

Výsledky a rěšení zkousky LSP — 13. ledna 2026

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中文版 | English | Čeština

Course: B0B35LSP – Logické systémy a procesory | BE5B35LSP – Logic Systems and Processors

Keywords: Zkouska, Exam, Test, Solutions, Výsledky, Answers, K-Map, RS Latch, Pipeline

Oficiální výsledky + detailní rěšení

Source PDF (official sheet): 2026–01–13_Exam_Results_Official.pdf

Poznámky: The PDF contains diagrams (circuits/K-maps). Text extraction preserves most official answers, but some purely-graphical parts (notably Q6/Q7 drawings) may not appear as plain text. When a diagram answer is not fully extractable, this document links back to the PDF and provides a robust solving method.

Úloha 1 — Moore/Mealy FSM ordered tuple

Oficiální odpověď (from PDF)

- X is finite set of all input vectors
- S is finite set of all output vectors
- Z is finite set of all internal states
- δ is a mapping
 - Moore: $\delta : X \times S \rightarrow S$
 - Mealy: $\delta : X \times S \rightarrow Z$
- ω is a mapping
 - Moore: $\omega : S \rightarrow Z$
 - Mealy: $\omega : X \times S \rightarrow Z$
- s_0 is initial state $s_0 \in S$

Vysvětlení (how to write it fast)

- Moore: output depends only on state S .
 - Mealy: output depends on input+state $X \times S$.
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Úloha 2 — Simulate circuit outputs X and Y at $t_0..t_4$

Oficiální odpověď (from PDF)

Inputs (as shown): – $A: 0 \mid 1 \mid 1 \mid 0 \mid 0$ – $B: 1 \mid 1 \mid 0 \mid 0 \mid 1$

Outputs: – $X: 0 \mid 1 \mid 1 \mid 1 \mid 0$ – $Y: 1 \mid 0 \mid 0 \mid 0 \mid 1$

Vysvětlení (why these values)

From the official Q3 formula for the same circuit (see next question), we can interpret X as a **level-sensitive latch** controlled by B : – If $B = 1$ then X follows A (transparent) – If $B = 0$ then X holds its previous value (memory)

So: – t_0 : $B = 1 \Rightarrow X = A = 0$; and the given result shows $Y = \neg X = 1 - t_1$:
 $B = 1 \Rightarrow X = A = 1$; $Y = 0 - t_2$: $B = 0 \Rightarrow X$ holds 1; $Y = 0 - t_3$: $B = 0 \Rightarrow X$ still holds 1; $Y = 0 - t_4$: $B = 1 \Rightarrow X = A = 0$; $Y = 1$

Úloha 3 — Shannon expansion + Karnaugh maps (f_0, f_1)

Oficiální odpověď (from PDF)

The official expression shown:

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$$X = (A \wedge B) \vee (X \wedge (\neg B \vee (A \wedge B)))$$

And: – $f_0 = A \wedge B$ – $f_1 = (A \wedge B) \vee (\neg B \vee (A \wedge B)) = (A \wedge B) \vee \neg B = A \vee \neg B$

Vysvětlení (copy-paste method)

Given $X = f(A, B, X)$, Shannon on variable X :

$$X = (\neg X \wedge f_0(A, B)) \vee (X \wedge f_1(A, B))$$

Compute by substitution: – $f_0(A, B) = f(A, B, 0) - f_1(A, B) = f(A, B, 1)$

Then simplify: – $f_1 = (A \wedge B) \vee \neg B = A \vee \neg B$ (absorption)

Interpretation shortcut: – When $B = 1$: $f_1 = A \vee 0 = A$ so X becomes A (transparent) – When $B = 0$: $f_1 = A \vee 1 = 1$ so X becomes X (hold)

Úloha 4 — 12-bit number as unsigned and signed (two's complement)

Number: 1000 0001 1111

Oficiální odpověď (from PDF)

- Unsigned: 2079
- Signed (two's complement): -2017

Vysvětlení

Let $N = 12$, unsigned value: – $1000\ 0001\ 1111_2 = 2^{11} + 2^4 + 2^3 + 2^2 + 2^1 + 2^0 = 2048 + 31 = 2079$

Two's complement signed: – MSB is 1 so it is negative –

$$\text{signed} = \text{unsigned} - 2^{12} = 2079 - 4096 = -2017$$

Úloha 5 — Equivalent logic functions

The PDF text extraction shows the four candidate functions ($y_1 \dots y_4$), but does not explicitly print the “marked” selection.

Ověřená ekvivalence (by exhaustive truth-table check)

- $y_1 \equiv y_2 \equiv y_4$
- y_3 is not equivalent to them

Pravdivostní tabulky (ordered by A, B, C from 000 to 111): – y_1 : 11011000 – y_2 : 11011000 – y_4 : 11011000 – y_3 : 01011100

So the correct “mark” set is: y_1, y_2, y_4 .

Úloha 6 — One-bit full adder (complete the schema)

The PDF page shows a schematic to be completed; the exact gate drawing may not appear in plain text extraction.

Standard correct completion (equations)

Let inputs be A, B, C_{in} and outputs be Sum S and Carry-out C_{out} :

- $S = A \oplus B \oplus C_{in}$
- $C_{out} = (A \wedge B) \vee (C_{in} \wedge (A \oplus B))$

Wiring hint

- First XOR: $X_1 = A \oplus B$
 - Second XOR: $S = X_1 \oplus C_{in}$
 - ANDs: $G_1 = A \wedge B, G_2 = C_{in} \wedge X_1$
 - OR: $C_{out} = G_1 \vee G_2$
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Úloha 7 — Gate-only implementation (AND/NAND/OR/NOR/NOT)

The official result for Q7 is primarily diagrammatic in the PDF. If you need an exact “final wiring”, refer to the diagram in: – 2026–01–13_Exam_Results_Official.pdf

Reliable solving method

- Rewrite everything into only **NAND** (or only **NOR**) using De Morgan
 - Replace XOR/XNOR using standard NAND/NOR constructions
 - Keep track of inversions (bubble–pushing)
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Úloha 8 — 5 pipeline instruction phases + operations

Oficiální odpověď (from PDF)

- **FETCH** — fetches an instruction from memory.
- **DECODE** — the instruction is decoded and operand values are read from registers.
- **EXECUTE** — ALU performs an operation on decoded operands.
- **MEMORY** — possible work with memory; read/write using ALU address; if branch then write new address to PC.
- **WRITE-BACK** — results are saved in registers.

Exam-friendly wording

- IF / ID / EX / MEM / WB (the classic 5-stage pipeline naming)
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Príloha — How Q5 equivalence was checked

A brute-force truth table over all $A, B, C \in \{0, 1\}$ shows $y_1 = y_2 = y_4$ for all 8 combinations.