

Lab 5 Report

Channel Coding

Author: B08901049 Yuan-Chia Chang

Instructor: Professor Hao-Chung Cheng

TA: Yuan-Pon Chen

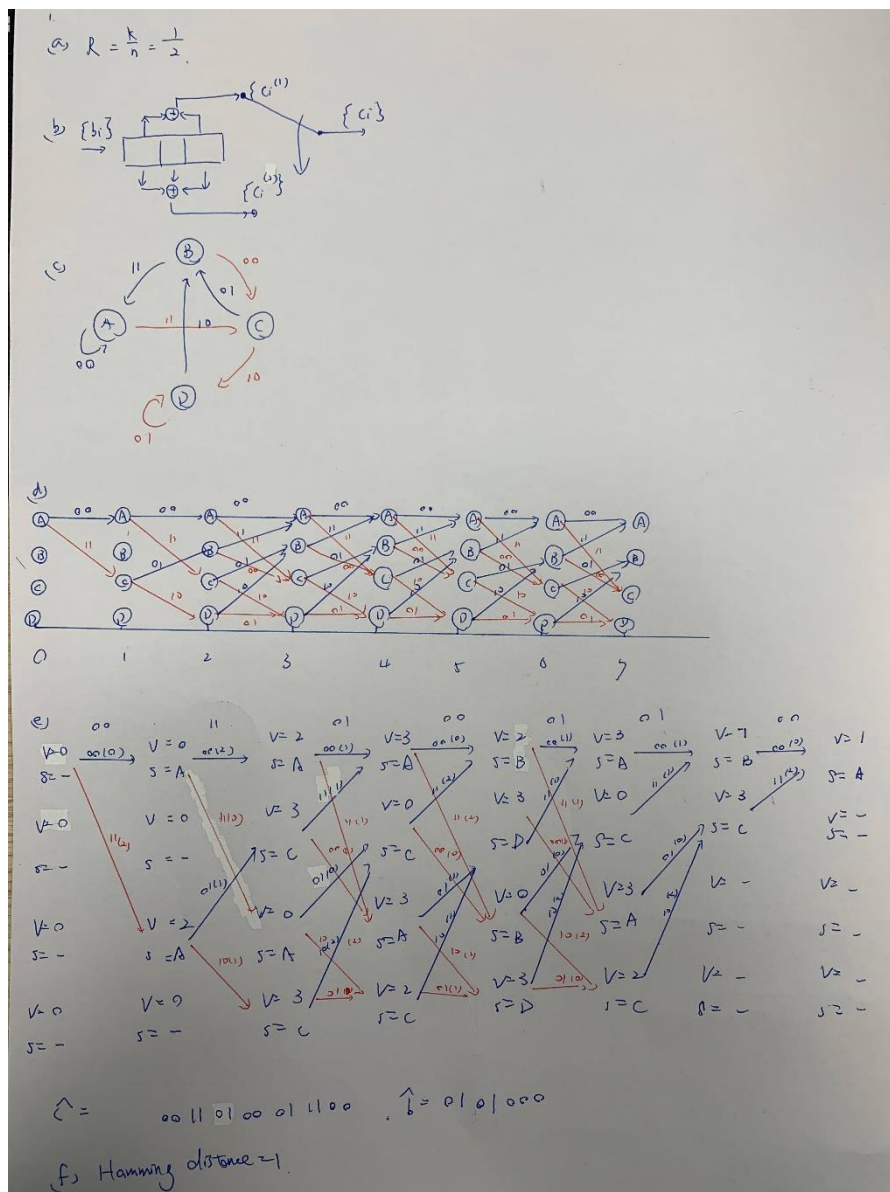
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Contact: b08901049@ntu.edu.tw

Collaborator: B08901002 Chen-Han Lin, B08901209 Yu-Hsiang Lin

Q1.



Q2

(a)

1 1 1 0 0 1 1 0 0 1 1 0 0 1 0

Which is the same taught in class.

