pre>
    }
    return 0;
```

```
}
2.2.3 KDtree 二维空间单点修改区间查询
/*
 * 调整重构系数可以影响常数
 * 询问多就让系数接近 0.70-0.75, 询问少就让系数在 0.8-0.90
 */
#include <bits/stdc++.h>
using namespace std;
const int inf = 1e9;
int n, m, tot, nowD;
struct node {
    int Max[2], Min[2], d[2];
    int sum, siz, val;
    node *c[2];
    node() {
        Max[0] = Max[1] = -inf;
        Min[0] = Min[1] = inf;
        sum = val = siz = 0;
        c[0] = c[1] = NULL;
        d[0] = d[1] = 0;
    }
    void update();
Null, nodes[200010], *temp[200010];
node *root = &Null;
inline void node::update() {
    siz = c[0] -> siz + c[1] -> siz + 1;
    sum = c[0] -> sum + c[1] -> sum + val;
    if (c[0] != &Null) {
        if (c[0] \rightarrow Max[0] > Max[0]) Max[0] = c[0] \rightarrow Max[0];
        if (c[0] \rightarrow Max[1] > Max[1]) Max[1] = c[0] \rightarrow Max[1];
        if (c[0] \rightarrow Min[0] < Min[0]) Min[0] = c[0] \rightarrow Min[0];
        if (c[0] \rightarrow Min[1] < Min[1]) Min[1] = c[0] \rightarrow Min[1];
    if (c[1] != &Null) {
```

```
if (c[1] \rightarrow Max[0] > Max[0]) Max[0] = c[1] \rightarrow Max[0];
        if (c[1] \rightarrow Max[1] > Max[1]) Max[1] = c[1] \rightarrow Max[1];
        if (c[1] \rightarrow Min[0] < Min[0]) Min[0] = c[1] \rightarrow Min[0];
        if (c[1] \rightarrow Min[1] < Min[1]) Min[1] = c[1] \rightarrow Min[1];
    }
}
inline bool cmp(const node *a, const node *b) {
    return a -> d[nowD] < b -> d[nowD];
}
inline void traverse(node *o) {
    if (o == &Null) return;
    temp[++ tot] = o;
    traverse(o -> c[0]);
    traverse(o -> c[1]);
}
inline node *build(int 1, int r, int D) {
    int mid = 1 + r \gg 1; nowD = D;
    nth_element(temp + 1, temp + mid, temp + r + 1, cmp);
    node *res = temp[mid];
    res -> Max[0] = res -> Min[0] = res -> d[0];
    res -> Max[1] = res -> Min[1] = res -> d[1];
    if (1 != mid) res -> c[0] = build(1, mid - 1, !D);
    else res -> c[0] = &Null;
    if (r != mid) res \rightarrow c[1] = build(mid + 1, r, !D);
    else res \rightarrow c[1] = &Null;
    res -> update();
    return res;
}
int x, y, a, b, tmpD;
node **tmp;
inline void rebuild(node *&o, int D) {
    tot = 0;
    traverse(o);
    o = build(1, tot, D);
inline void insert(node *&o, node *p, int D) {
    if (o == &Null) {o = p; return;}
```

