

# Towards deeper understandings of deep learning

Yuanzhi Li

Stanford University

date: Today

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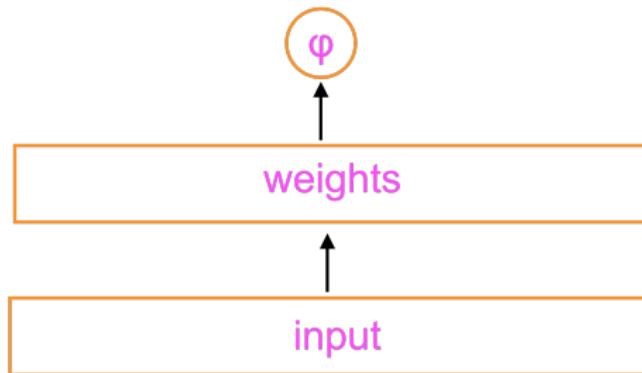
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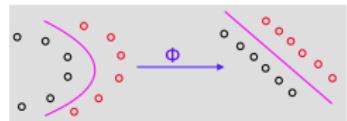
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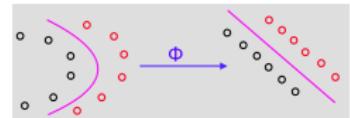
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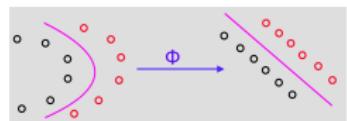
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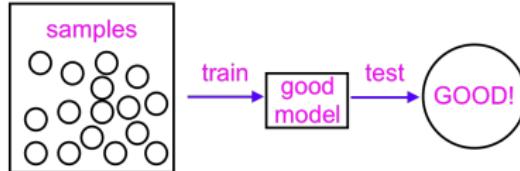
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- Convex optimization (training time bounds).
- VC theory (sample complexity and generalization).



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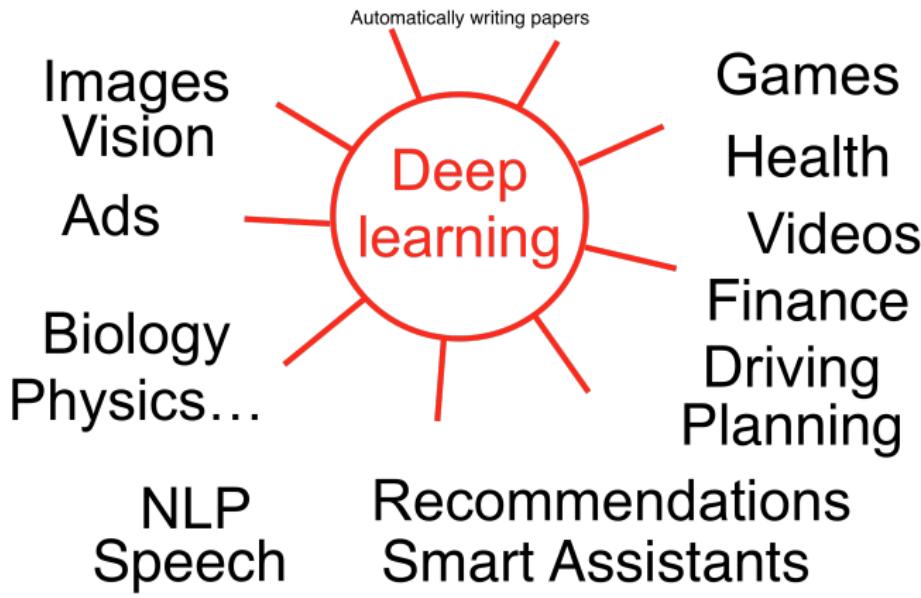
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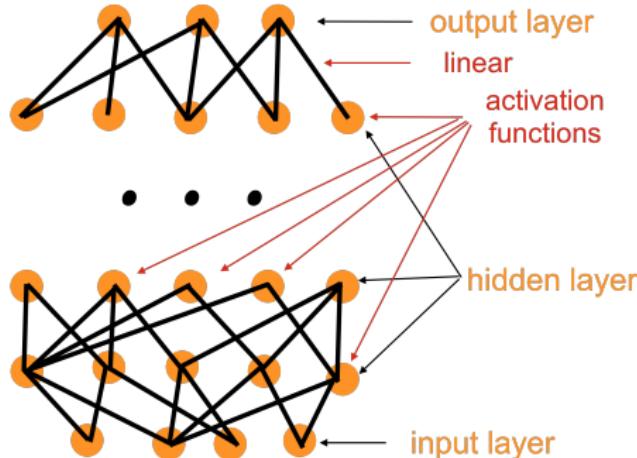
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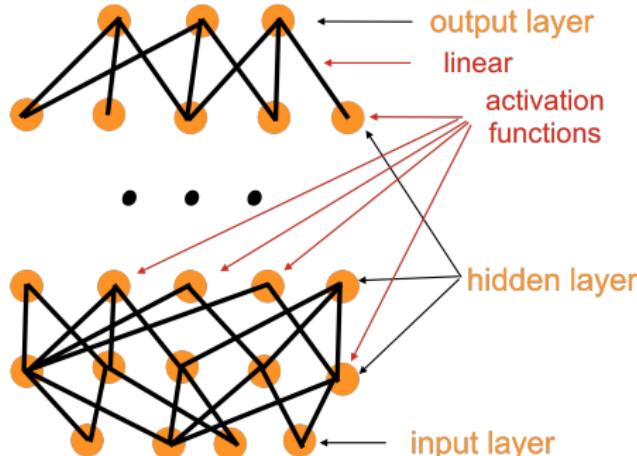
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- In this talk, I will particularly focus on neural networks with **ReLU** activations.

ReLU

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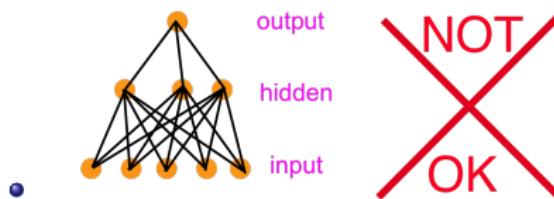
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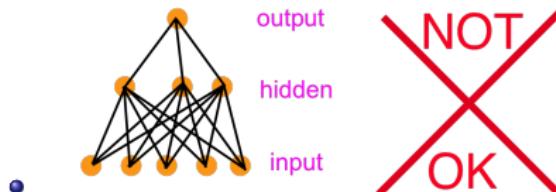
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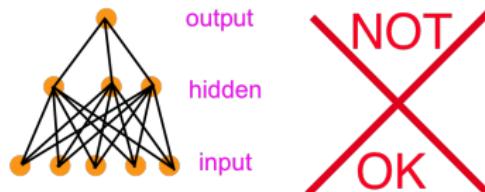
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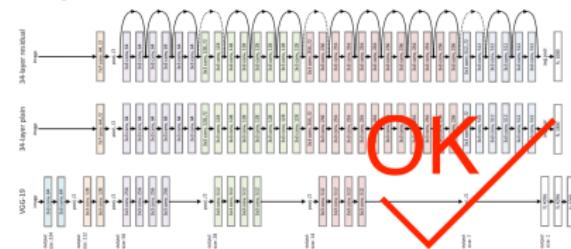
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Face  
recognition

- Makes the theoretical work even harder (understand the universality of SGD).