(b)

The decoded bit is

0 0 0 1 0 0 0

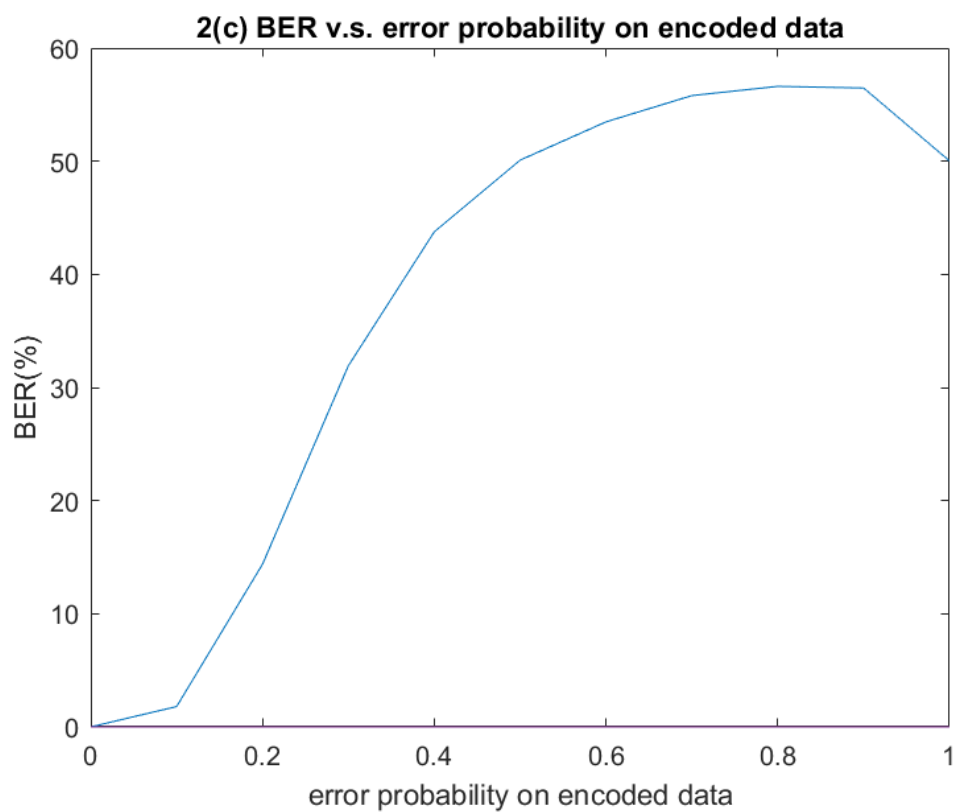
For 1(e)

The decoded bit is

0 1 0 1 0 0 0

Which is the same with 1(e).

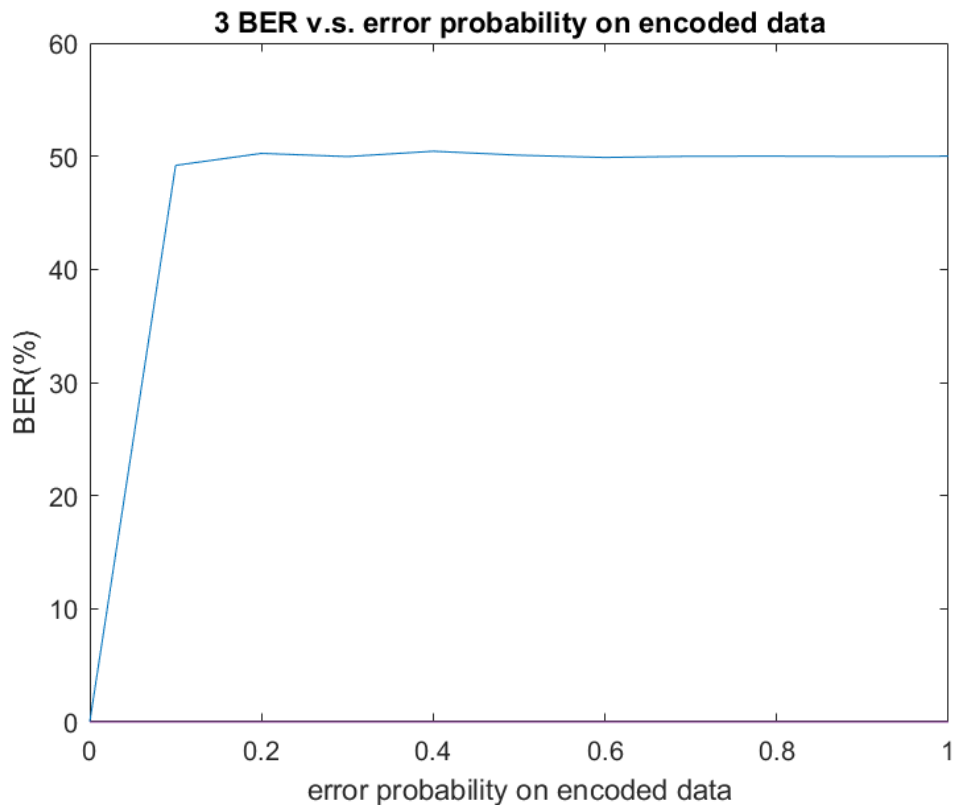
(c)