```
if (p \rightarrow Max[0] > o \rightarrow Max[0]) o \rightarrow Max[0] = p \rightarrow Max[0];
     if (p \rightarrow Max[1] > o \rightarrow Max[1]) o \rightarrow Max[1] = p \rightarrow Max[1];
     if (p \rightarrow Min[0] < o \rightarrow Min[0]) o \rightarrow Min[0] = p \rightarrow Min[0];
     if (p \rightarrow Min[1] < o \rightarrow Min[1]) o \rightarrow Min[1] = p \rightarrow Min[1];
     o -> siz ++, o -> sum += p -> sum;
     insert(o \rightarrow c[p \rightarrow c[D] >= o \rightarrow c[D]], p, !D);
     if (\max(o \rightarrow c[0] \rightarrow siz, o \rightarrow c[1] \rightarrow siz) > int(o \rightarrow siz)
     \star * 0.75 + 0.5)) tmpD = D, tmp = &o;
}
inline int query(node *o) {
     if (o == &Null) return 0;
     if (x > o \rightarrow Max[0] \mid | y > o \rightarrow Max[1] \mid | a < o \rightarrow Min[0]
     \rightarrow || b < o -> Min[1]) return 0;
     if (x \le o -> Min[0] \&\& y \le o -> Min[1] \&\& a >= o ->
     \rightarrow Max[0] && b >= o -> Max[1]) return o -> sum;
    return (x <= o -> d[0] && y <= o -> d[1] && a >= o -> d[0]
     \rightarrow && b >= o -> d[1] ? o -> val : 0)
         + query(o -> c[1]) + query(o -> c[0]);
}
int main() {
     ios::sync_with_stdio(false);
     cin >> m;
    node *ttt = &Null;
     for (int t, ans = 0; ; ) {
         cin >> t;
         if (t == 3) break;
         if (t == 1) {
              cin >> x >> y >> a;
              x = ans, y = ans, n ++;
              nodes[n].sum = nodes[n].val = a ^ ans,
               \rightarrow nodes[n].siz = 1;
              nodes[n].Max[0] = nodes[n].Min[0] = nodes[n].d[0]
              nodes[n].Max[1] = nodes[n].Min[1] = nodes[n].d[1]
               \hookrightarrow = y;
              nodes[n].c[0] = nodes[n].c[1] = &Null;
              tmp = &(ttt), insert(root, &nodes[n], 0);
              if (*tmp != &Null) rebuild(*tmp, tmpD);
         } else {
              cin >> x >> y >> a >> b;
              x = ans, y = ans, a = ans, b = ans;
              if (x > a) swap(x, a);
```

```
if (y > b) swap(y, b);
            ans = query(root);
            printf("%d\n", ans);
        }
    }
    return 0;
}
2.2.4 KDtree 找最近点
 * 为了维持树的平衡, 可以一开始把所有点都读进来 build
 * 然后打 flag 标记该点是否被激活
#include <bits/stdc++.h>
using namespace std;
const int N = 5e5 + 5;
const int inf = 1 << 30;</pre>
int n, m;
int ql, qr, ans, tot, nowD;
//nowD = rand() & 1 ?
struct Node {
    int d[2];
    bool operator < (const Node &a) const {</pre>
        if (d[nowD] == a.d[nowD]) return d[!nowD] <</pre>

→ a.d[!nowD];
        return d[nowD] < a.d[nowD];</pre>
    }
}pot[N];
struct node {
    int min[2], max[2], d[2];
   node *c[2];
   node() {
        min[0] = min[1] = max[0] = max[1] = d[0] = d[1] = 0;
        c[0] = c[1] = NULL;
    }
```

```
node(int x, int y);
    void update();
}t[N], Null, *root;
node::node(int x, int y) {
    min[0] = max[0] = d[0] = x;
    min[1] = max[1] = d[1] = y;
    c[0] = c[1] = &Null;
}
inline void node::update() {
    if (c[0] != &Null) {
         if (c[0] \rightarrow max[0] > max[0]) max[0] = c[0] \rightarrow max[0];
         if (c[0] \rightarrow max[1] > max[1]) max[1] = c[0] \rightarrow max[1];
         if (c[0] \rightarrow min[0] < min[0]) min[0] = c[0] \rightarrow min[0];
         if (c[0] \rightarrow min[1] < min[1]) min[1] = c[0] \rightarrow min[1];
    }
    if (c[1] != &Null) {
         if (c[1] \rightarrow max[0] > max[0]) max[0] = c[1] \rightarrow max[0];
         if (c[1] \rightarrow max[1] > max[1]) max[1] = c[1] \rightarrow max[1];
         if (c[1] \rightarrow min[0] < min[0]) min[0] = c[1] \rightarrow min[0];
         if (c[1] \rightarrow min[1] < min[1]) min[1] = c[1] \rightarrow min[1];
    }
}
inline void build(node *&o, int 1, int r, int D) {
    int mid = 1 + r >> 1;
    nowD = D;
    nth_element(pot + 1, pot + mid, pot + r + 1);
    o = new node(pot[mid].d[0], pot[mid].d[1]);
    if (1 != mid) build(o -> c[0], 1, mid - 1, !D);
    if (r != mid) build(o \rightarrow c[1], mid + 1, r, !D);
    o -> update();
}
inline void insert(node *o) {
    node *p = root;
    int D = 0;
    while (1) {
```