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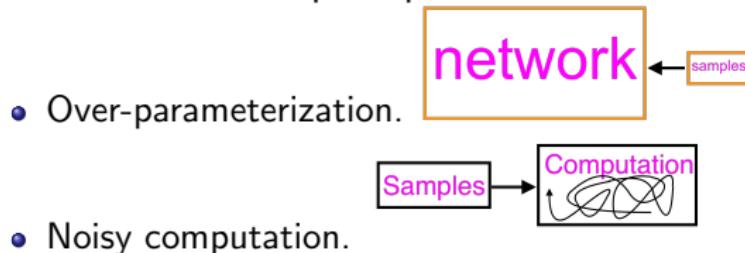
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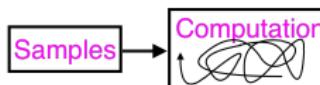
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- Over-parameterization.



- Noisy computation.
- And how can they help in learning neural networks, **provably**.

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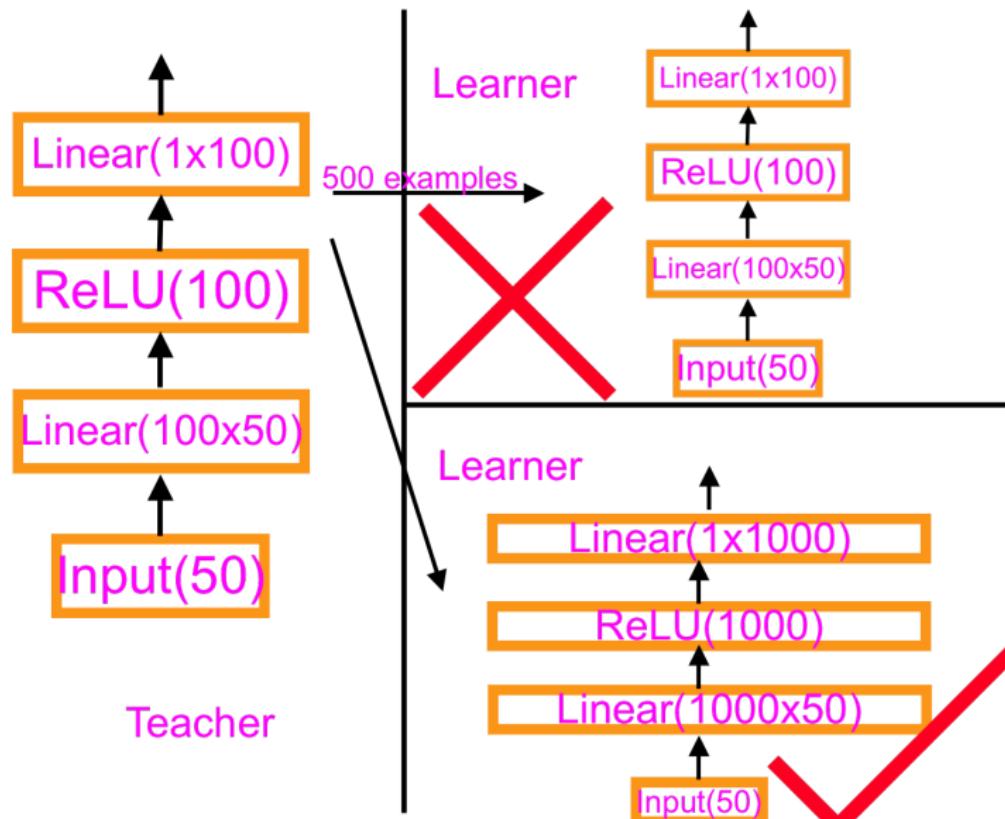
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- Improves both the training and generalization.
- And it improves the theory.

# Folklore example for training.



## Example for generalization

Widen factor	Number of parameters	Test error
1	0.6M	6.85
2	2.2M	5.33
4	8.9M	4.97
8	36.5M	4.66

Table: Depth 40 WideResNet on CIFAR-10 (0.05M training examples), training errors are all 0.

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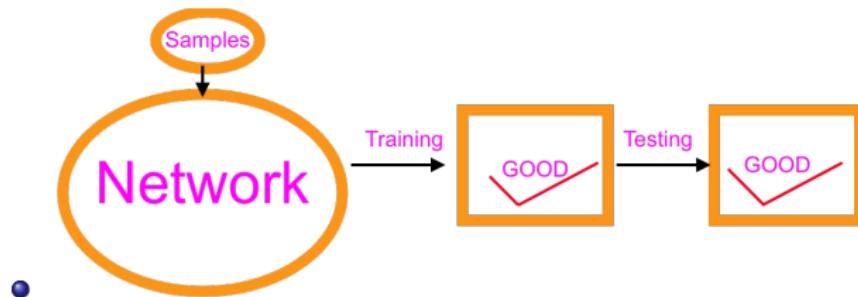
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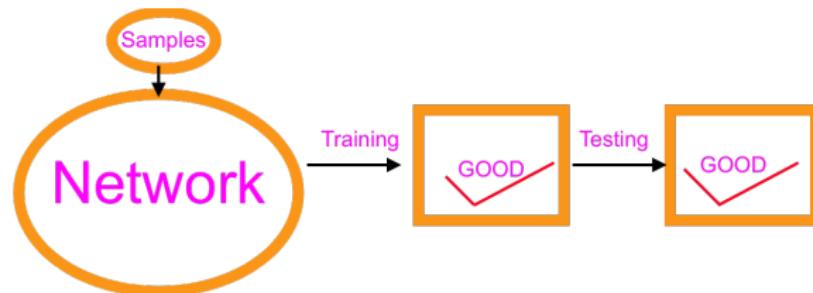
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- We begin with our theorem for (1), then we will see (2) as well.

# Our Theorem

Theorem (Sketched, (LL'18, ALS'18a,b))

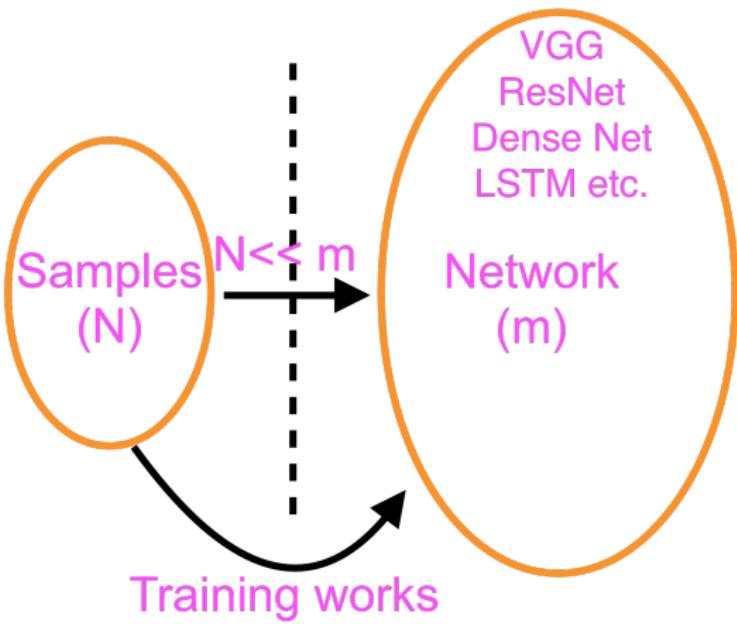
*Given  $N$  different training examples  $x_1, \dots, x_N$  with labels  $y_1, \dots, y_N$ , then for every  $\varepsilon > 0$ , as long as the number of neurons ( $m$ ) in the network satisfies*

$$m \geq \text{poly}(N \log(1/\varepsilon))$$

*then SGD starting from gaussian random initialization finds an  $\varepsilon$ -approximate global optimal of the training objective in time  $\text{poly}(m/\varepsilon)$ .*

The theorem holds for multi-layer DNNs, CNNs, ResNet and Recurrent Neural Networks (all with ReLU activation functions), the training loss can be given by  $\ell_2$  loss, cross entropy etc.

