

A Gradient-based Adaptive Learning Framework for Efficient Personal Recommendation

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August 27, 2017

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- Problem Challenges

The Proposed Framework

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- Adaptive Logistic Regression

- Adaptive Gradient Boosting Decision Tree

- Adaptive Matrix Factorization

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- Datasets & Metrics

- Comparison Methods

- Ranking Scores

Summary

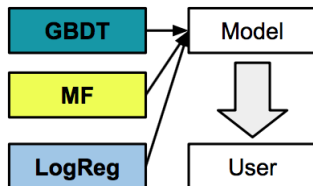
Challenges in Personalized Recommender Systems

- ▶ Alleviate “average” experiences for users.



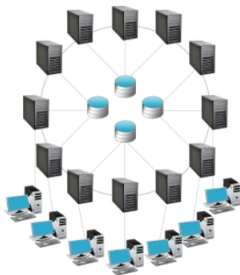
Challenges in Personalized Recommender Systems

- ▶ Alleviate “average” experiences for users.
- ▶ Lack of generic empirical frameworks for different models.



Challenges in Personalized Recommender Systems

- ▶ Alleviate “average” experiences for users.
- ▶ Lack of generic empirical frameworks for different models.
- ▶ Distributed model learning and less access of data.



Example of Personal Models

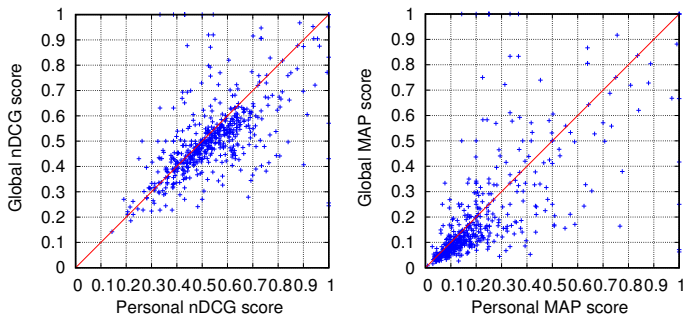


Figure: An example of global and personal models. Left figure showcases the nDCG score of users from global (y-axis) and personal (x-axis) models. (Right: MAP score).

System Framework

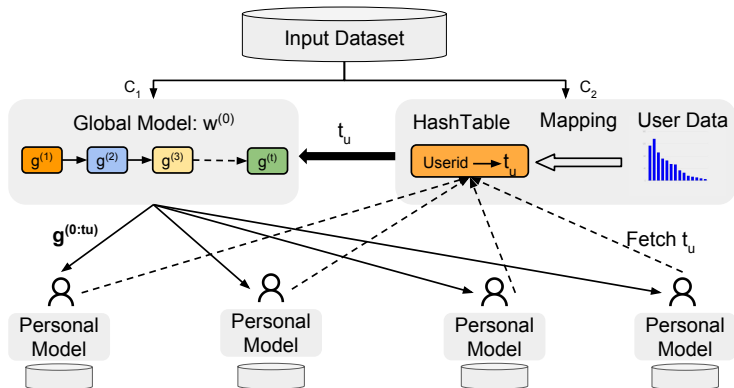


Figure: System Framework. Component C_1 trains a global model. Component C_2 generates a hashtable based on users' data distribution. Users request t_u from C_2 and C_1 returns a subsequence of gradients $g^{(0:t_u)}$ to users.

Adaptation Mechanism

Global update \rightarrow

$$\boldsymbol{\theta}^{(T)} = \boldsymbol{\theta}^{(0)} - \eta \sum_{t=1}^T \mathbf{g}^{(t)}(\boldsymbol{\theta})$$

Local update \rightarrow

$$\tilde{\boldsymbol{\theta}}_u = \boldsymbol{\theta}^{(0)} - \eta_1 \sum_{t=1}^{t_u-1} \mathbf{g}^{(t)}(\boldsymbol{\theta}) - \eta_2 \sum_{t=t_u}^T \mathbf{g}^{(t)}(\boldsymbol{\theta}_u)$$

- ▶ $\boldsymbol{\theta}$: the global model parameter.
- ▶ $\boldsymbol{\theta}_u$: the personal model parameter.
- ▶ u : the index for one user.
- ▶ t_u : the index of global gradients for user u .
- ▶ $\mathbf{g}^{(t)}(\boldsymbol{\theta})$: global gradients
- ▶ $\mathbf{g}^{(t)}(\boldsymbol{\theta}_u)$: personal gradients

How do we decide t_u ?