```
if (o \rightarrow max[0] > p \rightarrow max[0]) p \rightarrow max[0] = o \rightarrow
          \rightarrow max[0];
          if (o \rightarrow max[1] > p \rightarrow max[1]) p \rightarrow max[1] = o \rightarrow
          \rightarrow max[1];
          if (o -> min[0]  min[0]) p -> min[0] = o ->
          \rightarrow min[0];
          if (o \rightarrow min[1] 
          \rightarrow min[1];
          if (o \rightarrow d[D] >= p \rightarrow d[D]) {
               if (p \rightarrow c[1] == &Null) {
                    p \rightarrow c[1] = o;
                    return;
               } else p = p -> c[1];
          } else {
               if (p -> c[0] == &Null) {
                    p -> c[0] = o;
                   return;
               } else p = p -> c[0];
         D ^= 1;
    }
}
inline int dist(node *o) {
     int dis = 0;
     if (ql < o \rightarrow min[0]) dis += o \rightarrow min[0] - ql;
     if (ql > o \rightarrow max[0]) dis += ql - o \rightarrow max[0];
     if (qr < o \rightarrow min[1]) dis += o \rightarrow min[1] - qr;
     if (qr > o \rightarrow max[1]) dis += qr - o \rightarrow max[1];
    return dis;
}
inline void query(node *o) {
     int dl, dr, d0;
    d0 = abs(o \rightarrow d[0] - ql) + abs(o \rightarrow d[1] - qr);
     if (d0 < ans) ans = d0;
     if (o \rightarrow c[0] != &Null) dl = dist(o \rightarrow c[0]);
     else dl = inf;
     if (o -> c[1] != &Null) dr = dist(o -> c[1]);
     else dr = inf;
     if (dl < dr) {
          if (dl < ans) query(o \rightarrow c[0]);
```

```
if (dr < ans) query(o -> c[1]);
    } else {
        if (dr < ans) query(o -> c[1]);
        if (dl < ans) query(o -> c[0]);
    }
}
int main() {
    ios::sync_with_stdio(false);
    cin >> n >> m;
    for (int i = 1; i <= n; i ++)
        cin >> pot[i].d[0] >> pot[i].d[1];
    build(root, 1, n, 0);
    for (int x, y, z; m --; ) {
        cin >> x >> y >> z;
        if (x == 1) {
            t[tot].max[0] = t[tot].min[0] = t[tot].d[0] = y;
            t[tot].max[1] = t[tot].min[1] = t[tot].d[1] = z;
            t[tot].c[0] = t[tot].c[1] = &Null;
            insert(&t[tot ++]);
        } else {
            ans = inf, ql = y, qr = z;
            query(root), printf("%d\n", ans);
        }
    }
    return 0;
}
```

3 构造

3.1 若干排列使所有数对都出现一次

```
/*n/2 个排列使得所有数对 (i,j) 且 i < j 都出现一次
 *n 为奇数则首尾相连, 偶数不连
 */
#include <bits/stdc++.h>
using namespace std;
typedef vector<int> vi;
void get_even(int n, vi ans[]) {
        vi a(n);
        for (int i = 0; i < n; i ++)
                a[i] = i + 1;
        for (int i = 1; i <= n / 2; i ++) {
                ans[i].resize(n + 1);
                for (int j = 0; j < n / 2; j ++)
                        ans[i][j * 2] = a[j], ans[i][j * 2 +
                        \rightarrow 1] = a[n - 1 - j];
                int t = a[n - 1];
                for (int j = n - 1; j > 0; j --)
                        a[j] = a[j - 1];
                a[0] = t;
        }
}
void get_odd(int n, vi ans[]) {
        get_even(n - 1, ans);
        for (int i = 1; i <= n / 2; i ++) {
                for (int j = n - 1; j > 0; j --)
                        ans[i][j] = ans[i][j - 1] + 1;
                ans[i][0] = 1;
        }
}
int main() {
        vi ans[2019];
        int n; cin >> n;
        if (n & 1) get_odd(n, ans);
        else get_even(n, ans);
        return 0;
```