# Our theorem by picture



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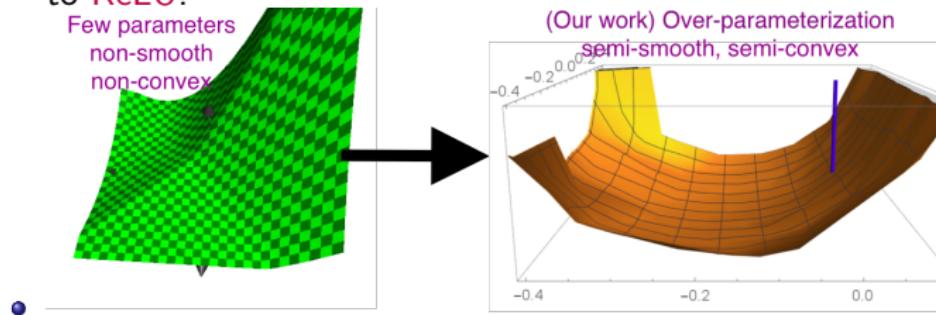
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# Intuition

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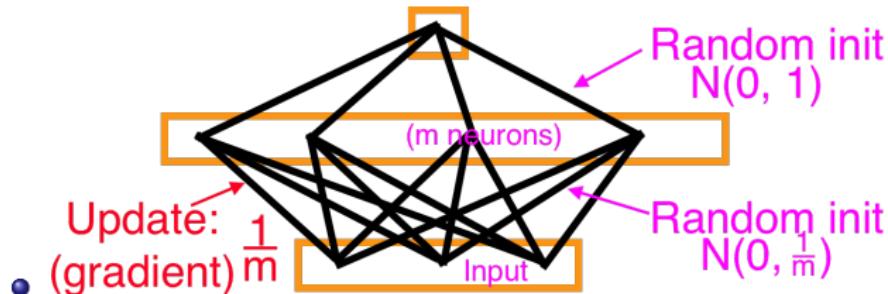
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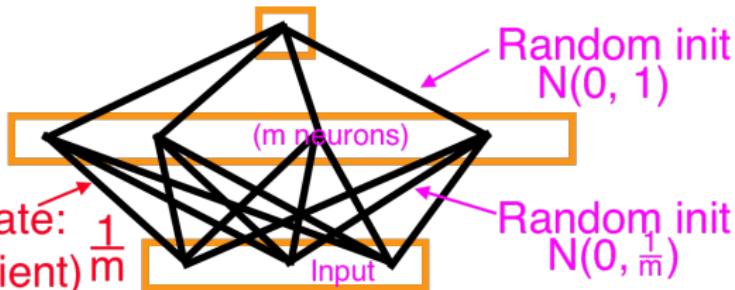
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- Sign controlled by the noise in SGD (principle of noisy computation).

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  - More importantly, **SGD can find** such (over)fitting.

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  - What about generalization?
- The empirical example (ZBHR'16), that is also proved by our theorem.
  - Over-parameterized networks (AlexNet) can fit CIFAR-10 data with **random labels**.
  - The **capacity** of the model is **way larger** than the total number of training examples.
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- So why does the solution found by **SGD** still generalize?

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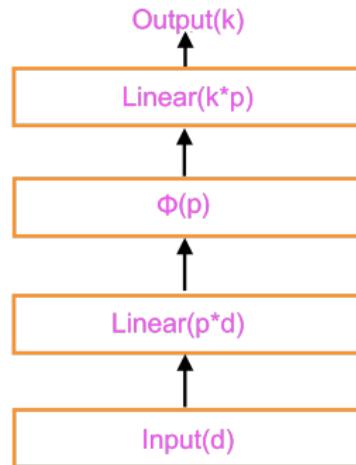
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- The **inductive bias** of SGD: SGD usually biases towards **generalizable** solutions instead of the solutions that simply memorize the training data.
  - We are going to prove these claims for certain neural networks.
  - We start with two layer networks, and then multi-layer ones.

# Labels are not random? (Two layer networks)

- Assume that the labels are realizable by a simple neural network:

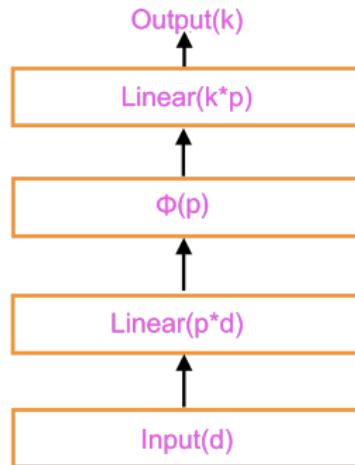
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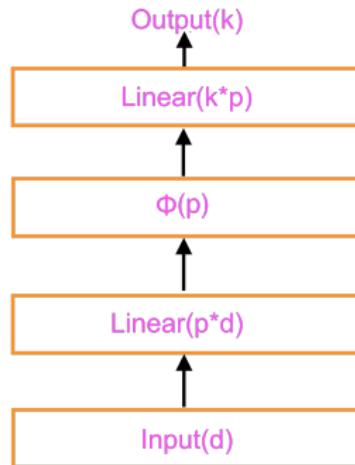
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- Two-layer network with  $p$  hidden neurons, where  $p$  is something small (e.g. 100).  $\Phi$  is a smooth activation function (such as  $\sin$ ,  $\cos$ ,  $\exp$ ,  $\tanh$ , *sigmoid*, and low degree polynomials).

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- Such that the average loss of this network on the **training data set** is  $\leq \varepsilon$ .

# Our Theorem

Theorem (Sketched (LL'18, ALL'18))

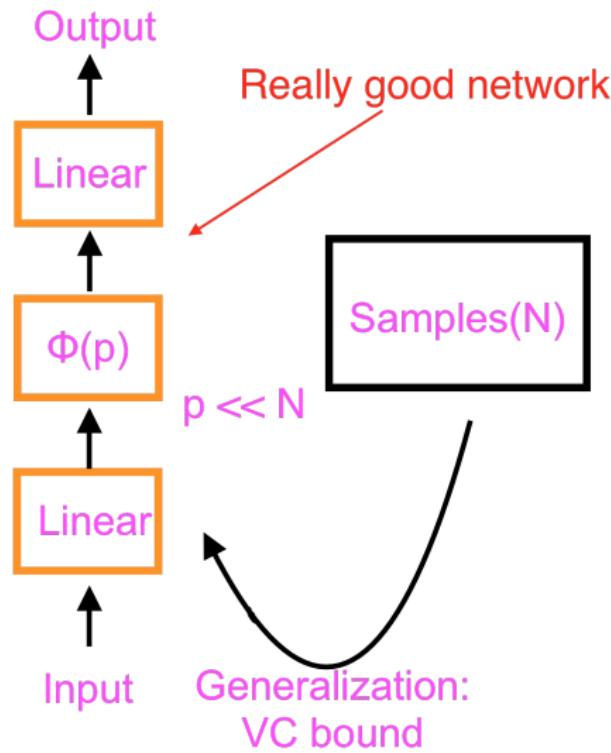
Suppose the labels of the data can be realized as in the previous slides, then as long as the number of training examples  $N$  satisfies:

$$N \geq \text{poly}(kp/\varepsilon) \times \text{poly}(\log(m))$$

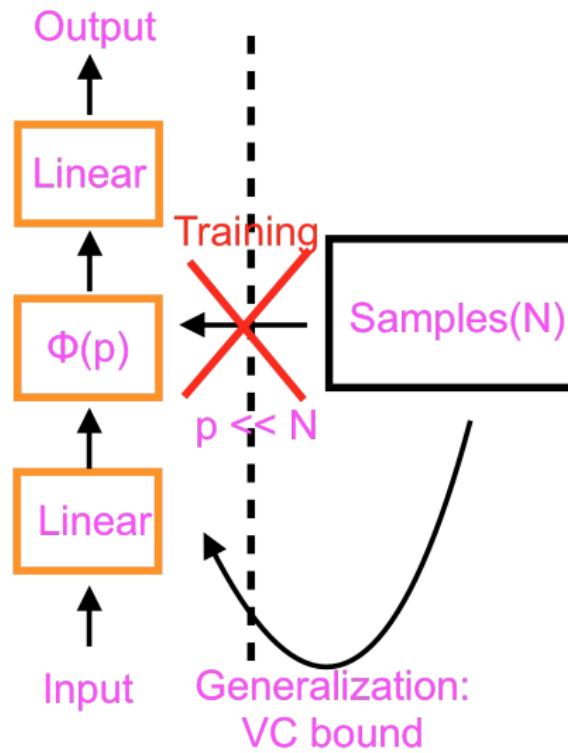
Then **SGD** on a two layer neural network (with  $m$  neurons and **ReLU** activation functions) finds a solution with **generalization gap**  $\leq \varepsilon$  in time  $\text{poly}(m/\varepsilon)$ .

**Generalization gap** = average error on test data - average error on training data.

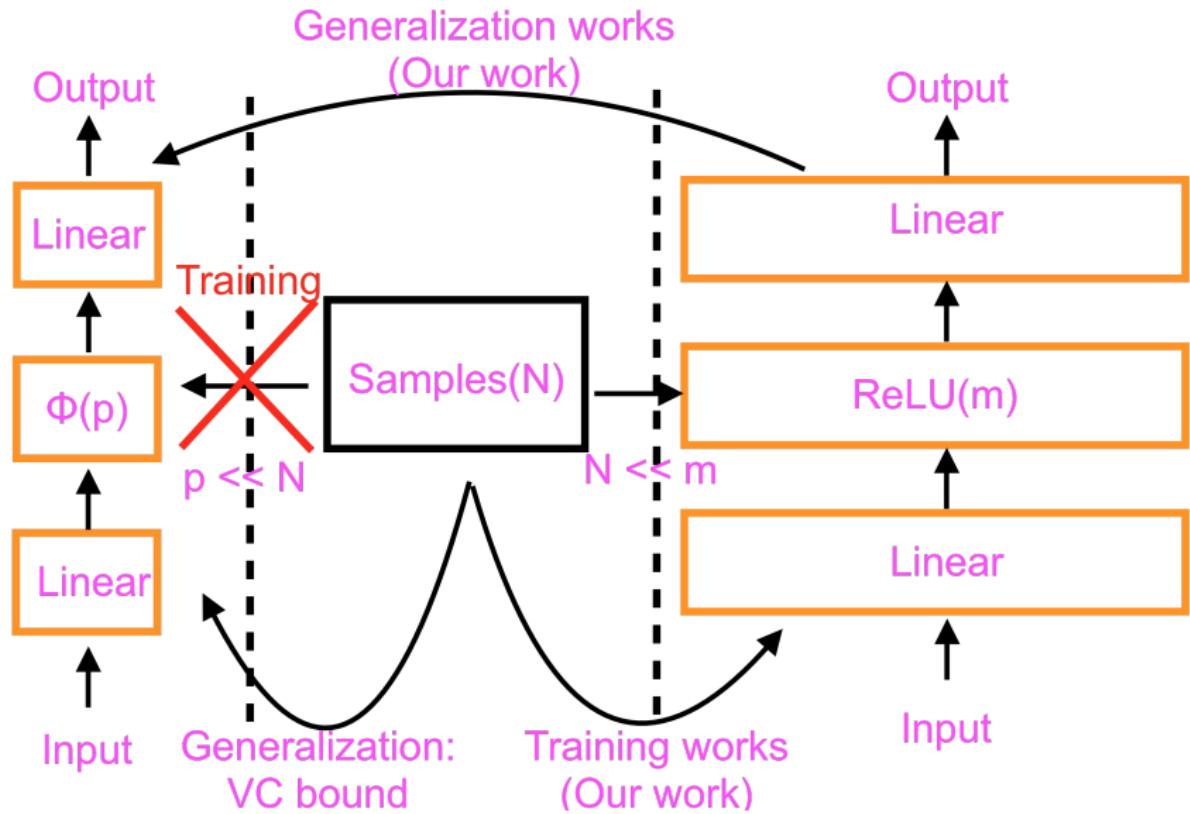
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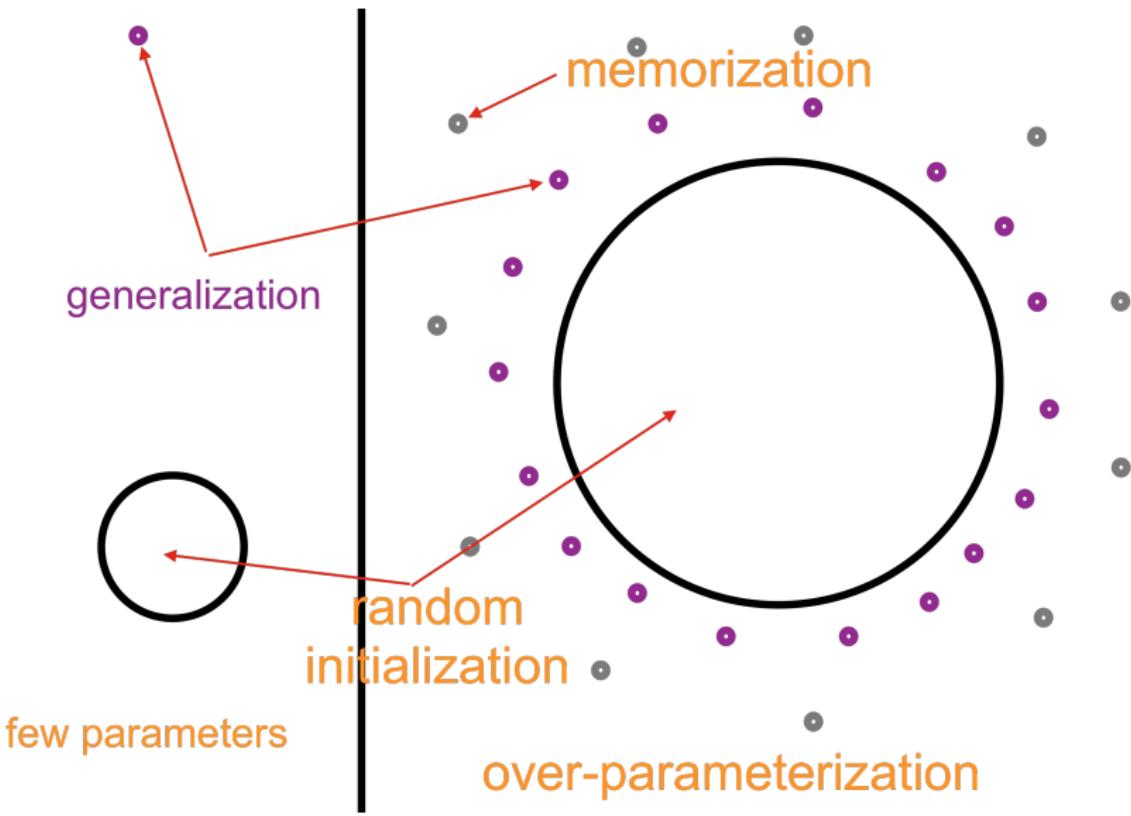
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- We are training a network with  **$1M$**  parameters to match the performance of a network with  **$1K$**  parameters, and that is **easy!**
- This is what behind the principle of over-parameterization.