- ▶ Group users into C groups based on their data sizes in descending order.
- ▶ Decide the position $p_u = \frac{i}{C}$,
 - ▶ C is # groups.
 - ▶ i is the group assignment for user u .
 - ▶ the first group ($i=1$) of users has the most data.
- ▶ Set $t_u = \lfloor T * p_u \rfloor$
 - ▶ T : total iterations in the global SGD algorithm
 - ▶ Users with the most data have the earliest stop for global gradients.

Adaptive Logistic Regression

Objective:

$$\min_{\mathbf{w}} L(\mathbf{w}) = f(\mathbf{w}) + \lambda r(\mathbf{w}) \quad (1)$$

- ▶ $f(\mathbf{w})$ is the negative log-likelihood.
- ▶ $r(\mathbf{w})$ is a regularization function.

Adaptation Procedure:

- ▶ Global update \rightarrow

$$\tilde{\mathbf{w}}_u^{(0)} = \mathbf{w}^{(0)} - \eta_1 \sum_{t=1}^{t_u-1} g^{(t)}(\mathbf{w}) \quad (2)$$

- ▶ Local update \rightarrow

$$\tilde{\mathbf{w}}_u^{(T)} = \tilde{\mathbf{w}}_u^{(0)} - \eta_2 \sum_{t=1}^{T-t_u} g^{(t)}(\mathbf{w}_u) \quad (3)$$

Adaptive Gradient Boosting Decision Tree

Objective:

$$\begin{aligned} L^{(t)} &= \sum_d^N l(y_d, F_d^{(t-1)} + \rho h^{(t)}) + \Omega(h^{(t)}) \\ &= \sum_d^N l(y_d, F_d^{(0)} + \rho h^{(0:t)}) + \Omega(h^{(t)}) \end{aligned} \quad (4)$$

Adaptation Procedure:

$$\tilde{F}_u^{(0)} = F^{(0)} + \rho h^{(0:t_u)} \quad (5)$$

$$\tilde{F}_u^{(T)} = \tilde{F}_u^{(0)} + \rho h_u^{(t_u:T)} \quad (6)$$

Adaptive Matrix Factorization

Objective:

$$\min_{q_*, p_*, b_*} \sum_{u,i} (r_{ui} - \mu - b_u - b_i - \mathbf{q}_u^T \mathbf{p}_i) + \lambda (\|\mathbf{q}_u\|^2 + \|\mathbf{p}_i\|^2 + b_u^2 + b_i^2) \quad (7)$$

Adaptation Procedure:

$$\tilde{\mathbf{q}}_u^{(0)} = \mathbf{q}_u^{(0)} - \eta_1 \sum_{t=0}^{t_u} g^{(t)}(\mathbf{q}_u), \tilde{\mathbf{q}}_u^{(T)} = \tilde{\mathbf{q}}_u^{(0)} - \eta_2 \sum_{t=0}^{T-t_u} g^{(t)}(\tilde{\mathbf{q}}_u) \quad (8)$$

$$\tilde{b}_u^{(0)} = b_u^{(0)} - \eta_1 \sum_{k=0}^{t_u} g^{(k)}(b_u), \tilde{b}_u^{(T)} = \tilde{b}_u^{(0)} - \eta_2 \sum_{t=0}^{T-t_u} g^{(t)}(\tilde{b}_u) \quad (9)$$

Properties

- ▶ **Generality:** The framework is generic to a variety of machine learning models that can be optimized by gradient-based approaches.
- ▶ **Extensibility:** The framework is extensible to be used for more sophisticated use cases.
- ▶ **Scalability:** In this framework, the training process of a personal model for one user is independent of all the other users.