```
}
3.2 rec-free
/* 不存在四个 1 构成一个矩形, 并使得 1 尽量多, 输出 01 矩阵 */
#include <bits/stdc++.h>
using namespace std;
const int N = 200, n = 150, M = 13;
//M 为质数, N>M*M>n
int a[N][N], b[N][N], c[N][N];
void make() {
        for (int i = 1; i <= M; i ++)
        for (int j = 1; j <= M; j ++)</pre>
            a[i][j + 1] = M * (j - 1) + i;
    for (int i = 1; i <= M; i ++)</pre>
        for (int j = 1; j <= M; j ++)</pre>
            c[i][a[i][j]] = 1;
    for (int k = 1; k < M; k ++) {
        memcpy(b, a, sizeof b);
        for (int i = 1; i <= M; i ++)</pre>
            for (int j = 1; j <= M; j ++)
                a[i][j] = (b[i + j - 1 - ((i + j - 1)) > M?M
                 \rightarrow : 0)][j]);
        for (int i = 1; i <= M; i ++)
            for (int j = 1; j <= M; j ++)</pre>
                c[k * M + i][a[i][j]] = 1;
    }
}
int main() {
        make();
        return 0;
}
```

4 计算几何

4.1 最小矩形覆盖含凸包和旋转卡壳

```
* 最小矩形覆盖,保留六位小数,逆时针输出四个顶点坐标
*/
#include <bits/stdc++.h>
using namespace std;
namespace minRectCover {
        const int N = 1e5 + 5;
        const double eps = 1e-8;
        struct point{
                double x, y;
                point(){}
                point(double x, double y):x(x), y(y){}
                bool operator < (const point &a) const {</pre>
                        return fabs(y - a.y) < eps ? x < a.x:
                        \rightarrow y < a.y;
                }
                point operator - (const point &a) const {
                        return point(x - a.x, y - a.y);
                }
                point operator + (const point &a) const {
                        return point(x + a.x, y + a.y);
                }
                point operator / (const double &a) const {
                        return point(x / a, y / a);
                }
                point operator * (const double &a) const {
                        return point(x * a, y * a);
                }
                double operator / (const point &a) const { //
```

```
return x * a.x + y * a.y;
        }
        double operator * (const point &a) const { //
                return x * a.y - y * a.x;
        }
}p[N], q[N], rc[4];
double sqr(double x) {return x * x;}
double abs(point a) {return sqrt(a / a);}
int sgn(double x) {return fabs(x) < eps ? 0 : (x < 0 ?</pre>
\rightarrow -1 : 1);}
point vertical(point a, point b) {return point(a.x +
→ a.y - b.y, a.y - a.x + b.x) - a;}//与 ab 向量垂直的
→ 向量
point vec(point a) {return a / abs(a);}
void convexhull(int n, point *hull, int &top) {//如果
→ 要计算周长需要特判 n==2
        for (int i = 1; i < n; i ++)
                if (p[i] < p[0])</pre>
                         swap(p[i], p[0]);
        sort (p + 1, p + n, [\&] (point a, point b) {
                double t = (a - p[0]) * (b - p[0]);
                if (fabs(t) < eps) return sgn(abs(p[0]</pre>
                 \rightarrow -a) -abs(p[0] -b)) < 0;
                return t > 0;
        });
        int cnt = 0;//去重
        for (int i = 1; i < n; i ++)
                if (sgn(p[i].x - p[cnt].x) != 0 ||
                 \rightarrow sgn(p[i].y - p[cnt].y) != 0)
                         p[++ cnt] = p[i];
        n = cnt + 1;
        hull[top = 1] = p[0];
        for (int i = 1; i < n; i ++) {
                while (top > 1 && (hull[top] -
                 \rightarrow hull[top - 1]) * (p[i] -
                 → hull[top]) < eps) top --;</pre>
                hull[++ top] = p[i];
```