# Intuition



## Generalization

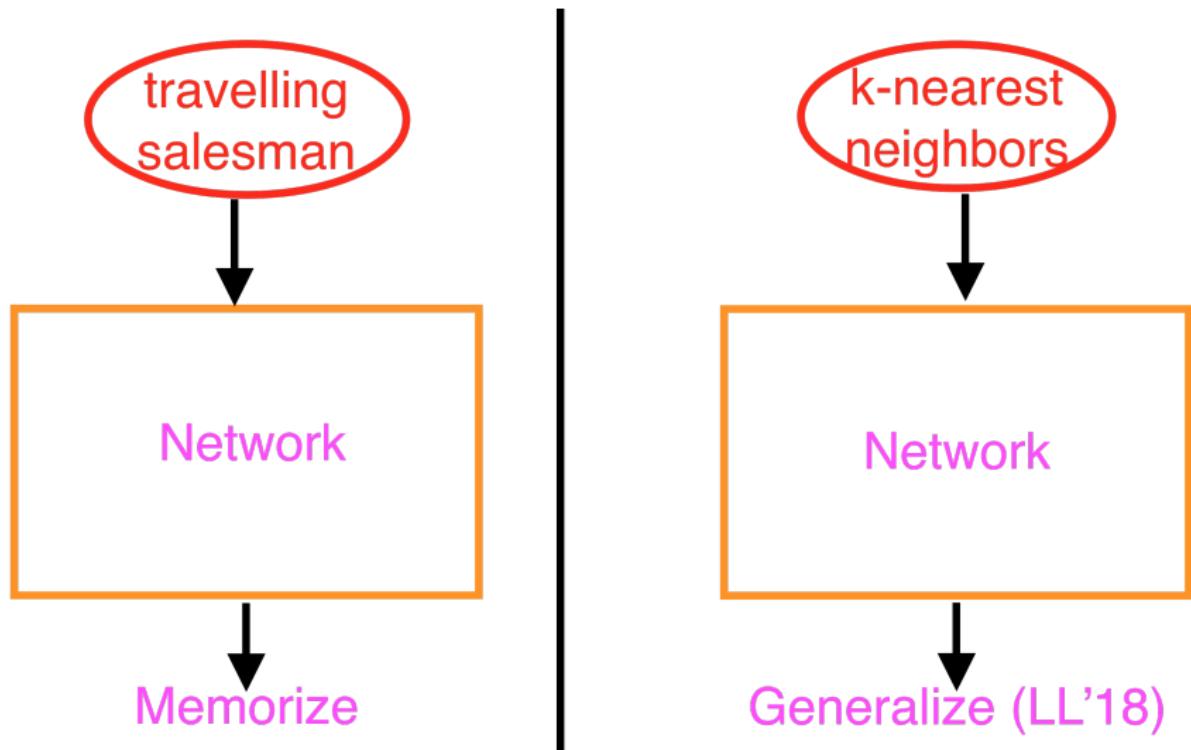
$y = \cos(x)$

Simple!

## Memorization

if  $x = 1$ ,  $y = 0.54$   
if  $x = 2$ ,  $y = -0.42$   
if  $x = 3$ ,  $y = -0.99$   
if  $x = 4$ ,  $y = -0.65$   
if  $x = 5$ ,  $y = 0.28$   
if  $x = 6$ ,  $y = 0.96$   
if  $x = 7$ ,  $y = 0.75$   
if  $x = 8$ ,  $y = -0.15$   
if  $x = 9$ ,  $y = -0.91$   
if  $x = 10$ ,  $y = -0.84$

I gave up typing  
those things...  
too tired...



Existence of small networks is somewhat necessary

# Networks with more hidden layers?

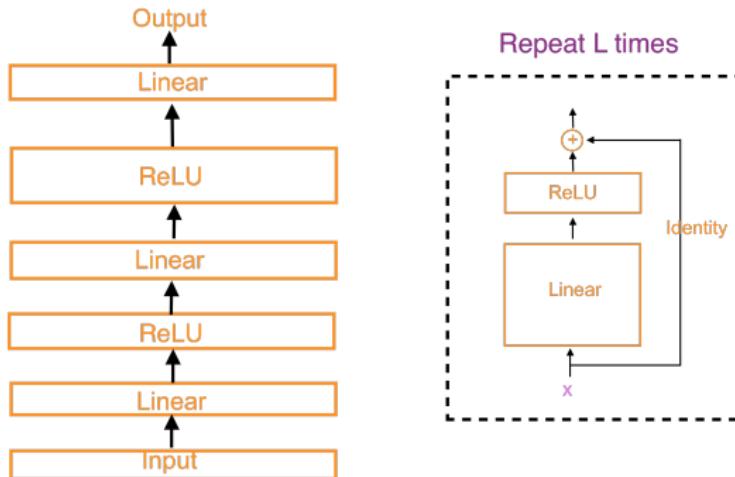
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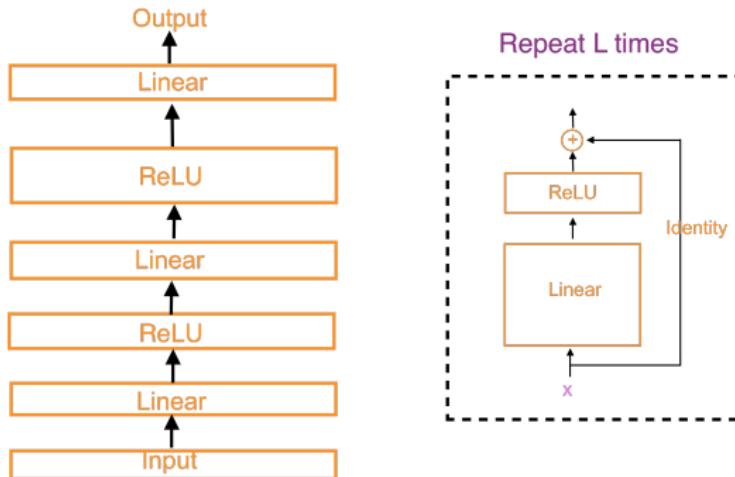
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- Message: depth **provably** matters.

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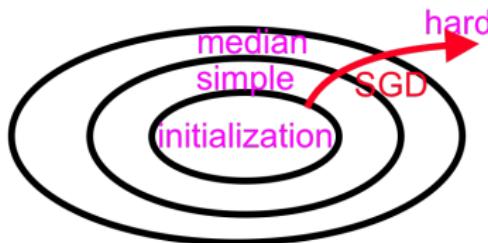
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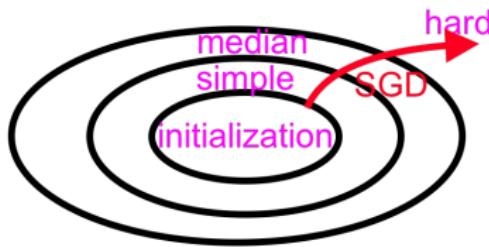
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- Question: Does this bias always lead to best generalization? Can we do better?

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# SGD with different learning rates



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- Training loss of using large learning rate + learning rate decay and using small learning rate are all close to zero.