Datasets

Table: Dataset Statistics

News Portal				
# users	54845			
# features	351	Movie Ratings		
# click events	2,378,918		Netflix	Movielens
# view events	26,916,620	# users	478920	1721
avg # click events per user	43	# items	17766	3331
avg # events per user	534	sparsity	0.00942	0.039

- For LogReg and GBDT: News Portal dataset
- For Matrix Factorization: Movie rating datasets (Netflix, Movielens)

Metrics

- ▶ MAP: Mean Average Precision.
- ▶ MRR: Mean Reciprocal Rank.
- ▶ AUC: Area Under (ROC) Curve.
- ▶ nDCG: Normalized Discounted Cumulative Gain.
- ▶ RMSE: Root Mean Square Error
- ▶ MAE: Mean Absolute Error

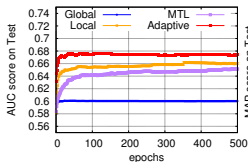
Comparison Methods

Table: Objective functions for different methods.

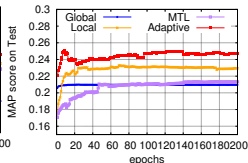
Model	LogReg
Global	$\sum_{d=1}^N f(\mathbf{w}) + \lambda \ \mathbf{w}\ _2^2$
Local	$\sum_{j=1}^{N_u} f(\mathbf{w}_u) + \lambda \ \mathbf{w}_u\ _2^2$
MTL	$\sum_j^{N_u} f(\mathbf{w}_u) + \frac{\lambda_1}{2} \ \mathbf{w}_u - \mathbf{w}\ ^2 + \frac{\lambda_2}{2} \ \mathbf{w}_u\ ^2$
Model	GBDT
Global	$\sum_d^N l(y_d, F_d^{(0)} + \rho h^{(0:t)}) + \Omega(h^{(t)})$
Local	$\sum_j^{N_u} l(y_j, F_j^{(0)} + \rho h^{(0:t)}) + \Omega(h^{(t)})$
MTL	-
Model	MF
Global	$\sum_{u,i} (r_{ui} - \mu - b_u - b_i - \mathbf{q}_u^T \mathbf{p}_i) + \lambda (\ \mathbf{q}_u\ ^2 + \ \mathbf{p}_i\ ^2 + b_u^2 + b_i^2)$
Local	$\sum_{i \in N_u} (r_{ui} - \mu - \tilde{b}_u - \tilde{b}_i - \tilde{\mathbf{q}}_u^T \tilde{\mathbf{p}}_i) + \lambda (\ \tilde{\mathbf{q}}_u\ ^2 + \ \tilde{\mathbf{p}}_i\ ^2 + \tilde{b}_u^2 + \tilde{b}_i^2)$
MTL	$\text{global} + \lambda_2 [(\mathbf{q}_u - \mathbf{q})^2 + (\mathbf{p}_i - \mathbf{p})^2 + (b_u - A_u)^2 + (b_i - A_i)^2]$

- Global: models are trained on all users' data
- Local: models are learned locally on per user's data
- MTL: users models are averaged by a global parameter.

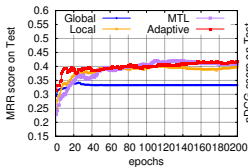
Ranking Performance - LogReg



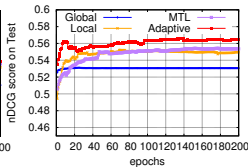
(a) AUC



(b) MAP



(c) MRR



(d) nDCG

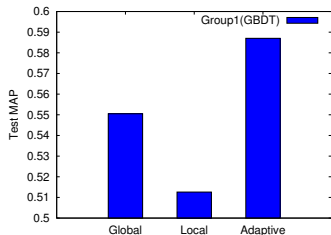
- ▶ AUC, MAP, MRR and nDCG scores on the test dataset with **varying training epochs**.
- ▶ The proposed adaptive LogReg models achieve higher scores with **fewer epochs**.
- ▶ Global models perform the worst.

Ranking Performance - GBDT

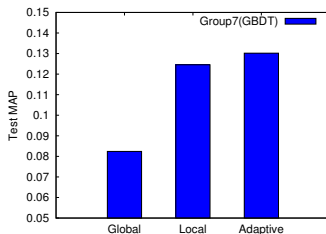
Table: Performance comparison based on MAP, MRR, AUC and nDCG for GBDT. Each value is calculated from the average of 10 runs with standard deviation.