When $p > \frac{1}{2}$, BER is higher but appropriately 50%. For $p = 1$, BER is exactly 50%.

The reason that large p leads BER to 50% but not 100% is large p makes the encoded bit sequence meaningless, hence the decoded bit sequence is random compared to the original bit sequence. Hence BER = 50%.

Q3



In 2(c). BER increases slowly when p is small, and beyond 50% when $0.6 \leq p \leq 0.9$.

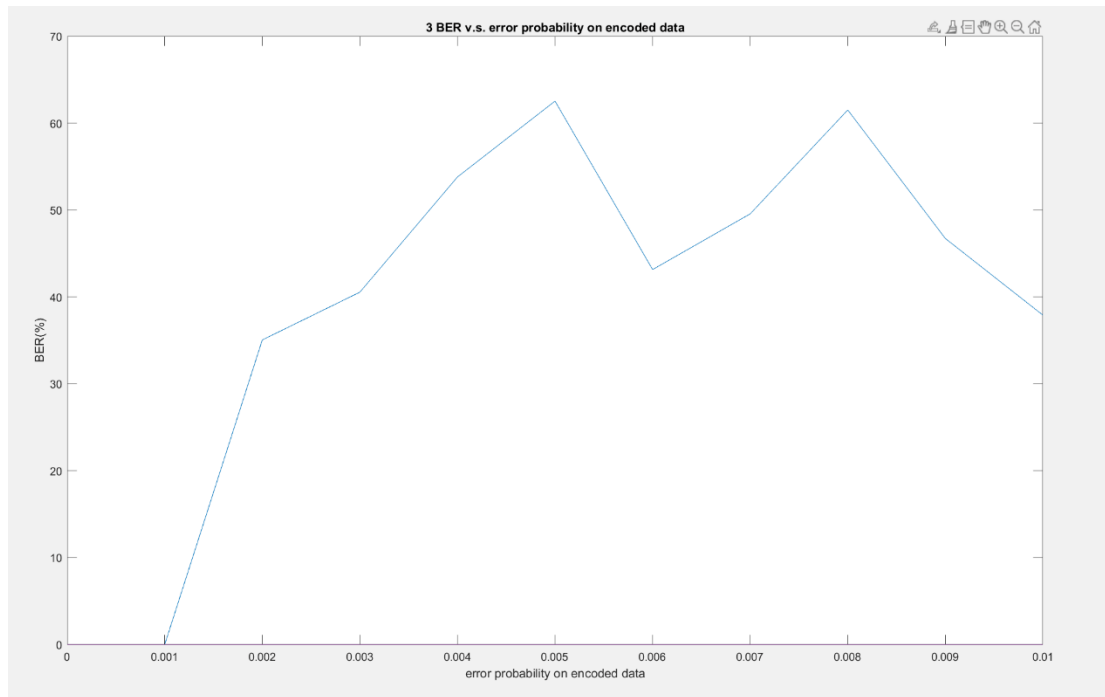
In Q3, BER jumps to 50% when $p = 0.1$ and maintains 50 % when $0.2 \leq p \leq 1$. The

reason is that in Q3, $R = \frac{k}{n} = \frac{1}{2}$. Channel coding adds less redundant bits in encoded

bit sequence, the ability to against the noise is worse than the encoded bit sequence

in 2(c), which $R = \frac{k}{n} = \frac{1}{3}$. To verify my assumption, let error probability from 0.001 to

0.01, and the result shows below.



For p smaller than 0.004, BER is not always 50%. However, when $p = 0.002$, $\text{BER} = 35\%$, which is much larger than p , which means that channel coding in Q3 is not a good approach because little corruption in encoded bit leads to huge BER.

Appendix

Code

<https://github.com/yuanchiachang/CommLab/blob/main/Lab5/src>