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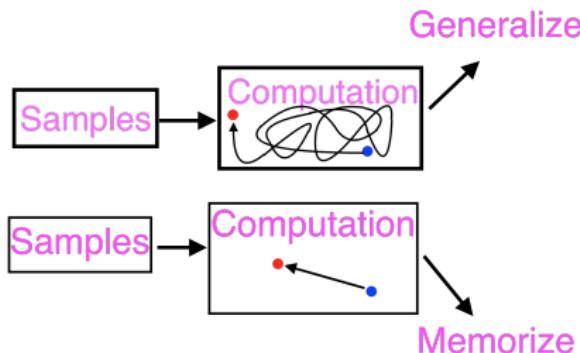
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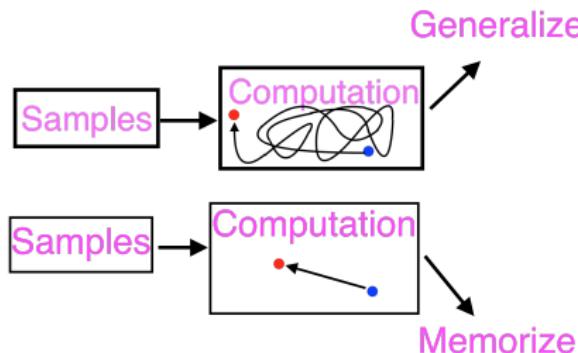
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- But why?

# Our current work

- The principle of “noisy computation”:

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- The principle of “noisy computation”:
- On certain data sets, when training a neural network using SGD, large learning rate + learning rate decay provably generalizes better than small learning rate.

## Example of the data set

- Texts labeled as happy:

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- Texts labeled as happy:
  - I am so happy 😊

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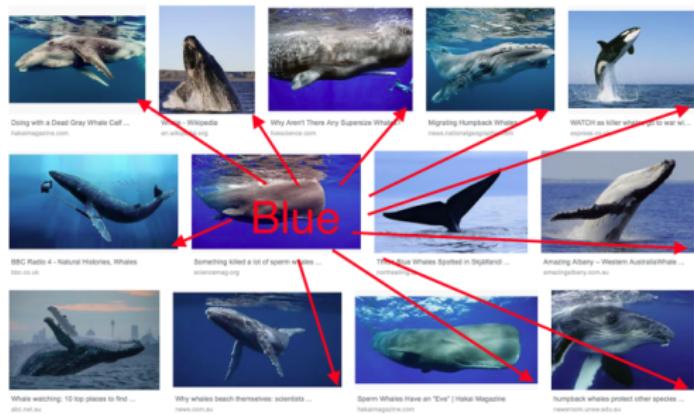
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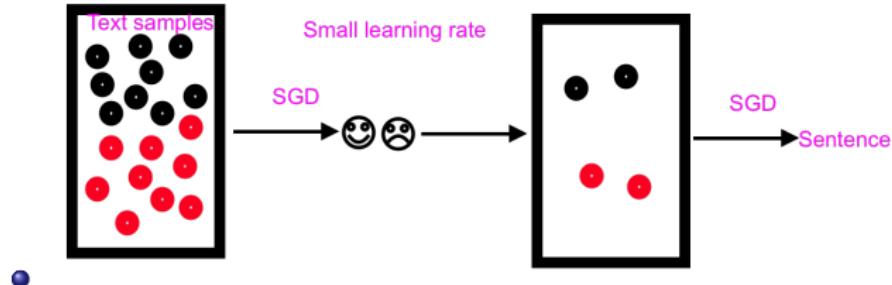
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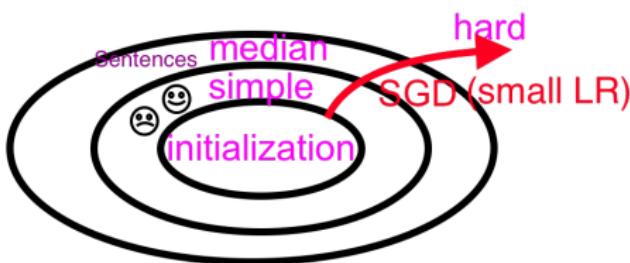
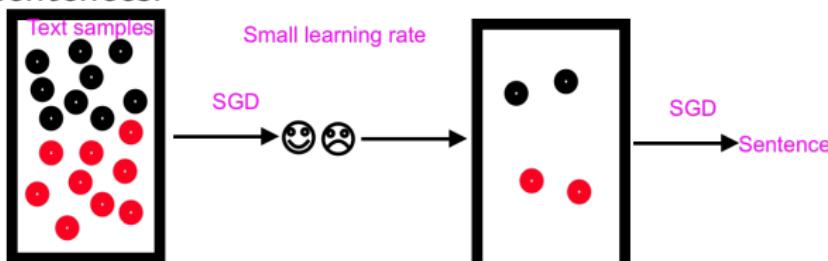
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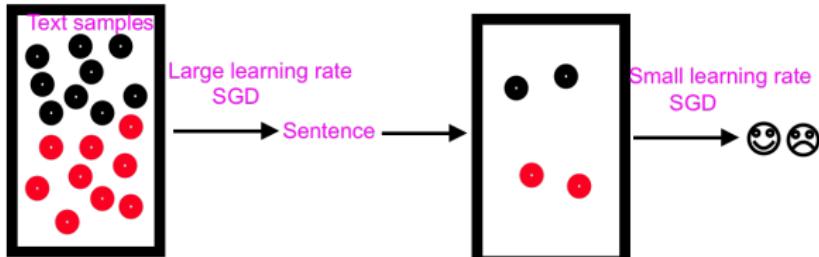


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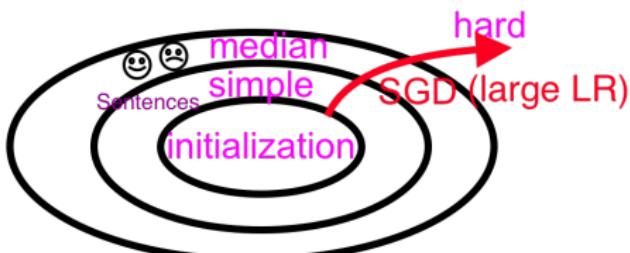
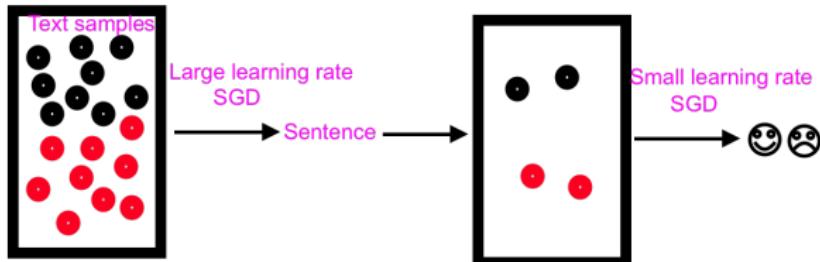
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- Remark:  $\langle w, x \rangle$  can be replaced by two layer networks.

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Given  $N \approx p/\tau$  training examples, at training error (two layer neural network with **ReLU** activation)  $\tau^2$  for the cross entropy loss:

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- When  $N \gg p$ , they both generalize (as shown in the principle of over-parameterization), but SGD with large learning rate + learning rate decay generalizes even better.