	Global-GBDT			
#Trees	MAP	MRR	AUC	nDCG
20	0.2094(1e-3)	0.3617(2e-3)	0.6290(1e-3)	0.5329(6e-4)
50	0.2137(1e-3)	0.3726(1e-3)	0.6341(1e-3)	0.5372(6e-4)
100	0.2150(8e-3)	0.3769(1e-3)	0.6356(8e-4)	0.5392(6e-4)
200	0.2161(5e-4)	0.3848(1e-3)	0.6412(6e-4)	0.5415(5e-4)
	Local-GBDT			
#Trees	MAP	MRR	AUC	nDCG
20	0.2262(2e-3)	0.4510(5e-3)	0.6344(3e-3)	0.5604(2e-3)
50	0.2319(2e-3)	0.4446(4e-3)	0.6505(2e-3)	0.5651(2e-3)
100	0.2328(1e-3)	0.4465(5e-3)	0.6558(2e-3)	0.5651(2e-3)
200	0.2322(2e-3)	0.4431(2e-3)	0.6566(1e-3)	0.5649(1e-3)
	Adaptive-GBDT			
#Trees	MAP	MRR	AUC	nDCG
20+50	0.2343 (2e-3)	0.4474(4e-3)	0.6555(2e-3)	0.5661(2e-3)
50+50	0.2325(2e-3)	0.4472(1e-4)	0.6561(8e-4)	0.5666 (6e-4)
10+100	0.2329(2e-3)	0.4423(3e-3)	0.6587 (1e-3)	0.5650(3e-3)

Ranking Performance - GBDT



(a) Group 1

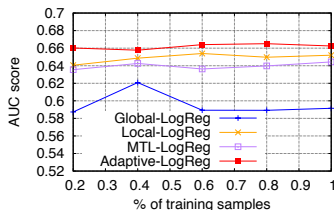


(b) Group 7

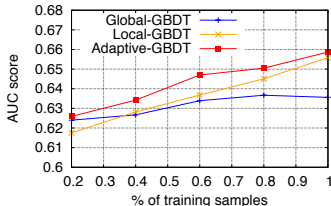
Figure: MAP Comparison of Group 1 (least) and Group 7 (most) for GBDT methods.

- ▶ MAP score for the groups of users with **least data (Group 1)** and **most data (Group 7)** for GBDT models.
- ▶ Adaptive-GBDT *outperform* both global and local GBDT models in terms of MAP for all groups of users.

Ranking Performance - LogReg vs GBDT



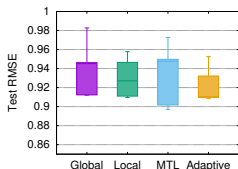
(a) LogReg



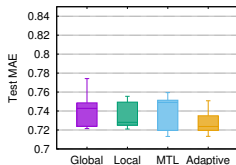
(b) GBDT

- ▶ AUC score for Global-GBDT, Local-GBDT, and Adaptive-GBDT with # of training samples from 20% to 100%.
- ▶ On average of AUC, Adaptive-GBDT performs better than other methods.
- ▶ With the increase of training samples, GBDT based methods tend to perform better while LogReg methods achieve relatively stable scores.

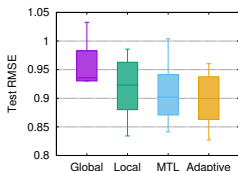
Results - MF



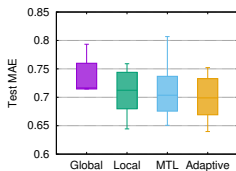
(a) ML-RMSE



(b) ML-MAE



(c) Netflix-RMSE



(d) Netflix-MAE

- RMSE and MAE on MovieLens(ML) and Netflix datasets.
- The quartile analysis of the group level RMSE and MAE for different MF models.
- Gold: Adaptive-MF

Summary

- ▶ *Effectively and efficiently* build personal models that lead to improved recommendation performance over either the global model or the local model.
- ▶ Adaptively learn personal models by **exploiting the global gradients** according to **individuals characteristic**.
- ▶ Our experiments demonstrate the usefulness of our framework across a wide scope, in terms of both model classes and application domains.

Thank you!
Q&A