```
}
         hull[0] = hull[top];
}
void main() {
         int n;
         scanf("%d", &n);
         for (int i = 0; i < n; i ++)
                  scanf("%lf %lf", &p[i].x, &p[i].y);
         convexhull(n, q, n);
         double ans = 1e20;
         int l = 1, r = 1, t = 1;
         double L, R, D, H;
         for (int i = 0; i < n; i ++) {
                  D = abs(q[i] - q[i + 1]);
                  while (sgn((q[i + 1] - q[i]) * (q[t +
                  \rightarrow 1] - q[i]) - (q[i + 1] - q[i]) *
                  \rightarrow (q[t] - q[i])) > -1) t = (t + 1) %
                  \hookrightarrow n;
                  while (sgn((q[i + 1] - q[i]) / (q[r +
                  \rightarrow 1] - q[i]) - (q[i + 1] - q[i]) /
                  \rightarrow (q[r] - q[i])) > -1) r = (r + 1) %
                  \hookrightarrow n;
                  if (i == 0) 1 = r;
                  while (sgn((q[i + 1] - q[i]) / (q[1 +
                  \rightarrow 1] - q[i]) - (q[i + 1] - q[i]) /
                  \rightarrow (q[1] - q[i])) < 1) 1 = (1 + 1) %
                  \hookrightarrow n;
                  L = fabs((q[i + 1] - q[i]) / (q[1] -
                  \rightarrow q[i]) / D);
                  R = fabs((q[i + 1] - q[i]) / (q[r] -
                  \rightarrow q[i]) / D);
                  H = fabs((q[i + 1] - q[i]) * (q[t] -
                  \rightarrow q[i]) / D);
                  double tmp = (R + L) * H;
                  if (tmp < ans) {</pre>
                           ans = tmp;
                           rc[0] = q[i] + (q[i + 1] -
                           → q[i]) * (R / D);//右下
                           rc[1] = rc[0] +

    vec(vertical(q[i], q[i +

                           → 1])) * H;//右上
```

```
rc[2] = rc[1] - (rc[0] - q[i])
                                   \rightarrow * ((R + L) / abs(q[i] -
                                   → rc[0]));//左上
                                   rc[3] = rc[2] - (rc[1] -
                                   \rightarrow rc[0]);
                          }
                 }
                 printf("%.6f\n", ans);
                 int fir = 0;
                 for (int i = 1; i < 4; i ++)
                          if (rc[i] < rc[fir])</pre>
                                   fir = i;
                 for (int i = 0; i < 4; i ++)</pre>
                          printf("%.6f %.6f\n", rc[(fir + i) %

    4].x, rc[(fir + i) % 4].y);
        }
}
int main() {
        minRectCover::main();
        return 0;
}
```

5 其他

5.1 数字哈希

```
namespace my_hash {
       const int N = (1 << 19) - 1;//散列大小, 一定要取 2~k-1,
        → 不超内存的情况下, N越大碰撞越少
       struct E {
               int v;
               E *nxt;
       *g[N + 1], pool[N], *cur = pool, *p;
       int vis[N + 1], T;
       void ins(int v) {
               int u = v \& N;
               if (vis[u] < T) vis[u] = T, g[u] = NULL;</pre>
               for (p = g[u]; p; p = p \rightarrow nxt) if (p \rightarrow v ==

→ v) return;

               p = cur ++; p -> v = v; p -> nxt = g[u]; g[u]
                \rightarrow = p;
       }
       int ask(int v) {
               int u = v \& N;
               if (vis[u] < T) return 0;</pre>
               for (p = g[u]; p; p = p \rightarrow nxt) if (p \rightarrow v ==