## Generalization:

```
def TTI_talk_example(x):
    x = x^2
    x = x + 10
    x = x*3
    x = x^(1/3)
    x = x - 3
    return x
```

## Memorization:

```
def TTI_talk_example(x):
    if x = 1, return 0.2
    if x = 2, return 0.48
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```

SGD with  
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I like this one!

## Generalization:

```
def TTI_talk_example(x):
    x = x^2.03
    x = x + 10.04
    x = x*3.02
    x = x^(1/3.01)
    x = x - 3.05
    return x
```

SGD with  
large learning rate  
(noisy)

## Memorization:

```
def TTI_talk_example(x):
    if x = 1.02 , return 0.2
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    if x = 3.01 , return 0.84
```

?????

almost correct

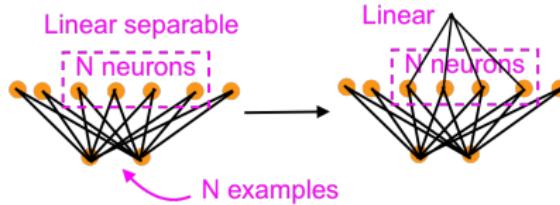
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# Principle of “noisy computation”

- Memorization in neural network: when  $m \gg N$ , by chance there will be  $N$ -neurons in the network that maps all data to **linear independent positions**. (Geometry of ReLU Lemma in [LL'18, ALS'18(a,b)])

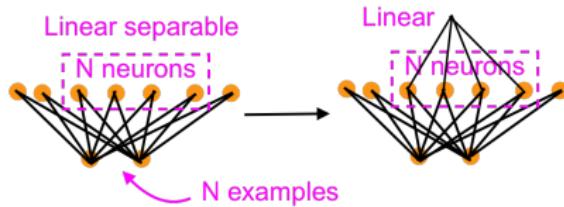
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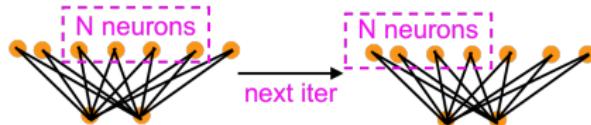


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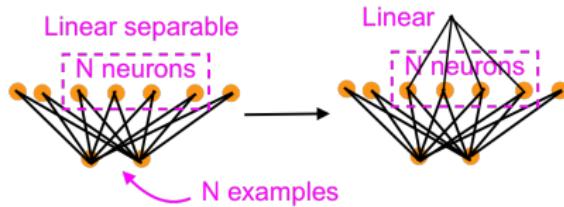


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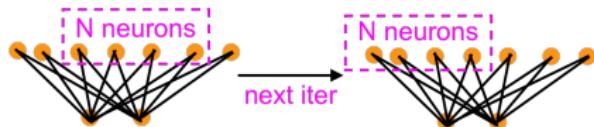


# Principle of “noisy computation”

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- This is what behind the principle of “noisy computation”.

# Summary of my works

- I have described 10 percent of my works.

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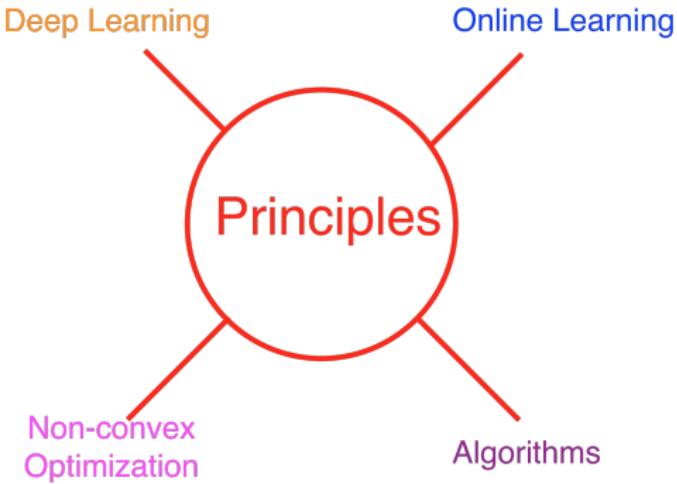
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In each area

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Over-para: Training/Generalization

[LL'18, ALS'18, ALL'18]

Recurrent neural networks:

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ResNet with/without over-para

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In each area

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This talk