→ v) return 1;

               return 0;
       }
       void init() {T ++, cur = pool;}//应对多组数据使用
}
5.2 海岛分金币
5.2.1 海岛分金币 1
非朴素模型,有额外条件:
每个人做决定时如果有多种方案可以使自己获得最大收益
那么他会让决策顺序靠前的人获得的收益尽可能的大!
solution:
贪心模拟
```

```
*/
#include <bits/stdc++.h>
#define v first
#define id second
using namespace std;
typedef pair<int, int> pr;
const int N = 1010;
int a[N][N];
pr b[N];
int n, m;
int main() {
   cin >> n >> m;
   a[1][1] = m;
   for (int i = 2; i <= n; i ++) {
       for (int j = 1; j < i; j ++)
           b[j] = pr(a[i - 1][j], j);
       sort (b + 1, b + i, [&](pr x, pr y){return x.v != y.v
        \rightarrow ? (x.v < y.v) : (x.id > y.id);});
       //按照是否容易满足来排序, 因为容易满足的人消耗掉的金币比
        → 较少,也就使得当前的人获利最大
       int s = m, nd = (i - 1) / 2;
       for (int j = 1; j < i && nd; j ++) {
           s = (a[i][b[j].id] = a[i - 1][b[j].id] + 1);
       if (s < 0) {
           for (int j = 1; j < i; j ++)
               a[i][j] = a[i - 1][j];
           a[i][i] = -1;
       }
       else {
           a[i][i] = s;
   for (int i = n; i; i --)
```

```
printf("%d ", a[n][i]);
   return 0;
}
5.2.2 海岛分金币 2
海盗分金币朴素模型:
n 个海盗分 m 个金币, 依次做决策, 如果不少于半数的人同意则方案通过,
→ 否则当前做决策的人会被淘汰 (收益视为-1), 由下一人做出决策
如果一个海盗有多种方案均为最大收益,那么他会希望淘汰的人越多越好
求出第 x 个做决策的海盗的最大可能受益和最小可能收益
*/
#include <bits/stdc++.h>
using namespace std;
struct node {
   int min_v, max_v;
   node():min v(0), max v(0) {}
   node(int min_v, int max_v):min_v(min_v), max_v(max_v) {}
};
node ask(int n, int m, int x) {//n 个人分 m 个金币, 第 x 个做决
→ 策的人最少/最多分到多少个金币
   int y = n + 1 - x;
   if (n >= (m + 2) * 2) {
       int a = (m + 1) * 2, b = 2, c = 4;
       //前 a 个为 [0,1], 后 b 个为 [0,0], 将持续 c 个
       while (a + b + c \le n) {
          a += b;
          b *= 2;
          c *= 2;
       if (y <= a) return node(0, 1);</pre>
       else if (y <= a + b) return node(0, 0);</pre>
       else return node(-1, -1);
   else if (n == m * 2 + 3) {
       if (x == 1) return node(-1, -1);
       else if (y <= m * 2 && y \% 2 == 1 || x == 2) return
       \rightarrow node(0, 0);
       else return node(0, 1);
   }
```

```
else if (n == m * 2 + 2) {
        if (y \le m * 2 \&\& y \% 2 == 1 || x == 1) return node(0,
        \rightarrow 0);
        else return node(0, 1);
    else if (n == m * 2 + 1) {
        if (y \le m * 2 \&\& y \% 2 == 1) return node(1, 1);
        else return node(0, 0);
    }
    else {
        if (x & 1) {
            if (x != 1) return node(1, 1);
            else return node(m - (n - 1) / 2, m - (n - 1) /

→ 2);
        else return node(0, 0);
    }
}
int main() {
    ios::sync_with_stdio(false);
    int x, n, m, k; node y;
    cin >> n >> m >> k;
    while (k --) {
        cin >> x;
        y = ask(n, m, x);
        printf("%d %d\n", y.min_v, y.max_v);
    }
    return 0;
}
/*
m = 5
1 5
2 0 5
3 1 0 4
4 0 1 0 4
5 1 0 1 0 3
6 0 1 0 1 0 3
7 1 0 1 0 1 0 2
8 0 1 0 1 0 1 0 2
9 1 0 1 0 1 0 1 0 1
10 0 1 0 1 0 1 0 1 0 1
```

```
11 1 0 1 0 1 0 1 0 1 0 0
12 0 _ 0 _ 0 _ 0 _ 0 _ 0
13 0 _ 0 _ 0 _ 0 _ 0 _ 0 _ 1
14 _ _ _ _ 0 0
15 _ _ _ _ 0 0 -1
16 _ _ _ _ _ 0 0 -1 -1
17 _ _ _ _ _ 0 0 -1 -1 -1
18 _ _ _ _ 0 0 0 0
19 _ _ _ _ 0 0 0 0 -1
20 _ _ _ _ 0 0 0 0 -1 -1
21 _ _ _ _ 0 0 0 0 -1 -1 -1
22 _ _ _ _ 0 0 0 0 -1 -1 -1 -1
23 _ _ _ _ _ _ _ _ _ _ _ _ 0 0 0 0 -1 -1 -1 -1 -1
24 _ _ _ _ _ _ _ _ _ _ _ 0 0 0 0 -1 -1 -1 -1 -1 -1
25 _ _ _ _ _ 0 0 0 0 -1 -1 -1 -1 -1 -1 -1
26 _ _ _ _ 0 0 0 0 0 0 0 0
*/
    根号枚举
5.3
for (int i = 1, last; i <= n; i = last + 1) {
      last = n / (n / i);
      //当前枚举区间为 [i, last]
}
5.4 读入输出外挂
namespace IO {//only for int!!!
   static const int SIZE = 1 << 20;
   inline int get_char() {
      static char *S, *T = S, buf[SIZE];
      if (S == T) {
         T = fread(buf, 1, SIZE, stdin) + (S = buf);
         if (S == T) return -1;
      }
      return *S ++;
   }
   inline void in(int &x) {//for int
      static int ch;
      while (ch = get_char(), ch < 48);x = ch ^48;
      while (ch = get_char(), ch > 47) x = x * 10 + (ch ^ )

→ 48);
```

```
}
    char buffer[SIZE];
    char *s = buffer;
   void flush() {//最后需要 flush!!
        fwrite(buffer, 1, s - buffer, stdout);
        s = buffer;
        fflush(stdout);
    }
    inline void print(const char ch) {
        if(s - buffer > SIZE - 2) flush();
        *s++ = ch;
    }
    inline void print(char *str) {//for string
       while(*str != 0)
           print(char(*str ++));
   }
    inline void print(int x) {
        static char buf[25];
        static char *p = buf;
        if (x < 0) print('-'), x = -x;
        if (x == 0) print('0');
        while(x) *(++ p) = x \% 10, x /= 10;
        while(p != buf) print(char(*(p --) ^ 48));
   }
};
5.5 给定小数化成分数
# 本题答案的分母不超过 1e9, 给定小数的小数点位为 18 位
inf, inff = 10 ** 9, 10 ** 18
for i in range(int(input())):
  n = int(input()[2:])
  if n == 0: print('0 1')
   else:
     lp, lq, rp, rq = 0, 1, 1, 1
     while max(lq, rq) <= inf:</pre>
        mp, mq = lp + rp, lq + rq
         if mp * inff <= mq * n:</pre>
           1, r, mid, cnt = 1, (inf - lq) // rq + 1, -1, -1
```

```
while 1 <= r:
         mid = l + r >> 1
         if (lp + rp * mid) * inff <= (lq + rq * mid) *
            cnt, 1 = mid, mid + 1
         else:
            r = mid - 1
         lp, lq = lp + rp * cnt, lq + rq * cnt
    else:
      1, r, mid, cnt = 1, (inf - rq) // lq + 1, -1, -1
      while 1 <= r:
         mid = 1 + r >> 1
         if (rp + lp * mid) * inff > (rq + lq * mid) *
            cnt, l = mid, mid + 1
         else:
            r = mid - 1
      rp, rq = rp + lp * cnt, rq + lq * cnt
if lq <= inf: print(lp, lq)</pre>
else: print(rp, rq)
```