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Open problem since 2004

Open problem since 1991

Best student paper(ALT 18)

In each area

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With practical  
improvements

Best paper(COLT 18)

In each area

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### Algorithms

- SVD(PCA), CCA, PCR, Online PCA  
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Convex optimization[BJLLS'19(ab)]
- Matrix/Operator Scaling/Orbit  
Closure Testing[ALOW'17,  
AGLOW'18]
- L<sub>p</sub> regression[BCLL'18]

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One step towards  
derandomizing PT  
(complexity)

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## Principles

Models

Over-parameterization

Algorithms

Inductive bias of SGD  
Noisy computation

## Principles

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Under-parameterization

Re-parameterization

Ensemble(Multiple Objectives)

Random initialization

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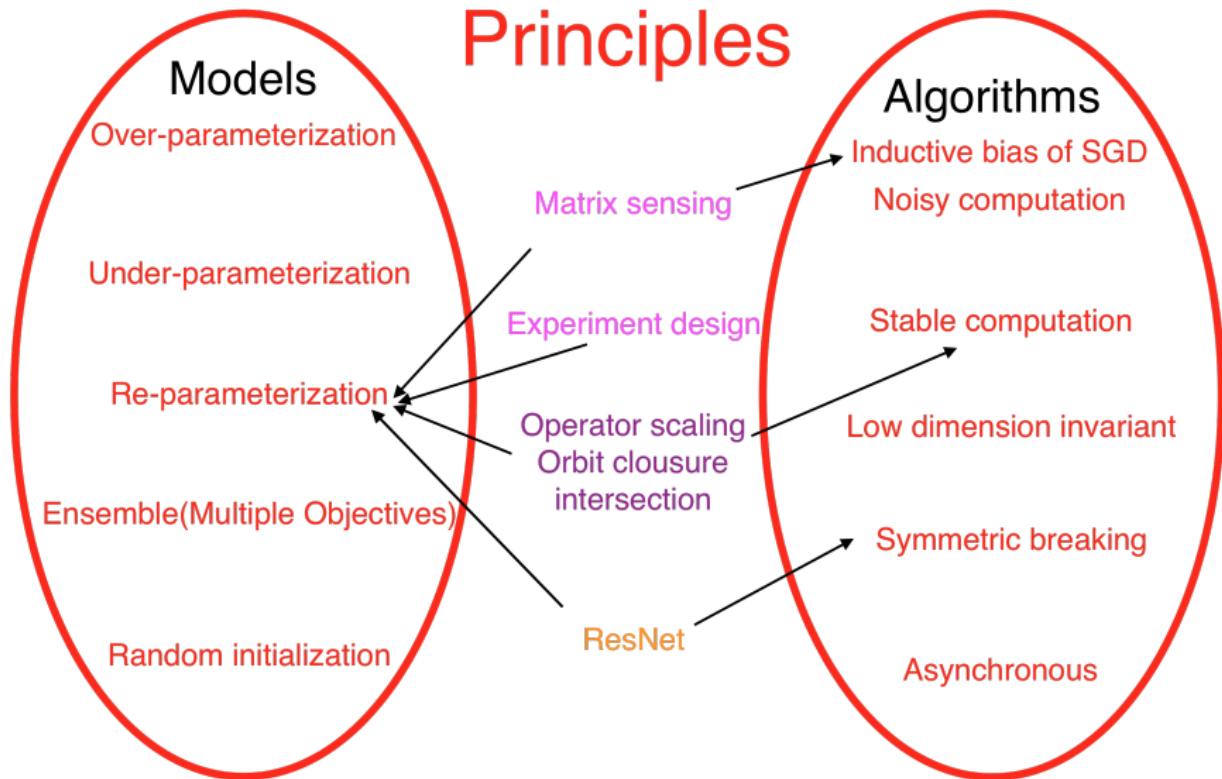
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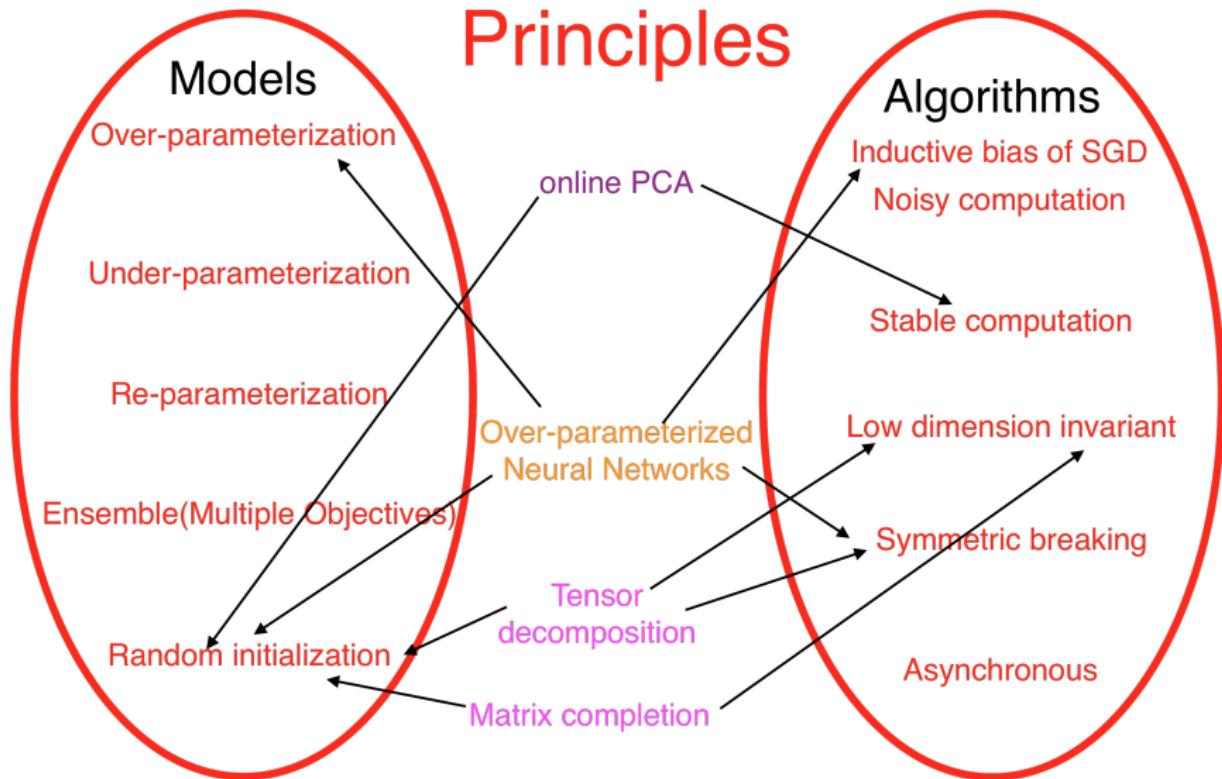
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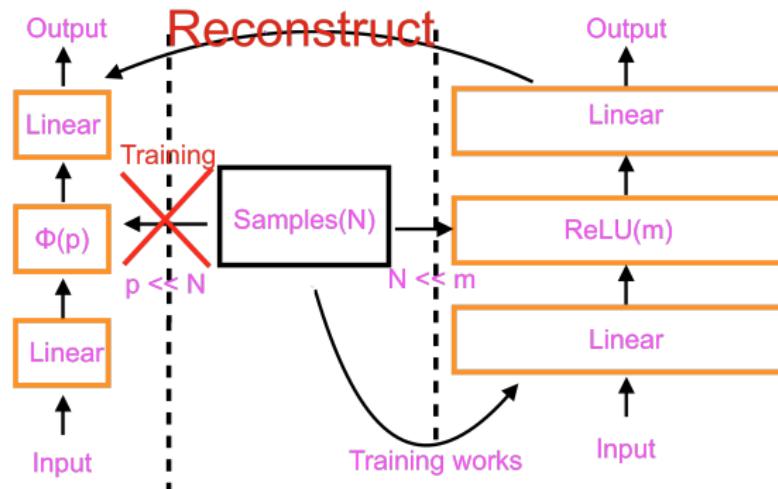


# Future directions

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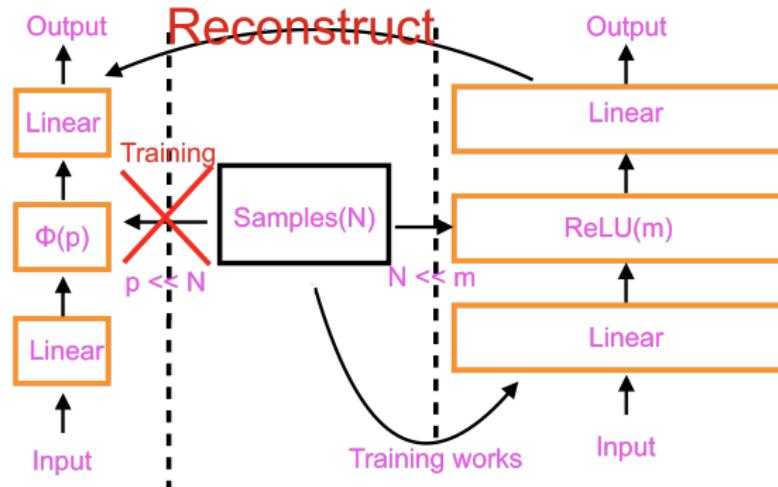
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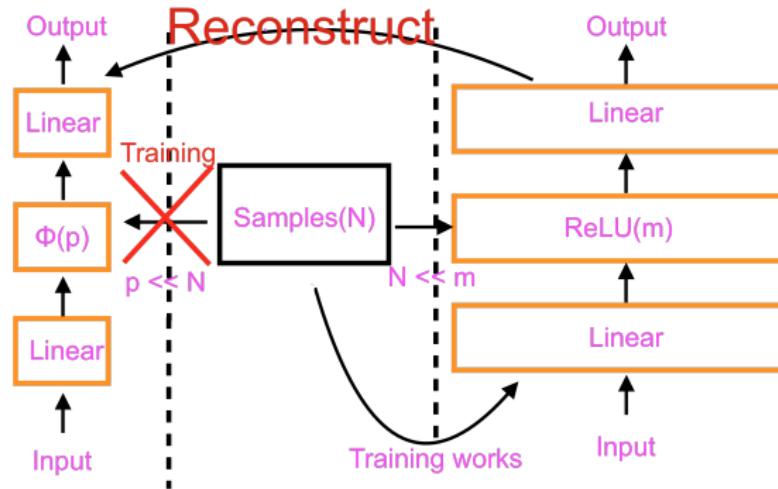
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- Deep learning: incorporate noise in a more controllable way. (SVRG + noise?)

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- Deep learning: incorporate noise in a more controllable way. (SVRG + noise?)
- Much more exciting directions.



# Yelp: Local Food & Services

Restaurant & Delivery Finder



4.1 ★★★★☆

4.42K Ratings

#10

Travel

12+

Age

## What's New

Version 12.27.0

## Version History

2d ago

We apologize to anyone who had problems with the app this week. We trained a neural net to eliminate all the bugs in the app and it deleted everything. We had to roll everything back. To be fair, we were 100% bug-free... briefly.